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High-Resolution Computational Modeling of Immune Responses in the Gut --Manuscript Draft--

Manuscript Number:	GIGA-D-18-00435R3		
Full Title:	High-Resolution Computational Modeling of Immune Responses in the Gut		
Article Type:	Research		
Funding Information:	Defense Threat Reduction Agency (HDTRA1-18-1-0008)	Dr. Josep Bassaganya-Riera Dr. Raquel Hontecillas	
Abstract:	Background: Helicobacter pylori causes gastric cancer in 1-2% of cases, but is also beneficial for protection against allergies and gastroesophageal diseases. An estimated 85% of H. pylori-colonized individuals do not present any detrimental effects. To study the mechanisms promoting host tolerance to the bacterium in the gastrointestinal mucosa and systemic regulatory effects, we investigated the dynamics of immunoregulatory mechanisms triggered by H. pylori using a high-performance computing driven ENteric Immunity Simulator multiscale model. Immune responses were simulated by integrating an agent-based model, ordinary and partial differential equations. Results: The outputs were analyzed using two sequential stages: the first used a partia rank correlation coefficient regression-based and the second employed a metamodel-based global sensitivity analysis. The influential parameters screened from the first stage were selected to be varied for the second stage. The outputs from both stages were combined as a training dataset to build a spatiotemporal metamodel. The Sobol' indices measured time-varying impact of input parameters during initiation, peak and chronic phases of infection. The study identified epithelial cell proliferation and epithelial cell death as key parameters that control infection outcomes. In-silico validation showed that colonization with H. pylori decreased with a decrease in epithelial cell proliferation, which was linked to regulatory macrophages and tolerogenic dendritic cells. Conclusion: The hybrid model of H. pylori infection identified epithelial cell proliferation as a key factor for successful colonization of the gastric niche and highlighted the role of tolerogenic dendritic cells and regulatory macrophages in modulating the host responses and shaping infection outcomes.		
Corresponding Author:	Raquel Hontecillas, Ph.D. Virginia Polytechnic Institute and State University Blacksburg, Virginia UNITED STATES		
Corresponding Author Secondary Information:			
Corresponding Author's Institution:	Virginia Polytechnic Institute and State Uni	versity	
Corresponding Author's Secondary Institution:			
First Author:	Meghna Verma, M.S.		
First Author Secondary Information:			
Order of Authors:	Meghna Verma, M.S.	Meghna Verma, M.S.	
Josep Bassaganya-Riera, Ph.D.			
	Andrew Leber, Ph.D.		
	Nuria Tubau-Juni, M.S.		
	Stefan Hoops, Ph.D.		
	Vida Abedi, Ph.D.		
	Xi Chen, Ph.D.		
	Raquel Hontecillas, Ph.D.		
	<u>'</u>		

Order of Authors Secondary Information:

Response to Reviewers:

Once more, we would like to truly thank the reviewers and editor for the time and effort they are putting in reviewing our work. The fact that they've all brought up concerns about the grid dimensions and structure underlines the importance of computational biology as means of integrating biological concepts with biophysics and mathematics. Most biologists tend to focus on functions (i.e., gene expression or protein properties) and numbers, but they rarely consider the dimensions of the "biological space". The proposed revisions and clarifications better connect the biology, underlying mathematics and spatial/biophysical considerations. In response to the comments raised by the reviewers, we have revised the manuscript and provided explanations to further clarify the description of the grid.

Reviewer reports:

Reviewer #2 Comment 1: I have looked through the authors' responses and remain concerned about the grid dimensions. Redefining the grid in um instead of nm still leaves the entire simulation environment at 30um by 10um which is about on the order of a single cell (e.g. macrophage diameter ~20um

https://www.ncbi.nlm.nih.gov/pmc/articles/PMC1470168/). I remain concerned that defining the grid at such a small scale creates a biologically unrealistic disconnect between the diffusing cytokines (on a very small scale) and the cells that they influence (on a much larger and abstract scale). I tried to understand the dimensions of the diffusion constants for the cytokines but the parameter table S1 contains no units to be able to compare diffusion scales to cell movement scales.

Response to Reviewer 2, Comment 1: We thank the reviewer for their concern. We agree that defining the grid in m leaves the simulation in a smaller scale and want to clarify that even though the units in the model are annotations, we understand that it is crucial to define the grid in a more biologically meaning way.

We define the area in the model being simulated as a simulation environment with 30 mm x 10 mm two-dimensional grid. The size of an individual lattice site (previously referred to as grid cell in the paper) is 1 mm x 1mm. The scales described as in the previous version of ENISI-MSM (Mei et al., 2015) were kept unchanged. The table describing the scales used in (Mei et al., 2015) are also shown here in Table 2. As described in table shown below (adapted from Table 1) of our previous work (Mei et al., 2015), the spatial properties for cytokine diffusion defined in the range of millimeters were unchanged in the version of ENISI-MSM used in this paper.

Scale

Example scenario

Spatial(m)

Time(s)

Technology

Tool

Intra-cellular

Signaling pathways

Nano (nm)

Nano

ODE

COPASI

Cellular

Cell movement and subtype

Milli (mm)

Tens

ABM

ENISI

Intra-cellular

Cytokine-diffusion

Milli (mm)

Tens

PDE

ValueLayer

Tissue

Inflammation and lesions

Centi (cm)

Thousands

Projection

ENISI

Table 2. The four scales of ENISI models, their spatial and temporal properties and modeling technologies and tools used for each scale. (Table 1 as adapted from (Mei et al., 2015))

We updated the manuscript accordingly, please refer to L213-L223.

We thank the reviewer for pointing this out. We updated Table S1 with units for clarity. Lastly, we want to clarify that the model deals with numbers and the units are annotations in the simulation hence the corrections in the dimensions above do not affect the simulation results in any way. All the values used in the code were internally consistent with the model.

Reviewer #3, Comment 1: In this review, I am looking at the more limited questions on the matter of units and scale, which have been raised by both Reviewer #1 and Reviewer #2.

Generally, I don't think the units matter, so long as they have been handled correctly (i.e., with correct conversion and internal consistency within the computational model). The units should be properly labeled in any parameter tables.

I tend to use microns and minutes (or seconds for some problems) for this scale of problem, but there are others who just use cm and sec for everything. As long as the values are correct in the displayed units (and as long as the code used internally consistent values), I think it's purely aesthetic. That said, if something is being labeled on a multicellular level, then labeling 10 microns will be much more appropriate than 10,000 nm.

Response to Reviewer 3, Comment 1: We thank the reviewer for highlighting this point. We concur that the units don't matter for the simulation results, but want to best clarify the dimensions to make them relevant with the biology. We have labelled all the units in the parameter Table S1. The values used in the code were internally consistent with the model and handled correctly. For further clarity, we show the scales used in the previous ENISI models and the spatial and temporal properties as described in (Mei et al., 2015) and included the Table 1 from (Mei et al., 2015).

Scale

Example scenario

Spatial(m)

Time(s)

Technology

Tool

Intra-cellular

Signaling pathways

Nano (nm)

Nano

ODE

COPASI

Cellular

Cell movement and subtype

Milli (mm)

Tens

ABM

ENISI

Intra-cellular

Cytokine-diffusion

Milli (mm)

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PDE

ValueLayer

Tissue

Inflammation and lesions

Centi (cm)

Thousands

Projection

ENISI

Table 2. The four scales of ENISI models, their spatial and temporal properties and modeling technologies and tools used for each scale. (Adapted from (Mei et al., 2015)).

We updated the manuscript accordingly, please refer to L213-L223.

Reviewer #3, Comment 2: However, I want to further dig into Reviewer #2's concerns on grid sizes and scales.

As I read this draft, I see at least one potential source of confusion: this team appears to be very focused on mathematical and numerical methods. As such, they are using the word "cell" for both a biological cell and a computational lattice site. This is a really bad idea, and the authors should pick a better nomenclature (e.g., computational mesh or lattice site) to avoid this confusion. They should never use "cell" to mean anything other than a biological cell once they enter computational biology.

Response to Reviewer 3, Comment 2: The focus of the paper was to utilize an already published tool (Mei et al., 2015) to study Helicobacter pylori infection. So, a significant focus of the work was on the biology. However, we agree that the nomenclature should be clarified to avoid confusion from using the term "cell" for both actual biological cells and space/grid units. In the revised version of the manuscript we have substituted "grid cell" for "lattice site" and kept "cell" to refer to biological cells.

Reviewer #3, Comment 3: Next, they need to be clearer about what their grids represent. They should show a picture of the domain and meshing in their main text, and not just supplementary material. They should probably also clarify that they are simulating a cross-section of tissue in their model, rather than 3D or some top-down view. (At least from what I can tell.) (They seem to address this in text, but showing the mesh will provide better clarity.)

Response to Reviewer 3, Comment 3: We thank the reviewer for their valuable suggestion regarding this crucial point. We included a cartoon picture of the domain and mesh (as Fig. 2) in the main text as opposed to in the supplementary material (as shown below).

We highlighted that we are simulating a cross-section of tissue in the model and we redefined it as a simulation environment with 30 mm \times 10 mm two-dimensional grid. The size of an individual lattice site (previously referred to as grid cell in the paper) is 1 mm \times 1mm.

We updated the manuscript accordingly, please refer to L231-L235.

Reviewer #3, Comment 4: Assuming the authors now have a 30 micron x 10 micron domain, they can simulate at most one epithelial cell, if it's all in plane. But if it's a cross-section, I suppose they could have more. Perhaps many h pylori (which they size at about 1 micron), but not many mammalian cells. So, their computational domain is still not very clear to me, and they should just show it, with appropriate labeling. They seem to skip straight to population dynamics in their figures, but it would be very helpful if they showed one actual spatiotemporal simulation. This would make the nature and performance of their model much clearer.

Response to Reviewer 3, Comment 4: We thank the reviewer for their concern. With a redefined computational simulation environment of 30 mm x 10 mm, the epithelium is comprised of hundreds of epithelial cells.

For example, if the initial number of epithelial cells defined by the user is 12, the total number of epithelial cells amounts to = (30×1) dimension of epithelial compartment x 12intial number = 360.

In addition to the figure of the grid environment, we included the screenshots of one actual in silico simulation of H. pylori infection to highlight the spatiotemporal aspects of

the modeling outputs. The screenshots were created using Vislt version 2.12 (Childs et al., 2012), an interactive visualization and analysis tool. As shown in Additional file Fig. S2 the screenshots represent the spatial distribution of different agent cells over time points (2, 4, 5 and 6) distributed across the 2D grid. Further, we presented the insets in Fig. S2 showing a zoomed in portion of the respective grids across the time steps 2, 4, 5 and 6.

We also want to clarify that the agents represented in the screenshots below are only for visual representation and do not represent the actual size of the biological cells.

We updated the manuscript accordingly and added Fig 3, please refer to L333-L338.

Fig S2. Time screenshots of a Helicobacter pylori infection modeled in a 30 mm (length) x 10 mm (width) two-dimensional grid. The thickness of the compartment is shown on the y-axis, such that: lumen spans (0 to 2) units, epithelium spans (2 to 3) units, lamina propria spans (3 to 8) units and gastric lymph node across (8-10) units on the scale. Two-dimensional distribution of different cell subsets over the time steps (ticks) 2, 4 (top panels), 5 and 6 (bottom panels) are shown. The insets in each image shows a zoomed in portion of the respective grids across the time steps 2, 4, 5 and 6. The agents represented in the screenshots below are only for visual representation and do not represent the actual size of the biological cells.

Future refinements of the model will create agents of the actual sizes of cells.

Reviewer #3, Comment 5: On sizes and scaling, I fully agree with Reviewer #2: if this is indeed a 30 micron x 10 micron cross section, there's no way there are more than a handful of mammalian cells at any time in any simulation. If they have made a scaling argument (and there are such arguments that could be made if formulated clearly and rigorously), they'd better be clear about it. Any results that show thousands of mammalian cells in a $30 \times 10 \text{ micron}^2$ domain are simply beyond biophysical plausibility.

Response Reviewer 3, Comment 5: We defined the simulation environment as a 30 mm x 10 mm two-dimensional grid that represents a cross section area of stomach tissue modeled here.

Reviewer #3, Comment 6: Again, just actually showing a simulation (either a movie, or some time snapshots, but showing locations of all the cell agents and substrate distributions) would help clarify things much more. No limit to the number of cells in a mesh site, while mathematically possible, does not make sense on such a small simulated domain. Even though the authors treated the cell agents as no size (infinitesimal points), there are physical limits, and moreover if each cell is absorbing / secreting things at appropriate rates, then there should be ridiculous amounts of secretion of growth factors and ridiculous depletion of growth substrates, if there is a huge overcrowding of hundreds or thousands of mammalian cells in a 1 micron x 1 micron lattice site.

Response to Reviewer 3, Comment 6: We thank the reviewer for their valuable suggestion and have included time snapshots for the simulation (time points 2, 4, 5 and 6) created using Vislt version 2.12 (Childs et al., 2012), an interactive visualization and analysis tool. Please refer to Additional file Fig S2 also included in the above response to Comment 5.

The hybrid multiscale modeling platform ENISI MSM is currently capable of scaling up to up to 109 agents, at which the memory (on a 32 GB node) was exceeded due to the large number of agents.

Reviewer #3, Comment 7: If that's what's going on, the authors really do need to take a step back and consider domains sufficiently large to capture hundreds or thousands of mammalian cells. This is not simply a matter of relabeling axes: it's a matter of

simulating a larger physical domain that is suited to the size of objects (mammalian cells) that they are considering, with biophysically reasonable parameters. The authors need to carefully review all their parameters (e.g., cell densities) to ensure they are correctly scaled and reasonable. If there is nobody on the team with sufficient domain expertise to review these parameters and results to check for reasonableness, it may be time to grow the team. Given that actual mammalian cells are much larger than the computational lattice sites, there must be constraints: if a lattice site is "occupied" by a mammalian cells, so are many (or most!) of the surrounding lattice sites. They would be no-fly zones for further mammalian cells. The common way to solve such problems is to use computational lattice sites that are of comparable size to the largest biological cells (e.g., 1 biological cell per lattice site, as a cellular automaton model), or use very large lattice sites (e..g, 100 micron x 100 micron) that can truly contain multiple cells.

Response to Reviewer 3, Comment 7: We thank the reviewer for their suggestion on the size of the lattice site.

In the current model, the size of the lattice site (referred as spatial grid previously) is 1mm x 1mm, capable of containing multiple cells.

The total number of agents in a compartment of size (length x width) is calculated as follows: number (agents) x size (compartment),

For example, if the user set the initial number of epithelial cell agents to be 12, the total number of epithelial agents within the epithelium compartment amounts to - 12initial_number x (30 x 1)size_epithelilum_compartment = 360.

Reviewer #3, Comment 8: All is not lost, however. If for some reason that larger domain is computationally infeasible (hard to imagine), the authors really don't need a 1 micron mesh resolution for most of the effects here. The diffusion length scale of most chemokines and diffusing substrates would not require a 1 micron mesh resolution. (And numerical stability will improve if coarser mesh resolutions are used.) If the authors feel a 1 micron mesh is needed for the bacteria, they could easily use a separate mesh. This work looks interesting. I think the team has a great contribution to make, if they pay a bit closer attention to the biophysical limits of their system.

