## Supplementary Material

# Antimicrobial resistance genetic factor identification from whole-genome sequence data using deep feature selection

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### Section 1: Back-propagated Gradients in Neural Network Training for Feature Selection

It is an optimization problem to find the weights of a neural network by minimizing its cost function. A general form of cost functions can be written as a summation of loss function and regularized items [1]:

$$
J(w) = C(w) + \lambda_2 \sum_{i=1}^{p} \alpha_{2,i} |w_i|^2 + \lambda_1 \sum_{i=1}^{p} \alpha_{1,i} |w_i|
$$
 (1)

where

$$
C(w) = \frac{1}{m} \sum_{i=1}^{m} (y_i - \sum_{j=1}^{p} x_{ij} w_j)
$$

is the loss function that measures the difference between true values and predictive values. The second item in Equation  $(1)$  is a generalized form of  $L_2$  regularization and the third one is  $L_1$  regularization. The parameters  $\lambda_1$  and  $\lambda_2$  control the strength of penalization on the magnitude of coefficients in the trained model. A larger  $\lambda$  leads to a less complex model, and thus  $L_1$  and  $L_2$  regularization is an effective way to prevent overfitting in large complex model training. Usually,  $\lambda_1, \lambda_2 \in [0, 1]$  and  $\alpha_{1,i}, \alpha_{2,i} \in [0, 1]$ .

Gradient descent is a technique used to find the solution to the optimization problem in Equation (1). Taking the derivative of it, and we get

$$
\frac{\partial J(w)}{\partial w_i} = \frac{\partial C(w)}{\partial w_i} + 2\lambda_2 \alpha_{2,i} w_i + \lambda_1 \alpha_{1,i} sign(w_i)
$$

$$
= \frac{\partial C(w)}{\partial w_i} + 2\lambda_2 \alpha_{2,i} w_i \pm \lambda_1 \alpha_{1,i}
$$

For feature selection, the input features are divided into a candidate set  $\mathcal{C}$ , in which the weights of each feature are fixed to zero, and a selected set  $S$ , in which the weights of each feature are optimized during the training of the subnetwork with selected features in the input layer. Therefore, for each feature  $F_i$  in candidate set  $\mathcal{C}$ , its weight  $w_i$  is 0. Then we get

$$
\frac{\partial J(w)}{\partial w_i} = \frac{\partial C(w)}{\partial w_i} \pm \lambda_1 \alpha_{1,i} \tag{2}
$$

Notice that we replaced  $sign(w_i)$  by  $\pm 1$ . Derivative is not defined for the absolute value function |x| at  $x = 0$ . However, here we mainly focus on which feature is to be selected so that Equation (1) is decreased the most when we adjust its weights away from 0 (adding it to  $S$  from  $C$ ).

When  $\lambda_1 \alpha_{1,i} \geq 0$ , if

$$
\frac{\partial C(w)}{\partial w_i} > \lambda_1 \alpha_{1,i},
$$

then

$$
\frac{\partial J(w)}{\partial w_i} = \frac{\partial C(w)}{\partial w_i} + \lambda_1 \alpha_{1,i} > 0,
$$

and

$$
\frac{\partial J(w)}{\partial w_i} = \frac{\partial C(w)}{\partial w_i} - \lambda_1 \alpha_{1,i} > 0.
$$

Therefore, to decrease  $J(w)$ , we need to decrease  $w_i$ , so we will get  $w_i < 0$ . Similarly, if

$$
\frac{\partial C(w)}{\partial w_i} < -\lambda_1 \alpha_{1,i},
$$

then

$$
\frac{\partial J(w)}{\partial w_i} = \frac{\partial C(w)}{\partial w_i} \pm \lambda_1 \alpha_{1,i} < 0.
$$

In this case, to decrease  $J(w)$ , we need to increase  $w_i$ , so we will get  $w_i > 0$ . In summary, when

$$
|\frac{\partial C(w)}{\partial w_i}| > \lambda_1 \alpha_{1,i},
$$

we can decrease  $J(w)$  by adjusting  $w_i$  away from zero, while if

$$
|\frac{\partial C(w)}{\partial w_i}| < \lambda_1 \alpha_{1,i},
$$

we can only increase  $J(w)$  no matter how we adjust  $w_i$  away from zero. This is why when the regularization parameter  $\lambda_1$  is large,  $L_1$  regularization will result in a sparse model with many zero-valued weights. When only  $L_2$  regularization is used, then Equation (2) becomes

$$
\frac{\partial J(w)}{\partial w_i} = \frac{\partial C(w)}{\partial w_i} \tag{3}
$$

In both Equation (2) and Equation (3), we can see that the larger the magnitude of  $|\partial J(w)/\partial w_i|$ , the more it will contribute to minimizing  $J(w)$  by updating  $w_i$  from zero. This is why the norm of the back-propagated gradient for each feature in the candidate set can be used as the criterion for feature selection. DNP and grafting both used gradients in their feature selection algorithms [1, 2].

