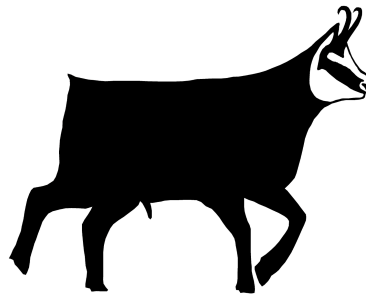


Supplementary file 1

Parasitism and alternative reproductive tactics in Northern chamois

Corlatti, L., Lorenzetti, C., Bassano, B.

RMarkdown



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Introduction

Alternative reproductive tactics (ARTs), discrete phenotypic variations evolved to maximize fitness, may entail different trade-offs between benefits and costs. In large mammals, costs associated with the expression of ARTs are typically greatest during the breeding season. Nonetheless, physiological and behavioural differences between ARTs can manifest throughout the year, and they may be expected to entail costs that may favour the maintenance of alternative types within populations. Using larval counts from faeces as a proxy, we explored the temporal changes in lung parasite infection in territorial and nonterritorial male chamois *Rupicapra rupicapra* in the Gran Paradiso National Park, between 2011 and 2012. We aimed to identify if tactic-specific physiological and behavioural features (including age, hormonal levels, inter- and intrasexual interactions and space use) or climatic factors (temperature and precipitation) concur to explain the yearly variation in parasite infection within and between ARTs.

Territorial vs. nonterritorial males

1. Create dataframe

We first create a dataframe that includes ID of individuals (ID), ratio of interactions won during the rut (ratio), and home range size during the rut calculated using 90% Kernel smoothing (ks90).

```
ID <- c("M1", "M4", "M5", "M7", "M8", "M9", "M11", "M12", "M13", "M14", "M15", "M16", "M17", "M18", "M19", "M21", "M22", "M23",
        "M24", "M25", "M26")
ratio <- c(0.93, 1.00, 0.88, 0.00, 0.00, 0.08, 1.00, 0.38, 1.00, 0.90, 0.00, 1.00, 1.00, 0.50, 1.00, 0.00, 0.46, 0.00,
           0.25, 0.75, 0.00)
ks90 <- c(4.56, 3.13, 12.00, 237.38, 16.63, 23.75, 7.81, 13.06, 2.25, 3.00, 16.00, 5.75, 4.63, 16.94, 13.00, 290.31, 75.50,
          598.50, 8.75, 5.60, 6.40)

cluster <- as.data.frame(cbind(ID, ratio, ks90))

fvars <- c(1) # defines the positions of factor variables
for (i in fvars){
  cluster[,i]<-as.factor(cluster[,i])
}

nvars <- c(2,3) # defines the positions of numeric variables
for (i in nvars){
  cluster[,i]<-as.numeric(as.character(cluster[,i]))
}

head(cluster)
#   ID      ratio  ks90
# 1  M1      0.93   4.56
# 2  M4      1.00   3.13
# 3  M5      0.88  12.00
# 4  M7      0.00 237.38
# 5  M8      0.00  16.63
# 6  M9      0.08  23.75

summary(cluster)
#   ID      ratio      ks90
# M1  : 1      Min.   :0.0000  Min.   : 2.25
# M11 : 1      1st Qu.:0.0000  1st Qu.: 5.60
# M12 : 1      Median :0.5000  Median :12.00
# M13 : 1      Mean   :0.5324  Mean   : 65.00
# M14 : 1      3rd Qu.:1.0000  3rd Qu.:16.94
# M15 : 1      Max.   :1.0000  Max.   :598.50
# (Other):15
```

2. Cluster analysis

The distinction between male types was based on the cluster analysis of behavioural patterns and space use during the mating season, assuming that territorial males have higher site fidelity and win more intra-sexual interactions than nonterritorial males. These two parameters were combined in a matrix and multivariate hierarchical clustering (Everitt et al. 2011) was conducted using the Mahalanobis distance (Mahalanobis 1936).

```

library(stats)
dat <- cbind(cluster$ratio, cluster$ks90) # combine the target variables in a matrix

varcov <- matrix(c(var(cluster$ratio), cov(cluster$ratio,cluster$ks90), cov(cluster$ratio,cluster$ks90),
                  var(cluster$ks90)), nrow=2, ncol=2) # calculate the variance-covariance

dist <- mahalnobis(dat,dat[1,], varcov) # calculate the Mahalanobis distance on the data matrix

for(i in 2:length(cluster$ratio)) dist<-cbind(dist, mahalnobis(dat, dat[i,], varcov) )

dist <- as.dist(dist)

hc <- hclust(dist) # run hierarchical clustering on the Mahalanobis distance

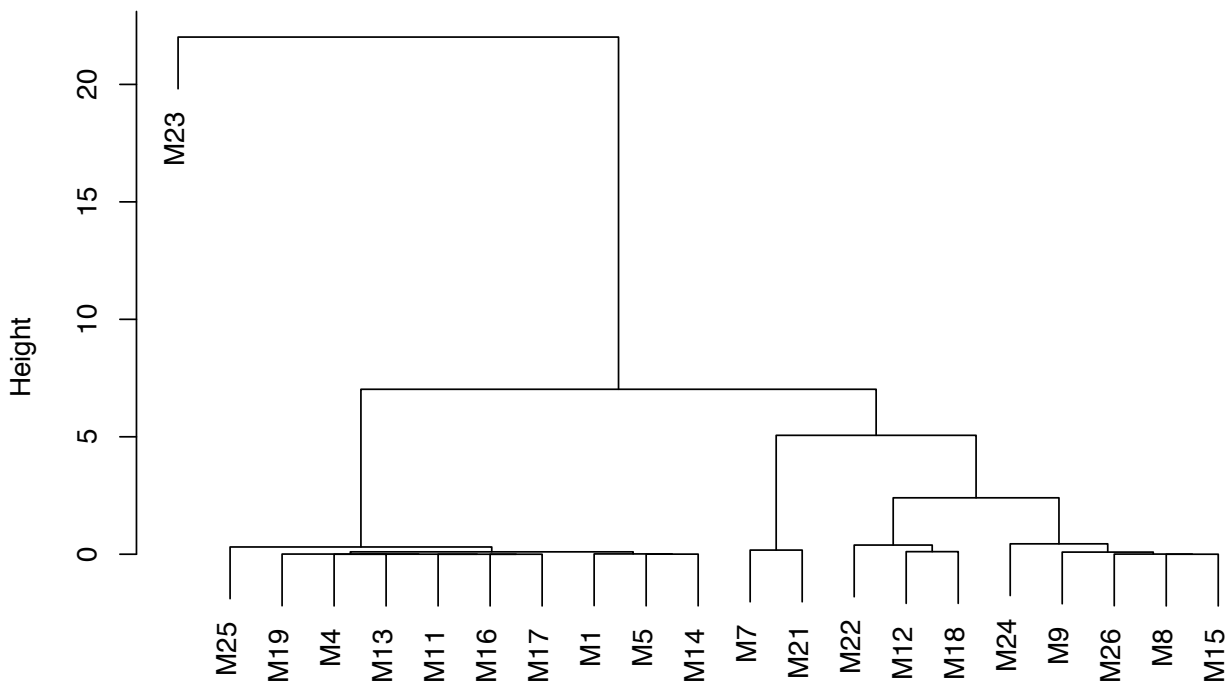
hc$labels <- 1:21 # add observation numbers

label<-as.factor(cluster$ID) # create character string ("Labels") with the ID of individuals

plot(hc, labels=label) # plot cluster

```

Cluster Dendrogram



The cluster analysis indicates that 10 individuals with small home ranges and high ratio of interactions won (M25, M19, M4, M13, M11, M16, M17, M1, M5, M14) are grouped together (“territorial males”), whereas the other individuals are grouped in a different cluster (males with large home ranges and low ratio of interactions won, i.e., “nonterritorial”). One individual (M23) was classified as “nonterritorial” owing to the large home range (*ca.* 600 ha), while another individual (M3) was considered as nonterritorial owing to the advanced age at capture (13.5 years). See Table 1 in the article.

Data analysis

3. Import data

We first set up the working directory and load the data.

```
setwd("~/...") # Please choose a working directory
data.raw <- read.csv2("Corlatti_et_al_Parasites & ARTs chamois_Supporting Information_2.csv", header = T)
head(data.raw)
##   obs  id age m.beh   date lungworms testosterone cortisol  tmin prec  elev.lag kde90.lag interactions
## 1   1 M01  5   T 03/01/11    1150      54.41 1932.15 -10.50 1.90   1935      8.56    0.00
## 2   2 M16  6   T 03/01/11     450      50.82 2261.60 -10.50 1.90   1917      6.19    0.04
## 3   3 M17  6   T 04/01/11     100      56.63 1554.30 -10.50 1.90   1882      6.94    0.15
## 4   4 M03 12  NT 11/01/11    1100      46.82  660.55 -11.40 0.00   1785      8.94    0.00
## 5   5 M04  7   T 11/01/11     850      60.02 1806.20 -11.40 0.00   1774     14.75    0.00
## 6   6 M15  6  NT 11/01/11     250      47.10  807.95 -11.40 0.00   1886     19.81    0.04
##
```

Legend

obs = this is just a sequential list of numbers to indicate the position of the rows
id = identity of marked individuals (factor);
age = age (in years) of individuals at sampling (numeric);
m.beh = mating behaviour of individuals (T = territorial; NT = nonterritorial) (factor);
date = date of sampling (numeric);
lungworms = counts of lungworm larvae (n. / gr) (numeric);
testosterone = level of testosterone metabolites (ng / g) (numeric);
cortisol = level of cortisol metabolites (ng / g) (numeric);
tmin = average minimum ambient temperature (in °C) 20-40 days before sampling (numeric);
prec = average precipitation (in mm) 20-40 days before sampling (numeric);
elev.lag = average elevation of the animals in the month prior to fecal sampling (numeric);
kde90.lag = home range size (90% kernel density) in the month prior to fecal sampling (numeric);
interactions = inter- and intrasexual interactions measured through focal sampling at 5-minute intervals (numeric).