Response to Reviewer 3, Comment 8: The computational domain used here is of 30 x 10 units in size and the individual lattice site is 1 units for the simulation. The lattice site is a configurable run parameter and can be changed without modifying the model.

We thank the reviewer for their valuable suggestions, inputs and concerns and have tried to clarify the questions around the grid dimensions.

With these revisions and clarifications, we believe that the revised manuscript is acceptable for publication.

Thank you for considering this work.

References:

Childs, H., Brugger, E., Whitlock, B., Meredith, J., Ahern, S., Pugmire, D., ...Weber, G. (2012). VisIt: An End-User Tool For Visualizing and Analyzing Very Large Data. High Performance Visualization-Enabling Extreme-Scale Scientific Insight. Insight, 357-372. Mei, Y., Abedi, V., Carbo, A., Zhang, X., Lu, P., Philipson, C., ..Bassaganya-Riera, J. (2015). Multiscale modeling of mucosal immune responses. BMC Bioinformatics, 16 Suppl 12, S2. doi:10.1186/1471-2105-16-s12-s2

Additional Information:

Question	Response
Are you submitting this manuscript to a special series or article collection?	No
Experimental design and statistics	Yes

Full details of the experimental design and statistical methods used should be given in the Methods section, as detailed in our Minimum Standards Reporting Checklist. Information essential to interpreting the data presented should be made available in the figure legends. Have you included all the information requested in your manuscript? Resources Yes A description of all resources used, including antibodies, cell lines, animals and software tools, with enough information to allow them to be uniquely identified, should be included in the Methods section. Authors are strongly encouraged to cite Research Resource Identifiers (RRIDs) for antibodies, model organisms and tools, where possible. Have you included the information requested as detailed in our Minimum Standards Reporting Checklist? Availability of data and materials Yes All datasets and code on which the conclusions of the paper rely must be either included in your submission or deposited in publicly available repositories (where available and ethically appropriate), referencing such data using a unique identifier in the references and in the "Availability of Data and Materials" section of your manuscript. Have you have met the above requirement as detailed in our Minimum Standards Reporting Checklist?

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High-Resolution Computational Modeling of Immune Responses in the Gut

Meghna Verma^{1,2}, Josep Bassaganya-Riera¹, Andrew Leber¹, Nuria Tubau-Juni¹,

Stefan Hoops¹, Vida Abedi¹, Xi Chen³, Raquel Hontecillas^{1,*}

¹Nutritional Immunology and Molecular Medicine Laboratory, Biocomplexity Institute of Virginia Tech, Blacksburg, VA 24060, USA.

²Graduate Program in Translational Biology, Medicine and Health, Virginia Tech, Blacksburg, VA, 24061, USA.

³Grado Department of Industrial and Systems Engineering, Virginia Tech, Blacksburg, VA, USA.

* Correspondence:

Dr. Raquel Hontecillas Email: rmagarzo@vt.edu

Keywords: agent-based model, ordinary differential equation, Gaussian process, *Helicobacter pylori*, high-performance computing, metamodel, sensitivity analysis, immune system, dendritic cells, macrophages.

Email address for all authors:

Meghna Verma: meghna89@vt.edu

Josep Bassaganya-Riera: jbassaga@vt.edu

Andrew Leber: ajleber@vt.edu
Nuria Tubau-Juni: nuriaj@vt.edu
Stefan Hoops: shoops@vt.edu
Vida Abedi: vidaabedi@gmail.com

Xi Chen: xchen6@vt.edu

Raquel Hontecillas: rmagarzo@vt.edu

Abstract

Background: Helicobacter pylori causes gastric cancer in 1-2% of cases, but is also beneficial for protection against allergies and gastroesophageal diseases. An estimated 85% of H. pylori-colonized individuals do not present any detrimental effects. To study the mechanisms promoting host tolerance to the bacterium in the gastrointestinal mucosa and systemic regulatory effects, we investigated the dynamics of immunoregulatory mechanisms triggered by H. pylori using a high-performance computing driven ENteric Immunity Simulator multiscale model. Immune responses were simulated by integrating an agentbased model, ordinary and partial differential equations. Results: The outputs were analyzed using two sequential stages: the first used a partial rank correlation coefficient regression-based and the second employed a metamodel-based global sensitivity analysis. The influential parameters screened from the first stage were selected to be varied for the second stage. The outputs from both stages were combined as a training dataset to build a spatiotemporal metamodel. The Sobol' indices measured time-varying impact of input parameters during initiation, peak and chronic phases of infection. The study identified epithelial cell proliferation and epithelial cell death as key parameters that control infection outcomes. In-silico validation showed that colonization with H. pylori decreased with a decrease in epithelial cell proliferation, which was linked to regulatory macrophages and tolerogenic dendritic cells. Conclusion: The hybrid model of H. pylori infection identified epithelial cell proliferation as a key factor for successful colonization of the gastric niche and

 highlighted the role of tolerogenic dendritic cells and regulatory macrophages in modulating the host responses and shaping infection outcomes.

1. Background

Computational modeling of the immune response dynamics can provide novel insights and facilitate the systems level understanding of the interactions at the gastric mucosa during infection. Ordinary differential equation (ODEbased methods are deterministic and based on the average response of cells over time. Dynamical models are used in immunology for system-level analyses of CD4+ T cell differentiation [1], macrophage differentiation [2], immune responses elicited by Clostridium difficile infection [3], co-infections [4], and in cancer and immunotherapy [5]. However, ODE-based models lack the spatial aspects and the features to study the organ and immune cell topology over time. Agent-based models (ABM) employ a bottom-up approach that focuses on the spatial and temporal aspects of individual immune cells, unlike the ODE-based methods. This rule-based method includes agents that act as local entities which interact locally with other agents, move in space, and follow set of rules representing their role in a given system and contribute towards generating an emergent behavior. Since, the immune system is a complex dynamical system [6] wherein the components i.e., the immune cells move in space and time changing their location, ABMs are useful tools that can be employed to understand biological mechanisms and the hidden insights.

Helicobacter pylori is a gram-negative bacterium that has persistently colonized the human stomach since early evolution [7] [8] and is currently found in over 50% [9] of the global population. *H. pylori* has co-evolved with humans for thousands of years, such that an estimated 85% of the *H. pylori*-colonized

individuals, do not present any detrimental effects. Thus, the vast majority of carriers (i.e., up to 75%) remain asymptomatic, while only 15% develop ulcers, and less than 3% develop cancer. Further, growing and sometimes contradictory evidence from recent experimental, clinical studies and epidemiological studies suggest that H. pylori might provide protection against obesity-related inflammation and type 2 diabetes [10], esophageal, cardiac pathologies, childhood asthma and allergies [11] and autoimmune diseases. In this context, it is crucial to understand the mechanisms that promote host tolerance to the bacterium in the gastrointestinal mucosa and its systemic regulatory effects since these have been linked to the beneficial commensal aspects of H. pylorihuman host interaction. Computational models provide a cost-effective and predictive way to study the complex and dynamic immune system interactions and form a non-intuitive novel hypothesis. Solving the complex puzzle of immunoregulatory mechanisms that include large spatiotemporal scales ranging from cellular, intracellular, tissue and organ level scales is a major unsolved challenge that requires applying computational modeling and data analytics.

An advanced hybrid model used to study the mucosal immune response during gut inflammation highlighted the mechanisms by which effector CD4+ T cell responses, contributed to tissue damage in the gut mucosa following immune dysregulation [12]. Other hybrid models with the integration of ABM, ODE, and PDE technologies, were developed to understand the dynamics of tumor development [13] and tumor growth models [14]. These combined techniques have been used to develop multi-organ models in various situations, including the study of granuloma formation [15] and pressure-driven ulcer formation in post spinal cord injury patients [16]. The summary of different agent-based simulators with immunology related applications are discussed and

summarized in [17, 18]. The comparison between different multiscale modeling tools and agent-based immune simulators, are discussed in [12, 19].

In this study, we utilize a high-resolution **EN**teric Immunity **SI**mulator (ENISI)based model of the stomach for simulating the mucosal immune responses to H pylori infection. The advanced hybrid multiscale modeling platform ENISI multiscale model (MSM) is capable of scaling up to 10¹² agents [20]. The host immune responses initiated during H. pylori infection and the underlying immunoregulatory mechanisms are captured using the ENISI multiscale hybrid model. The underlying intracellular mechanisms that control cytokine production, signaling and differentiation of macrophages and T cells are modeled by using ODEs, the diffusion of cytokine values is modeled using PDEs and the location and interactions among the immune cells, bacteria and epithelial cells are modeled by using ABMs. The hybrid model thereby represents a highperformance computing (HPC)-driven large-scale simulation of the massively interacting cells and molecules in the immune system, integrating the multiple modeling technologies from molecules to systems across multiple spatiotemporal scales.

To understand the dynamics and emergent immunological patterns described by this hybrid model, we employed sensitivity analysis (SA), an important part of the model analysis used to explore the influence of varying model parameters on the simulation outputs. The influence of the effects of changes in parameter values on the model output explains the model dynamics that underlay the outputs [21, 22]. Furthermore, SA examines the robustness of the model output at a different range of parameter values that correspond to a range of different assumptions. We employed global SA and conducted a twostage spatiotemporal global SA approach. First, we used a regression-based

method such as the partial rank correlation coefficient (PRCC) and screened the important input parameters that were shown to have the most influence on the output cell populations obtained from the hybrid model. Second, the screened input parameters from the first stage were varied to build a second stage parameter design matrix, and the computer simulations were again run using the hybrid ENISI model. The outputs from both analytics stages were combined and used as a 'training dataset' to build a spatiotemporal Gaussian process based metamodel. Finally, variance-based decomposition global SA was used to compute the Sobol' indices and the most influential parameters over the course of infection were identified. The data analytics methods conducted on the hybrid model identified the epithelial cell parameters such as epithelial cell proliferation as the most influential ones, required for the successful colonization of H. pylori in the gastric microenvironment.

2. Methods

2.1 Hybrid multiscale *Helicobacter pylori* infection model

We developed a multi-compartment, high-resolution, hybrid ABM/ODE/PDE model to capture the dynamics of the immune response during H. pylori colonization of the gastric mucosa. The model has a spatial discretization such that the dimension of the entire (two-dimensional, (2D)) grid is 30 mm x 10 mm. An individual lattice site for our simulation is 1 mm x 1 mm, however, this is a configurable run parameter and can be changed without modifying the model. An individual lattice site is a unit wherein all the agents located within that location have the same cytokine environment, i.e., for all the agents in that location, ENISI-MSM would send the same concentration of the cytokines to

COPASI. The entire grid is divided within into four functionally and anatomically distinct sized compartments: lumen, epithelium, lamina propria and gastric lymph node. In the model, there are multiple cells and cell types (i.e., agents) within this dimensional grid. At the beginning of each simulation cycle, the cells (agents) are randomly placed within the within the 2D grid. The separation of different types of agents, corresponding to different cell types, into compartments within the grid is based on the conceptual framework that underlines the model, which is based on author's expertise and available information. Currently the individual agents do not have any physical size meaning such that there is no limit of agents within each individual spatial grid. The model is initialized with the concentration of different cell types (i.e. agents for e.g. macrophages) at the beginning of the simulation by the user.

The use of a border implementation permits the migration of agents (cells) across compartments and facilitates the unidirectional and bidirectional movement of the agents. At the cellular scale, ENISI MSM, simulated epithelial cells, macrophages, dendritic cells (DC), CD4+ T cells and bacteria that are implemented as agents in the model. At the intracellular scale, calibrated ODEbased models of T cells [23] and macrophages [2] were used to represent the intracellular pathways controlling cytokine production. The CD4+ T cell ODE model was calibrated using the experimental data provided in the Table S1 of [23]. The Particle Swarm algorithm implemented in COPASI was used to determine unknown model parameter values and fully calibrate the CD4+T cell ODE model, the details are described in [23]. The intracellular macrophage ODE model was calibrated using a combination of sourced and new data generated from in vitro macrophage differentiation studies, that were compiled into a dataset provided within S2 file of [2]. The parameter values are specified within

the previously published manuscripts - CD4+ T cell ODE model (Carbo, Hontecillas et al. 2013) and macrophages [2]. The parameters of the calibrated ODEs were kept unchanged, and the ABM parameters were calibrated by approximating the output simulations such that they qualitatively resembled the patterns observed in a mouse model of H. pylori infection [24], also described in detail in section 3.1. Cytokines secreted by immune cells and their change in concentration were modeled by PDE. The degradation value of the cytokines and the diffusion constant determines the spread of the cytokine value of one lattice site to its neighboring lattice site similar to as described in our previous work [12]. The features of ABM, ODE, and PDE were combined to create a multiscale modeling environment which spanned across different orders of spatiotemporal scales. The model output contains information about the x and y co-ordinate of the agents at every time point. The cytokines and internal signaling pathways that drive functional fates of cells are well mixed within a cell, i.e., we have only temporal resolution within the cell during a time step. Since, the model is capable of providing information regarding spatial co-ordinates over time, we claim the model to be a spatio-temporal model.

The code for the hybrid model is freely accessible and can be downloaded at https://github.com/NIMML/ENISI-MSM. The detailed instructions for the usability, instructions on 'how to run a simulation' and codes for creating specific examples presented here are presented in Additional file S1. The SciCrunch.org database assigned research identification initiative ID (RRID) for ENISI-MSM is RRID:SCR_016918. The design of the implementation of the code structure is depicted in the Additional file Fig \$1. The hybrid model is implemented in C++ and utilized the Repast HPC library (https://repast.github.io/repast hpc.html)

[25]. For the ODEs, we utilized COPASI [26], an ODE-based modeling tool used in computational biology. The rules in the model that described the interaction of H. pylori with the gastric mucosa and the immune responses resulting from the infection are derived from the findings in our previously published studies [1, 2]. Specifically, this hybrid model reproduced the immune responses generated by the interaction H. pylori and the resident macrophages as shown in the mouse model of H. pylori infection [24]. The rules for each cell type in the H. pylori infection are summarized in Table 1. A pictorial representation of the rules is depicted in Fig 1. These cell types represented as agents, act according to the rules (as in *Table 1*) that are updated at discrete simulation cycle.

Fig 1. Helicobacter pylori infection schematic diagram of the hybrid ABM **ODE** model

The model comprises four compartments, i) the lumen that contains H. pylori and bacteria, ii) epithelium that contains epithelial cells and dendritic cells, iii) lamina propria that contains variety of immune cells including the infiltrating effector (eDCs) and tolerogenic (tDCs) dendritic cells, monocytes, regulatory macrophages (both resident and monocyte-derived macrophages), T helper cells and naïve CD4+ T cells (nT), Th1, iTreg, Th17, Tr cells. and iv) gastric lymph node compartment that contains eDCs, tDCs, Th1, Th17, iTreg and nT. The Tr cells in the lamina propria are the type 1 regulatory (Tr1) T cells with regulatory function whose expansion is largely dependent on environmental IL-10. These are different than iTreg which are T cells differentiated from naïve T cell in presence of tolerogenic dendritic cells and TGF-\$\beta\$ cytokine The two calibrated ODEs for T cells and regulatory macrophages are integrated as the

 ODE components in the hybrid model. The cellular agents are simulated in a two-dimensional grid space with their behavior defined by a set of rules during a course of H. pylori infection.

