## **S1 Appendix: Mathematical model and parameters**

We used an individual-based model of malaria transmission. Full details of the model and interventions other than the vaccine are published elsewhere [1]. The key details are reproduced here for completeness.

### **1.1 Transmission model**

Individuals begin life susceptible to infection (*S*) but with a degree of maternal immunity (see below) that decays over their first six months. Susceptible individuals (i) experience a force of infection  $\Lambda_i$  which depends on the vectorial capacity at a given time as well as their level of pre-erythrocytic immunity (see below). Following infection, individuals experience a delay of length  $d_F$  representing the period from infection to appearance of blood-stage infection, following which they develop either symptomatic clinical disease or asymptomatic infection (*A*), with a probability dependent on their level of clinical immunity (see below). Symptomatic individuals receive appropriate treatment with probability  $f<sub>T</sub>$  following which they enter the treated disease state (*T*) and otherwise enter the untreated disease state *D*. Those in the latter state eventually resolve symptoms and move to the asymptomatic state (*A*). Those that are treated subsequently experience a period of drug-dependent partial protection from re-infection (modelled as a Weibull survivorship function) before returning to the fully susceptible state (*S*). From the asymptomatic state, as parasite density gradually reduces due to the immune response, asymptomatic individuals move to the sub-patent infection state (U) after which they clear infection and return to the susceptible state *S*. Individuals in states *D*, *A* and *U* can be re-infected (super-infection) and will move into infection states *D*, *T* or *A* following the same process as for primary infection. The flow between states is summarised in Fig A and the corresponding transitions in Table A.

Deaths from non-malaria associated causes are modelled using national life-tables [2], with individuals removed from the population at age-specific rates to match the required age distribution. Malaria-associated deaths are tracked separately (see below). When an individual dies they are replaced with a newborn individual with the same characteristics (heterogeneity in biting rates – see below) so that the population size in the simulation remains constant.



**Fig A: Progression between human infection states.** States are shown in boxes and state transitions by arrows with associated hazard rates. The circle represents the treatment node. Superinfection is indicated by dashed blue arrows.  $S =$ susceptible,  $D =$  clinical disease,  $T =$  successfully treated disease,  $A =$  asymptomatic patent infection,  $U =$  asymptomatic sub-patent infection. Malaria-associated deaths are tracked separately. Diagram is reproduced from S1 Appendix to Winskill et al. [1].

<b>Process</b>	<b>Transition</b>	Rate
Infection	$S \rightarrow I$	$\Lambda_i(t-d_F)$
Progression of untreated disease to asymptomatic infection	$D \rightarrow A$	$r_D =$ $d_{D}$
Progression of asymptomatic to sub- patent infection	$A \rightarrow U$	$=$ $r_A$ $d_A$
Progression of sub-patent infection to susceptible	$U \rightarrow S$	$r_{II} =$ dн
Progression of treated disease to susceptible*	$T \rightarrow S$	$r_{\scriptscriptstyle T}$ $d_T$
Super-infection from untreated clinical	$D \rightarrow I$	
disease, asymptomatic or sub-patent	$A \rightarrow I$	$\Lambda_i(t-d_F)$
infection	$U \rightarrow I$	

**Table A: Infection state transition rates for the human component of the transmission model.**

\* Treated individuals experience a period of drug-dependent partial protection from reinfection.

#### **1.1.1 Heterogeneity in biting rates**

Each individual in the simulation experiences a biting rate that depends on the product of their age-dependent biting rate,  $\psi(a)$ , and their relative biting rate  $\zeta_i$ . For an individual of age *a* the former is defined as:

$$
\psi(a) = 1 - \rho \exp\left(-\frac{a}{a_0}\right) \tag{1}
$$

where  $\rho$  and  $a_0$  are parameters that determine the relationship between age (i.e. body size) and biting rate and  $\omega$  is a normalising constant for the biting rate with age

$$
\omega = \int_0^\infty \psi(a)g(a) \, da \tag{2}
$$

and  $g(a)$  is the cross-sectional human population age distribution. The relative biting rate is drawn from a Log-normal distribution with a mean of 1:

$$
log(\zeta_i) \sim N\left(\frac{-\sigma^2}{2}, \sigma^2\right). \tag{3}
$$

The EIR  $\varepsilon_i(a, t)$  and force of infection  $\Lambda_i(a, t)$  experienced by individual *i* with age *a* at time *t* are given by

$$
\varepsilon_i(a,t) = \varepsilon_0(t)\zeta_i\psi_i(a)
$$
  
\n
$$
\Lambda_i(a,t) = b_i(t)\varepsilon_i(a,t).
$$
\n(4)

Here  $\varepsilon_0(t)$  is the mean EIR experienced by adults at time *t* and  $b_i(t)$  is the probability that an infectious bite leads to a patent infection. The latter is determined by the level of pre-erythrocytic immunity (see below).

