Appendix 2: Statistical analysis – negative binomial count model specification

As Age Period Cohort (APC) regression modelling was not appropriate in this study, we used a multivariable regression framework to model the count of deaths over time. We fitted separate models for deaths from CeVD and IHD (see main manuscript for definitions). As data were count data (i.e. a number of deaths) and the variance exceeded the mean (overdispersion), we used negative binomial regression models. Variables included in both models were sex, single age at death and Carstairs deprivation (1 'most deprived 40%', 2 'central 20%' and 3 'least deprived 40%'). Carstairs' quintiles were collapsed into the variables in the model in order to maintain consistency with rates and SCP analysis (see main manuscript for detail). Population was accounted for as an offset variable. As counts increased exponentially with age we included an age squared explanatory variable in both disease models. The underlying trend over time in the count data was modelled in a different way for each disease. For CeVD, we used a year squared variable which allowed the underlying trend to be constant but non-linear. For IHD, the study period was split into two sections (pre and post 1990) using the command mkspline (Stata/SE 14 (Stata Corp, Texas, 2015). This command creates multiple cubic splines (where a spline is a curve joining two points). 1990 was chosen as the split point as a change of trend is evident at this point in the descriptive data. We also split the study period into 2-6 equal sections in turn and recorded the Bayes Information Criterion (BIC) for each. The selected model had a lower BIC (indicating a better fit) than any of the alternative specifications.

Interaction variables were added where they were significant (measured using the likelihood ratio test). Interaction variables allow effects of one variable to be different in sub-groups of another, such as age effect being different in males and females. Interaction variables included in the IHD and CeVD models are shown in Table 1. We assessed goodness of fit of the selected model by comparing predicted values with observed values using the R² statistic. R² is a statistical measure of how close the data are to the fitted model (it is the amount of variance in the outcome variable that is explained by the model) which takes values between zero and one with one being a perfect fit. Our models had R² in excess of 99%. Regression analyses were undertaken using STATA/SE 14 software (STATA Corp, Texas, USA).

 Table 1
 Interaction variables in negative binomial models

	IHD – name of interaction	CeVD - name of interaction		
	variable	variable		
Age and sex	Int1	Not statistically significant		
Year and sex	Year replaced by pre and	Not statistically significant		
	post 1990			
Year and Carstairs	Year replaced by pre and	Int3		
	post 1990			
Pre-1990 and sex	Int2	Not applicable		
Post-1990 and sex	Int3	Not applicable		
Pre-1990 and Carstairs	Int4	Not applicable		
Post-1990 and Carstairs	Int5	Not applicable		
Year and age	-	Int7		
Year and age squared	-	Int8		
Pre-1990 and age	Int6	Not applicable		
Post-1990 and age	Int7	Not applicable		
Pre-1990 and age squared	Int8	Not applicable		
Post-1990 and age squared	Int9	Not applicable		
Carstairs and age	Int10	Int5		
Carstairs and sex	Int11	Int4		

Carstairs variable is 1- most deprived 40% of areas, 2 - central 20% areas, 3 - least deprived 40% of areas

Full model specifications and output are shown as Figures 1 (IHD) and 2 (CeVD) below.

Plots of predicted and observed data are included as Figures 3 (IHD) and 4 (CeVD).

Figure 1 IHD model specification and regression output

xi: nbreg numer nsex age agesq spl* cars int*, exp(denom) iter(50) irr estat ic

Number of obs = 35,700 LR chi2(17) = 103551.03 Prob > chi2 = 0.0000 Pseudo R2 = 0.4675 Negative binomial regression Dispersion = mean Log likelihood = -58966.381