Model description

ENISI MSM is a multiscale agent-based modeling platform for computational immunology which was built on our previous works, ENISI-MSM [12] that integrated COPASI, the ODE solver, ENISI, an agent based simulator.

Spatial discretization

The model has a spatial discretization such that we define the area being simulated as a simulation environment with a two-dimensional grid whose size is 30 mm x 10 mm. An individual lattice site is 1mm x 1mm, however, this is a configurable run parameter and can be changed without modifying the model. We further want to clarify that the above units in the model are annotations and purely aesthetic. The scales described in the previous version of ENISI-MSM [12] were kept unchanged. The table describing the scales used in [12] are also shown here in Table 2.

<u>Scale</u>	Example scenario	Spatial (m)	Time(s)	<u>Technology</u>	<u>Tool</u>
Intra-cellular	Signaling pathways	Nano (nm)	<u>Nano</u>	<u>ODE</u>	COPASI
<u>Cellular</u>	Cell movement and subtype	Milli (mm)	<u>Tens</u>	<u>ABM</u>	<u>ENISI</u>
Intra-cellular	Cytokine-diffusion	Milli (mm)	<u>Tens</u>	PDE	<u>ValueLayer</u>
<u>Tissue</u>	Inflammation and lesions	Centi (cm)	Thousands	<u>Projection</u>	<u>ENISI</u>

Table 2. The four scales of ENISI models, their spatial and temporal properties and modeling technologies and tools used for each scale (Table 1 as adapted from [12]).

 The four functionally and anatomically distinct sized compartments are separated by border implementation such that the dimensions of the four compartments are lumen (2 mm), epithelium (1 mm), lamina propria (5 mm) and gastric lymph node (2 mm). The following compartments are adjacent to each other: lumen - epithelium, epithelium - lamina propria and lamina propria gastric lymph node. A figure describing the spatial discretization is shown in the <u>Fig 2.</u>

Fig 2. A pictorial representation of the spatial discretization of the 2D grid.

The parameters that define the initial concentration of the agents and the diffusivity of cytokines are obtained from a properties file (model.props in the Howtorunasimulation folder in the GitHub repository). All the values of the parameters as listed in Table S1. The detailed mechanism that each parameter corresponds to is described in the second column, parameter description, of Table \$1. We demonstrate below how we obtain a count of thousands resident macrophages. For e.g., if the initial concentration of resident macrophages in the lamina propria is 30, the total number of these resident macrophages can be calculated by the equation described below -

n(resident macrophages) = size_{compartment}(lamina propria) x concentration_{intial} (resident macrophages)

n(resident macrophages) = (30 x 5) x 30 = 4500.

Time Step size

The time step size is 1 tick ~ 1 day which was obtained during the process of qualitatively comparing the output to the results from the mouse model of H. pylori infection. For e.g., the peak of resident macrophages in lamina propria (refer Fig 3b, d) is observed at ~21 days which is similar to the results obtained in Fig 2A described in [24] (also described in detail in section 3.1).

Each agent has an 'act' function within the code that describes the rules

Updating

implemented for each of the agent groups. At every simulation cycle, each agent inspects its location and updates its state. If the agents were T cells and macrophages, they obtained the cytokine concentration from the ValueLayers, sent that information to COPASI that calculated the differentiation subtype of the agent and cytokines to be secreted that into the environment [12]. The input to the ODEs were the cytokine values at the agent's location. Thus, the intracellular ODE models were utilized to determine and update the state. Each agent proliferated, died, changed its state and moved across the compartment, following the set of rules defined for them. The COPASI setup for the solver used the LSODA (Livermore Solver for Ordinary Differential Equations) differential equation solver. The default values for the setup such as the - relative tolerance (1e-6), absolute tolerance (1e-12) and maximum internal steps of 10000 were maintained. The ENISI MSM sends the concentrations current of the cytokines to COPASI. COPASI uses those values to integrate the deterministic model for one tick, i.e., 1 day. The resulting time series of cytokine

concentrations are used to update the cytokine value in the ABM/PDE system. COPASI simulates different model for each relevant cell type.

The ENISI MSM PDE solver uses a simple numerical scheme to solve the PDEs (https://github.com/NIMML/ENISI-MSM/tree/master/src/diffuser) and process distributed value layer (https://github.com/NIMML/ENISI-MSM/blob/master/src/grid/ValueLayer.h). The ValueLayer stores the value for a grid space and provides methods to change the values of individual lattice site. The Diffuser is used to diffuse the values of the ValueLayer using diffusion (d) and degradation (delta) constants as described in [12]. The diffusion constant determines the migration of values of a lattice site to its neighboring lattice site. As implemented in ValueLayer library, the diffusion of cytokines follows the equation shown below also described in Mei el al, 2015. Here, v_n is the value of the lattice site itself at step n. The values of cdelta and cd are degradation and diffusion constant respectively.

$$V_n = V_{n-1} + C_{delta} * \left[\sum (C_d^{neighbor} *V_{n-1}^{neighbor}) - 6.0 * V_{n-1} \right]$$

0.3	1.2	0.3
1.2	-6.0	1.2
0.3	1.2	0.3

The PDE solver uses the above number scheme c_d $^{\text{neighbor}}$ for the diffusion process. The step size c_{delta} is automatically adjusted at the beginning of the simulation based on the degradation and diffusion constants to avoid underflow

errors, i.e., multiple PDE steps are in general executed per tick. The grid size is the identical with the spatial discretization for the agents.

Movement

The cells and bacteria agents presented in the model have Brownian motion and move randomly within the compartment. Brownian movement is an inherent property of a cell. Depending on cell phenotypes the movement can vary, but all cells with the same phenotype exhibit similar movements. Additionally, chemokine-driven movement is dependent on chemokine concentration in a tissue site. The capability of chemokine-driven movement exists in ENISI-MSM if the right chemokines are represented in the model. However, the focus of this model was to investigate changes in cell phenotype and not chemokine-driven movement of cells. Thus, the chemokines driving the movement are not represented in the current model. Cell migration is implemented in the code as the move() function for each of the cells and agents, which call the moveRandom() (https://github.com/NIMML/ENISIfunction from the MSM/src/compartment/Compartment.cpp) file.

The hybrid model simulations were run on an Ivy Bridge-EX E7-4890 v2 2.80 GHz (3.40 GHz Turbo) quad processor nodes. The code was parallelized such that the simulation time on a single node with four parallel tasks, varied between 9-10 minutes. This runtime was based on the model parameters at the initiation stage, which included the number of immune cell, bacteria, epithelial cells, number of time steps, and size of the two-dimensional grid. To facilitate the investigation of the mechanisms underlying host responses during H. pylori infection, anatomical and functional compartments were spatially linked such that

 the agents had both unidirectional and bidirectional movement. All the agents worked in a synchronous format wherein the two agent populations (macrophages and T cells) made function calls to their respective ODE models [2] [23]. These agents used the varying cytokine concentration (*i.e.*, environment variable) in their grid spaces as inputs to the ODE model, and these models were run using COPASI [26].

Table 3 shows information on the agents and the states that they can acquire.

Name of agents	States it can acquire	Name of the states in the hybrid model
Helicobacter pylori	0	H. pylori
Macrophages	0	Monocyte
	1	Resident
	2	Regulatory
	3	Inflammatory
Dendritic cells	0	Immature
	1	Effector
	2	Tolerogenic
T cell	0	Naïve
	1	Th1
	2	Th17
	3	iTreg
	4	Tr
Epithelial	0	Healthy
-	1	Damaged
Bacteria	1	Infectious
	2	Tolerogenic

Table 3. List of all the agents and the states they can acquire.

All the agents can acquire at least 1 and at the most 5 states. The names chosen for the acquired states are closely related to their functional properties based on the underlying "rules".

Further, we included the screenshots of one actual in silico simulation of *H. pylori* infection to highlight the spatiotemporal aspects of the modeling outputs. The time snapshots were created using *Vislt* version 2.12 [27], an interactive

 visualization and analysis tool. As shown in Additional file, *Fig* S2, the screenshots at time points 2, 4, 5 and 6 represent the spatial distribution of different agent cells over time distributed across the 2D grid.

2.2 Global sensitivity analysis

To conduct the global *SA*, we determined a list of 38 parameters to be varied that were selected based on the calibration process (wherein the parameters that did not show a lot of variation were not included). A range of values (maximum and minimum) was specified for each of the parameters (refer to Additional file *Table S1*) by expert judgment, summarized by bounded intervals. The practice of using expert judgment is known in the SA field as supported in [28]. As discussed in [29], one of the challenges encountered using ABM is the process of determining the parameter values, for *e.g.* this may include the lack of the availability of experimental techniques to measure such parameters. The values of the parameters for the model presented here are obtained via the best guess based on the qualitative comparison of the computer model outputs with that of the experimental results obtained from the mouse model of *H. pylori* infection (Viladomiu, Bassaganya-Riera et al. 2017) (as described in detail in Section 3.1). Since, the source of the parameters is not known we estimated the values to fit the data obtained from the mouse model of infection.

The values of these parameters were normalized within the range of 0 and 1 for *SA* purposes. We employed a two-stage metamodeling methodology to determine the influence of each input parameter to the model output, in a high dimensional screening setting inspired by [30]. The step-wise procedure is described in the Additional file, *Fig S*3. All the files for global *SA* are freely

 accessible and can be downloaded at https://github.com/NIMML/Sensitivity-Analysis.

The two-stage global SA is described in detail in the below section. To summarize, for the first stage the input parameter matrix was designed using the method described in Moon, Dean et al. 2012 and simulations were run using the hybrid computer model. The simulation output from the first stage was analyzed using PRCC as it was computationally efficient, and the active inputs (significant effect) were screened to reduce the input parameter space. Second, the active parameters were varied whereas the inactive parameters from the first stage were maintained at a nominal value for the input parameter matrix design to be employed for the second stage. Third, the simulation outputs from both stages were combined and used as a training dataset to fit a spatio-temporal metamodel. Fourth, the unknown model parameters for the spatio-temporal metamodel were estimated using the maximum log-likelihood function. The spatio-temporal metamodel was used as a substitute for the hybrid computer model, and the variance-decomposition method was used to compute the Sobol' total and first-order indices. Overall, we employed both approaches, PRCC based (for screening) and Sobol' indices calculation to perform a complete global SA of the hybrid computer model. The following sections, describe a detailed step by step explanation of the procedure.

Design of two-stage experiments and analysis

The input for the hybrid model are varying parameter values obtained from the design matrix and the output are the number of cells (agents) that vary over time. The first stage experiment was focused on the screening of the input

variables to reduce the number of input parameters to vary for the SA and to limit the computational cost. Computational costs are often a limiting factor that play an important role in the inclusion of model parameters in the SA [21]. For the design, we assumed the total number of input parameters under consideration as d (in our case, 38). With an assumption of a maximum of 50% active inputs that is aimed to improve the screening performance, the number of runs for stage 1, was fixed to $n_1 = 4d$, such that $n_1 > 5*d*0.5 = 2.5d$ as in [30]. To construct a n_1 * (n_1 -1) preliminary input parameter design matrix, X, needed to be constructed ([30]). The input parameter design matrix for first stage sampling was drawn from Χ*.

The algorithm for the first stage design generated a design matrix $X^{(1)}$ that satisfied the below three listed properties as in [30]

- i) The columns of X^* were uncorrelated thereby facilitating the independent assessments of the effects due to the input parameters.
- ii) The maximum and minimum value in each input parameter column were ensured to be 0 and 1 respectively, thereby preventing any input values with larger values to have a larger influence on the response, induced by the design.
- iii) The designs defined by X^* had "space-filling" properties such that all the regions of the input space were exhaustively explored.

First stage sampling plan:

The first stage input parameter design matrix $X^{(1)}$ was obtained by selecting the first d columns of X^* , i.e. $X^{(1)} = (\xi_1, \dots, \xi_d)$. The hybrid computer model was run and the simulation outputs at these n_1 design points were obtained.

In our case, the model comprised of d = 38 input variables. The total number of distinct input parameter design points obtained using the above procedure was $n_1 = 152 (4*d = 4*38)$. To account for the variability in the output, we run 20 replicates (r). Thus, the total number of simulations run using the hybrid model computer simulator with $X^{(1)}$ as input parameter design matrix, were $r \times n_1 = 20$ x 152 = 3040.

First stage analysis

We analyzed the outputs from first stage analysis and screened the active inputs from using PRCC. To measure the effect of input parameter on output, we performed both PRCC and the spearman rank correlation coefficient (SRCC) analysis. PRCC and SRCC were chosen because they were computationally efficient (accounting for the low computational budget). A correlation analysis provides a measure of the strength of linear association between input and output variable [31]. A correlation coefficient between x_i and y is calculated as follows:

$$r_{x_{j}y} = \frac{Cov(x_{j}, y)}{\sqrt{Var(x_{j})Var(y)}} = \frac{\sum_{i=1}^{N} (x_{ij} - \overline{x})(y_{i} - \overline{y})}{\sqrt{\sum_{i=1}^{N} (x_{ij} - \overline{x})^{2} \sum_{i=1}^{N} (y_{i} - \overline{y})^{2}}}$$

$$j=1,2,\dots,k.$$

where $Cov(x_i, y)$ stands for the covariance between x_i and y, and $Var(x_i)$ and Var (y) are the variance of x_i and y respectively.

PRCC is performed when i) a non-linear but monotonic relation exists between the input and outputs, and ii) when little or no correlation exists between the input variables (which is guaranteed by the property (i) of our input parameter matrix, $X^{(1)}$ described above). As described in Marino, Hogue et al. 2008, the PRCC between rank transformed x_i and y is the CC between the two residuals $(x_i - \widehat{x_l})$ and $(y_i - \widehat{y_l})$ where $\widehat{x_l}$ and $\widehat{y_l}$ are rank transformed and follow the linear regression models as follows:

$$\widehat{x_j} = c_o + \sum_{\substack{p=j \ p \neq j}}^k c_p x_p \text{ and } \widehat{y_j} = c_o + \sum_{\substack{p=j \ p \neq j}}^k c_p x_p.$$

We performed the PRCC analysis on the outputs obtained from the hybrid computer model with X⁽¹⁾ as an input, using 'epi.prcc' package in R (https://cran.rproject.org/web/packages/epiR/epiR.pdf). The significance test evaluated the strength of influence each input parameters and assessed if the PRCC coefficients were significantly different than zero [31]. We run the PRCC analysis for 13 output cell populations (Fig 4 shows data for two output populations and the rest of the data not shown) and identified the active input parameters using the significance test. PRCC and SRCC produced identical outputs, hence results from SRCC are not shown here. If an input parameter was shown to be significant (P < 0.05) in one of the 13 output cell populations, it was considered as an active input for the second stage input parameter design matrix. Additionally, domain expert knowledge was employed to include additional parameters, based on the biological significance, that were otherwise shown to be non-significant. In all, based on the PRCC analysis performed on the outputs obtained from the first stage simulations and domain expert knowledge, we chose 23 input parameters as active inputs for the second stage (see Additional

 file Fig. S $\underline{4}$). Thus, PRCC screened inputs at significance level p < 0.05 and inputs based on expert knowledge were selected as active inputs to be varied for the second stage sampling plan.