We check if all the variables have been specified correctly.

```
summary(data.raw)
##      obs          id          age          m.beh          date
## Min.   : 1.0      M04       : 24   Min.   : 3.000   NT:186   06/03/12: 7
## 1st Qu.: 99.0     M05       : 24   1st Qu.: 6.000   T :207   01/02/11: 5
## Median :197.0     M11       : 24   Median : 7.000           05/07/12: 5
## Mean   :197.1     M13       : 24   Mean   : 7.226           07/09/12: 5
## 3rd Qu.:295.0     M08       : 23   3rd Qu.: 8.000           08/03/11: 5
## Max.   :396.0     M12       : 23   Max.   :13.000           15/07/11: 5
##      (Other):251                                     (Other) :361
## lungworms      testosterone      cortisol          tmin      prec      elev.lag      kde90.lag      interactions
## Min.   : 0.0      14.74 : 2   724.90 : 3   -1.38 : 14   1.40 : 25   Min. :1727   4.69 : 5   0.00 :260
## 1st Qu.: 0.0      15.58 : 2   762.30 : 3   -6.86 : 14   10.84 : 18   1st Qu.:1917   4.00 : 4   0.04 : 49
## Median :150.0     16.19 : 2   767.80 : 3   -7.30 : 14   0.00 : 17   Median :1999   4.63 : 4   0.08 : 23
## Mean   :331.1     19.14 : 2   985.60 : 3   -12.14 : 12   0.57 : 14   Mean :2092   4.88 : 4   0.15 : 11
## 3rd Qu.:400.0     19.60 : 2   1076.90 : 2   -3.95 : 11   1.08 : 14   3rd Qu.:2162   5.00 : 4   0.12 : 10
## Max.   :6450.0     20.79 : 2   1087.90 : 2   -6.45 : 11   9.16 : 14   Max. :2978   5.75 : 4   0.23 : 7
##      (Other):381   (Other):377   (Other):317   (Other):291   (Other):368   (Other):33
##
```

We need to redefine the position of numeric and factor variables.

```
nvars <- c(3,6:13) # Define position of numeric variables
for (i in nvars){
  data.raw[,i]<-as.numeric(as.character(data.raw[,i]))
}

fvars <- c(1,2,4,5) # Define position of factor variables
for (i in fvars){
  data.raw[,i]<-as.factor(data.raw[,i])
}

data.parasites <- na.omit(data.raw)
summary(data.parasites)
```

```

##      obs      id      age      m.beh      date
## 1      : 1  M04      : 24  Min.    : 3.000  NT:186  06/03/12: 7
## 2      : 1  M05      : 24  1st Qu.: 6.000  T :207  01/02/11: 5
## 3      : 1  M11      : 24  Median : 7.000                05/07/12: 5
## 4      : 1  M13      : 24  Mean    : 7.226                07/09/12: 5
## 5      : 1  M08      : 23  3rd Qu.: 8.000                08/03/11: 5
## 6      : 1  M12      : 23  Max.    :13.000                15/07/11: 5
## (Other):387 (Other):251                (Other) :361
##  lungworms      testosterone      cortisol      tmin
## Min.    : 0.0  Min.    : 6.62  Min.    : 22.0  Min.    :-12.1400
## 1st Qu.: 0.0  1st Qu.: 28.14  1st Qu.: 568.7  1st Qu.: -6.4500
## Median :150.0  Median : 54.91  Median : 827.2  Median : -1.3800
## Mean    :331.1  Mean    :240.52  Mean    :1201.3  Mean    :-0.2433
## 3rd Qu.:400.0  3rd Qu.:114.18  3rd Qu.:1412.4  3rd Qu.: 5.4000
## Max.    :6450.0  Max.    :8800.00  Max.    :12619.2  Max.    : 9.9500
##
##      prec      elev.lag      kde90.lag      interactions
## Min.    :0.000  Min.    :1727  Min.    : 0.38  Min.    :0.00000
## 1st Qu.:1.400  1st Qu.:1917  1st Qu.: 5.75  1st Qu.:0.00000
## Median :2.260  Median :1999  Median :11.38  Median :0.00000
## Mean    :3.561  Mean    :2092  Mean    :49.37  Mean    :0.05351
## 3rd Qu.:4.630  3rd Qu.:2162  3rd Qu.:27.00  3rd Qu.:0.04000
## Max.    :12.220  Max.    :2978  Max.    :2103.19  Max.    :0.69000
##

```

The dataset is OK.

Now we need to add the Julian date to the dataset, which will be used to test for the temporal effect.

```
library(lubridate)
```

```
data.parasites$POSIX.date <- as.POSIXlt(data.parasites$date, format = "%d/%m/%y")
```

```
data.parasites$julian.date <- (data.parasites$POSIX.date)$yday
```

```
summary(data.parasites)
```

```

##      obs      id      age      m.beh      date
## 1      : 1  M04      : 24  Min.    : 3.000  NT:186  06/03/12: 7
## 2      : 1  M05      : 24  1st Qu.: 6.000  T :207  01/02/11: 5
## 3      : 1  M11      : 24  Median : 7.000                05/07/12: 5
## 4      : 1  M13      : 24  Mean    : 7.226                07/09/12: 5
## 5      : 1  M08      : 23  3rd Qu.: 8.000                08/03/11: 5
## 6      : 1  M12      : 23  Max.    :13.000                15/07/11: 5
## (Other):387 (Other):251                (Other) :361
##
##  lungworms      testosterone      cortisol      tmin
## Min.    : 0.0  Min.    : 6.62  Min.    : 22.0  Min.    :-12.1400
## 1st Qu.: 0.0  1st Qu.: 28.14  1st Qu.: 568.7  1st Qu.: -6.4500
## Median :150.0  Median : 54.91  Median : 827.2  Median : -1.3800
## Mean    :331.1  Mean    :240.52  Mean    :1201.3  Mean    :-0.2433
## 3rd Qu.:400.0  3rd Qu.:114.18  3rd Qu.:1412.4  3rd Qu.: 5.4000
## Max.    :6450.0  Max.    :8800.00  Max.    :12619.2  Max.    : 9.9500
##
##      prec      elev.lag      kde90.lag      interactions
## Min.    :0.000  Min.    :1727  Min.    : 0.38  Min.    :0.00000
## 1st Qu.:1.400  1st Qu.:1917  1st Qu.: 5.75  1st Qu.:0.00000
## Median :2.260  Median :1999  Median :11.38  Median :0.00000
## Mean    :3.561  Mean    :2092  Mean    :49.37  Mean    :0.05351
## 3rd Qu.:4.630  3rd Qu.:2162  3rd Qu.:27.00  3rd Qu.:0.04000
## Max.    :12.220  Max.    :2978  Max.    :2103.19  Max.    :0.69000
##
##      POSIX.date      julian.date
## Min.    :2011-01-03 00:00:00  Min.    : 1.0
## 1st Qu.:2011-06-24 00:00:00  1st Qu.: 81.0
## Median :2011-12-20 00:00:00  Median :178.0
## Mean    :2011-12-17 05:09:09  Mean    :175.6
## 3rd Qu.:2012-06-10 00:00:00  3rd Qu.:270.0
## Max.    :2012-12-27 00:00:00  Max.    :362.0

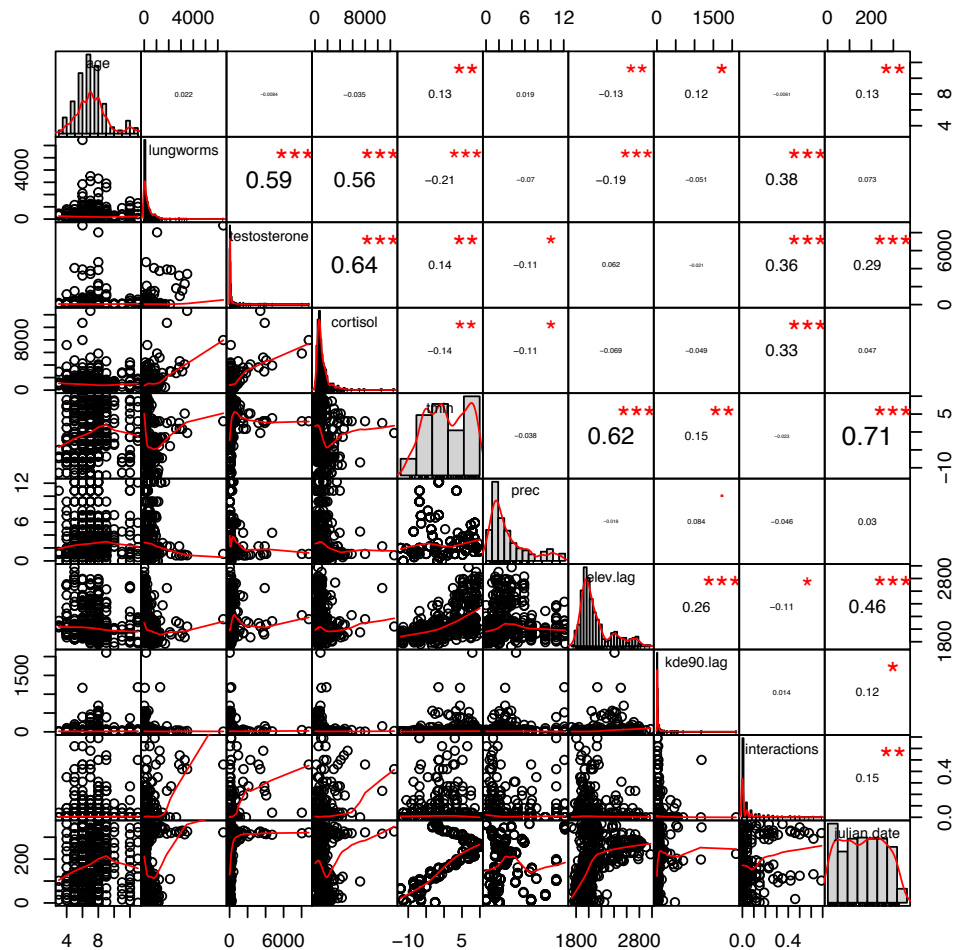
```

