

Supplementary Materials for

Carbon isotope evidence for the global physiology of Proterozoic cyanobacteria

Sarah J. Hurley*, Boswell A. Wing, Claire E. Jasper, Nicholas C. Hill, Jeffrey C. Cameron*

*Corresponding author. Email: sarah.hurley@colorado.edu (S.J.H.); jeffrey.c.cameron@colorado.edu (J.C.C.)

Published 6 January 2021, *Sci. Adv.* 7, eabc8998 (2021)
DOI: 10.1126/sciadv.abc8998

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Supplementary Materials

1. Estimates of O₂, CO₂, and oxygenic productivity through Earth history

In broad brush, the concentration of atmospheric oxygen has increased through Earth history in two steps (Fig. S1). Atmospheric oxygen was negligible in the Archean Eon at $<10^{-6}$ preindustrial atmospheric levels (PAL = 280 ppm CO₂ and 200,000 ppm O₂) (4). The Paleoproterozoic accumulation of atmospheric oxygen, the Great Oxidation Event (GOE), was underway by 2.43 Ga, and continued for another ≈ 200 million years (60). Atmospheric oxygen concentrations may have reached near modern levels early in the Paleoproterozoic Era at $\sim 10^{-3}$ PAL before returning to values between $\sim 10^{-3}$ to $\sim 10^{-1}$ PAL in the Mesoproterozoic Era (e.g., 1, 4, 8, 61). After land plants arose early in the Paleozoic Era, atmospheric oxygen concentrations increased again from 10^{-1} PAL to approximately present levels with some minor variation afterward (59). In contrast, atmospheric CO₂ concentrations have decreased, perhaps less dramatically, through time. Archean atmospheric CO₂ concentrations of ~ 40 -400 PAL are consistent with atmospheric and general circulation models (7, 8, 39). CO₂ levels declined from potentially ~ 10 -100 PAL at the beginning of the Proterozoic Eon to ~ 1 -20 PAL at the end of the Proterozoic (8). During the Phanerozoic Eon, modeling predicts a general negative covariation in CO₂ concentrations with O₂ concentrations (59).

Environmental, ecological and evolutionary mechanisms have been hypothesized to limit the oxygenic productivity of the marine biosphere on geologic timescales. Some environmental explanations propose nutrient limitation either by phosphorus (9, 62), nitrogen (10, 63), or trace metals (11, 64). Others call on cyanobacterial exclusion from a toxic marine photic zone (53, 54). In ecological scenarios, ecosystem structure is proposed to control oxygen production. Competition between populations of oxygenic and anoxygenic photosynthesizers may have limited oxygenic productivity in the water column

(12, 65). Self-shading within a turbid community of cyanobacteria could have a similar effect on net primary productivity (66). Evolutionary hypotheses ascribe limited oxygenic productivity in the Proterozoic to cyanobacteria with enzymatic (67), metabolic (68), cytological (69), or lifestyle (18, 55) traits of their modern descendants. Although ancestral cyanobacteria play a central role in all potential hypotheses for restricting Proterozoic primary productivity, the geologic record contains limited direct evidence for either their global ecological niche or their intracellular physiology at this time.

2. Estimates of Mid-Proterozoic ϵ_P values by statistical simulation

Statistical simulations provide a way to extract estimated values of ϵ_P , the isotopic fractionation between dissolved CO_2 and biomass produced via photoautotrophic carbon fixation, from the geologic carbon isotope record. We restricted our analysis to the non-transitional middle Proterozoic interval (1.0–1.8 Ga), identified previously with a mean difference method (24), to reduce the confounding effects of non-steady state variation in the carbon isotope record. The entire middle Proterozoic interval was treated as a single time bin as finer time-binning did not affect the results of the statistical analysis (24).

We resampled $\delta^{13}\text{C}$ values from a previously published, curated dataset (24). In this dataset, middle Proterozoic carbonates from a variety of depositional settings, including open and shallow marine environments, have homogeneous $\delta^{13}\text{C}$ values with a mean and standard deviation of 0 ± 1.5 ‰ (Fig. S2). This homogeneity likely reflects the geographically uniform nature of the marine bicarbonate reservoir (70). Total organic carbon measurements in this dataset similarly reflect a broad range of marine environments and were filtered to exclude demonstrably authigenic and, importantly (70), thermally altered sediments (24).