Second stage sampling plan:

The number of active inputs obtained from the first stage analysis amounted to 23 parameters out of the initial set of 38 parameters. We followed the design described in [30] for the second stage and the number of design points amounted to, n_2 = 100%* 5*a where 'a' stands for the number of active inputs from the first stage. This resulted into n_2 = 23*5 = 115 parameters combinations for the second stage input parameter design matrix. Since outputs from both stages are to be combined for second stage analysis, per [30], the design for the second stage was chosen to build on top of $X^{(1)}$. The sampling phase design algorithm ensured that the columns satisfied the properties (i) (uncorrelated design points) and (ii) (between values 0 and 1) as listed in the previous section. We constructed the 115 x 38 (115 parameter setting and 38 parameters) design matrix for the second stage that incorporated the 23 active inputs obtained from the PRCC screening in the first stage output analysis. After combining the design points from both the stages, the parameter design matrix X with space filling properties contained 267 (152 from the first stage and 115 from the second stage) design points.

Second stage analysis

We run the computer code for the hybrid model with the second stage input parameter design matrix (with 115 (n_2) design points), for 20 (r) replicates, which amounted to 115 x 20 (2300) runs. The outputs from the first stage (152 x 20

runs) and second stage (115 x 20 runs) were combined to provide the training data to build a spatio-temporal metamodel. For the second stage analyses, we utilized a metamodeling-based approach. Metamodels are surrogate models that can be used as a substitute for the simulation model [32]. The use of metamodels reduces the computational budget, cost of analysis, and are useful options in cases when the simulation model is expensive to run (in our case 9-10 minutes for 1 design point) [32]. The various metamodeling techniques used to build surrogates for a computer model output include linear regression models, neural networks, high dimensional model representation methods, Gaussian process (GP) regression models, polynomial chaos expansion and more that are discussed in length in [33, 34]. Amongst these, GPs are one of the most popular emulators as it allows modeling of fairly complex functional forms. The GPs not only provide prediction at a new point but also an estimate of the uncertainty in that prediction [33]. A GP is a stochastic process for which any finite set of yvariables has a joint multivariate Gaussian distribution [35] [33]. Suppose, $y_i(w)$, the simulation response obtained on the ith simulation replicate, at a design point $w = (X^T, t)^T \in \chi \times T$, it can be described as follows:

$$y_j(w) = Y(w) + \varepsilon_j(w) = \beta_0 + M(w) + \varepsilon_j(w), \tag{1}$$

where Y(w) represents the mean function of $y_i(w)$, the quantity of interest that we intend to estimate at any design point w. The β_0 is a constant trend term and is assumed to be unknown. The input parameter $X \in \chi \subset \mathbb{R}^d$ and the time $t \in \mathcal{X}$ $T \subset \mathbb{R}_+$; and X is independent of t. The $\varepsilon_i(w)$ are represents the sampling variability inherent in a stochastic simulation, that are that are assumed to be

independent and identically distributed across the replications at any given design point [36].

The term M(w) represents a stationary Gaussian process with mean = 0 and covariance between any points was modeled as the Gaussian covariance defined in [37]. Thus, the covariance between any design points $w_a =$ $(X_a^T, t_a)^T$ and $w_b = (X_b^T, t_b)^T$ in the random field can be modeled as-

$$Cov(M(w_a), M(w_b)) = \Gamma^2 \exp(-\sum_{r=1}^d \theta_r (X_{ar} - X_{br})^2 R(t_a - t_b; \gamma),$$
 (2)

wherein, $\exp(-\sum_{r=1}^d \theta_r (X_{ar} - X_{br})^2)$ models the spatial correlation between two input design points X_a and X_b in the input parameter space, whereas $R(t_a-t_b;\gamma)$ also given by exp $(-\sum_{r=1}^d \gamma_r \left(t_{ar}-t_{br}\right)^2)$ models the temporal correlation between time points t_a and t_b . The parameters θ and γ represents the rate at which i) spatial correlation decreases as the points move farther in space with the same time index, and ii) temporal correlation decreases as the time points are farther apart in time at the same input vector, respectively. Both the spatial correlation and temporal correlation are modeled using the Gaussian covariance. The parameter Γ^2 can be interpreted as the variance of M(w) for all w. The input parameter design consists of $((w_a,n_i)_{i=1}^k)$ design points to run independent simulations with replicates applied to each of the design points. Let, $k \times 1$ denote a vector of sample averages of simulation responses given by $\overline{y} =$ $(\overline{y}(w_1), \overline{y}(w_2), \dots, \overline{y}(w_k))^T$, where in $\overline{y}(w_i)$ is the resulting estimate of performance measure obtained at design point w_i and $\overline{\varepsilon}(w_i)$ is the sampling variability inherent in a stochastic simulation (Ankenman, Nelson, & Staum,

2010). The equations associated with $\overline{y}(w_i)$ and $\overline{\varepsilon}(w_i)$ are described below in equation (3):

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$$\overline{y}(w_i) = \frac{1}{n_i} \sum_{j=1}^{n_i} y_j(w_i) = Y(w_i) + \overline{\varepsilon}(w_i) \text{ and } \overline{\varepsilon}(w_i) = \frac{1}{n_i} \sum_{j=1}^{n_i} \varepsilon_j(w_i), i = 1, 2, \dots, k.$$

(3)

Similar as in (Ankenman, Nelson, & Staum, 2010), shown below in equation (4), let \sum_M be the $k \times k$ covariance matrix across all design points and let $\sum_M (w_o,...)$ be the $k \times 1$ vector, $(Cov[M(w_0, w_1)], Cov[M(w_0, w_2)],...,Cov[M(w_0, w_k)]^T$ that contains spatial covariance between the k design points and a given prediction point w_0 . Also, let \sum_{ε} be the k x k covariance matrix of the vector of simulation errors associated with the vector of point estimates \overline{y} , across all design points. As described in [36], the best linear predictor $Y(w_0)$ that has the minimum mean squared error (MSE) among all linear predictors at a given point $w_o =$ $(X_o^T, t_o)^T$ can be given by equation (4):

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$$\widehat{Y}(w_0) = \widehat{\beta_0} + \sum_{M} (w_0, .)^T \left[\sum_{M} + \sum_{\varepsilon} \right]^{-1} (\overline{y} - 1_k \widehat{\beta_0}), \tag{4}$$

where, 1_k is the $k \times 1$ vector of ones and $\widehat{\beta_o}$ is estimated to be 1. The corresponding optimal MSE as in [36] is given by equation (5):

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$$MSE\left(\hat{Y}(w_o)\right) = \sum_{M} X_0, w_o - \sum_{M} \left(w_{0,\cdot}\right)^T \left[\sum_{M} + \sum_{\varepsilon}\right]^{-1} \sum_{M} \left(w_{0,\cdot}\right)$$
 (5).

To implement the metamodeling approach as described above, the unknown model parameters are estimated through maximizing the log-likelihood function. The underlying standard assumption is that $(Y(w_0), \bar{y}^T)^T$ follows a multivariate normal distribution, for e.g., see [36] and [38]. The function implemented in the

 mleap package in R [39] is used for the estimation of the parameters. Once the parameters are estimated the prediction then follows equations (4) and (5).

Sensitivity index calculation

To determine the effect of input variables on the output, we employed the variance decomposition method. These methods involve the decomposition of the variance of the output as a sum of the variance produced by each input parameter [35].

We independently generated 10,000 x 38 sampling matrices, such that the parameter combinations are generated via Latin Hypercube sampling and as described in [40]. Simulations were performed using the GP spatio-temporal model as described in the previous section, and the Sobol' indices were computed as described in [41] [40]. The Sobol' method quantitatively measured the contribution of each input parameter by computing the first order and total order index [40]. For output Y, input parameter matrix X_i where, i is the input parameters of the model, the Sobol' indices are computed as follows:

$$SI_1^{Xi} = \frac{V[E(Y|X_i]}{V(Y)} ,$$

and

$$SI_{tot}^{Xi} = \frac{V[E(Y|X_{\sim i}])}{V(Y)}$$
.

The Sobol' first order sensitivity index SI_1^{Xi} measures the impact of one single parameter on the model output, whereas the Sobol' total order index measures the influence of X_i including all the interactions with other parameters. The First-order indices were computed using the Sobol-Saltelli's method as described in [40] [42] whereas, the total order indices were computed using Sobol-Jansen as in [40, 43].

3. Results

3. 1 Hybrid model simulations produce similar immune response dynamics observed in previously published experimental data

We first aimed to simulate the findings observed in previous gut models [24] to ensure that we obtained similar response dynamics from the hybrid ENISI model of H. pylori infection. As in [24], to demonstrate that the gastric mucosa harbors a system of macrophages that contribute to the outcome of H. pylori infection, we created an in-silico Peroxisome proliferator-activated receptor gamma (PPAR γ) macrophage-specific knockout (KO) model. PPAR γ is an important transcription factor that controls the expression of genes that contribute to the inflammatory response once this is initiated. To disrupt the downregulation of pro-inflammatory responses, we simulated a PPARg KO system in either macrophage or T cell populations and compared the response to a wild-type system. In the model, we created three different macrophage populations, comprised of, "resident" macrophage agents that mimic the

properties of the F4/80hi CD11b+ CD64+ CXCR1+ macrophages reported in [24], monocyte-derived (infiltrating) and macrophage populations with regulatory (M2, or alternatively activated) and pro-inflammatory function (M1 or classically activated) (see Table 3).

We simulated an in-silico H. pylori infection by creating four groups, i) a control -WT (representing a wild-type group), ii) CD4Cre (T cell specific PPARγ KO-lacks PPARy gene in all CD4 T cells), iii) LysMCre (Myeloid cell specific PPARy KOlacks PPARy gene in all macrophages) and clodronate group (simulating the removal of macrophages by chemical depletion via clodronate treatment). To simulate the CD4Cre group, the probabilities of a naive T cell transitioning to an iTreg cell (p_nTtoiTreg) and Th17 cell differentiating to iTreg (p_Th17toiTreg) were reduced to 5% and 10% of the control value, respectively (refer to Table S1). As described in [23], to simulate the LysMCre experimental conditions, the probabilities of i) a monocyte transitioning to a regulatory macrophage (p_Mregdiff) and ii) immature dendritic cells switching to tolerogenic dendritic cells (p iDCtotDC) were reduced approximately to 60% and 30% of the control value, respectively (refer to Table S1). A complete set of parameter for each of the biological KOs are included as separate columns in Table S1. Lastly, the removal of macrophages by clodronate were simulated by decreasing the initial numbers of the macrophage population including the resident macrophages. The rationale to include the clodronate group (macrophage removal) was to evaluate if depletion of phagocytic cells (terminology with respect to model, i.e., monocytes, resident, monocyte-derived macrophages and inflammatory macrophages) would affect H. pylori colonization levels, as we have previously

reported in an *in vivo* model [24]. Further, to simulate the myeloid cell PPAR_γ KO system, the initial population of resident macrophages were also reduced.

All the groups were initialized with equal loads of *H. pylori* agents. Ten replicates of the simulations were performed for each of the input parameter settings specific to each group. The outputs were averaged, and standard error of the means were plotted as ribbons (shaded regions) across the graphs. After running the ten replicates of the time series *in-silico* simulation, the hybrid model showed significantly (*p*< 0.05) higher levels of *H. pylori* in the WT and CD4Cre groups as compared to LysMCre KO and macrophage-depleted groups (*Fig.* 3, panel *a* and *d*).

Fig <u>3</u>. Time course simulations representing the immune response during Helicobacter pylori infection.

The upper half of the plot in both the panels shows the dynamics of the

population cells

over time representing the number of cells (y-axis) versus time (x-axis) in a WT

(black), CD4Cre (green), clodronate (red) and LysMCre (blue) simulated in-silico

groups during H. pylori infection. The cell populations include - a) H. pylori; b)

the resident macrophages and, c) monocyte-derived macrophages in the lamina

propria compartment. The figures in the lower half (d-f) of both the panels, show

the results for statistical comparison between the groups using ANOVA with the

post-hoc analysis. The letters 'a', 'ab' and 'b' represent statistically significant

differences (P < 0.05) between the groups obtained after running the Tukey's

Honestly Significant Difference. A side by side comparison with the bacterial load

and macrophage population as observed in the mouse model of H. pylori infection are also included.

In addition to the increase in *H. pylori*, WT and CD4Cre *in-silico* experimental groups had a higher resident as well as monocyte-derived regulatory macrophages as compared to clodronate (macrophage depleted) and LysMCre groups (Fig. 3b-c, e-f). The results in the mouse model indicated that between weeks 2 and 3 post-infection a decrease in bacterial burden in the stomach of LysMcre mice was observed as shown in Fig. 1A of Viladomiu, Bassaganya-Riera et al. 2017. The decrease in bacterial burden led to a significant and sustained lower colonization levels when compared to WT and CD4Cre. Similar to the results observed in the mouse model, we observed a significant decrease (Fig. 3a, d) in the bacterial burden in the simulated LysMcre group as compared to the simulated WT and CD4cre groups. Furthermore, the results from the mouse model indicated that a significant increase in numbers of F4/80hiCD11b+ CD64+ CX3CR1+ cells (here referred to as resident macrophages in this paper), was observed in WT mice in comparison with LysMcre mice as shown in Fig. 2A, 2E of Viladomiu, Bassaganya-Riera et al. 2017. These cells accumulated in the stomach mucosa starting on day 14 post-infection in the WT mice but not in the LysMcre mice. We observed a similar increase (Fig. 3b,e and Fig. 3c,f) in the number of resident macrophages as well as monocyte derived macrophages in the simulated WT groups in comparison to the simulated LysMcre group. We estimated the parameter values to fit the data obtained from the mouse model of H. pylori infection. Thus, the observations were qualitatively similar to the findings in [24], where the stomach of WT mice was enriched in a population of F4/80+CD11b+CD64+ myeloid cells, compared to LysMCre mice.

Overall, with the results in Fig. 3, we showed the ability of the hybrid model to replicate the experimental results in [24], and this preliminary data was used as a base calibration setting for SA and other *in-silico* findings.

3.2 Partial correlation coefficient analysis screened the influential parameters

To reduce the computational complexity of varying an input parameter space of 38 parameters, we divided the SA process in two stages. For first-stage analysis, we utilized the PRCC regression-based SA method to screen the influential inputs and used it for the second stage design of the experiments (refer Methods 2.2). Using PRCC, we determined the impact of the input parameters on the output cell populations in the model. The parameters with significant correlation with H. pylori in the gastric lamina propria compartment and resident macrophages are shown in Fig. 4, along with their PRCC values. The bars in blue, highlight the parameters that are significantly different than 0, at P < 0.05compared to grey bars which are not significant. It is important to note that at this stage the analysis using PRCC was non-temporal.

