Supplemental Material

Video captions

- **Video S1**. Growth of attached *S. aureus* (green) in a control experiment without added neutrophils (4 h).
- **Video S2**. *S. aureus* biofilm growth visualized by brightfield microscopy from time *t* = 0.5 to 8 hours in 10% serum. This is the same field of view as Video S3.
- **Video S3**. *S. aureus* biofilm growth visualized by overlaid brightfield and fluorescence
- microscopy from time *t* = 0.5 to 8 hours in 10% serum. Green fluorescence consistently overlaps
- all bacterial biomass (Video S2) indicating retention of the GFP-encoding plasmid.
- **Video S4**. Interaction of neutrophils (red) with attached *S. aureus* (green) at an intermediate
- neutrophil density of \sim 3000 per cm⁻² and N:B ratio of 0.24 (4 h).
- **Video S5**. Interaction of neutrophils (red) with attached *S. aureus* (green) at a high neutrophil
- 13 density of \sim 13000 per cm⁻² and N:B ratio of 0.66 (4 h).
- **Video S6**. Interaction of neutrophils (red) with attached *S. aureus* (green) when neutrophils were added after giving bacteria a 3 h head start (4 h).
- **Video S7**. Computational simulation of neutrophil-bacteria interaction on a two-dimensional
- surface during a 4 h interval. Six bacterial colonies survive the interaction. Figure 5A illustrates
- the paths taken by neutrophils during this simulation.
- **Video S8**. Computational simulation of neutrophil-bacteria interaction on a two-dimensional
- surface during a 4 h interval with alternative initial cell locations. This case uses parameter
- 21 values identical to the simulation presented in Video S7 (initial bacteria = 12, neutrophils = 8)

Video S9. Computational simulation of neutrophil-bacteria interaction on a two-dimensional

- surface during a 4 h interval with identical cell locations. This case uses parameter values and
- initial cell locations that are identical to the simulation presented in Video S7 to show that the
- paths taken by neutrophils are quite different as these are stochastic in nature.

28 **Table S1**. Random motility coefficient from mean square displacement versus time analysis. The

29 coefficient did not vary significantly between fields of view where there were bacteria and

30 neutrophils or where neutrophils were alone.

31

 Figure S1. LysoBrite staining does not affect killing of *S. aureus* by neutrophils. Approximately 10^3 CFUs/cm² were attached to the surface and challenged with neutrophils that had been stained with LysoBrite or received a sham treatment. (*A*) Bacteria were scraped from the surface, vortexed, and plated on tryptic soy agar to determine remaining viable bacteria on the surface. *n* $39 = 2$ (control and stained PMNs) or 4 (unstained PMNs) from 2 independent experiments. (*B*) A stitched image of the entire well was generated using the 10x objective to determine the total 41 amount of GFP area remaining in each well after a 4 hour challenge with neutrophils. $n = 2$ (control and stained PMNs) or 4 (unstained PMNs) from 2 independent experiments. (*C*) The log difference in GFP area over 4 hours for each field of view. *n* = 4 (control and stained PMNs) or 8 (unstained PMNs) fields of view from 2 independent experiments. Error bars represent standard deviation of the sample. Differences between stained and unstained neutrophils were not significant by an unpaired *t* test.

 Figure S2. Neutrophil track length is similar on a sterile surface or on a surface seeded with *S. aureus*. The average speed of all neutrophils in a field of view was calculated for each frame and then integrated with respect to time to obtain an average track length value. The average distance 52 traveled by a neutrophil did not vary between wells with bacteria and wells without bacteria ($p =$ 53 0.1368 by an unpaired t test). $n = 16$ fields of view each from 5 independent experiments. B+N denotes bacteria with neutrophils; N only denotes neutrophils in the absence of bacteria. Error

bars represent standard deviation of the sample.

 Figure S3. Mean neutrophil speed with and without medium supplementation. Experiments were performed with bacteria present. Old medium was gently removed via pipette and replaced with 10% human serum in HBSS from the same donor (serum was kept on ice and warmed to 37°C prior to addition) at 2 h. Neutrophil speed was not restored to starting levels when fresh medium 61 was added, however a slight increase in speed was observed compared to control wells ($p <$ 62 .0001). $n = 8$ fields of view, 2 independent experiments.