Values of ϵ_{TOC} , the carbon isotopic fractionation between carbonate minerals ($\delta^{13}\text{C}_{\text{carb}}$) and total organic carbon ($\delta^{13}\text{C}_{\text{org}}$) preserved in the sedimentary rocks (24) is defined as:

$$(1) \quad \epsilon_{\text{TOC}} \equiv \delta^{13}\text{C}_{\text{carb}} - \delta^{13}\text{C}_{\text{org}},$$

where $\delta^{13}\text{C}_{\text{carb}} = [({}^{13}\text{C}/{}^{12}\text{C}_{\text{carb}}/{}^{13}\text{C}/{}^{12}\text{C}_{\text{standard}}) - 1] * 1000$ and $\delta^{13}\text{C}_{\text{org}} = [({}^{13}\text{C}/{}^{12}\text{C}_{\text{org}}/{}^{13}\text{C}/{}^{12}\text{C}_{\text{standard}}) - 1] * 1000$, both expressed as permil (‰). Bootstrap resampling of middle Proterozoic carbon isotope records yields an ϵ_{TOC} distribution with a mean of 28‰ and a range of 20–35‰ (95th percentile; Fig. S2). ϵ_{TOC} values represent the combined effects of a number of processes including *i*) the fractionation between dissolved CO_2 and the biomass of primary producers (ϵ_P), *ii*) the fractionation between dissolved CO_2 and carbonate minerals ($\epsilon_{\text{HCO}_3^- - \text{CO}_2(\text{aq})}$, $\epsilon_{\text{cal/ara} - \text{HCO}_3^-}$), *iii*) and the fractionation associated with biological reworking of

organic carbon during export and burial ($\epsilon_{\text{reworking}}$) (23). The isotopic difference between dissolved $\text{CO}_2(\text{aq})$ and biomass produced via photoautotrophic carbon fixation (ϵ_P) is typically defined by:

$$(2) \quad \epsilon_P = \delta^{13}\text{C}_{\text{CO}_2(\text{aq})} - \delta^{13}\text{C}_{\text{biomass}}$$

We randomly sampled uniform distributions representing fractionation during the conversion and preservation of dissolved CO_2 as carbonate rocks and primary biomass as TOC. The distribution of equilibrium isotope effects between $\text{CO}_2(\text{aq})$ and HCO_3^- ($\epsilon_{\text{HCO}_3^- - \text{CO}_2(\text{aq})}$) ranged from 8.9-11.7‰ (57) assuming photic zone temperatures of 3-30°C (e.g., 38). Experimentally determined kinetic isotope effects associated with the precipitation of calcite and aragonite from HCO_3^- ($\epsilon_{\text{cal/ara} - \text{HCO}_3^-}$) ranged from 0.8-3.3‰ (58). Fractionations associated with secondary biological processes such as heterotrophic consumption of primary organic matter ($\epsilon_{\text{reworking}}$) ranged from 0-1.5‰ (23) (Fig. S2). Values of $\delta^{13}\text{C}$ for dissolved $\text{CO}_2(\text{aq})$ and biomass were calculated according to the following approximations:

$$(3) \quad \delta^{13}\text{C}_{\text{CO}_2(\text{aq})} = \delta^{13}\text{C}_{\text{carb}} - \epsilon_{\text{cal/ara} - \text{HCO}_3^-} - \epsilon_{\text{HCO}_3^- - \text{CO}_2(\text{aq})}$$

$$(4) \quad \delta^{13}\text{C}_{\text{biomass}} = \delta^{13}\text{C}_{\text{org}} - \epsilon_{\text{reworking}}$$

The resulting distribution of ϵ_P values, calculated according to Eq. 2, are offset from the ϵ_{TOC} distribution by $\approx 12\text{‰}$, with a mean of 16‰ and a 2σ range of 8-24‰ (Fig. S2). The statistical simulations were run over 10,000 bootstrap trials.

3. Estimates of modern mat ϵ_P values by statistical simulation

We additionally used these techniques to estimate ϵ_P values from a published characterization of a modern cyanobacterial mat system (26). This mat system was grown and sampled in an experimental pond with a depth of <1 m. The pond was artificially stratified with an anoxic bottom layer of highly concentrated brine and an upper layer diluted with freshwater. We used the same conversion to calculate $\delta^{13}\text{C}_{\text{CO}_2(\text{aq})}$ values from observed $\delta^{13}\text{C}_{\text{carb}}$ values, drawing from uniform distributions representing $\epsilon_{\text{HCO}_3^- - \text{CO}_2(\text{aq})}$ at observed pond temperatures of 23-57°C and $\epsilon_{\text{cal/ara} - \text{HCO}_3^-}$ (58) (Eq. 3; see previous section for full simulation description). We did not include fractionations associated with secondary biological processes ($\epsilon_{\text{reworking}}$) due to the young age of the mat, the anoxic bottom layer, and absence of burial in the system. However, due the small range of $\epsilon_{\text{reworking}}$ (0-1.5‰), the resulting distribution is relatively insensitive to this

parameter. Statistical simulations of carbon isotope fractionation in this previously characterized mat system yielded an ε_P distribution with a range of 4-13‰ (95th percentile) and a median value of 8.5‰ (Fig. S3), likely reflecting the impact of limited carbon transport into this hypersaline environment.