The SA from first stage results showed that the epithelial damage due to infectious bacteria (epiinfbctdam) with a coefficient value of (~0.2), was positively correlated with the colonization of H. pylori in the lamina propria compartment, indicating the important role of epithelial cell damage during the course of infection, similar to our findings obtained in [44]. Another parameter included the probability of the release of IL-6 (IL6) with a coefficient value within the range (0.3-0.4).

Next, the epithelial cell damage parameters (epiinftbctdam = (0.2-0.3), epiTh17dam = 0-0.2) were shown to have positive influence on the resident macrophage cells whereas, the T cell type transition parameters (p iTregtoTh17 = (0.3 - 0.4) and $p_Th17toiTreg = (0.1 - 0.2))$ showed a negative impact on the resident macrophages. Similarly, we performed the PRCC analysis for all the cell populations under consideration during the infection (not shown).

Fig 4. Bar plots for the partial rank correlation coefficients.

The magnitude of the bar-plot indicates the value of the partial rank correlation coefficient. The blue bar indicated the input parameters shown to be significantly different than 0, at P < 0.05 as influential whereas the grey bars indicate the noninfluential parameters on a) H. pylori and b) resident macrophages, in the lamina propria compartment.

The significant parameters (marked in blue bars) obtained from the SA of the output from first stage design of experiments (152 parameter settings with 20 replicates, refer Methods 2.2), were selected to be varied for the second stage design. All the selected inputs are shown in Additional file Fig. S4. In all, we obtained 23 active inputs from the first stage.

3.3 Metamodel based spatio-temporal sensitivity analysis

The outputs obtained after running the first (152 x 20 runs) and second (115 x 20 runs) stage simulations, wherein x20 denotes the 20 replicates, were combined to be used as a training dataset. The combined output was utilized to

build a Gaussian process based spatiotemporal metamodel (refer Methods 2.2), using *mlegp* package in R [39].

The outputs from the training dataset were sub-divided into 6 datasets, corresponding to six time periods (Days 1-14, 15-21, 22-30, 31-42, 43-90, 91-201) and averaged across these periods. The sub-division of output across the time periods, aided the temporal analysis over the initiation (Day 1-14), peak of infection (Days 15-30) and chronic phase (post Day 31) stages as in [24]. We then fit a Gaussian process model (with nugget) and evaluated the performance of the fitting of the metamodel for H. pylori, resident macrophages, and monocyte-derived macrophages in lamina propria compartment, and tolerogenic DC in the gastric lymph node, using the diagnostic plots (see figures in Additional file, Fig. S5. After fitting the models, we performed variance based global SA by computing the Sobol' total order and first order sensitivity index (refer Methods 2.2). The estimates of the Sobol' total order indices for the input parameters calculated over the six time periods are shown in Fig. 5 (a-d).

Fig 5. Heat-maps of Sobol' total order index for the input parameters across different output populations.

The values in the heat-map indicate the Sobol' total order sensitivity index obtained from the metamodel, for the 38 input parameters with respect to the cell populations. The values with darker color indicate a stronger influence on the cell population as compared to the ones with lighter shade that indicate noninfluential parameters for the cell populations - a) H. pylori, b) monocyte-derived macrophages, c) resident macrophages, in the lamina propria compartment and

d) tolerogenic DCs, in the gastric lymph node compartment. The indexes are calculated over six time points ranging across the three stages of infection, including initiation (Day 1-14), peak (Days 15-42) and recovery stages (Days 43-201).

As shown in *Fig.* 5a, the metamodel based global SA showed that the input parameters, epithelial cell proliferation (*Epiprolifer*) and epithelial cell death (*Epicelldeath*) had the strongest impact on the population of *H. pylori* in lamina propria compartment. As time progressed from initiation of the infection (Days 1-14), through peak (Days 15-30), the epithelial cell proliferation had a continued impact on the colonization of *H. pylori*. Next, the influence of the probability of epithelial cell death decreased over the course of infection. Further, *Fig.* 5b highlighted the impact of epithelial cell proliferation (*Epiprolifer*) and epithelial cell death (*Epicelldeath*) on the monocyte-derived macrophages.

For the resident macrophage population in the lamina propria, that have emergent properties similar to the one characterized in [24], we observed that the resident macrophage replication parameter (*ResmMacRep*) has an impact during the initiation and peak stages of the infection which indicates that these subsets of macrophages replicate during the course of *H. pylori* infection. This result highlights the reliability of the two-staged global SA method used here, as these findings are consistent with the ones in [24] wherein we observed that these subsets of macrophages expand in the gastric stomach lamina propria during the course of *H. pylori* infection.

Finally, for the tolerogenic DCs in Fig. 5d, we observed that the epithelial cell death (Epicelldeath) seemed to have an impact. Another parameter that stands for the probability of naive T cell transitioning to iTreg cell (nTtoiTreg) was shown

 to have an impact on the tolerogenic dendritic cells. Tolerogenic dendritic cells are involved in the rule that transitions the naive T cells to iTreg cells in the gastric lymph node, and the stronger impact of the *nTtoiTreg* during the initiation and peak stages of the infection highlights the role of the tolerogenic dendritic cells during the course of infection.

The global *SA* data suggested that the main contributors of the chronic colonization of *H. pylori* in the lamina propria are the epithelial cells, specifically the epithelial cell proliferation parameter.

3.4 Effect of different ranges of epithelial cell proliferation

An interesting prediction derived from the metamodel based global SA is that epithelial cell proliferation is one of the parameters that has a strong impact on the size of H. pylori population. The biological hypothesis derived from this prediction is that the epithelial cell proliferation is responsible for the higher colonization of H. pylori. Prior to conducting any experimental studies, we wanted to explore the hypothesis using our hybrid computer model in silico and study the model outputs obtained after we changed the epithelial cell proliferation parameter. Thus, we varied the epithelial cell proliferation parameter across different ranges (0.1-0.9, with 0.6 being the value for baseline conditions) and ran the simulations using the hybrid model and studied its effect on the different output cell population (obtained after running the simulations). These outputs were the ones obtained after running the simulation using the hybrid computer model, as we varied the epithelial cell proliferation parameter. We analyzed the outputs from the hybrid computer model and interestingly, observed that upon decreasing the Epiprolifer from a range of values 0.9-0.1, the output cell populations with regulatory function, namely regulatory macrophages and

 tolerogenic dendritic cells were found to vary. We observed a decreasing effect (*Fig.* <u>6</u>*a-d*) on *H. pylori*, monocyte-derived macrophages, resident macrophages in the lamina propria compartment and tolerogenic dendritic cells in gastric lymph node. Overall, these cell populations varied due to the variation in the epithelial cell proliferation parameter.

For clarification, such connection was not embedded in the mechanisms included in Table 1 but it represents an emergent behavior from the simulations predicting the involvement of regulatory and tolerogenic dendritic cells in the mechanisms of immunoregulation during H. pylori infection. Finally, the simulations targeting the epithelial cell proliferation resulted in changes in regulatory and tolerogenic dendritic cell populations. This shows that the simulations indirectly targeted the regulatory and tolerogenic dendritic cell population. Thus, we hypothesize that epithelial cell proliferation might be responsible for the higher colonization of H. pylori through an immunoregulatory mechanism that involves regulatory macrophages and tolerogenic cells. This is in line with our own conclusions drawn from a previous paper [24] where we show that the presence of cells with regulatory phenotype favor higher levels of H. pylori colonization. The results from the sensitivity analysis presented in this paper suggest that epithelial proliferation might be a crucial part of the mechanisms by which these regulatory responses are induced and that there is a link between these parameters. The exact biological process however cannot be inferred from the current model and it will be investigated in follow-up in vivo studies.

Fig 6. In silico study of the effect of epithelial cell proliferation parameter on the cell populations.

The plots show the effect of varying epithelial cell proliferation (p Epiprolifer) parameter (with values 0.1, 0.5, 0.6(WT), and 0.9) on the output cell population of a) H. pylori, b) tolerogenic dendritic cells, c) resident macrophages and d) monocyte-derived macrophages. The parameter has a decreasing effect on the cellular populations under consideration, wherein a decrease in the parameter value, decreases the abundance of the cells over time. The lower half of the figures (a-d), show the results for statistical comparison between the groups using ANOVA with the post-hoc analysis. The letters 'a', 'b', 'c', and 'bc' represent statistically significant differences (P<0.05) between the groups obtained after running the Tukey's Honestly Significant Difference.

The in silico findings suggested the involvement of regulatory macrophages (both resident as well as monocyte-derived) and tolerogenic DC on the colonization of H. pylori in the gastric lamina propria. This highlighted and validated the role of epithelial cell proliferation as one of the main factor affecting H. pylori levels in the gastric niche.

4. Discussion

H. pylori is the dominant indigenous bacterium of the gastric microbiota. In the majority of individuals, H. pylori colonizes the stomach without causing adverse effects, with little to no activation of inflammatory pathways. However, certain members of the population lose immune tolerance to the bacterium thereby

contributing to the development of chronic gastric diseases. The immunological mechanisms underlying its ability to persist in a harsh acidic gastric environment and its dual role as a pathogen and beneficial organism remain unknown. A subset of macrophages helps create a regulatory microenvironment that promotes the chronic colonization of *H. pylori* [24]. However, the immune regulatory mechanisms are incompletely understood. Computational models of the immune system featuring immune responses are powerful tools for testing the different 'what-if' scenarios. Multiscale models of the immune response are attractive in terms of modeling the responses at different spatiotemporal scales [45].

In this study, we developed a HPC-driven hybrid, high-resolution, multiscale model to simulate the complex immunoregulatory mechanisms during H. pylori infection. The hybrid model was integrated with two intracellular ODEs capturing the dynamics of CD4+ T cells and regulatory macrophages. The inputs to the hybrid model are the set of parameters whose variation governs the immune system dynamics during infection. The obtained outputs were emergent patterns of different cell types, cytokines, and bacterial levels for instance the levels of *H. pylori*, and that qualitatively matched the patterns observed in an in vivo infection model [1, 24]. We presented an in-silico framework that evaluated the global SA of the hybrid model and studied how the variation in the biological parameters affected the simulation outputs. The two-stage global SA indicated that epithelial cell parameters, specifically, the proliferation of epithelial cells affected the colonization of *H. pylori* in the gastric mucosa. These results were validated in silico, and highlighted the involvement of regulatory macrophages and tolerogenic DC in facilitating H. pylori colonization of the gastric mucosa. Previous studies highlighted H. pylori inhabits the apical surfaces of the epithelial cells and maintains a persistent infection [46].

Further, Mimuro et al. demonstrated that *H. pylori* promotes epithelial gastric cell survival by attenuating apoptosis. These events showed how *H. pylori* regulated the gastric niche and utilized epithelial cells to facilitate its persistence within the stomach [47] [48]. Thus, the findings in the current study are in line with the literature that suggests epithelial cell proliferation favor the colonization of *H. pylori* in the stomach.

Our group also showed another mechanism used by H. pylori to create a gut microenvironment that involved the induction of IL-10-driven regulatory mechanism mediated by CD11b+F4/80hiCD64+CX₃CR1+ mononuclear phagocytes, which facilitated bacterial colonization [24]. Additionally, in this paper, we reported that regulatory macrophages were involved in the process of colonization with H. pylori when we varied the epithelial cell proliferation parameter in-silico. Zhang et al., demonstrated that *H. pylori* directed active tolerogenic programming of DCs that favored chronic bacterial colonization, by altering the balance of Th17/Treg cells [49]. Rizzuti, Ang et al., demonstrated H. pylori-mediated IL-10 release caused the activation of signal transducer and activator of transcription 3 (STAT3) in DC. This activation of STAT3 via IL-10 release was shown to induce the production of tolerogenic DC phenotype [50]. The findings from this paper also indicated the involvement of tolerogenic DCs in affecting the mucosal levels of H. pylori. Therefore, the literature combined with the results from this study, collectively suggest that during H. pylori infection, the epithelial cell favors the colonization of H. pylori by creating a regulatory microenvironment. This process is mediated by the regulatory macrophages and tolerogenic programming of DC. Based on the results from this paper and findings from the literature, this leads us to propose that the induction of IL-10 by the regulatory macrophages is potentially involved in directing the tolerogenic programming of DC. All experimental evidence combined with our

model prediction suggest the action of an underlying biological mechanism that links the presence of H. pylori in the gastric mucosa with changes in the rates of epithelial cell proliferation which ultimately affects the levels of colonization. Our prediction points towards a link between epithelial cell proliferation and the action of tolerogenic dendritic cells and regulatory macrophages. The exact cellular mechanism induced during this process however cannot be inferred from the current model and it will be investigated in follow-up in vivo studies.

At its current stage, the hybrid ENISI model reproduces the overall immune system dynamics observed during an H. pylori infection. The parameters of calibrated ODEs were kept unchanged, whereas the ABM parameters were calibrated by qualitatively matching the patterns of the output simulations as observed in an in vivo model of H. pylori infection [24]. For ABM, its calibration and validation remain the major key issues, discussed elsewhere [21] [51] [52]. Further, developing targeted methods of SA have been identified as an important challenge in the field [21, 53, 54]. In this paper, we highlighted the use of SA methods with a two-stage global SA framework comprised of first, screening the input parameters (using PRCC) and second, building of a surrogate model (using GP) of the hybrid model, to understand the emergent behavior of the represented system. It is important to note that each SA method known, has its own merits and produces useful information however none provide a complete picture of the emergent model behavior [21]. First, we employed PRCC methods as the initial step in our two staged SA that aided the screening of active inputs and reduced the parameter space. The choice of PRCC was advantageous and justified by the low computational cost and low complexity in the computation of the coefficients. Another advantage of the regression-based PRCC method is that the complex output from our hybrid model

was condensed into a descriptive relationship that can be described by statistical measures such as R^2 [21]. As described in [21] the results from PRCC are good descriptors of the outputs produced if the regression function constitutes a good fit to the output [21]. However, if the function does not yield a good fit, the regressionbased SA are proven to be useful in screening the influential parameters for further analysis [21], as described in our analysis.

Further, the interaction effects between the parameters are not considered in regression-based methods, and hence it was followed by the use of variance-based methods in later stage analysis. Second, we employed metamodeling-based approach and Sobol' method as they provided information on the interaction between the input variable and the use of metamodels allowed to compute the sensitivity indices. One of the advantages of the Sobol' method is that it is modelfree and no fitting functions are used to decompose the output variance [32]. It considers the averaged effect of parameters over the whole parameter space but fails to explore the different patterns within the space [21]. Further, the method is not suitable for quantification of output variability if the output distributions deviate from a normal distribution [21]. The detailed comparison of different SA methods used for the global SA of ABMs are described in detail in [21]. Thus, we performed both the PRCC and computation of Sobol' indices approaches to evaluate the influence of the input parameter variation and identified the parameters involved in the successful colonization of the gastric niche by H. pylori.

Some limitations of the model include implementation through a two-dimensional grid system and including all cells of the same size. Although we parallelize the computation of the hybrid model output, the large number of simulations required for the global SA compensates for the benefits of parallelization. To improve the calibration process and overall usability of the model, the data required for model

calibration would include tissue biopsies from people infected with H. pylori that can be used to quantify the cells and take into account their spatial arrangement. The current version is also limited in terms of the interactions that are based on epithelial cells and DC as they are strictly rule-based. The building of ODE models for these cells and integrating them with the ABM model will help capture the dynamics of epithelial cells and DC more in-depth. Overall the immunoregulatory mechanisms underlying the chronic colonization of H. pylori and the predictive capacity of the model can be further improved by incorporating cell-specific models for epithelial cells and DC.