4. Inspect data

4.1 Linearity of relationships and collinearity issues

```
library(PerformanceAnalytics)
```

```
chart.Correlation(data.parasites[, c(3,6:13,15)], histogram=TRUE, pch=19)
```



No major issue of collinearity is present, as correlation coefficients are < 0.7 , except for $\text{julian.date} \sim \text{tmin}$. We note that there is a clear pattern in the $\text{julian.date} \sim \text{tmin}$ panel. It shows a sinusoidal pattern reflecting the seasonal temperature pattern. In the cold months, minimum temperature is lower than in the summer, but we also have higher parasite emission when the temperature is lower. This suggests that we should either use julian.date as an explanatory variable or tmin , but not both, as they reflect the same ecological effect (Zuur et al. 2007). Because we want to explicitly model temporal changes, we will use julian.date instead of tmin .

Then, we inspect more closely the bivariate relationships between the response variable and different predictors. Some predictors (testosterone , cortisol , kde90.lag) show unusually high values. Thus, they have been Log_{10} -transformed to down-weight the influence of extreme datapoints.

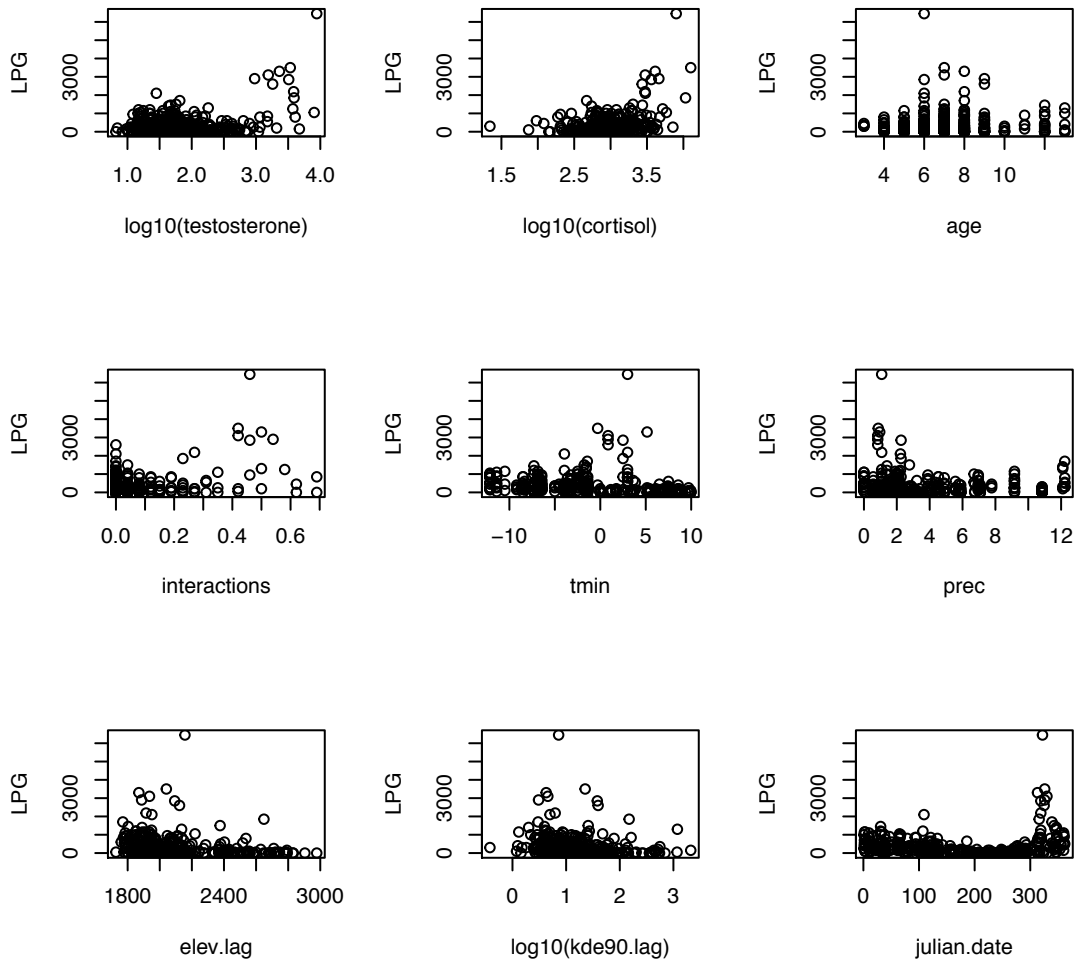
```
par(mfrow=c(3,3))
```

```
plot(log10(data.parasites$testosterone),data.parasites$lungworms,xlab="log10(testosterone)",ylab="LPG")  
plot(log10(data.parasites$cortisol),data.parasites$lungworms,xlab="log10(cortisol)",ylab="LPG")  
plot(data.parasites$age,data.parasites$lungworms,xlab="age",ylab="LPG")  
plot(data.parasites$interactions,data.parasites$lungworms,xlab="interactions",ylab="LPG")  
plot(data.parasites$tmin,data.parasites$lungworms,xlab="tmin",ylab="LPG")
```

```

plot(data.parasites$prec,data.parasites$lungworms,xlab="prec",ylab="LPG")
plot(data.parasites$elev.lag,data.parasites$lungworms,xlab="elev.lag",ylab="LPG")
plot(log10(data.parasites$kde90.lag),data.parasites$lungworms,xlab="log10(kde90.lag)",ylab="LPG")
plot(data.parasites$julian.date,data.parasites$lungworms,xlab="julian.date",ylab="LPG")

```



The graphs suggest widespread non-linearity in the relationships between lungworm counts and predictors. We also inspect the tactic-specific variations in all the predictors (Fig. 1).

```

data.parasites$month <- month(data.parasites$POSIX.date) # add month to dataset
head(data.parasites)

# We first need to summarize the variables.
# The following function "summarySE" gives count, mean, standard deviation, standard error of the mean,
# and confidence interval (default 95%).
# data: a data frame.
# measurevar: the name of a column that contains the variable to be summarized
# groupvars: a vector containing names of columns that contain grouping variables
# na.rm: a boolean that indicates whether to ignore NA's
# conf.interval: the percent range of the confidence interval (default is 95%)
summarySE <- function(data=NULL, measurevar, groupvars=NULL, na.rm=FALSE,
                      conf.interval=.95, .drop=TRUE) {
  library(plyr)
  # New version of length which can handle NA's: if na.rm=T, don't count them
  length2 <- function(x, na.rm=FALSE) {
    if (na.rm) sum(!is.na(x))

```

```

else      length(x)
}
# This does the summary. For each group's data frame, return a vector with
# N, mean, and sd
datac <- ddply(data, groupvars, .drop=.drop,
  .fun = function(xx, col) {
    c(N      = length2(xx[[col]], na.rm=na.rm),
      mean = mean  (xx[[col]], na.rm=na.rm),
      sd   = sd    (xx[[col]], na.rm=na.rm)
    )
  },
  measurevar
)
# Rename the "mean" column
datac <- rename(datac, c("mean" = measurevar))
datac$se <- datac$sd / sqrt(datac$N) # Calculate standard error of the mean
# Confidence interval multiplier for standard error
# Calculate t-statistic for confidence interval:
# e.g., if conf.interval is .95, use .975 (above/below), and use df=N-1
ciMult <- qt(conf.interval/2 + .5, datac$N-1)
datac$ci <- datac$se * ciMult
return(datac)
}

# summarize variables
lungworms.sum <- summarySE(data.parasites, measurevar="lungworms", groupvars=c("m.beh", "month"))
age.sum <- summarySE(data.parasites, measurevar="age", groupvars=c("m.beh", "month"))
testo.sum <- summarySE(data.parasites, measurevar="testosterone", groupvars=c("m.beh", "month"))
cortisol.sum <- summarySE(data.parasites, measurevar="cortisol", groupvars=c("m.beh", "month"))
interactions.sum <- summarySE(data.parasites, measurevar="interactions", groupvars=c("m.beh", "month"))
elev.lag.sum <- summarySE(data.parasites, measurevar="elev.lag", groupvars=c("m.beh", "month"))
kde90.lag.sum <- summarySE(data.parasites, measurevar="kde90.lag", groupvars=c("m.beh", "month"))
tmin.sum <- summarySE(data.parasites, measurevar="tmin", groupvars=c("month"))
prec.sum <- summarySE(data.parasites, measurevar="prec", groupvars=c("month"))