4. Culturing Description

Culturing experiments used wild-type (WT) *Synechococcus* sp. strain PCC 7002 (*Synechococcus* 7002) and a Δccm mutant strain lacking a carboxysome. The Δccm strain was generated by transforming WT cells in exponential growth phase with 0.5 ng/mL of plasmid DNA, containing a kanamycin resistance cassette flanked by 750 bp homology arms for recombination into the *ccm* locus (36). After incubation at 30°C in constant illumination ($\sim 150 \mu\text{mol photons m}^{-2} \text{ s}^{-1}$) for 24 hours, transformed cells were selected for with 100 $\mu\text{g/mL}$ kanamycin on A+ media solidified with Bacto Agar (1%; w/v) in 3% (v/v) CO₂. Individual colonies were patched onto new plates and tested for segregation by PCR, using primer pairs specific to either the transformed (primers KAMo0113 and EBJp0048) or WT (primers EBJp0048 and EBJp0006) genome. Presence of the PCR product specific to the transformed genome and absence of the PCR product specific to the WT genome was used as an indicator of full segregation. The 5'-3' sequences for primers are

KAMo0113: CGACTGAATCCGGTGAGAAT,

EBJp0048: CGGTGGAGACGATGATCCG,

and EBJp0006: ATAGGTTCTGAATTGTTCTACTTCTTCGGTGT.

For experiments on carbon isotope fractionation, all cultures grew in A+ media (71) at 37°C under saturating light levels of $\sim 227 \pm 5 \mu\text{mol photons m}^{-2} \text{ s}^{-1}$ provided by cool-white fluorescence lamps.

Cultures were grown in 125 ml conical flasks with foam stoppers (Jaece Industries Identi-plugTM), continuously shaking, in an incubator that kept headspace CO₂ constant by continuous replacement with a mixture of CO₂ and air during each experiment. Headspace CO₂ varied across three experimental conditions: 0.04% (v/v) CO₂, 1% (v/v) CO₂, and 3% (v/v) CO₂, corresponding to CO_{2(aq)} concentrations of 7, 180, and 538 $\mu\text{mol kg}^{-1}$, respectively. The measured pH of the cultures (8.1 in air, 7.3 in 1% CO₂, and 6.7 in 3% CO₂) and the headspace $p\text{CO}_2$ were used to calculate dissolved CO₂ via the csys program (72) adapted for the R statistical computing environment. Dissolved CO₂ concentrations calculated for the growth medium ranged from 7 $\mu\text{mol kg}^{-1}$ in air (1× PAL) to 538 $\mu\text{mol kg}^{-1}$ in 3% CO₂ (107 × PAL). We plot both headspace CO₂ levels and dissolved CO₂ concentrations due to the influence of temperature, salinity, and pH on dissolved CO₂ concentrations.

We attempted to grow the Δccm mutant lacking carboxysomes at both 0.5% (v/v) and 0.8% (v/v) CO₂, corresponding to 18 × PAL and 30 × PAL. However, under our experimental conditions, the mutant strain was only able to grow at 1% CO₂ (36 × PAL) or greater, consistent with the previously observed

inability of this high-CO₂-requiring phenotype to grow in air (31). Strains were acclimated to each CO₂ condition over the course of four serially-transferred cultures. Cultures grew to an OD_{730 nm} of ~0.2 before inoculating the next acclimation with 1-3% of the final cell density and harvesting biomass (Fig. S4). Harvested biomass was kept at -70°C. Prior to isotopic analysis, biomass was centrifuged and washed twice with ultrapurified water.

For cultures, values of ϵ_P were calculated relative to external $\delta^{13}\text{C}$ values for CO_{2(aq)} according to:

$$(5) \quad \epsilon_P = 1000 \left[\frac{(\delta^{13}\text{C}_{\text{CO}_2(\text{aq})} + 1000)}{(\delta^{13}\text{C}_{\text{biomass}} + 1000)} - 1 \right]$$

The net specific growth rate of each culture, μ (h⁻¹), was calculated according to:

$$(6) \quad \mu = \frac{\ln(\text{cell density}_{\text{final}}) - \ln(\text{cell density}_{\text{initial}})}{(t_{\text{final}} - t_{\text{initial}})}$$