In summary, a high-resolution, hybrid, multiscale spatiotemporal stochastic model of *H. pylori* infection was built and global *SA* was performed. The results from the global SA highlight the key role played by epithelial cells in affecting the levels of H. pylori colonization. The in-silico validation of varying the epithelial cell proliferation parameter demonstrated the involvement of regulatory macrophages and the tolerogenic DC. The next steps aimed to enrich the model will involve the validation of the findings in vivo to study the underlying mechanisms involved in the successful immune evasion by H. pylori. The computational modeling predictions will be further validated experimentally and clinically.

5. Potential Implications

The computational model of the gut contains high-resolution information processing representations of immune responses that are generalizable for other infectious and autoimmune diseases. Complex diseases such as autoimmune disorders, infectious diseases, and cancer all require integration of the multiscale level data, information and knowledge, ranging from genes, proteins, cells, tissue to organ level. The ENISI model of the gut presented here can be generalized to other

diseases by implementing the agents and rules specific to that disease, plus recalibrating the model based on data that are specific to the new indication. Since ABMs have modular architectures, an addition of new agent-types and modification of rules can be done without restructuring the entire simulation setup [19]. The use of ABM in such hybrid models not only facilitates the implementation of already known mechanisms but also helps validate and predict any unforeseen new mechanisms using data analytics methods such as global SA to analyze emerging behaviors at the systems level. The finer details regarding intracellular and intercellular interactions that contribute towards the nonlinear and complex behavior of the gut can also be studied by integrating the intracellular ODE models as implemented here.

Tables

Name of Agent	Agent Type	Rules	
Helicobacter pylori	H. pylori	 Moves across the epithelial cell border if near damaged epithelial layer Proliferates in the lumen and lamina propria Dies (removed from the simulation) in lamina propria and in the lumen due to the damage of epithelial cells by Th1 or Th17 cells 	
Macrophages	Monocyte	 Proliferates in presence the of effector dendritic cells of damaged epithelial cells Proliferates in the lamina propria Differentiates to regulatory macrophage in based on the output from the Macrophage ODE Differentiates to inflammatory macrophages in presence of IFN-γ Dies naturally (removed from the model) 	
	Resident	 Proliferates in the presence of <i>H. pylori</i> Secretes IL10 Dies naturally Dies due to Th1 and Tr cells 	
	Regulatory	 Proliferates and removes bacteria Dies Secretes IL10	
	Inflammatory	-Proliferates in the presence of damaged epithelial cell	

		-Dies naturally
Dendritics	Immature	-Moves from lamina propria to epithelium compartment
Deriditios	iiiiiiataic	and from the epithelium to the lamina propria
		- Differentiates to tolerogenic dendritic cell in the
		presence of tolerogenic bacteria, both in epithelium and
		lamina propria
		- Differentiates to effector dendritic cell in the presence
		of H. pylori
		- Proliferates in lamina propria and gastric lymph node
		- Dies naturally
	Effector	- Moves from lamina propria to gastric lymph node
		- Moves form epithelium to lamina propria
		- Secretes IL6 and IL12
		- Dies naturally
	Tolerogenic	- Moves from lamina propria to gastric lymph node
		- Moves from epithelium to lamina propria
		- Secretes TGF-β
		- Dies naturally
T cells	Naïve	In the presence of effector dendritic cells:
		- Differentiates to Th1 in the presence of IFN-γ or IL12
		- Differentiates to Th17 in the presences of IL6 or TGF- β
		In the presence of tolerogenic dendritic cells:
		· •
		- Differentiates to iTreg in the presence of TGF-β
		- Differentiates to Tr in the presences of IL10
	T. 4	- Dies naturally
	Th1	- Secretes IFN-γ
		- Moves from gastric lymph node to lamina propria
		- Proliferates in lamina propria and gastric lymph node
		- Dies naturally
	Th17	- Secretes IL17
		- In the presence of tolerogenic dendritic cell, transition
		to iTreg cells
		- Moves from gastric lymph node to lamina propria
		- Proliferates in lamina propria and gastric lymph node
		- Dies naturally
	iTreg	- Secretes IL10
		- In the presence of tolerogenic dendritic cell, transition
		to iTreg cells
		- Moves from gastric lymph node to lamina propria
		- Proliferates in lamina propria and gastric lymph node
		- Dies naturally
	Tr	- Secretes IL10
		- Dies naturally
		- Proliferates in the lamina propria
Epithelial	Healthy	-Damaged due to infectious bacteria
	1.001117	-Damaged due to Th1 and Th17 cells
		-Proliferates
		-Secretes IL6 and IL12
		-Dies naturally
	Damaged	-Transitions to healthy state in the presence of IL10
	Damaged	- Fransitions to healthy state in the presence of iL10

		-Dies naturally
Bacteria	Infectious	 Dies due to Th1 or Th17 or inflammatory macrophages or damaged epithelial cells Dies naturally Proliferates in the lamina propria
	Tolerogenic	 Moves from lumen to the epithelium in the presence of damaged epithelial cells Becomes infectious if moves in the lamina propria compartment Proliferates in lumen and lamina propria Dies naturally

Table 1. A list of rules for all the agent types implemented in the hybrid model

Additional Files

29 991 File S1

Fig S1

Table S1

Fig S2

Fig S3

Fig S4

Fig S5

⁵⁹601003

File S1 – The detailed instruction to Install ENISI MSM (Step I), Run a simulation

(Step II) and Conduct Sensitivity Analysis (Step III) are described.

Fig S1. Design implementation of the hybrid multiscale model used to

simulate Helicobacter pylori infection

The figure shows the class structure used in the ENISI MSM hybrid agent based-ODE model. Each group consists of an act() function that includes the implemented rule for each agent. The previously published ODE models for T cells and Macrophage are used to integrate in the ABM code.

Table S1 Table describing the input parameters used in the sensitivity analysis and their ranges used.

Fig S2. Time screenshots of a Helicobacter pylori infection modeled in a 30 mm (length) x 10 mm (width) two-dimensional grid. The thickness of the compartment is shown on the y-axis, such that: lumen spans (0 to 2) units, epithelium spans (2 to 3) units, lamina propria spans (3 to 8) units and gastric lymph node across (8-10) units on the scale. Two-dimensional distribution of different cell subsets over the time steps (ticks) 2, 4 (top panels), 5 and 6 (bottom panels) are shown. The insets in each image shows a zoomed in portion of the respective grids across the time steps 2, 4, 5 and 6. The agents represented in the screenshots below are only for visual representation and do not represent the actual size of the biological cells.

Fig S3. Flowchart for the two-staged global sensitivity analysis.

Fig S4. The active and inactive inputs selected from the stage 1 analysis

The rows represent the input parameters and columns represent the output cell

populations. The green boxes highlight the 'active' input parameters (row) that

are shown to have a significant influence (calculated based on the results)

obtained from partial correlation coefficient analysis), on an output cell (columns) under consideration.

Fig S5. Diagnostic and residual plots obtained for the Gaussian processes fitted metamodels

The upper panel represents the diagnostic Q-Q plots where the open circles represent the cross-validated predictions; solid black lines represent observed response. The "observed simulations" data in the first half of the lower panel, refer to the observed output values of the simulations obtained after running the hybrid computer model, whereas the y axis refers to the predicted simulation values obtained from the Cross-validated model. Each point represents 1 output point obtained as an output from the simulation. The second half of the lower panel, refers to the standard residual plot wherein the x-axis represents the observed simulation values obtained from the simulation and the y-axis refers to the residual error ((error (predicted values - observed values) / standard deviation (error))) obtained. The diagnostic plots denote the black circles which are the cross-validated prediction. Cross-validation is in the sense that for predictions made at design point x, all observations at design point x are removed from the training set. The lower panel represents the residual plots for the cell populations –(a) Helicobacter pylori; (b) Resident macrophages; (c) Monocyte-derived macrophages in the Lamina propria and (d) Tolerogenic dendritic cells in the Gastric lymph node compartment.

Data and materials

1 2	
3 4 1053 5	The data sets and files supporting the results of this article are available in the ENISI-MSM
6 7 1054	GitHub repository, RRID: SCR_016918 https://github.com/NIMML/ENISI-MSM .
8 9	
101055 11 12	Availability of source code and requirements
13 14 1056	Project Name: ENISI MSM
15 161057	Project homepage: https://github.com/NIMML/ENISI-MSM
17 181058	Operating system(s): Linux, Mac OSX
19 20 21 1059	Programming language: C++, R, MATLAB
$^{22}_{23}1060$	Other requirements: CMake 3.7.2,
24 251061	ENISI Dependencies https://github.com/NIMML/ENISI-Dependencies
²⁶ ²⁷ 1062 ²⁸	License: Apache License 2.0
²⁹ ₃₀ 1063	• RRID: SCR_016918
31 32	Declarations
331064 34	Declarations
351065 36	List of abbreviations
³⁷ ₃₈ 1066	ABM – Agent based model
40 41	DC – Dendritic cells
421068 43	ENISI MSM – Enteric Immunity Simulator Multi-scale Modeling
441069 45	GLN – gastric lymph node
$^{46}_{47}1070$	GP - Gaussian process
48 49 1071 50	H. pylori – Helicobacter pylori
511072 52	HPC – High performance computing
531073 54	LP – Lamina propria
⁵⁵ 1074	ODE – Ordinary Differential Equation
⁵⁷ ₅₈ 1075 59	PDE – Partial Differential Equation
601076 61	SA – Sensitivity analysis
62 63	46
64 65	40

64 65

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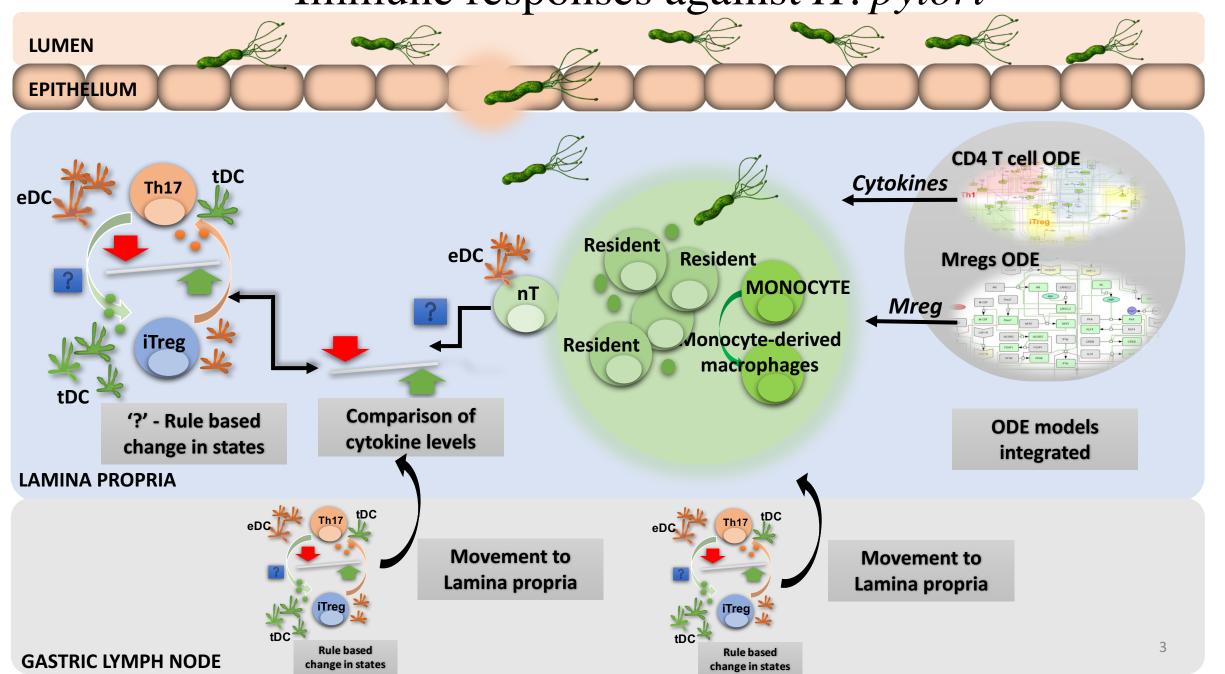
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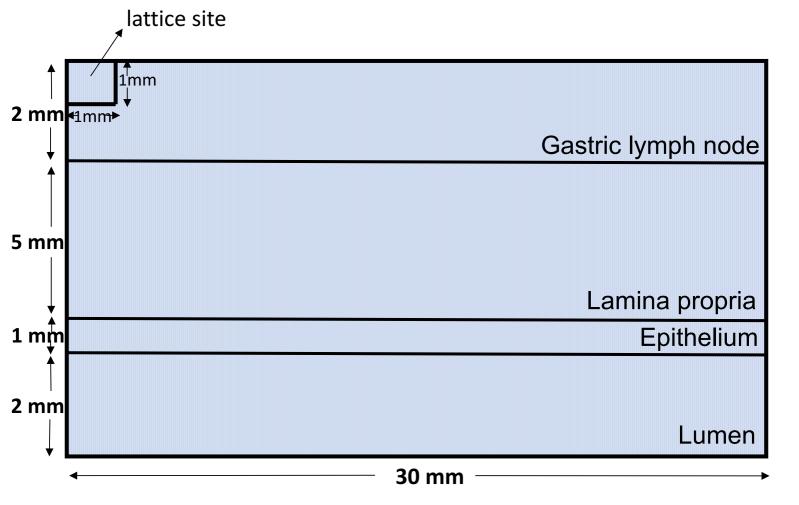
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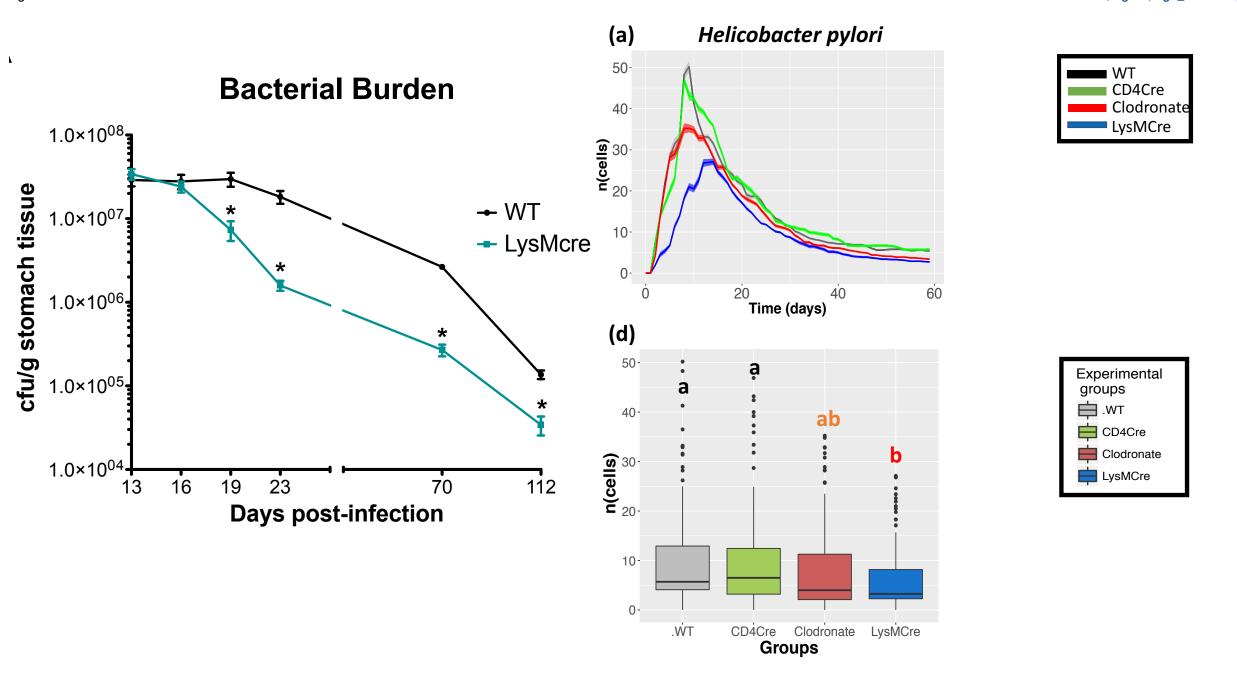
Name of Agent	Agent Type	Rules			
Helicobacter pylori	H. pylori	 Moves across the epithelial cell border if near damaged epithelial layer Proliferates in the lumen and lamina propria Dies (removed from the simulation) in lamina propria and in the lumen due to the damage of epithelial cells by Th1 or Th17 cells 			
Macrophages	Monocyte	 Proliferates in presence the of effector dendritic cells or damaged epithelial cells Proliferates in the lamina propria Differentiates to regulatory macrophage in based on the output from the Macrophage ODE Differentiates to inflammatory macrophages in presence of IFN-γ Dies naturally (removed from the model) 			
	Resident	 Proliferates in the presence of <i>H. pylori</i> Secretes IL10 Dies naturally Dies due to Th1 and Tr cells 			
	Regulatory	Proliferates and removes bacteriaDiesSecretes IL10			
	Inflammatory	-Proliferates in the presence of damaged epithelial cell -Dies naturally			
Dendritics	Immature	-Moves from lamina propria to epithelium compartment and from the epithelium to the lamina propria - Differentiates to tolerogenic dendritic cell in the presence of tolerogenic bacteria, both in epithelium and lamina propria - Differentiates to effector dendritic cell in the presence of <i>H. pylori</i> - Proliferates in lamina propria and gastric lymph node - Dies naturally			
	Effector	 Moves from lamina propria to gastric lymph node Moves form epithelium to lamina propria Secretes IL6 and IL12 Dies naturally 			
	Tolerogenic	 Moves from lamina propria to gastric lymph node Moves from epithelium to lamina propria Secretes TGF-β Dies naturally 			
T cells	Naïve	In the presence of effector dendritic cells: - Differentiates to Th1 in the presence of IFN- γ or IL12 - Differentiates to Th17 in the presences of IL6 or TGF- β In the presence of tolerogenic dendritic cells: - Differentiates to iTreg in the presence of TGF- β			