numer	IRR	Std. Err.	Z	P> z	[95% Conf.	<pre>Interval]</pre>
nsex	15.05245	.4346664	93.90	0.000	14.22418	15.92895
age	1.389669	.0057602	79.39	0.000	1.378424	1.401004
agesq	.9983702	.0000314	-51.89	0.000	.9983087	.9984317
spl1	.942366	.0113597	-4.92	0.000	.9203623	.9648957
spl2	1.236406	.0231675	11.33	0.000	1.191822	1.282657
cars	.4740241	.008127	-43.54	0.000	.4583601	.4902233
int1	.9713315	.0003749	-75.36	0.000	.9705969	.9720666
int2	.9985249	.0009732	-1.51	0.130	.9966192	1.000434
int3	1.008344	.0015728	5.33	0.000	1.005266	1.011432
int4	.9933911	.0005247	-12.55	0.000	.9923632	.9944201
int5	1.001216	.0008446	1.44	0.150	.9995622	1.002873
int6	1.000569	.0003738	1.52	0.128	.9998363	1.001302
int7	.9926032	.0005757	-12.80	0.000	.9914754	.9937322
int8	1.000006	2.90e-06	2.10	0.036	1	1.000012
int9	1.000047	4.49e-06	10.46	0.000	1.000038	1.000056
int10	1.00885	.0002004	44.36	0.000	1.008457	1.009243
int11	1.053473	.0045182	12.15	0.000	1.044655	1.062366
cons	1.73e-09	2.47e-10	-141.85	0.000	1.31e-09	2.29e-09
ln(denom)	1	(exposure)				
/lnalpha	-4.223118	.0380815			-4.297756	-4.148479
alpha	.0146529	.000558			.013599	.0157884

LR test of alpha=0: $\underline{\text{chibar2}(01)} = \underline{1360.49}$ Prob >= chibar2 = 0.000

. estat ic

Akaike's information criterion and Bayesian information criterion

Model	Obs	ll(null)	ll(model)	df	AIC	BIC
	35,700	-110741.9	-58966.38	19	117970.8	118131.9

Note: N=Obs used in calculating BIC; see [R] BIC note.

Figure 2 CeVD model specification and regression output

xi: nbreg numer agesq nsex age nyear cars int3 int4 int5 int6 int7 int8, exp(denom) iter(50) irr estat ic

Negative binomial regression	Number of obs	=	35,700
	LR chi2(12)	=	81815.84
Dispersion = mean	Prob > chi2	=	0.0000
Log likelihood = -48065.156	Pseudo R2	=	0.4598

numer	IRR	Std. Err.	Z	P> z	[95% Conf.	Interval]
agesq	.9996584	.0000383	-8.92	0.000	.9995833	.9997334
nsex	1.262057	.0152965	19.20	0.000	1.23243	1.292397
age	1.1648	.0057569	30.87	0.000	1.153571	1.176139
nyear	1.059597	.0051659	11.87	0.000	1.04952	1.069771
nyearsq	.9994498	.00002	-27.44	0.000	.9994105	.999489
cars	.9376628	.0598021	-1.01	0.313	.8274827	1.062513
int3	.9962351	.0002454	-15.31	0.000	.9957543	.9967161
int4	.9859688	.0055635	-2.50	0.012	.9751246	.9969335
int5	.9920457	.001943	-4.08	0.000	.9882449	.9958612
int6	1.000117	.0000151	7.75	0.000	1.000087	1.000147
int7	.9973626	.0001478	-17.82	0.000	.997073	.9976523
int8	1.000023	1.15e-06	20.33	0.000	1.000021	1.000026
_cons	6.16e-07	9.82e-08	-89.63	0.000	4.50e-07	8.42e-07
ln (denom)	1	(exposure)				
/lnalpha	-4.350457	.0718116			-4.491205	-4.209709
alpha	.0129009	.0009264			.0112071	.0148507

LR test of alpha=0: $\underline{\text{chibar2}(01)} = \underline{292.74}$

Prob >= chibar2 = 0.000

Akaike's information criterion and Bayesian information criterion

Model	Obs	11(null)	ll(model)	df	AIC	BIC
	35,700	-88973.08	-48065.16	14	96158.31	96277.07

[.] estat ic

Figure 3 IHD Predicted and observed data

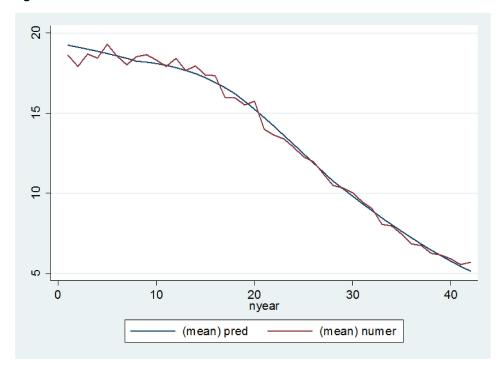


Figure 4 CeVD Predicted and observed data