## Figure 1: Illustration of how features are selected in DNP (deep neural pursuit).





## Figure 2: Histogram of MIC Distribution of the Five Antibiotics



Figure 3: ROC curves and AUCs for the predicted resistance profiles for the five antibiotics under consideration using SNPs identified by AdaBoost.

Figure 4: ROC curves and AUCs for the predicted resistance profiles for the five antibiotics under consideration using SNPs identified by LASSO.



Antibiotic	MIC Interpretative Standards $(ug/ml)$						
			R	DS			
<b>PEN</b>	${}_{0.06}$	$0.12 \sim 1.0$	> 2.0				
<b>TET</b>	${}_{\leq 0.25}$	$0.5 \sim 1.0$	> 2.0				
<b>CIP</b>	${}_{0.06}$	$0.12 \sim 0.5$	>1.0				
$AZM^*$	$\leq 1.0$		> 2.0				
$CFX^*$	$\leq 0.125$			> 0.25			

Table 1 CLSI breakpoints for each antibiotic [3]

PEN, penicillin; TET, tetracycline; CIP, Ciprofloxacin; AZM, azithromycin; CFX, cefixime.  $S = S$ usceptible, 1  $=$  Intermediate, R  $=$  Resistant, DS  $=$  Decreased Susceptibility <sup>∗</sup>The breakpoints for AZM and CFX are from Centers for Disease Control and Prevention, 2007 [4] and World Health Organization 2012 [5], respectively.

Table 2 Chromosomal loci associated with antimicrobial resistance to the five antibiotics in N. gonorrhoeae examined in this work [6–8]. Plasmid genes are also listed, but only for reference purposes.

Antibiotic AMR elements	CIP	AZM	<b>TET</b>	<b>CFX</b>	<b>PEN</b>	Mechanisms
gyrA	✓					
parC	✓					Antibiotic target alteration
rpsJ			✓			
penA				$\checkmark$	✓	
ponA				$\checkmark$	√	
23S rRNA		$\checkmark$				
norM	✓					
norM promoter	✓					Antibiotic efflux
mtrR		$\checkmark$	$\checkmark$	✓	$\checkmark$	
mtrR promoter		✓	$\checkmark$	$\checkmark$	✓	
macAB						
penB (porB)			✓	✓	$\checkmark$	Decrease in permeation across the outer membrane
penC (pilQ)				✓	✓	
erm(B, C, F) (plasmid)		✓				
ere(A, B) (plasmid)		√				Plasmid mediated resistances
mef (plasmid)		✓				
$bla_{TEM}$ (plasmid)					✓	
tetM (plasmid)			✓			





The column "ID Range" lists the ranges of SNPs that fall in known AMR-associated genes (only) in our data. ID: ID of Identified SNP.

<sup>∗</sup>NGK RS01270: glutathione synthetase; NGK RS01275: diacylglycerol kinase (DagK); NGK RS09910: MULTISPECIES: HPr family phosphocarrier protein; NGK RS09915: PTS sugar transporter subunit IIA; NGK\_RS09815: iron uptake system protein EfeO; NGK\_RS09830: murein transglycosylase; NGK RS09405: competence protein ComE; NGK RS09440: inner membrane protein YpjD; NGK\_RS08825: competence protein ComE; NGK\_RS13555: hypothetical protein, partial; NGK\_RS11800: hemoglobin-haptoglobin-utilization protein; NGK\_RS11805: DUF560 domain-containing protein; NGK\_RS07930: lactoferrin/transferrin family TonB-dependent receptor; NGK\_RS07935: transferrin-binding protein-like solute binding protein; NGK\_RS08865: MULTISPECIES: P-II family nitrogen regulator; NGK\_RS13375: hypothetical protein; NGK\_RS07950: Fic family protein; NGK\_RS08005: prephenate dehydratase; NGK\_RS08015: membrane protein; NGK RS10625: MULTISPECIES: RNA polymerase-binding protein DksA; NGK RS10660: competence protein ComE.

	Method	DNP-	AdaBoost	LASSO
Drug		AAP		
<b>CIP</b>		2		
<b>TET</b>				
<b>PEN</b>		2		
<b>CFX</b>				2
<b>AZM</b>				

Table 4 Numbers of SNPs identified by DNP-AAP, LASSO, and AdaBoost which occur in known AMR determinants listed in Table 2.





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