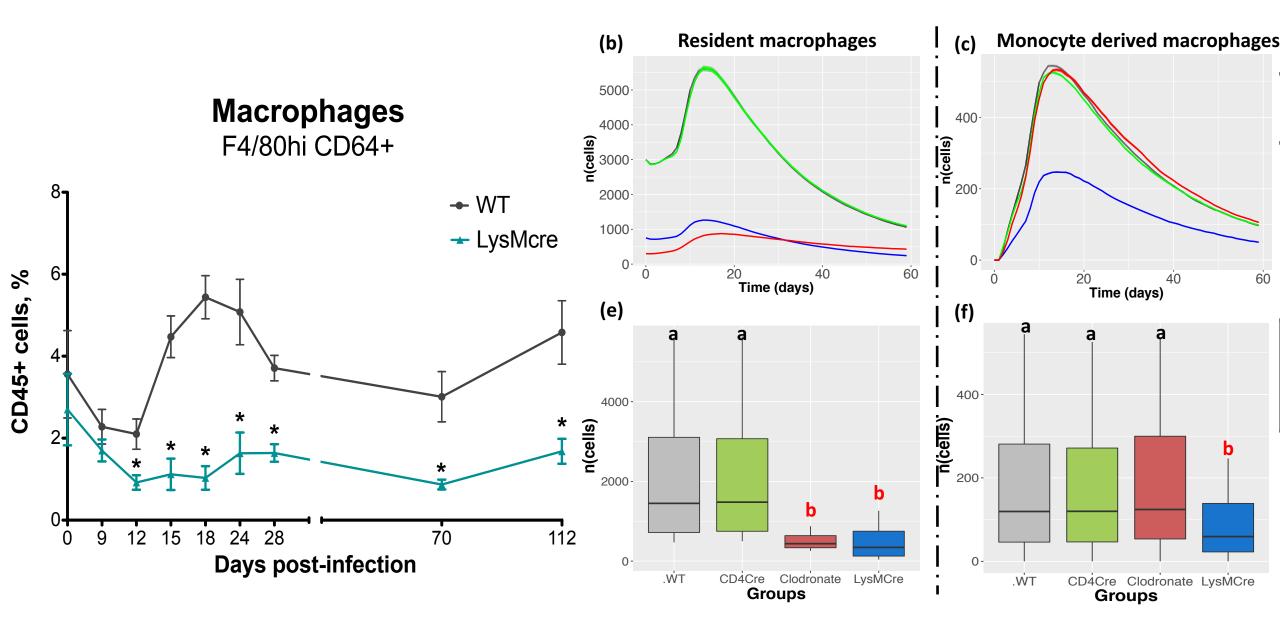
		- Differentiates to Tr in the presences of IL10		
-	T1 4	- Dies naturally		
	Th1	- Secretes IFN-γ		
		- Moves from gastric lymph node to lamina propria		
		- Proliferates in lamina propria and gastric lymph node		
		- Dies naturally		
	Th17	- Secretes IL17		
		- in the presence of tolerogenic dendritic cell, transition		
		to iTreg cells		
		- Moves from gastric lymph node to lamina propria		
		- Proliferates in lamina propria and gastric lymph node		
		- Dies naturally		
	iTreg	- Secretes IL10		
		- In the presence of tolerogenic dendritic cell, transition		
		to iTreg cells		
		- Moves from gastric lymph node to lamina propria		
		- Proliferates in lamina propria and gastric lymph node		
		- Dies naturally		
	Tr	- Secretes IL10		
		- Dies naturally		
		- Proliferates in the lamina propria		
Epithelial	Healthy	-Damaged due to infectious bacteria		
•		-Damaged due to Th1 and Th17 cells		
		-Proliferates		
		-Secretes IL6 and IL12		
		-Dies naturally		
	Damaged	-Transitions to healthy state in the presence of IL10		
	3.5	-Dies naturally		
Bacteria	Infectious	- Dies due to Th1 or Th17 or inflammatory macrophages		
		or damaged epithelial cells		
		- Dies naturally		
		- Proliferates in the lamina propria		
	Tolerogenic	- Moves from lumen to the epithelium in the presence of		
	J	damaged epithelial cells		
		- Becomes infectious if moves in the lamina propria		
		compartment		
		Proliferates in lumen and lamina propria Dies naturally		

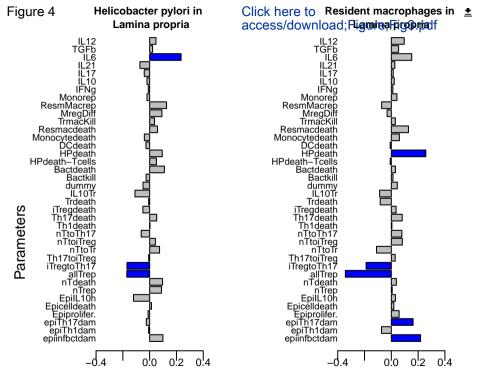
Immune responses against $H.\,pylori$

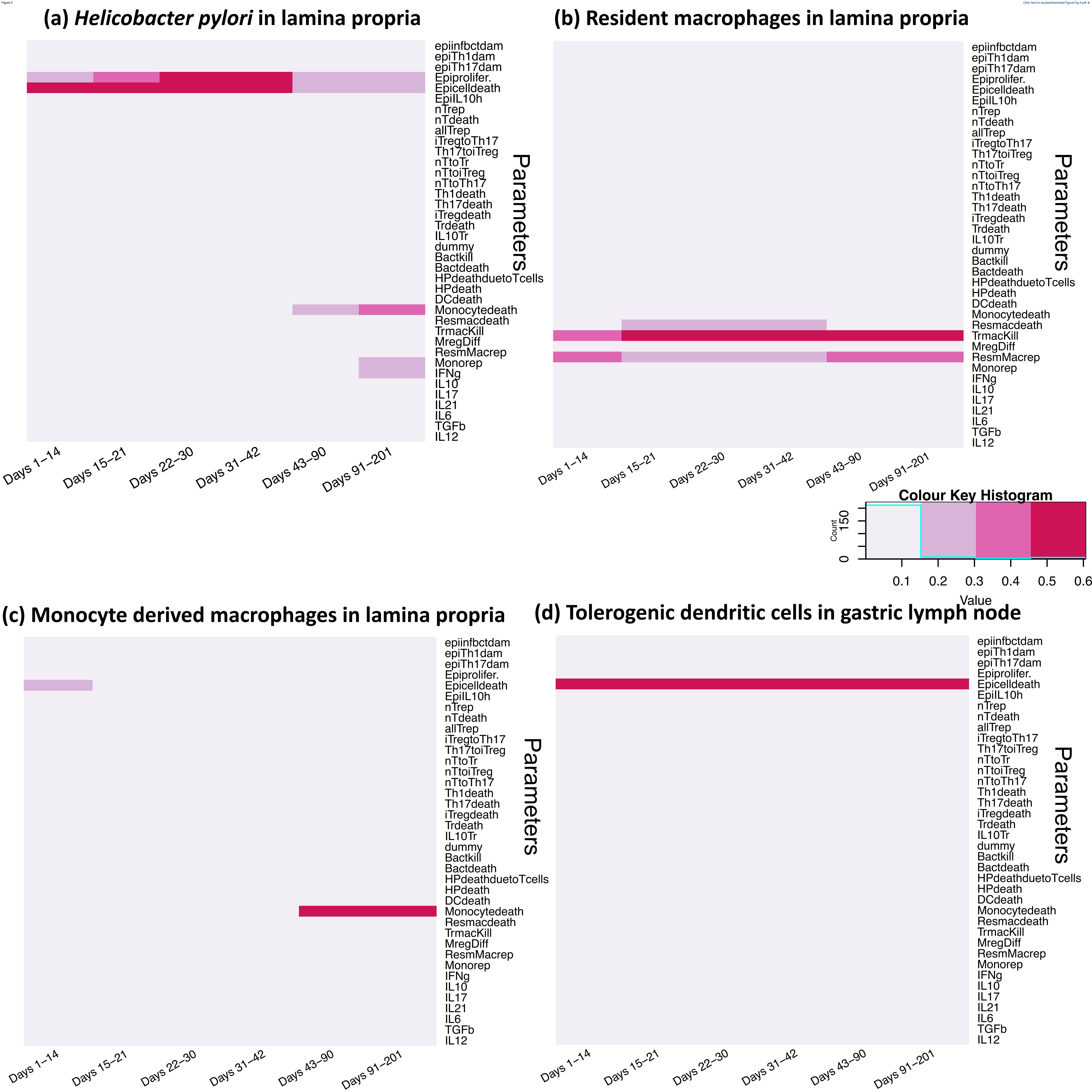


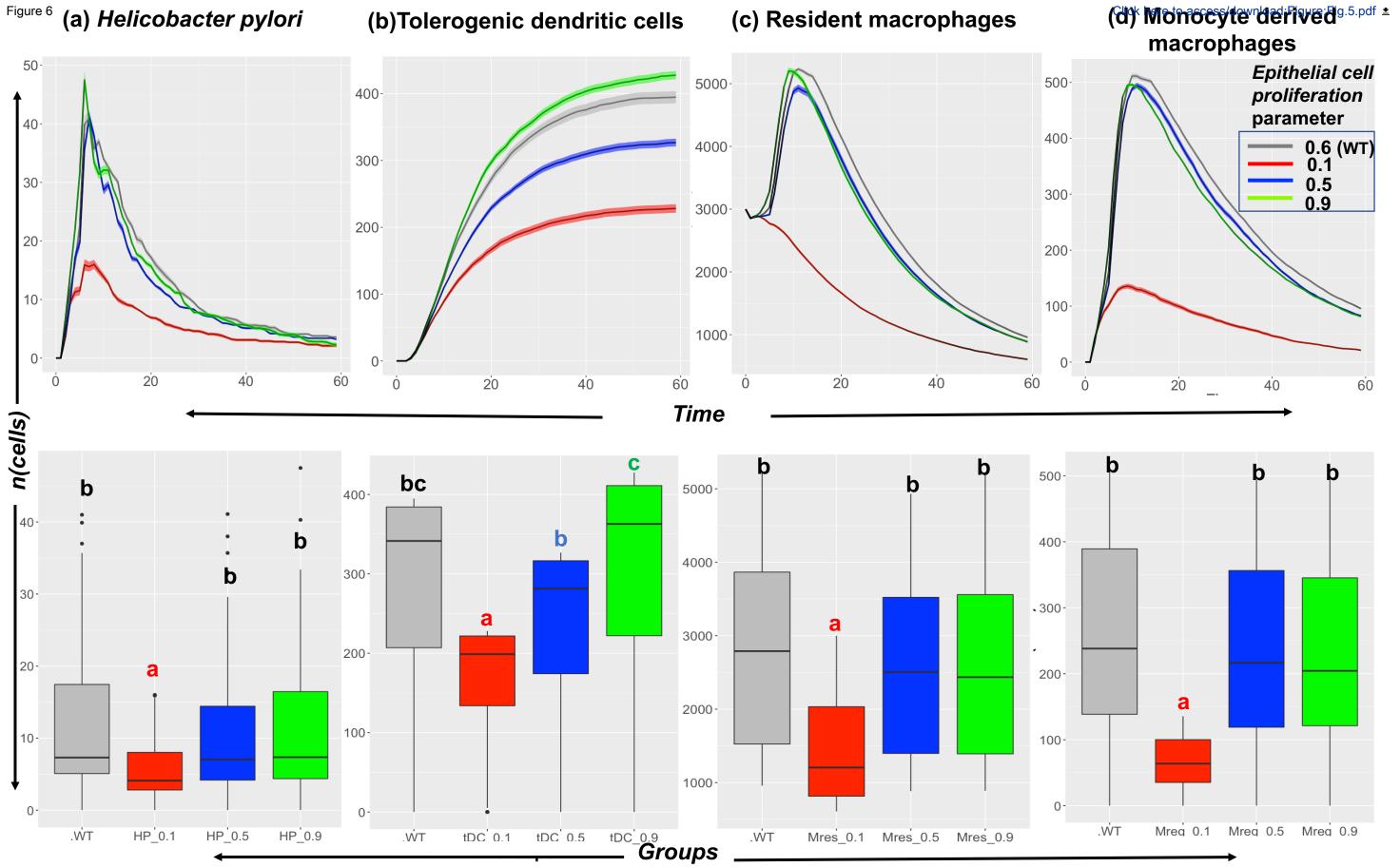












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Click here to access/download **Supplementary Material** FigS5.pdf Once more, we would like to truly thank the reviewers and editor for the time and effort they are putting in reviewing our work. The fact that they've all brought up concerns about the grid dimensions and structure underlines the importance of computational biology as means of integrating biological concepts with biophysics and mathematics. Most biologists tend to focus on functions (i.e., gene expression or protein properties) and numbers, but they rarely consider the dimensions of the "biological space". The proposed revisions and clarifications better connect the biology, underlying mathematics and spatial/biophysical considerations. In response to the comments raised by the reviewers, we have revised the manuscript and provided explanations to further clarify the description of the grid.