```

We plot Figure 1.

```

library(ggplot2)
pd <- position_dodge(0.2)

age.plot <- ggplot(age.sum, aes(x=m.beh, y=age, group=1, colour=m.beh)) +
  theme_linedraw() +
  theme(panel.background=element_blank(), panel.grid.major=element_blank(), panel.grid.minor=element_blank()) +
  geom_errorbar(width=.1, aes(ymin=age-ci, ymax=age+ci), colour="black") +
  geom_point(shape=21, size=3, fill="white") +
  annotation_custom(grobTree(textGrob("A", x=0.025, y=0.95, hjust=0,
    gp=gpar(col="black", fontsize=12)))) +
  xlab("Mating behaviour") +
  ylab("Age (in years)") +
  scale_y_continuous(limits = c(6.5, 7.75), breaks=c(6.5, 7.0, 7.5)) +
  theme(legend.position="NULL")

interactions.plot <- ggplot(interactions.sum, aes(x=month, y=interactions, colour=m.beh, group=m.beh)) +
  theme_linedraw() +
  theme(panel.background=element_blank(), panel.grid.major=element_blank(), panel.grid.minor=element_blank()) +
  geom_errorbar(aes(ymin=interactions-se, ymax=interactions+se), colour="black", width=.1, position=pd) +
  geom_line(position=pd) +
  geom_point(position=pd, size=3, shape=21, fill="white") +
  annotation_custom(grobTree(textGrob("B", x=0.025, y=0.95, hjust=0,
    gp=gpar(col="black", fontsize=12)))) +
  xlab("Month") +
  ylab("Interactions (proportion of time)") +
  scale_colour_hue(name="Mating behaviour",
    breaks=c("T", "NT"),
    labels=c("Territorial", "Nonterritorial")) +
  scale_x_continuous(limits = c(0.9,12.1), breaks=c(1,2,3,4,5,6,7,8,9,10,11,12)) +
  theme(legend.position=c(0.25, 0.8))

```



```

testo.plot <- ggplot(testo.sum, aes(x=month, y=testosterone, colour=m.beh, group=m.beh)) +
  theme_linedraw() +
  theme(panel.background=element_blank(), panel.grid.major=element_blank(), panel.grid.minor=element_blank()) +
  geom_errorbar(aes(ymin=testosterone-se, ymax=testosterone+se), colour="black", width=.1, position=pd) +
  geom_line(position=pd) +
  geom_point(position=pd, size=3, shape=21, fill="white") +
  annotation_custom(grobTree(textGrob("C", x=0.025, y=0.95, hjust=0,
                                     gp=gpar(col="black", fontsize=12)))) +
  xlab("Month") +
  ylab("Testosterone metabolites (ng/g)") +
  scale_colour_hue(name="Mating behaviour",
                  breaks=c("T", "NT"),
                  labels=c("Territorial", "Nonterritorial")) +
  scale_x_continuous(limits = c(0.9,12.1), breaks=c(1,2,3,4,5,6,7,8,9,10,11,12)) +
  theme(legend.position=c(0.25, 0.8))

cortisol.plot <- ggplot(cortisol.sum, aes(x=month, y=cortisol, colour=m.beh, group=m.beh)) +
  theme_linedraw() +
  theme(panel.background=element_blank(), panel.grid.major=element_blank(), panel.grid.minor=element_blank()) +
  geom_errorbar(aes(ymin=cortisol-se, ymax=cortisol+se), colour="black", width=.1, position=pd) +
  geom_line(position=pd) +
  geom_point(position=pd, size=3, shape=21, fill="white") +
  annotation_custom(grobTree(textGrob("D", x=0.025, y=0.95, hjust=0,
                                     gp=gpar(col="black", fontsize=12)))) +
  xlab("Month") +
  ylab("Cortisol metabolites (ng/g)") +
  scale_colour_hue(name="Mating behaviour",
                  breaks=c("T", "NT"),
                  labels=c("Territorial", "Nonterritorial")) +
  scale_x_continuous(limits = c(0.9,12.1), breaks=c(1,2,3,4,5,6,7,8,9,10,11,12)) +
  theme(legend.position=c(0.25, 0.8))

elev.lag.plot <- ggplot(elev.lag.sum, aes(x=month, y=elev.lag, colour=m.beh, group=m.beh)) +
  theme_linedraw() +
  theme(panel.background=element_blank(), panel.grid.major=element_blank(), panel.grid.minor=element_blank()) +
  geom_errorbar(aes(ymin=elev.lag-se, ymax=elev.lag+se), colour="black", width=.1, position=pd) +
  geom_line(position=pd) +
  geom_point(position=pd, size=3, shape=21, fill="white") +
  annotation_custom(grobTree(textGrob("E", x=0.025, y=0.95, hjust=0,
                                     gp=gpar(col="black", fontsize=12)))) +
  xlab("Month") +
  ylab("1-month lagged elevation (in m)") +
  scale_colour_hue(name="Mating behaviour",
                  breaks=c("T", "NT"),
                  labels=c("Territorial", "Nonterritorial")) +
  scale_x_continuous(limits = c(0.9,12.1), breaks=c(1,2,3,4,5,6,7,8,9,10,11,12)) +
  theme(legend.position=c(0.25, 0.8))

kde90.lag.plot <- ggplot(kde90.lag.sum, aes(x=month, y=kde90.lag, colour=m.beh, group=m.beh)) +
  theme_linedraw() +
  theme(panel.background=element_blank(), panel.grid.major=element_blank(), panel.grid.minor=element_blank()) +
  geom_errorbar(aes(ymin=kde90.lag-se, ymax=kde90.lag+se), colour="black", width=.1, position=pd) +
  geom_line(position=pd) +
  geom_point(position=pd, size=3, shape=21, fill="white") +
  annotation_custom(grobTree(textGrob("F", x=0.025, y=0.95, hjust=0,
                                     gp=gpar(col="black", fontsize=12)))) +
  xlab("Month") +
  ylab("1-month lagged Home range (in ha)") +
  scale_colour_hue(name="Mating behaviour",
                  breaks=c("T", "NT"),
                  labels=c("Territorial", "Nonterritorial")) +
  scale_x_continuous(limits = c(0.9,12.1), breaks=c(1,2,3,4,5,6,7,8,9,10,11,12)) +
  theme(legend.position=c(0.25, 0.8))

tmin.plot <- ggplot(tmin.sum, aes(x=month, y=tmin, group=1)) +
  theme_linedraw() +
  theme(panel.background=element_blank(), panel.grid.major=element_blank(), panel.grid.minor=element_blank()) +
  geom_errorbar(aes(ymin=tmin-se, ymax=tmin+se), colour="black", width=.1, position=pd) +
  geom_line() +