#### **1.1.2 Naturally-acquired immunity**

We capture the natural acquisition and loss of immunity dynamically through its relationship with both age and exposure. Newborns acquire a level of maternal immunity to clinical disease and severe disease at birth, denoted  $I_{CM}$  and  $I_{VM}$ respectively. The level at birth is set as a proportion,  $P_M$ , of the acquired immunity to clinical and severe malaria respectively of a randomly chosen 15–35-year-old in the population with the same heterogeneity level. This decays exponentially at a constant rate  $r_M = 1/d_M$ .

Acquired immunity to infection (pre-erythrocytic immunity) develops at older ages, is boosted by one level following each infected bite provided it is at least  $u<sub>B</sub>$  days since the last exposure, and decays exponentially in between exposures with rate  $r_B = \frac{1}{d}$  $\frac{1}{d_B}$ . Blood stage immunity is assumed to control parasite density and hence affect the probability of developing severe disease, clinical disease and ultimately the detectability of asymptomatic infection. Acquired immunity to each of severe disease, clinical disease and detectability of infection is tracked separately, is boosted by one level following each patent infection provided it is at least  $u_v$ ,  $u_c$  or  $u_p$  days respectively since the last exposure, and decays exponentially between exposures with rate  $\frac{r_{VA}=1}{r_{A}}$  $\frac{V_A=1}{d_{VA}}$ ,  $r_{CA} = \frac{1}{d_C}$  $\frac{1}{d_{CA}}$  and  $r_{ID} = \frac{1}{d_I}$  $\frac{1}{d_{ID}}$  respectively.

All immunity levels are converted to individual time-dependent probabilities using Hill functions. The probability that individual *i* who is exposed to an infectious bite at time *t* develops a patent infection is given by:

$$
b_i(t) = b_0 \left( b_1 + \frac{1 - b_1}{1 + \left(\frac{I_B(i, t)}{I_{B_0}}\right)^{\kappa_B}} \right) \tag{5}
$$

where  $b_0$  is the probability of infection with no immunity,  $b_0b_1$  is the minimum probability,  $I_{B0}$  and  $\kappa_B$  are scale and shape parameters respectively and  $I_R(i, t)$  is the level of pre-erythrocytic immunity of individual *i* at time *t*.

The probability that individual *i* develops clinical disease at time *t* conditional on having been infected is given by:

$$
\phi_i(t) = \phi_0 \left( \phi_1 + \frac{1 - \phi_1}{1 + \left( \frac{(I_{CA}(i, t) + I_{CM}(i, t))}{I_{CO}} \right)^{\kappa_C}} \right)
$$
(6)

where  $\phi_0$  is the probability of disease with no immunity,  $\phi_0 \phi_1$  is the minimum probability,  $I_{c0}$  and  $\kappa_c$  are scale and shape parameters respectively,  $I_{CA}(i,t)$  is the level of acquired immunity to clinical disease and  $I_{CM}(i,t)$  is the level of maternally acquired immunity to clinical disease of individual *i* at time *t*.

The probability that individual *i* develops severe disease at time *t* and age *a* conditional on being infected is defined as:

$$
\theta_i(a,t) = \theta_0 \left( \theta_1 + \frac{1 - \theta_1}{1 + f_V(i,a) \left( \frac{(I_V A(i,t) + I_V M(i,t))}{I_V}\right)^{K_V}} \right) \tag{7}
$$

where  $\theta_0$  is the probability of disease with no immunity,  $\theta_0 \theta_1$  is the minimum probability,  $I_{V0}$  and  $\kappa_V$  are scale and shape parameters respectively,  $I_{VA}(i,t)$  is the level of acquired immunity to severe disease,  $I_{VM}(i,t)$  is the level of maternally acquired immunity to severe disease of individual *i* at time *t* and

$$
f_V(i, a) = 1 - \frac{(1 - f_{V0})}{\left(1 + \left(\frac{a}{a_V}\right)^{\gamma_V}\right)}
$$
(8)

is an age-dependent (physiological) modifier of the risk of severe disease, where  $f_{V0}$ ,  $a_V$ and  $\gamma_V$  are parameters.