Reviewer reports:

Reviewer #2 Comment 1: I have looked through the authors' responses and remain concerned about the grid dimensions. Redefining the grid in um instead of nm still leaves the entire simulation environment at 30um by 10um which is about on the order of a single cell (e.g. macrophage diameter ~20um https://www.ncbi.nlm.nih.gov/pmc/articles/PMC1470168/). I remain concerned that defining the grid at such a small scale creates a biologically unrealistic disconnect between the diffusing cytokines (on a very small scale) and the cells that they influence (on a much larger and abstract scale). I tried to understand the dimensions of the diffusion constants for the cytokines but the parameter table S1 contains no units to be able to compare diffusion scales to cell movement scales.

Response to Reviewer 2, Comment 1: We thank the reviewer for their concern. We agree that defining the grid in μ m leaves the simulation in a smaller scale and want to clarify that even though the units in the model are annotations, we understand that it is crucial to define the grid in a more biologically meaning way.

We define the area in the model being simulated as a simulation environment with 30 mm x 10 mm two-dimensional grid. The size of an individual lattice site (previously referred to as grid cell in the paper) is 1 mm x 1mm. The scales described as in the previous version of ENISI-MSM (Mei et al., 2015) were kept unchanged. The table describing the scales used in (Mei et al., 2015) are also shown here in **Table 2**.

As described in table shown below (adapted from Table 1) of our previous work (Mei et al., 2015), the spatial properties for cytokine diffusion defined in the range of millimeters were unchanged in the version of ENISI-MSM used in this paper.

Scale	Example scenario	Spatial(m)	Time(s)	Technology	Tool
Intra-cellular	Signaling pathways	Nano (nm)	Nano	ODE	COPASI
Cellular	Cell movement and subtype	Milli (mm)	Tens	ABM	ENISI
Intra-cellular	Cytokine-diffusion	Milli (mm)	Tens	PDE	ValueLayer
Tissue	Inflammation and lesions	Centi (cm)	Thousands	Projection	ENISI

Table 2. The four scales of ENISI models, their spatial and temporal properties and modeling technologies and tools used for each scale. (Table 1 as adapted from (Mei et al., 2015))

We updated the manuscript accordingly, please refer to L213-L223.

We thank the reviewer for pointing this out. We updated Table S1 with units for clarity. Lastly, we want to clarify that the model deals with numbers and the units are annotations in the simulation

hence the corrections in the dimensions above do not affect the simulation results in any way. All the values used in the code were internally consistent with the model.

Reviewer #3, Comment 1: In this review, I am looking at the more limited questions on the matter of units and scale, which have been raised by both Reviewer #1 and Reviewer #2.

Generally, I don't think the units matter, so long as they have been handled correctly (i.e., with correct conversion and internal consistency within the computational model). The units should be properly labeled in any parameter tables.

I tend to use microns and minutes (or seconds for some problems) for this scale of problem, but there are others who just use cm and sec for everything. As long as the values are correct in the displayed units (and as long as the code used internally consistent values). I think it's purely aesthetic. That said, if something is being labeled on a multicellular level, then labeling 10 microns will much more appropriate than 10,000 Response to Reviewer 3, Comment 1: We thank the reviewer for highlighting this point. We concur that the units don't matter for the simulation results, but want to best clarify the dimensions to make them relevant with the biology. We have labelled all the units in the parameter Table S1. The values used in the code were internally consistent with the model and handled correctly. For further clarity, we show the scales used in the previous ENISI models and the spatial and temporal properties as described in (Mei et al., 2015) and included the Table 1 from (Mei et al., 2015).

Scale	Example scenario	Spatial(m)	Time(s)	Technology	Tool
Intra-cellular	Signaling pathways	Nano (nm)	Nano	ODE	COPASI
Cellular	Cell movement and subtype	Milli (mm)	Tens	ABM	ENISI
Intra-cellular	Cytokine-diffusion	Milli (mm)	Tens	PDE	ValueLayer
Tissue	Inflammation and lesions	Centi (cm)	Thousands	Projection	ENISI

Table 2. The four scales of ENISI models, their spatial and temporal properties and modeling technologies and tools used for each scale. (Adapted from (Mei et al., 2015)).

We updated the manuscript accordingly, please refer to L213-L223.

Reviewer #3, Comment 2: However, I want to further dig into Reviewer #2's concerns on grid sizes and scales.

As I read this draft, I see at least one potential source of confusion: this team appears to be very focused on mathematical and numerical methods. As such, they are using the word "cell" for both a biological cell and a computational lattice site. This is a really bad idea, and the authors should pick a better nomenclature (e.g., computational mesh or lattice site) to avoid this confusion. They should never use "cell" to mean anything other than a biological cell once they enter computational biology.

Response to Reviewer 3, Comment 2: The focus of the paper was to utilize an already published tool (Mei et al., 2015) to study Helicobacter pylori infection. So, a significant focus of the work was on the biology. However, we agree that the nomenclature should be clarified to avoid confusion from using the term "cell" for both actual biological cells and space/grid units. In the revised version of the manuscript we have substituted "grid cell" for "lattice site" and kept "cell" to refer to biological cells.

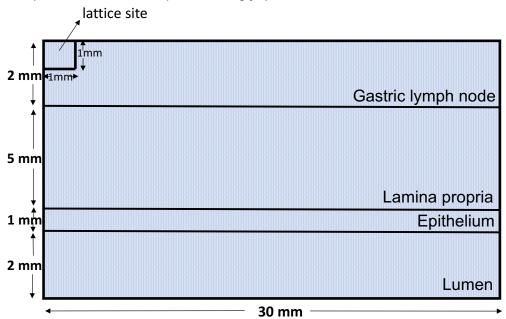
Reviewer #3, Comment 3: Next, they need to be clearer about what their grids represent. They should show a picture of the domain and meshing in their main text, and not just supplementary material. They should probably also clarify that they are simulating a cross-section of tissue in their model, rather than 3D or some top-down view. (At least from what I can tell.) (They seem to address this in text, but showing the mesh will provide better clarity.)

Response to Reviewer 3, Comment 3: We thank the reviewer for their valuable suggestion regarding this crucial point. We included a cartoon picture of the domain and mesh (as Fig. 2) in the main text as opposed to in the supplementary material (as shown below).

We highlighted that we are simulating a cross-section of tissue in the model and we redefined it as a simulation environment with 30 mm x 10 mm two-dimensional grid.

The size of an individual lattice site (previously referred to as grid cell in the paper) is 1 mm x 1mm.

We updated the manuscript accordingly, please refer to L231-L235.



Reviewer #3, Comment 4: Assuming the authors now have a 30 micron x 10 micron domain, they can simulate at most one epithelial cell, if it's all in plane. But if it's a cross-section, I suppose they could have more. Perhaps many h pylori (which they size at about 1 micron), but not many mammalian cells. So, their computational domain is still not very clear to me, and they should just show it, with appropriate labeling. They seem to skip straight to population dynamics in their figures, but it would be very helpful if they showed one actual spatiotemporal simulation. This would make the nature and performance of their model much clearer.

Response to Reviewer 3, Comment 4: We thank the reviewer for their concern.

With a redefined computational simulation environment of 30 mm x 10 mm, the epithelium is comprised of hundreds of epithelial cells.

For example, if the initial number of epithelial cells defined by the user is 12, the total number of epithelial cells amounts to = $(30 \times 1)_{\text{dimension of epithelial compartment}} \times 12_{\text{intial number}} = 360$.

In addition to the figure of the grid environment, we included the screenshots of one actual in silico simulation of H. pylori infection to highlight the spatiotemporal aspects of the modeling outputs. The screenshots were created using Vislt version 2.12 (Childs et al., 2012), an interactive visualization and analysis tool. As shown in Additional file Fig. S2 the screenshots represent the spatial distribution of different agent cells over time points (2, 4, 5 and 6) distributed across the 2D grid. Further, we presented the insets in Fig. S2 showing a zoomed in portion of the respective grids across the time steps 2, 4, 5 and 6.

We also want to clarify that the agents represented in the screenshots below are only for visual representation and do not represent the actual size of the biological cells.

We updated the manuscript accordingly and added Fig 3, please refer to L333-L338.

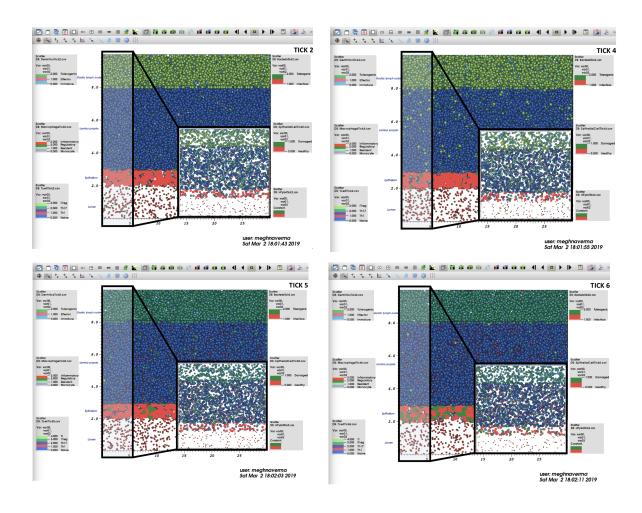


Fig S2. Time screenshots of a Helicobacter pylori infection modeled in a 30 mm (length) x 10 mm (width) two-dimensional grid. The thickness of the compartment is shown on the y-axis, such that: lumen spans (0 to 2) units, epithelium spans (2 to 3) units, lamina propria spans (3 to 8) units and gastric lymph node across (8-10) units on the scale. Two-dimensional distribution of different cell subsets over the time

steps (ticks) 2, 4 (top panels), 5 and 6 (bottom panels) are shown. The insets in each image shows a zoomed in portion of the respective grids across the time steps 2, 4, 5 and 6. The agents represented in the screenshots below are only for visual representation and do not represent the actual size of the biological cells. Future refinements of the model will create agents of the actual sizes of cells.

Reviewer #3, Comment 5: On sizes and scaling, I fully agree with Reviewer #2: if this is indeed a 30 micron x 10 micron cross section, there's no way there are more than a handful of mammalian cells at any time in any simulation. If they have made a scaling argument (and there are such arguments that could be made if formulated clearly and rigorously), they'd better be clear about it. Any results that show thousands of mammalian cells in a 30 x 10 micron^2 domain are simply beyond biophysical plausibility.

Response Reviewer 3, Comment 5: We defined the simulation environment as a 30 mm x 10 mm two-dimensional grid that represents a cross section area of stomach tissue modeled here.

Reviewer #3, Comment 6: Again, just actually showing a simulation (either a movie, or some time snapshots, but showing locations of all the cell agents and substrate distributions) would help clarify things much more. No limit to the number of cells in a mesh site, while mathematically possible, does not make sense on such a small simulated domain. Even though the authors treated the cell agents as no size (infinitesimal points), there are physical limits, and moreover if each cell is absorbing / secreting things at appropriate rates, then there should be ridiculous amounts of secretion of growth factors and ridiculous depletion of growth substrates, if there is a huge overcrowding of hundreds or thousands of mammalian cells in a 1 micron x 1 micron lattice site.

Response to Reviewer 3, Comment 6: We thank the reviewer for their valuable suggestion and have included time snapshots for the simulation (time points 2, 4, 5 and 6) created using Visit version 2.12 (Childs et al., 2012), an interactive visualization and analysis tool. Please refer to Additional file Fig S2 also included in the above response to Comment 5. The hybrid multiscale modeling platform ENISI MSM is currently capable of scaling up to up to 10^9 agents, at which the memory (on a 32 GB node) was exceeded due to the large number of agents.

Reviewer #3, Comment 7: If that's what's going on, the authors really do need to take a step back and consider domains sufficiently large to capture hundreds or thousands of mammalian cells. This is not simply a matter of relabeling axes: it's a matter of simulating a larger physical domain that is suited to the size of objects (mammalian cells) that they are considering, with biophysically reasonable parameters. The authors need to carefully review all their parameters (e.g., cell densities) to ensure they are correctly scaled and reasonable. If there is nobody on the team with sufficient domain expertise to review these parameters and results to check for reasonableness, it may be time to grow the team. Given that actual mammalian cells are much larger than the computational lattice sites, there must be constraints: if a lattice site is "occupied" by a mammalian cells, so are many (or most!) of the surrounding lattice sites. They would be nofly zones for further mammalian cells. The common way to solve such problems is to use computational lattice sites that are of comparable size to the largest biological cells (e.g., 1 biological cell per lattice site, as a cellular automaton model), or use very large lattice sites (e..g, 100 micron x 100 micron) that can truly contain multiple cells.

Response to Reviewer 3, Comment 7: We thank the reviewer for their suggestion on the size of the lattice site.

In the current model, the size of the lattice site (referred as spatial grid previously) is 1mm x 1mm, capable of containing multiple cells.

The total number of agents in a compartment of size (length x width) is calculated as follows: number (agents) x size (compartment),

For example, if the user set the initial number of epithelial cell agents to be 12, the total number of epithelial agents within the epithelium compartment amounts to -

 $12_{initial_number} x (30 x 1)_{size_epithelilum_compartment} = 360.$

Reviewer #3, Comment 8: All is not lost, however. If for some reason that larger domain is computationally infeasible (hard to imagine), the authors really don't need a 1 micron mesh resolution for most of the effects here. The diffusion length scale of most chemokines and diffusing substrates would not require a 1 micron mesh resolution. (And numerical stability will improve if coarser mesh resolutions are used.) If the authors feel a 1 micron mesh is needed for the bacteria, they could easily use a separate mesh. This work looks interesting. I think the team has a great contribution to make, if they pay a bit closer attention to the biophysical limits of their system.

Response to Reviewer 3, Comment 8: The computational domain used here is of 30 x 10 units in size and the individual lattice site is 1 units for the simulation. The lattice site is a configurable run parameter and can be changed without modifying the model.

We thank the reviewer for their valuable suggestions, inputs and concerns and have tried to clarify the questions around the grid dimensions.

With these revisions and clarifications, we believe that the revised manuscript is acceptable for publication.

Thank you for considering this work.

References:

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