```

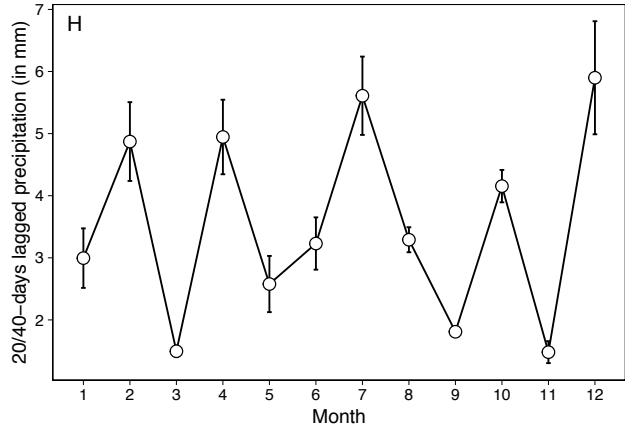
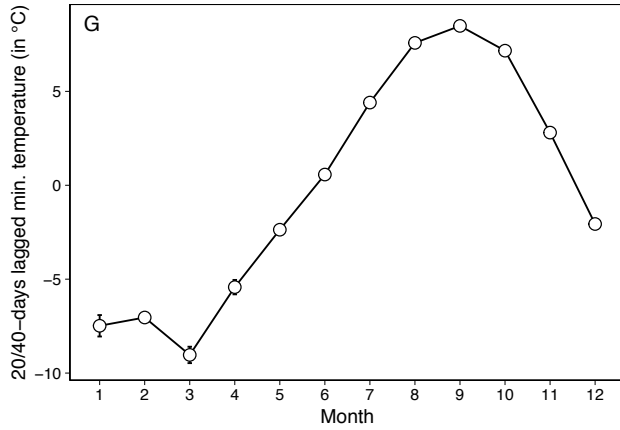
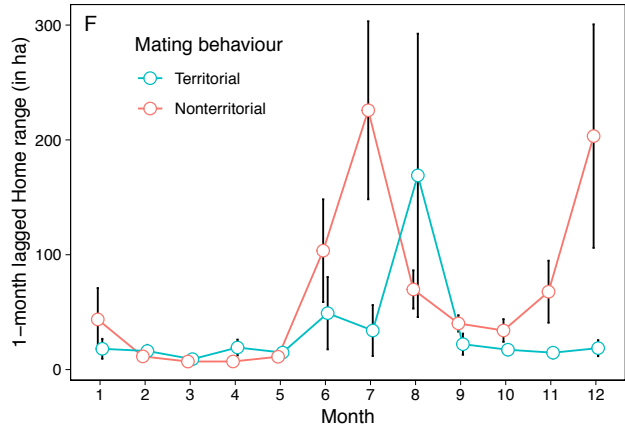
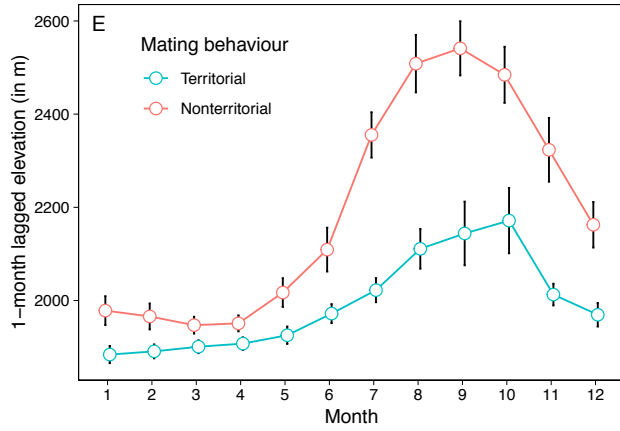
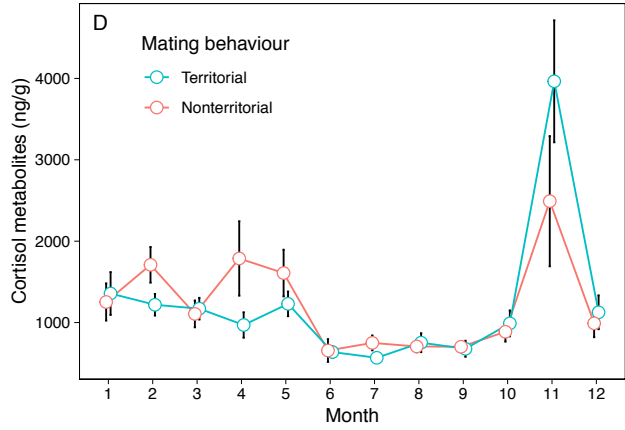
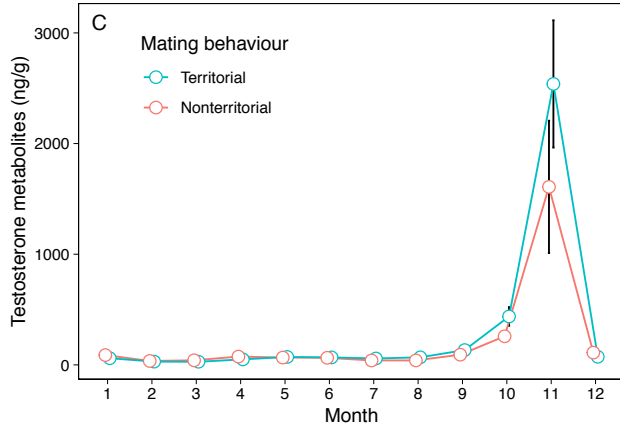
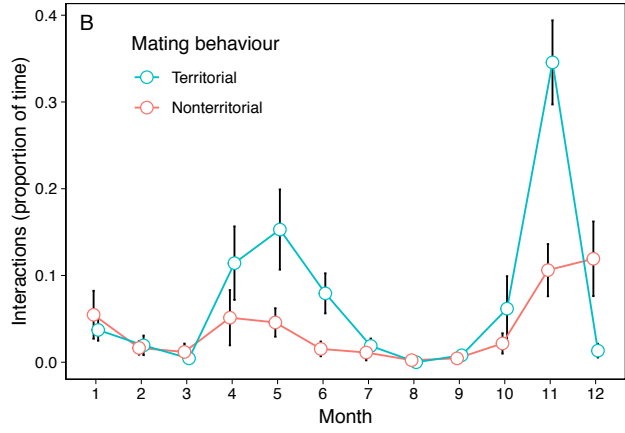
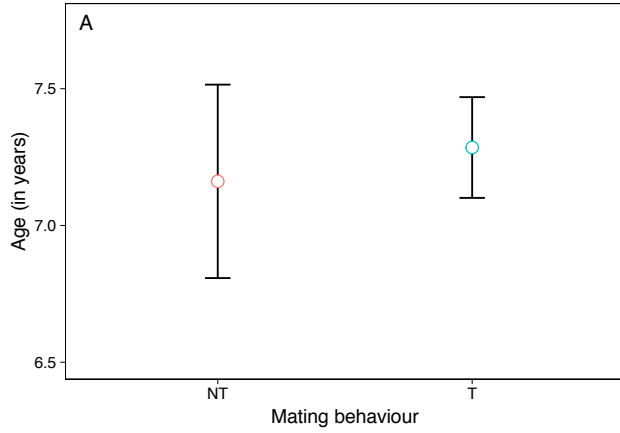
```

geom_point(size=3, shape=21, fill="white") +
annotation_custom(grobTree(textGrob("G", x=0.025, y=0.95, hjust=0,
                                   gp=gpar(col="black", fontsize=12)))) +
xlab("Month") +
ylab("20/40-days lagged min. temperature (in °C)") +
scale_x_continuous(limits = c(0.9,12.1), breaks=c(1,2,3,4,5,6,7,8,9,10,11,12))

prec.plot <- ggplot(prec.sum, aes(x=month, y=prec, group=1)) +
  theme_linedraw() +
  theme(panel.background=element_blank(), panel.grid.major=element_blank(), panel.grid.minor=element_blank()) +
  geom_errorbar(aes(ymin=prec-se, ymax=prec+se), colour="black", width=.1, position=pd) +
  geom_line() +
  geom_point(size=3, shape=21, fill="white") +
  annotation_custom(grobTree(textGrob("H", x=0.025, y=0.95, hjust=0,
                                   gp=gpar(col="black", fontsize=12)))) +
  xlab("Month") +
  ylab("20/40-days lagged precipitation (in mm)") +
  scale_x_continuous(limits = c(0.9,12.1), breaks=c(1,2,3,4,5,6,7,8,9,10,11,12))

library(gridExtra)
grid.arrange(age.plot, interactions.plot,
             testo.plot, cortisol.plot,
             elev.lag.plot, kde90.lag.plot,
             tmin.plot, prec.plot, nrow=4)

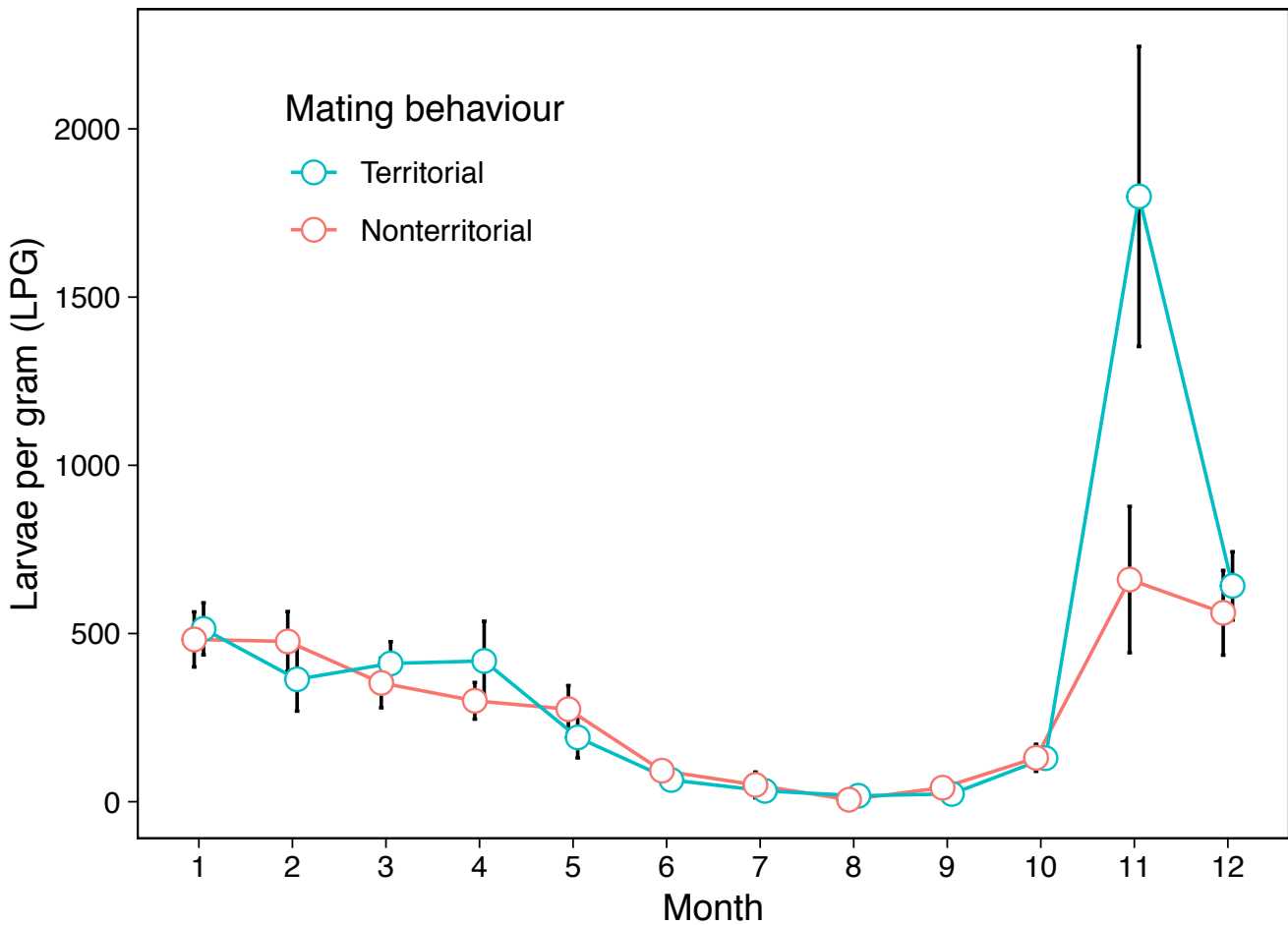
```



Then we plot Figure 2 (the tactic-specific monthly patterns of larvae per gram (LPG) in territorial (T) and nonterritorial (NT) male chamois).

```
lungworms.plot <- ggplot(lungworms.sum, aes(x=month, y=lungworms, colour=m.beh, group=m.beh)) +  
  theme_linedraw() +  
  theme(panel.background=element_blank(),panel.grid.major=element_blank(),panel.grid.minor=element_blank()) +  
  geom_errorbar(aes(ymin=lungworms-se, ymax=lungworms+se), colour="black", width=.1, position=pd) +  
  geom_line(position=pd) +  
  geom_point(position=pd, size=3, shape=21, fill="white") +  
  xlab("Month") +  
  ylab("Larvae per gram (LPG)") +  
  scale_colour_hue(name="Mating behaviour",  
    breaks=c("T", "NT"),  
    labels=c("Territorial", "Nonterritorial")) +  
  scale_x_continuous(limits = c(0.9,12.1), breaks=c(1,2,3,4,5,6,7,8,9,10,11,12)) +  
  theme(legend.position=c(0.25, 0.8))
```

lungworms.plot



4.2 Overdispersion and zero-inflation

We first fit a Poisson model.

```
library(glmTMB)
fit <- glmTMB(lungworms ~ m.beh+scale(age)+scale(interactions)+
             scale(log10(testosterone))+scale(log10(cortisol))+
             scale(tmin)+scale(perc)+
             scale(log10(kde90.lag))+scale(elev.lag)+
             (1|id),
             data = data.parasites,
             ziformula = ~0,
             family=poisson())

library(sjstats)
overdisp(fit) # overdispersion
zero_count(fit) # difference in zero counts
##
## # Overdispersion test
##
##      dispersion ratio = 261.0702
##  Pearson's Chi-Squared = 99728.8038
##      p-value = 0.0000
## Overdispersion detected.
##
## # Zero-Count overfitting
##
##  Observed zero-counts: 117
##  Predicted zero-counts: 0
##      Ratio: 0.00
## Model is underfitting zero-counts (probable zero-inflation).
```

The tests indicate issues of overdispersion and zero-inflation.