 Figure S4. Neutrophil directionality measured by dividing displacement by total distance traveled. No statistically significant difference was observed between experiments with bacteria 66 and neutrophil only controls ($p = 0.4453$ by an unpaired t test). $n = 16$ fields of view each from 5 independent experiments. B+N denotes bacteria with neutrophils; N only denotes neutrophils in the absence of bacteria. Error bars represent standard deviation of the sample.

 Figure S5. Fraction of bacterial objects discovered as a function of the fraction of the surface area patrolled by neutrophils. The fraction of bacterial aggregates that were discovered by a neutrophil within the 4 hour observation window were determined manually. The dashed line 75 represents the expected curve if aggregate discovery was purely random. $n = 39$ fields of view from 9 independent experiments.

 Figure S6: *S. aureus* aggregate sizes at *t* = 0. (*A*) The average size of a *S. aureus* aggregate at the start of imaging given different head start times. Each point represents the average size of all aggregates in a field of view. (*B*) The maximum observed aggregate size in a field of view at the 82 start of imaging. $n = 24$ fields of view from 4 independent experiments for head start data. $n = 39$ fields of view from 9 independent experiments for without head starts. Error bars represent standard deviation of the sample.

Figure S7. Neutrophil recruitment times measured in murine models. See the supplemental

methods that follow for details.

Methods for literature survey of neutrophil recruitment times in murine models. We

 identified 18 published data sets from 14 papers (Table S2) that contained sufficient quantitative information to extract a numerical value of a characteristic neutrophil recruitment time. This time was estimated by fitting a logistic function, which is an S-shaped curve, to neutrophil signal versus time data of the form

94
$$
N(t) = \frac{N^*}{1 + \exp(-k(t - t_o))}
$$

 where *N*(*t*) is neutrophil signal as a function of time, *N** is the plateau neutrophil signal at long 96 time, *t* is time, *k* is a parameter reflecting the steepness of the response, and t_0 is the characteristic time for the response to occur. The parameter *t*^o is the time value plotted in Figure S5. This time corresponds to the inflection point of the S-shaped curve.

The data sets analyzed are summarized in Table S2 below. The data include experiments with

chemical inducers (no added bacteria), inoculated *Staphylococcus aureus* or *Staphylococcus*

epidermidis (other microorganisms were excluded from the search), and some controls in which

implants without added bacteria were investigated.

104 **Table S2**. Summary of neutrophils recruitment times, anatomical sites, stimuli, and sources.

105 NR – not reported; SD – standard deviation.

References

Supplemental Material: Solution of the Chemoattractant Concentration Equation. The chemoattractant concentration $u(\mathbf{x}, t)$ satisfies the equation

$$
u_t = D_1 \nabla^2 u + 2\beta \sum_{j=1}^{12} \sum_{k,\ell \in \mathbb{Z}} c_j(t) \, \delta(\mathbf{x} - (\mathbf{x}_j + (800k, 800\ell, 0))),
$$

with initial and boundary conditions

$$
u(\mathbf{x},0)=2\beta\sum_{j=1}^{12}\sum_{k,\ell\in\mathbb{Z}}\delta(\mathbf{x}-(\mathbf{x_j}+(800k,800\ell,0))),\quad \frac{\partial u}{\partial z}(x,y,0,t)=0.
$$

Here,

$$
c_j(t) = \begin{cases} e^{rt} & 0 \leq t < T_j \\ 0 & t \geq T_j \end{cases}
$$

is the population of colony j, and T_j is the time of first encounter of a neutrophil with that colony $(T_j$ may be larger than the total run time of 240 min.).