The detectability by microscopy of an asymptomatic infection in individual *i* of age *a* at time *t* is given by:

$$
q_i(a,t) = d_1 + \frac{(1 - d_{min})}{\left(\frac{1 + I_D(i,t)}{I_{D0}}\right)^{K_D} f_D(i,a)}\tag{9}
$$

where  $d_{min}$  is the minimum probability of detection,  $I_{D0}$  and  $\kappa_D$  are scale and shape parameters respectively,  $I_D(i, t)$  is the level of acquired immunity to the detectability of infection of individual *i* at time *t* and

$$
f_D(i, a) = 1 - \frac{(1 - f_{D0})}{\left(1 + \left(\frac{a}{a_D}\right)^{\gamma_D}\right)}
$$
(10)

is an age-dependent (physiological) modifier of the detectability of infection where  $f_{D0}$ ,  $a_D$  and  $\gamma_D$  are parameters.

#### **1.1.3 Onward infectivity to mosquitoes**

Each infection state is assumed to be onwardly infectious to mosquitoes who bite an individual, with the highest infectivity associated with the states in which parasite density is highest (i.e. disease). Onwards infectiousness is  $c_p$  and  $c_y$  in states Dand U respectively, and  $c_T$  following treatment. In state A infectiousness is modified by the detectability of individual i,  $q_i$ , and is given by the function as  $c_U + (c_D + c_U) q_i^{\gamma}$ .

#### **1.1.4 Severe disease and mortality**

We use the model estimates of clinical incidence to derive estimates of severe disease incidence and malaria-associated mortality. Following Griffin *et al* [3], incidence of severe malaria requiring hospitalisation in the age range  $a_L$  to  $a_U$  at time *t* is given by:

$$
\lambda_H(t, (a_L, a_U)) = \frac{\sum_{i : a_L < a_i(t) < a_U} ((1 - f_T) + f_T f_{VT}) \Lambda_i(t) \theta_i(t)}{\# \{i : a_L < a_i(t) < a_U\}} \tag{11}
$$

where  $\Lambda_i(t)$  is the force of infection experienced by individual *i* at time *t* and  $\theta_i(t)$  the probability that individual *i* develops severe disease at time *t* upon being infected. Malaria-related mortality is assumed to be proportional to the incidence of severe disease due to malaria and is defined as:

$$
\mu(t, (a_L, a_U)) = v\lambda_H(t, (a_L, a_U))
$$
\n(12)

where parameter v is a scaling factor. Individuals receiving treatment are assumed to experience a reduction,  $f_{VT}$ , in the probability of disease progression to severe disease and hence death.

#### **1.1.5 Vector model**

We model infection in the mosquito population using the deterministic model previously described by White *et al* but with an equivalent compartmental stochastic form for adult female mosquitoes [4]. Adult (female) mosquitoes are assumed to lay eggs at rate  $\beta$ . Upon hatching from eggs, larvae progress through early and late larvae stages ( $E$  and  $L$  compartments) before developing to the pupal stage  $(P_L)$ . The larval stages are regulated by density dependent mortality, with a timevarying carrying-capacity,  $K$ , that represents the ability of the environment to sustain breeding sites through different periods of the year and with the density of larvae in relation to the carrying-capacity regulated by a parameter  $\gamma$ . The carrying-capacity determines the mosquito density and hence the baseline transmission intensity in the absence of interventions. The differential equations for the larval stages are given by:

$$
\frac{dE}{dt} = \beta M - \mu_{E} \left( 1 + \frac{E + L}{K} \right) E - \frac{E}{d_{EL}}
$$
\n
$$
\frac{dL}{dt} = \frac{E}{d_{EL}} - \mu_{L} \left( 1 + \gamma \frac{E + L}{K} \right) L - \frac{L}{d_{L}}
$$
\n
$$
\frac{dP_{L}}{dt} = \frac{L}{d_{L}} - \mu_{P} P_{L} - \frac{P_{L}}{d_{PL}}
$$
\n
$$
\frac{dS_{M}}{dt} = \frac{P_{L}}{2d_{PL}} - \mu_{M} S_{M}
$$
\n(13)