5. Modelling

In our model we have to account for the correlation among larval counts that stemmed from multiple sampling of the same individuals over time, and for non-linearity in some predictor-response relationships revealed by exploratory analysis.

Given these issues, and considering the problem of overdispersion and zero-inflation, the change in larval counts was investigated fitting a generalized additive mixed model (GAMM), using the package ‘gamlss’. We assumed a negative binomial distribution and allowed for zero-inflation (i.e., zero-inflated negative binomial distribution).

In all models, the method used for selecting the smoother was “ML”.

```
library(gamlss)
```

5.1 Model fitting

We start by fitting a ‘null’ GAMM, i.e., we model larval counts simply as a function of Julian date grouped by mating behavior (T vs. NT). This model can be thought of as the ‘pure’ relationship between larval count and Julian date in ARTs.

In the ‘null’ model, the number of equally spaced interval between the minimum and the maximum values of x used for the creation of splines was reduced to 6.55, as the default number (20) appears to overfit. ‘inter = 6.55’ returned the lowest value for the Bayesian Criterion (SBC = 4378.491).

```
mod.null.lungworms<-gamlss(lungworms ~ pvc(julian.date,by=m.beh,inter=6.55) +
                          random(id),
                          data=data.parasites,
                          family=ZINBI,
                          method=CG(300))
```

We then model larval counts by fitting a 'global' GAMM that includes all the available variables, except tmin.

```
mod.tot.lungworms<-gamlss(lungworms ~ pvc(julian.date,by=m.beh) +
  pb(age) + pb(interactions) +
  pb(log10(testosterone)) + pb(log10(cortisol)) +
  pb(log10(kde90.lag)) + pb(elev.lag) +
  pb(prec) +
  random(id),
  data=data.parasites,
  family=ZINBI,
  method=CG(1000),normalize=TRUE)
```

We perform a model selection on the 'global' model using an AIC-based stepwise procedure, to obtain a 'final' GAMM.

```
mod.selection.lungworms <- stepGAIC(mod.tot.lungworms)
```

We re-fit the 'final' model selected through stepwise.

This model can be thought of as the 'leftover' effect of Julian date after accounting for the explanatory effect of the selected predictors.

```
mod.final.lungworms<-gamlss(lungworms ~ pvc(julian.date,by=m.beh) +
  pb(age) + pb(interactions) +
  pb(log10(testosterone)) + pb(log10(cortisol)) +
  pb(prec) +
  random(id),
  data=data.parasites,
  family=ZINBI,
  method=CG(300))
```

```
summary(mod.final.lungworms)
```

```
## *****
## Family: c("ZINBI", "Zero inflated negative binomial type I")
##
## Call: gamlss(formula = lungworms ~ pvc(julian.date, by = m.beh) +
##   pb(age) + pb(interactions) + pb(log10(testosterone)) +
##   pb(log10(cortisol)) + pb(prec) + random(id), family = ZINBI,
##   data = data.parasites, method = CG(300))
##
## Fitting method: CG(300)
##
## -----
## Mu link function: log
## Mu Coefficients:
##
##           Estimate Std. Error t value Pr(>|t|)
## (Intercept) -2.81009    0.35953  -7.816 6.46e-14 ***
## pb(age)      0.14767    0.01870   7.898 3.71e-14 ***
## pb(interactions)  0.30777    0.33914   0.908  0.365
## pb(log10(testosterone)) 0.82988    0.07499  11.066 < 2e-16 ***
## pb(log10(cortisol))  1.94965    0.11438  17.045 < 2e-16 ***
## pb(prec)      0.05981    0.01135   5.269 2.41e-07 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## -----
## Sigma link function: log
## Sigma Coefficients:
##           Estimate Std. Error t value Pr(>|t|)
## (Intercept) -1.04501    0.08147  -12.83 <2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
##
##
##
##
```

```

## -----
## Nu link function: logit
## Nu Coefficients:
##           Estimate Std. Error t value Pr(>|t|)
## (Intercept) -0.8579    0.1103  -7.776 8.46e-14 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## -----
## NOTE: Additive smoothing terms exist in the formulas:
## i) Std. Error for smoothers are for the linear effect only.
## ii) Std. Error for the linear terms maybe are not accurate.
## -----
## No. of observations in the fit: 393
## Degrees of Freedom for the fit: 43.24886
## Residual Deg. of Freedom: 349.7511
## at cycle: 96
##
## Global Deviance: 4093.103
## AIC: 4179.601
## SBC: 4351.463
## *****

```

We adjust the significance level for the maximum number of steps in the stepwise selection (Bonferroni correction).

```

p_value_threshold <- 0.05 / factorial(9)
p_value_threshold
## [1] 1.377866e-07

```

Faecal larval counts were positively related to hormone metabolites through non-linear relationships, and to age through a linear relationship. Interactions and precipitation were not significant.

We calculate the pseudo- R^2 of the final model.

```

Rsquared(mod.final.lungworms)
## [1] 0.57

```

We also calculate the pseudo- R^2 (Nagelkerke's generalized R-squared) of the model fitted without random term, to explore the improvement of the model's fit when the random term is included.

```

mod.final.lungworms.no.random <- gamlss(lungworms ~ pvc(julian.date, by=m.beh) +
  pb(age) + pb(interactions) +
  pb(log10(testosterone)) + pb(log10(cortisol)) +
  pb(prec)),
  data=data.parasites,
  family=ZINBI,
  method=CG(300))
Rsquared(mod.final.lungworms.no.random)
## [1] 0.45

```

5.2 Model diagnostic

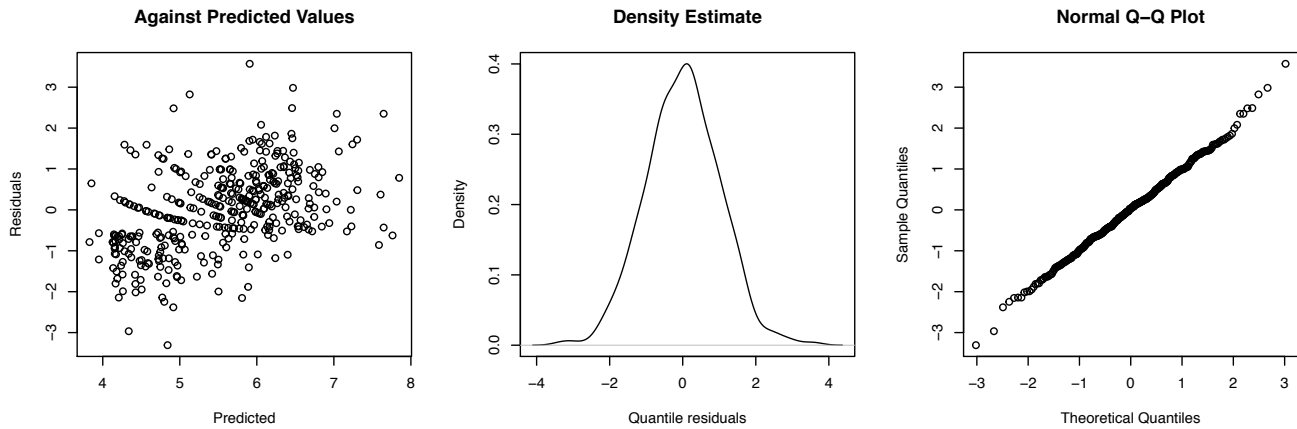
We check the diagnostics of the 'null' and the 'final' models using plots of residuals against predicted values, density estimates of residuals, normal qq-plot, summaries of the randomized quantile residuals, and wormplots.

Null model

```

par(mfrow=c(1,3))
plot(predict(mod.null.lungworms), resid(mod.null.lungworms), xlab="Predicted", ylab="Residuals", main="Against Predicted Values")
plot(density(resid(mod.final.lungworms)), main="Density Estimate", xlab="Quantile residuals")
qqnorm(resid(mod.final.lungworms))

```



The plots above appear to suggest reasonable behavior, albeit with some area of misfit. We thus have a look at the summary statistics.