Note by linearity that we can decompose

$$
u(\mathbf{x},t) = \sum_{j=1}^{12} u_j(\mathbf{x},t)
$$

where u_j is the contribution to total chemoattractant concentration from bacteria colony j, where u_j satisfies

$$
(u_j)_t = D_1 \nabla^2 u_j + 2\beta \sum_{k,\ell \in \mathbb{Z}} c_j(t) \,\delta(\mathbf{x} - (\mathbf{x_j} + (800k, 800\ell, 0))),
$$

with initial and boundary conditions

$$
u_j(\mathbf{x},0) = 2\beta \sum_{k,\ell \in \mathbb{Z}} \delta(\mathbf{x} - (\mathbf{x_j} + (800k, 800\ell, 0))), \quad \frac{\partial u_j}{\partial z}(x, y, 0, t) = 0.
$$

į,

For $t < T_j$ these systems have solutions

$$
u_j(\mathbf{x},t) = \sum_{k,l\in\mathbb{Z}} \int_0^t \frac{2\beta c_j(\hat{t})}{(4\pi D_1(t-\hat{t}))^{3/2}} \exp\left(-\frac{|\mathbf{x} - (\mathbf{x}_j + (800k, 800\ell, 0))|^2}{4D_1(t-\hat{t})}\right) d\hat{t}
$$

\n
$$
= \sum_{k,l\in\mathbb{Z}} \frac{\beta c_j(t)}{4\pi D_1|\mathbf{x} - (\mathbf{x}_j + (800k, 800\ell, 0))|}
$$

\n
$$
\left[\exp\left(-|\mathbf{x} - (\mathbf{x}_j + (800k, 800\ell, 0))| \sqrt{\frac{r}{D_1}}\right) \operatorname{erfc}\left(\frac{|\mathbf{x} - (\mathbf{x}_j + (800k, 800\ell, 0))|}{\sqrt{4D_1t}} - \sqrt{rt}\right) + \exp\left(|\mathbf{x} - (\mathbf{x}_j + (800k, 800\ell, 0))| \sqrt{\frac{r}{D_1}}\right) \operatorname{erfc}\left(\frac{|\mathbf{x} - (\mathbf{x}_j + (800k, 800\ell, 0))|}{\sqrt{4D_1t}} + \sqrt{rt}\right)\right],
$$

where $\text{erfc}(z) = 1 - \text{erf}(z) = \frac{2}{\sqrt{3}}$ π \mathfrak{c}_{∞} $\int_{z}^{\infty} e^{-t^2} dt$ is the complementary error function.

For $t \geqslant T_j$, the solution is

$$
u_j(\mathbf{x}, t) = \sum_{k, \ell \in \mathbb{Z}} \int_0^{T_j} \frac{2\beta c_j(\hat{t})}{(4\pi D_1(t - \hat{t}))^{3/2}} \exp\left(\frac{-|\mathbf{x} - (\mathbf{x}_j + (800k, 800\ell, 0))|^2}{4D_1(t - \hat{t})}\right) d\hat{t}
$$

\n
$$
= \sum_{k, \ell \in \mathbb{Z}} \frac{\beta c_j(t)}{4\pi D_1|\mathbf{x} - (\mathbf{x}_j + (800k, 800\ell, 0))|}
$$

\n
$$
\left\{ \exp\left(-|\mathbf{x} - (\mathbf{x}_j + (800k, 800\ell, 0))| \sqrt{\frac{r}{D_1}} \right) \right\}
$$

\n
$$
\left[\operatorname{erfc}\left(\frac{|\mathbf{x} - (\mathbf{x}_j + (800k, 800\ell, 0))|}{\sqrt{4D_1t}} - \sqrt{rt} \right) - \operatorname{erfc}\left(\frac{|\mathbf{x} - (\mathbf{x}_j + (800k, 800\ell, 0))|}{\sqrt{4D_1(t - T_j)}} - \sqrt{r(t - T_j)} \right) \right]
$$

\n
$$
+ \exp\left(|\mathbf{x} - (\mathbf{x}_j + (800k, 800\ell, 0))| \sqrt{\frac{r}{D_1}} \right)
$$

\n
$$
\left[\operatorname{erfc}\left(\frac{|\mathbf{x} - (\mathbf{x}_j + (800k, 800\ell, 0))|}{\sqrt{4D_1t}} + \sqrt{rt} \right) - \operatorname{erfc}\left(\frac{|\mathbf{x} - (\mathbf{x}_j + (800k, 800\ell, 0))|}{\sqrt{4D_1(t - T_j)}} + \sqrt{r(t - T_j)} \right) \right] \right\}
$$