We assume that 50% of the emergent adult mosquitoes are female and all enter the susceptible state  $(S_M)$ . The rate at which adult female mosquitoes become infected is a function of the infectiousness of the human population including an appropriate time-lag  $(t_l)$  to account for the period between humans becoming infected and becoming infectious. The force of infection experienced by mosquitoes  $(A_M)$  is given by:<br>  $A \left( A \right) = \frac{\alpha}{2} \int_{-\infty}^{\infty} \frac{1}{2} h(x) dx = D(Z \neq 0)$ 

$$
A_M(t) = \frac{\alpha}{\omega} \int_0^\infty \int_0^\infty \zeta \psi(a) (c_D D(\zeta, a, t - t_1) + c_T T(\zeta, a, t - t_1) + c_A A(\zeta, a, t - t_1) + c_U U(\zeta, a, t - t_1) da d\zeta
$$
 (14)  
where  $\alpha$  is the biting rate on humans,

$$
\alpha = Q_0/\delta,\tag{15}
$$

 $Q_0$  quantifies the level of anthropophagy, and  $\delta$  is the mean time between feeds. The parameter  $\omega$  represents a normalising constant for the biting rate over all ages:

$$
\omega = \int_0^{\infty} \psi(a) g(a) da \tag{16}
$$

where  $g(a)$  is the human age distribution. There is a fixed delay  $\tau_M$  before female mosquitoes become infectious to humans  $(I_M)$  and they are assumed to remain infectious after this.

### **1.1.6 Seasonality**

Seasonality is incorporated through a time-varying carrying capacity

$$
K(t) = K_0 \frac{R(t)}{\overline{R}}
$$
\n(17)

where  $K_0$  is the mean carrying capacity, R the mean rainfall over the year and  $R(t)$ , the time varying seasonal curve. The latter is obtained from rainfall data using the first three frequencies of a Fourier transform of the daily rainfall data:

$$
R(t) = g_0 + \sum_{i=1}^{3} g_i \cos(2\pi t i) + h_i \sin(2\pi t i),
$$
\n(18)

 $A(t) = g_0 + \sum_{i=1}^n g_i \cos(\frac{2\pi i t}{T}) + n_i \sin(\frac{2\pi i t}{T})$ ,<br>obtained from the US Climate Prediction Center for sub-Saharan Africa between 2002 and 2009 [5].

### **1.1.7 Vector bionomics**

Within Africa the relative abundance of the three dominant vector species in each administrative unit (*An.gambiae s.s., An. Arabiensis* and *An.funestus*) were based on spatial estimates made by the Malaria Atlas Project [6]. The characterising bionomics parameters for these African vector species are shown in Table B.



**Table B: Vector bionomics parameters**.

\*includes *An.coluzzi*

## **1.2 Parameter values**

All baseline model parameter estimates are included in Table C. These are collated from previous publications. and are based on a number of model-fitting exercises and analyses of experimental data [4,7–9].







## **1.3 Malaria interventions**

The model incorporates four current interventions – long-lasting insecticide treated nets (LLINs), indoor residual spraying (IRS), seasonal malaria chemoprevention (SMC) and treatment of uncomplicated malaria – using models developed previously. A full description of these models is provided elsewhere [1]. The vaccine model builds on earlier work [26,27], and is described briefly below.

## **1.3.1 Antibody model of vaccine efficacy**

Following the approach taken in White *et al* [27], we simulate the RTS,S-induced anti-CSP antibody titres following the third vaccine dose as a biphasic model where the antibody titre at time  $t$  post-vaccination is given by:

$$
CSP(t) = CSP_{\text{peak}}(\rho_{\text{peak}}e^{-r_{s}t} + (1 - \rho_{\text{peak}})e^{-r_{l}t})
$$
\n(19)

where  $CSP_{\text{peak}}$  is the peak anti-CSP antibody titre,  $\rho_{\text{peak}}$  is the proportion of antibody response that is short lived, and  $r_s$  and  $r_l$  are the rates of decay for the short lived and long lived components respectively. We use a similar process to model antibody levels following the fourth dose but allowing the peak titre to be lower. Therefore, for the fourth dose given at time  $t_{\text{fourth}}$  anti-CSP antibody titre is given by:

 $CSP(t) = CSP_{fourth}(\rho_{fourth}e^{-r_s(t-t_{fourth})} + (1-\rho_{fourth})e^{-r_l(t-t_{fourth})})$  $(20)$ 

The vaccine efficacy over time is then obtained using a dose-response curve:

$$
V(t) = V_{\text{max}} \left( 1 - \frac{1}{1 + \left(\frac{CSP(t)}{\beta}\right)^{\alpha}} \right) \tag{21}
$$

where  $V_{max}$  is the maximum efficacy against infection and  $\alpha$  and  $\beta$  are the estimated shape and scale parameters respectively. The vaccine parameters are summarised in Table D. Variation between individuals is captured by drawing the parameters noted from a Normal distribution on the log-scale.

**Table D: RTS,S antibody model parameters, definitions and values.** The model parameters are those reported in Table 3 of White et al. [27]. The values for the peak anti-CSP following the third and fourth dose were each calculated as the median of the 11 site values in the phase 3 RTS,S/AS01 trial [27].



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