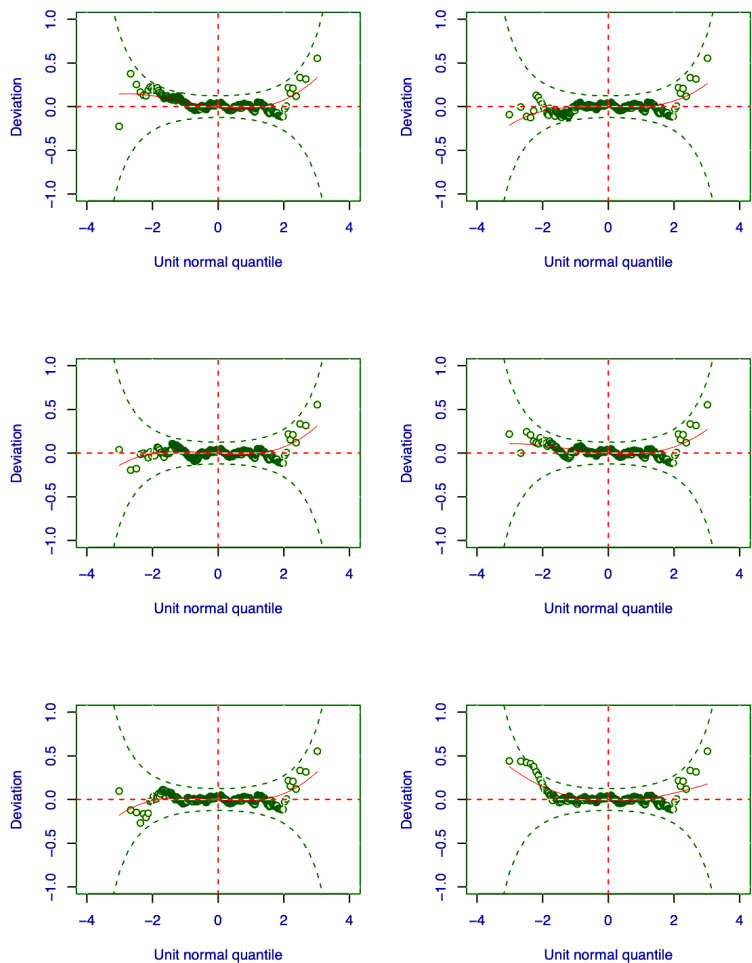
```
plot(mod.null.lungworms)
```

```
*****
      Summary of the Randomised Quantile Residuals
              mean = 0.007759012
              variance = 1.009343
              coef. of skewness = 0.05218517
              coef. of kurtosis = 3.306742
Filliben correlation coefficient = 0.9985132
*****
```

The summary statistics for the quantile residuals shows that the mean is nearly zero, the variance is nearly 1, the coefficient of skewness is near 0, and the coefficient of kurtosis is near 3. The statistics therefore suggest that the residuals are approximately normally distributed. Furthermore, the Filliben coefficient of correlation (i.e., the normal probability plot correlation coefficient) is near 1.

As a final model diagnostic tool, we use a wormplot. In `gamlss`, when the distribution of the response variable is discrete, it is advisable to use the function `rqres.plot`, which creates multiple realizations of the normalized randomized quantile residuals (Stasinopoulos et al. 2017).

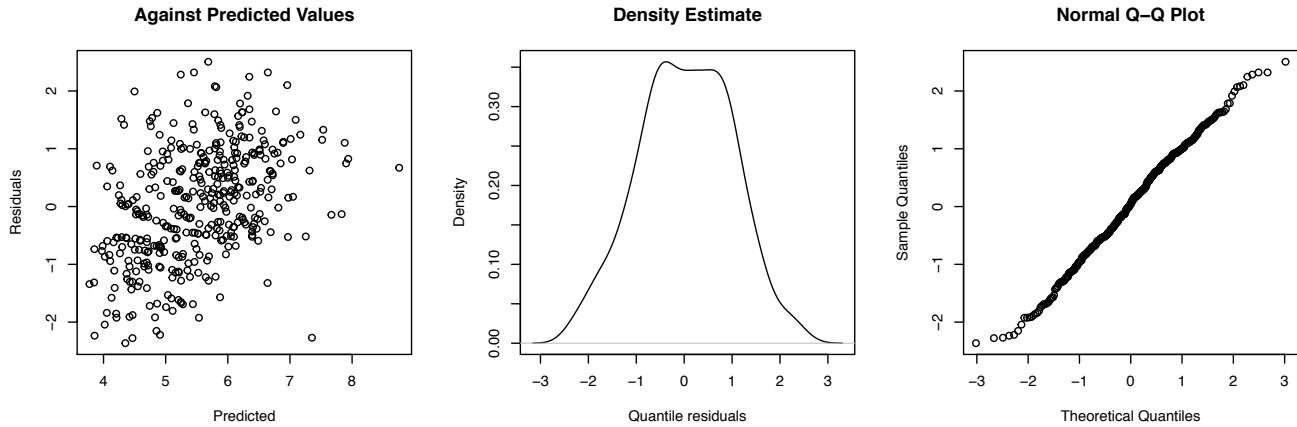
```
rqres.plot(mod.null.lungworms, ylim.all=TRUE)
```



All six realizations show reasonable behavior.

Final model

```
par(mfrow=c(1,3))
plot(predict(mod.final.lungworms),resid(mod.final.lungworms),xlab="Predicted",ylab="Residuals",main="Against Predicted Values")
plot(density(resid(mod.final.lungworms)),main="Density Estimate",xlab="Quantile residuals")
qqnorm(resid(mod.final.lungworms))
```



The plots above appear to suggest reasonable behavior, albeit with some area of misfit, possibly related to issues of kurtosis/skewness due to extreme values? We thus have a look at the summary statistics.

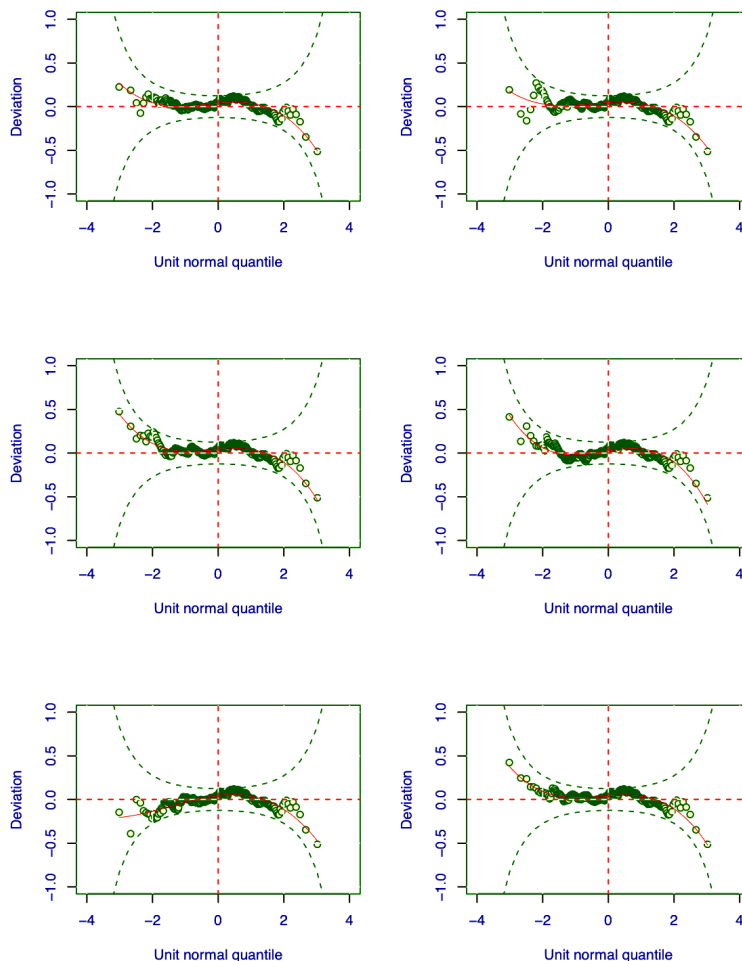
```
plot(mod.final.lungworms)
```

```
*****
Summary of the Randomised Quantile Residuals
      mean = 0.007155068
      variance = 1.010711
      coef. of skewness = -0.1667212
      coef. of kurtosis = 2.727381
Filliben correlation coefficient = 0.9976762
*****
```

The summary statistics for the quantile residuals shows that the mean is nearly zero, the variance is nearly 1, the coefficient of skewness is near 0, and the coefficient of kurtosis is near 3. The statistics therefore suggest that the residuals are approximately normally distributed. Furthermore, the Filliben coefficient of correlation (i.e., the normal probability plot correlation coefficient) is near 1.

As a final model diagnostic tool, we use a wormplot. In gamlss, when the distribution of the response variable is discrete, it is advisable to use the function `rqres.plot`, which creates multiple realizations of the normalized randomized quantile residuals (Stasinopoulos et al. 2017).

```
rqres.plot(mod.final.lungworms, ylim.all=TRUE)
```



All six realizations show reasonable behavior.

