

Supplemental material

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Figure S1. EPR data on BSL-RLC-fiber in rigor (blue), BSL-RLC-fiber in relaxation (red), and BSL-RLC-HMM-fiber in rigor (black). Fits and residuals are in magenta. Static limit was assumed during fitting. The field sweep width shown is 100 G.





Figure S2. The cumulative distribution function of the F-ratio distribution, comparing the ratio of the residual sum of squares of the fits with the residual sum of squares of the best fit. The 95% intervals are depicted by horizontal lines. The confidence interval for helix B is flatter on the left-hand side, as compared with helix E. This happens due to the vanishing of the derivatives of the *g* and A tensors (Eqs. S2 and S3) $\frac{\partial g}{\partial \theta_{AB}}$ and the turning points ($\theta_{NB} = 0^\circ, 90^\circ$). Since those tensors define the spectral position of a given probe orientation (Eq. S1), the EPR spectrum is not sensitive to orientation near the turning points. However, the symmetry of the resonance position $B_{res}(-\theta_{NB}) = B_{res}(\theta_{NB})$ restricts $\theta_{NB} > 0^\circ$ for the B helix, which brings the angular resolution for the probes on both helices to 4°.



Figure S3. The effect of 5 mM AMPPMP (red) on a BSL-RLC-fiber labeled on the B helix in rigor (blue) during EPR. The field sweep width is 100 G.



Figure S4. The ME distributions (calculated according to Eqs. S4–S7) for the B and E helix calculated from reported order in fluorescence polarization experiments. The B and helix E orienting potentials (reproduced here from digitized figures using GetData GraphDigitizer, v.2.26) are $-0.296 P_2(\cos \alpha) + 0.118 P_4(\cos \alpha)$ (Romano et al., 2012) and $-0.293 P_2(\cos \alpha) + 0.127 P_4(\cos \alpha)$ (Fusi et al., 2015), respectively, where α is the angle between the BR dipole and the muscle fiber, $p_n(x)$ is the nth order Legendre polynomial, and the coefficients are the respective order parameters. Since $P_2(\cos \alpha)$ varies from 1 to -0.43 as α goes from 0° to 50°; such a small difference in the order parameters between the B and E helices yields indistinguishable ME distributions.





Figure S5. Alignment of the EPR-derived model (blue lever arm helix, red RLC) with the Z-ward head (green) of the lead bridge in the 7-nm-resolution model derived from insect flight muscle tomography. From PDB accession number 1018, chain J (Chen et al., 2002). Actin is shown in yellow and RLC in red. The alignment was done via the lower 50-kD domain.

	Ө _{NB} (°)	σ(°)	Mole fraction
B helix (53–57)			
RLC-fiber rigor (first component)	4 ± 4	9 ± 3	0.11 ± 0.02
RLC-fiber rigor (second component)	22 ± 15	>38	0.89 ± 0.02
RLC-fiber relaxation (single component)	18 ± 14	>38	_
RLC-HMM-fiber rigor (single component)	32 ± 14	>38	_
E helix (103–107)			
RLC-fiber rigor (first component)	81 ± 4	11 ± 3	0.54 ± 0.03
RLC-fiber (second component)	86 ± 18	>38	0.46 ± 0.03
RLC-fiber relaxation (single component)	51 ± 15	>38	_
RLC-HMM-fiber rigor (first component)	81 ± 4	11 ± 3	0.25 ± 0.03
RLC-HMM-fiber rigor (second component)	88 ± 16	>38	0.75 ± 0.03

Table S1. Fitting parameters of the oriented fiber experiments

Errors are propagated from 95% confidence intervals imposed on the simulated fit error surface.



EPR equations

The position of resonance in an EPR experiment at a given orientation θ_{NB} , ϕ_{NB} of a spin label π orbital is given by

$$B_{\text{res}} = \frac{h\nu}{\mu_{\text{B}}g(\theta_{\text{NB}}, \phi_{\text{NB}})} - m_{\text{I}}A(\theta_{\text{NB}}, \phi_{\text{NB}}), \quad (S1)$$

where *h* is the Planck constant, *v* is the microwave frequency, μ_B is the Bohr magneton, m_I is the N¹⁴ nuclear quantum number (-1, 0, 1), $g(\theta_{NB}, \phi_{NB})$, and $A(\theta_{NB}, \phi_{NB})$ are Zeeman and hyperfine tensors whose eigenvalues determine anisotropy of the system:

$$g^{2}(\theta_{NB},\phi_{NB}) = g_{x}^{2} \sin^{2}\theta_{NB} \cos^{2}\phi_{NB} + g_{x}^{2} \sin^{2}\theta_{NB} \sin^{2}\phi_{NB} + g_{z}^{2} \cos^{2}\theta_{NB}, \quad (S2)$$

and

 $A^{2}(\theta_{NB},\phi_{NB}) = A_{x}^{2}\sin^{2}\theta_{NB}\cos^{2}\phi_{NB} + A_{x}^{2}\sin^{2}\theta_{NB}\sin^{2}\phi_{NB} + A_{z}^{2}\cos^{2}\theta_{NB}.$ (S3)

ME equations

Once $\langle P_2(\cos \alpha) \rangle$ and $\langle P_4(\cos \alpha) \rangle$ are obtained in an experiment, there is a continuum of orientational distribution functions that yield $\langle P_2(\cos \alpha) \rangle$ and $\langle P_4(\cos \alpha) \rangle$. The ME distribution function maximizes informational entropy and thus yields the broadest distribution that serves as a low-resolution approximation of the angular distribution of the probe. The ME distribution is defined as

 $f(a, \lambda_2, \lambda_4) = Z(\lambda_2, \lambda_4)^{-1} \exp[-\lambda_2 P_2(\cos \alpha) - \lambda_4 P_4(\cos \alpha)], \quad (S4)$

where λ_2 , λ_4 are Lagrange multipliers and $Z(\lambda_2, \lambda_4)$ is a normalization factor:

 $Z(\lambda_2, \lambda_4) = \int_0^{\pi} d\alpha \, \exp[-\lambda_2 P_2(\cos\alpha) - \lambda_4 P_4(\cos\alpha)] \, \sin \alpha. \quad (S5)$

We determine λ_2, λ_4 by

 $\langle P_2(\cos\alpha)\rangle = \int_0^{\pi} d\alpha \ P_2(\cos\alpha) \ f(a, \ \lambda_2, \ \lambda_4) \ \sin\alpha,$ (S6)

and

 $\langle P_4(\cos\alpha)\rangle = \int_0^{\pi} d\alpha \ P_4(\cos\alpha) \ f(a, \ \lambda_2, \ \lambda_4) \ \sin\alpha.$ (S7)

References

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