

## Supporting Information. S1 File.

The controlled direct effect of temperament at 2-3 years on cognitive and academic outcomes  
at 6-7 years

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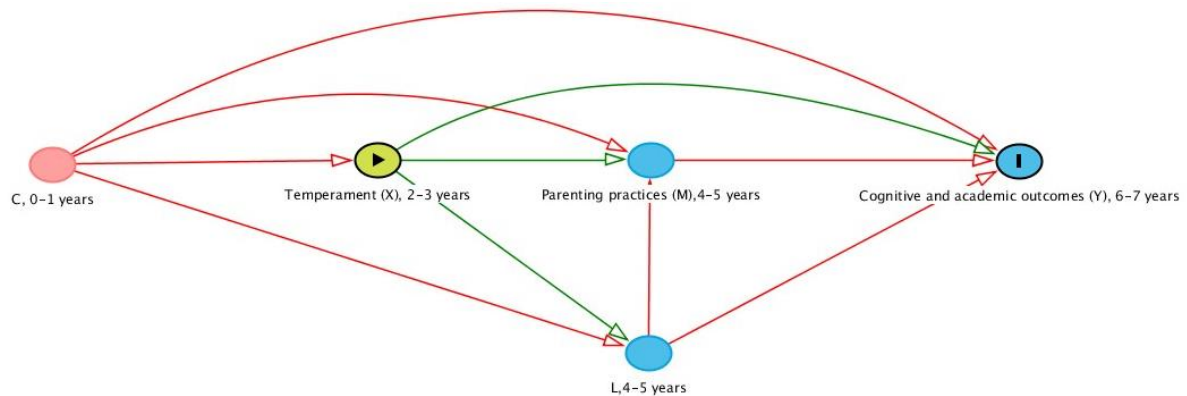
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## S1 File. The marginal structural model



**S1 Fig.** Causal diagram of the hypothesized effects of temperament at 2 to 3 years and parenting practices at 4 to 5 years on cognitive and academic outcomes at ages 6 to 7 years.

**S1 Fig** depicts the causal diagram for our study.  $X$  (temperament subscales of reactivity, approach, and persistence) represents the exposure,  $M$  (parenting practices) represents the intermediate variable, and  $Y$  (cognitive and academic outcomes) represents the outcome.  $C$  represents confounders of the association between temperament ( $X$ ), parenting practices ( $M$ ), and cognitive and academic outcomes ( $Y$ ) measured at ages 0 to 1 year (maternal education, financial hardship, housing tenure, Aboriginal or Torres Strait Islander, neighbourhood disadvantage, sex, birth weight for gestational age z-score, duration of breastfeeding, maternal age, maternal country of birth, maternal psychological distress, mother and partner argumentative relationship, single-parent family, gestational hypertension, gestational diabetes, smoking and alcohol intake during pregnancy).  $L$  represents confounders of the effect of parenting practices  $M$  on cognitive and academic outcomes  $Y$  measured at ages 4 to 5 years (maternal psychological distress, number of siblings, mothers' working status, household income, and financial hardship).

The standard approach to estimate the direct effect is by regressing the outcome  $Y$  on the exposure  $X$  and some exposure-outcome confounders  $C$  and then considering whether the coefficient for  $X$  changes when controlling for the intermediate variable  $M$ . The difference in coefficients of  $X$  is a measure of the effect that is going through by  $M$  [1]. However, using the standard regression approach to assess the direct effect can lead to biased estimates when there are confounders of the  $M$ - $Y$  association,  $L$  [2, 3]. For example, the number of siblings  $L$  affects parenting practices  $M$  at age 4 to 5 years and child outcomes  $Y$  at age 6 to 7 years. If we adjusted for  $M$ , as in the regression approach, we induce an association between  $X$  and  $L$  [2]. If we additionally adjusted for  $L$ , we block part of the direct effect of  $X$  on  $Y$  that is not through  $M$  [4].

To overcome limitations of standard regression, marginal structural models have been recommended for better estimation of the controlled direct effect [5]. The marginal structural model differs from the standard regression approach in that the model is for counterfactual outcomes rather than observed outcomes [5, 6]. The counterfactual approach allows the estimation of the controlled direct effect by comparing the extent to which an outcome would change if the mediating variable (parenting practices) was controlled by setting at a uniform level  $m$  in the population while the exposure was changed from the observed level,  $x$  to a counterfactual level,  $x^*$  [5].

The marginal structural model is not conditioned on any covariates but uses a weighting approach to account for confounding factors [7, 8]. Under the assumption of no unmeasured confounding factors, the weighting method creates a pseudo population in which the association between confounding factors and the exposure is ignorable. The weighting

approach takes into account the confounding effect of  $L$  to allow a better estimation of the direct effect [9]. The creation of weights was based on four assumptions [10]:

1. Consistency - the potential outcome for every individual depends on his/her exposure history. For example, that the effect of temperament on PPVT is the same (i.e. consistent) for any level of temperament.
2. Conditional exchangeability - the outcome  $Y$  is independent of the exposure  $X$ , given the covariates. This assumption is also known as ‘no unmeasured confounding’. We examined this assumption in the sensitivity analysis.
3. Positivity - both exposed and unexposed individuals are present at every level of the confounders.
4. Correct model misspecification - the model used to create the weights was appropriate (*e.g.* linear relationship, interaction term included if appropriate, and sufficient confounding factors). It is possible that there is some model misspecification, for example, if the distribution of the exposure/mediator residuals was skewed, the weights generated for the exposure and mediator from normally distributed probability density function may be biased.

**Table S1** displays the estimated stabilized inverse probability weights.

**Table S1: Stabilized inverse probability weights**

	Estimated weight		Weight truncated at 99 <sup>th</sup> percentile	
	Mean (SD)	Minimum/maximum	Mean (SD)	Minimum/maximum
Reactivity	1.00 (0.55)	0.03/54.12	0.99 (0.38)	0.25/4.39
Approach	1.00 (0.46)	0.04/41.36	0.99 (0.32)	0.27/3.54
Persistence	1.00 (0.47)	0.05/33.10	0.99 (0.31)	0.29/3.30

## References for S1 File

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