6. Plot model results

We plot the results of the ‘null’ and ‘final’ models. First, we need to extract temporal fitted values (mean and variance) from both models. Then we calculate the 95% confidence interval and include the mean fitted values and confidence intervals in the original dataset. We repeat the procedure for the “null” and the “final” model.

```
fit.null.lungworms <- as.data.frame(mod.null.lungworms$mu.s)
var.null.lungworms <- as.data.frame(mod.null.lungworms$mu.var)
data.parasites$jd.beh.null.lungworms <- fit.null.lungworms$`pvc(julian.date, by = m.beh, inter = 6.55)`
data.parasites$jd.beh.up.ci.null.lungworms <- data.parasites$jd.beh.null.lungworms +
  1.96*(sqrt((var.null.lungworms$`pvc(julian.date, by=m.beh, inter=6.55)`)))
data.parasites$jd.beh.lw.ci.null.lungworms <- data.parasites$jd.beh.null.lungworms -
  1.96*(sqrt((var.null.lungworms$`pvc(julian.date, by=m.beh, inter=6.55)`)))
```

```

fit.final.lungworms <- as.data.frame(mod.final.lungworms$mu.s)
var.final.lungworms <- as.data.frame(mod.final.lungworms$mu.var)
data.parasites$jd.beh.final.lungworms<-fit.final.lungworms`pvc(julian.date, by = m.beh)`
data.parasites$jd.beh.up.ci.final.lungworms<-data.parasites$jd.beh.final.lungworms+
  1.96*(sqrt((var.final.lungworms$`pvc(julian.date,by=m.beh)`)))
data.parasites$jd.beh.lw.ci.final.lungworms<-data.parasites$jd.beh.final.lungworms-
  1.96*(sqrt((var.final.lungworms$`pvc(julian.date,by=m.beh)`)))

```

6.1 Figure 3

The figure shows the relationship between Julian date and faecal larval counts in territorial (T) and nonterritorial (NT) male chamois. In A, plain ('pure') effect of Julian date on larvae per gram. In B, 'leftover' effect of Julian date after controlling for the explanatory effects of testosterone and cortisol metabolites, age, interactions and precipitation. Vertical lines indicate the onset of territoriality (April to mid-May) and the rutting period (early November – early December).

library(ggplot2)

```

null.model.effect.lungworms <- ggplot(data.parasites,aes(x=julian.date,y=jd.beh.null.lungworms,col=m.beh)) +
  theme_bw() +
  theme(panel.grid.major=element_blank(),panel.grid.minor=element_blank()) +
  coord_cartesian(xlim=c(0,365),ylim=c(-2.5,2.5)) +
  geom_ribbon(aes(ymin=jd.beh.lw.ci.null.lungworms,ymax=jd.beh.up.ci.null.lungworms,fill=m.beh),
            alpha=0.50,colour=NA) +

  scale_fill_manual(values=c("blue","green")) +
  scale_color_manual(values=c(T="black",NT="black")) +
  geom_line(aes(julian.date,jd.beh.null.lungworms,linetype=m.beh)) +
  geom_vline(xintercept=c(90,135,310,340), linetype=1, col="red", cex=0.25) +
  xlab("Julian date") +
  ylab("Partial for pvc(Julian date,by=Mating behaviour)") +
  scale_x_continuous(limits=c(0,365),breaks=c(0,50,100,150,200,250,300,350)) +
  scale_y_continuous(limits=c(-2.5,2.5),breaks=c(-2,-1,0,1,2)) +
  annotate("text",x=0,y=2.4,label="A",color="black",angle=0) +
  annotate("text",x=112, y = -1.75, label = "Territoriality onset", color="red", angle = 90) +
  annotate("text",x=325, y = -1.75, label = "Rut", color="red", angle = 90) +
  theme(legend.position="right") +
  theme(legend.title = element_blank())

```

```

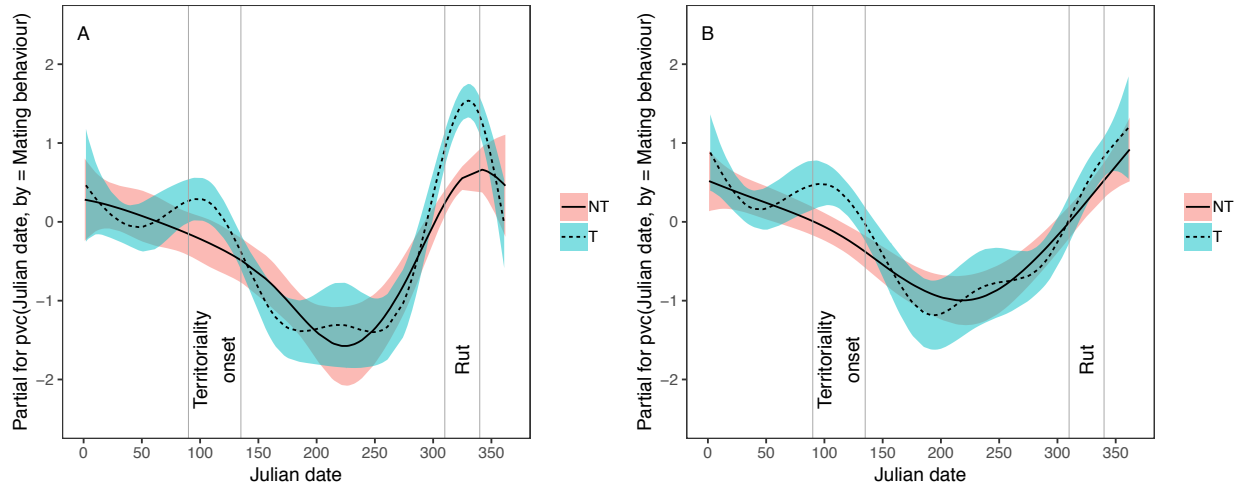
final.model.effect.lungworms <- ggplot(data.parasites,aes(x=julian.date,y=jd.beh.final.lungworms,col=m.beh)) +
  theme_bw() +
  theme(panel.grid.major=element_blank(),panel.grid.minor=element_blank()) +
  coord_cartesian(xlim=c(0,365),ylim=c(-2.5,2.5)) +
  geom_ribbon(aes(ymin=jd.beh.lw.ci.final.lungworms,ymax=jd.beh.up.ci.final.lungworms,fill=m.beh),
            alpha=0.50,colour=NA) +

  scale_fill_manual(values=c("blue","green")) +
  scale_color_manual(values=c(T="black",NT="black")) +
  geom_line(aes(julian.date,jd.beh.final.lungworms,linetype=m.beh)) +
  geom_vline(xintercept=c(90,135,310,340), linetype=1, col="red", cex=0.25) +
  xlab("Julian date") +
  ylab("Partial for pvc(Julian date,by=Mating behaviour)") +
  scale_x_continuous(limits=c(0,365),breaks=c(0,50,100,150,200,250,300,350)) +
  scale_y_continuous(limits=c(-2.5,2.5),breaks=c(-2,-1,0,1,2)) +
  annotate("text",x=0,y=2.4,label="A",color="black",angle=0) +
  annotate("text",x=112, y = -1.75, label = "Territoriality onset", color="red", angle = 90) +
  annotate("text",x=325, y = -1.75, label = "Rut", color="red", angle = 90) +
  theme(legend.position="right") +
  theme(legend.title = element_blank())

```

library(gridExtra)

```
grid.arrange(null.model.effect.lungworms, final.model.effect.lungworms, nrow=1)
```



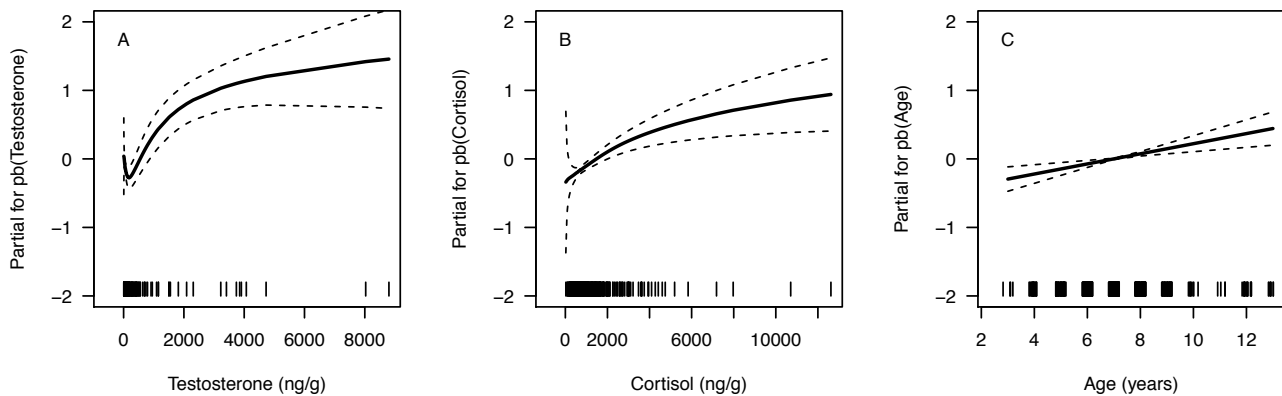
6.2 Figure 4

The figure shows the relationships between faecal larval counts and (A) testosterone, (B) cortisol and (C) age in male chamois.

```

par(mfrow=c(1,3))
par(las=1)
# testosterone
termpart(mod.final.lungworms, se = TRUE, terms = "pb(log10(testosterone))",
  rug=TRUE, col.term = "black", lwd.term = 2, ylim = c(-2,2),
  col.se = "black", lty.se = 2, lwd.se = 1, cex = 1, pch = par("pch"),
  span.smth = 2/3, xlab = "Testosterone (ng/g)", ylab = "Partial for pb(Testosterone)", main = NULL)
text(0, 1.75, "A")
# cortisol
termpart(mod.final.lungworms, se = TRUE, terms = "pb(log10(cortisol))",
  rug=TRUE, col.term = "black", lwd.term = 2, ylim = c(-2,2),
  col.se = "black", lty.se = 2, lwd.se = 1, cex = 1, pch = par("pch"),
  span.smth = 2/3, xlab = "Cortisol (ng/g)", ylab = "Partial for pb(Cortisol)", main = NULL)
text(0, 1.75, "B")
# age
termpart(mod.final.lungworms, se = TRUE, terms = "pb(age)",
  rug=TRUE, col.term = "black", lwd.term = 2, ylim = c(-2,2),
  col.se = "black", lty.se = 2, lwd.se = 1, cex = 1, pch = par("pch"),
  span.smth = 2/3, xlab = "Age (years)", ylab = "Partial for pb(Age)", main = NULL)
text(3, 1.75, "C")

```



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