Initial or final cell densities are in cells ml⁻¹ and $t_{\text{final}} - t_{\text{initial}}$ is the duration of each batch culture in hours. Carbon fixation rates ($\mu\text{g C cell}^{-1} \text{ s}^{-1}$) were calculated by multiplying the carbon content per cell ($\mu\text{g C cell}^{-1}$) by the net specific growth rate in s⁻¹:

$$(7) \quad C_{\text{fix}} = C_{\text{cell}} \cdot \mu$$

Growth parameters for all cultures are plotted in Fig. S5 and reported in Table S1. Doubling times for the wild-type strain ranged from 5.1 ± 0.7 h grown under air, 3.6 ± 0.6 h grown under 1% CO₂ and 4.0 ± 0.3 h grown under 3% CO₂ on average. Doubling times for the Δccm mutant grown under equivalent headspaces were slightly greater (slower growth rates) under 1% CO₂ (5.5 ± 1.0 h) and slightly smaller (faster growth rates) under 3% CO₂ (3.5 ± 0.7 h). Carbon fixation rates for the wild-type strain were 67 ± 21 , 98 ± 36 , and 106 ± 30 fg C cell⁻¹ h⁻¹ grown under air, 1%, and 3% CO₂, respectively (Table S1). Carbon fixation rates for the Δccm mutant were 105 ± 33 and 166 ± 44 fg C cell⁻¹ h⁻¹ grown under 1% and 3% CO₂, respectively. The carbon fixation rates for wild-type strain in air (67 ± 21 fg C cell⁻¹ h⁻¹) are ~3× previously published carbon fixation rates for *Synechococcus* 7002 (73).

5. Carbon isotope measurements

The carbon isotope composition of cyanobacterial biomass was measured in the Earth Systems Stable Isotope Lab at the University of Colorado Boulder. Samples were oxidized and combusted with a

Thermo Scientific FlashEA and the resultant CO₂ was analyzed with a Thermo Scientific Delta V Isotope Ratio Mass Spectrometer. Ratios are expressed as ¹³C/¹²C in units of relative per mil (‰) difference between the sample (R_{sample}) and a standard (R_{standard}) of Vienna Peedee Belemnite (VPDB) according to:

$$(8) \quad \delta^{13}\text{C} = \left[\left(\frac{^{13}\text{C}/^{12}\text{C}_{\text{sample}}}{^{13}\text{C}/^{12}\text{C}_{\text{standard}}} \right) - 1 \right] * 1000 \text{ (‰)}$$

Acetanilide (University of Indiana; $\delta^{13}\text{C}$ of -29.53‰; weight % C of 71.09) was used to correct for linearity and drift. Acetanilide was additionally used as a monitoring standard and a bovine gelatin (pugel), from University of California Santa Cruz ($\delta^{13}\text{C}$ of -12.62‰; weight % C 44.02) as a discrimination standard.

Isotopic analysis of CO₂ gas was conducted in the Earth Systems Stable Isotope Lab at the University of Colorado Boulder. The CO₂ was analyzed with a Thermo Scientific 253+ Isotope Ratio Mass Spectrometer. The gas was analyzed for four runs with seven cycles at 12.5 volts on 44 m/z with an integration time of 26 s per cycle. Ratios are expressed as ¹³C/¹²C in units of relative per mil (‰) difference between the sample (R_{sample}) and a standard (R_{standard}) of VPDB. The gas was run against an in-house standard that has been corrected against several commercially purchased Oztec bottles of varying compositions.

6. 1D reaction-diffusion model

We used a one-dimensional (1D) model of steady-state diffusion of CO₂ between an infinite source and a sink to represent rubisco-catalyzed entry of CO₂ into the Calvin-Benson cycle (Fig. S7). A fixed distance, L, separates the CO₂ source and enzymatic sink. Both diffusion and the sink reaction are isotopically selective according to $\epsilon_{\text{diffusion}}$ and ϵ_{fix} , respectively (Table S2). Here, ϵ_{fix} refers to the kinetic fractionation factor associated with rubisco (= $\epsilon_{\text{rubisco}}$). Steady-state diffusion in 1D is described by:

$$(9) \quad D \times \frac{d^2C}{dz^2} = 0,$$

where D is the diffusion coefficient, C is the concentration of dissolved CO₂ (= ¹³CO₂ + ¹²CO₂), and z is the distance coordinate between source and sink. Eq. 9 is subject to the boundary conditions at the edges of the domain $0 \leq z \leq L$:

$$(10) \quad C(z = 0) = C_0$$

$$(11) \quad -D \times \frac{dC}{dz}(z = L) = J_{\text{fix}}$$

C_0 represents the initial concentration of $\text{CO}_{2(aq)}$, and J_{fix} ($=C_{\text{fix}}/[\text{SA} \times f_{\text{SA}}]$; Table S2) represents the carbon fixation rate normalized to the fraction (f_{SA}) of the surface area (SA) of the cell available to CO_2 transport. The final solution for C as a function of distance has the form:

$$(12) \quad C(z) = C_0 - \frac{J_{\text{fix}}}{D} \times z$$

In this expression, C_0 is in units of $\mu\text{g } \mu\text{m}^{-3}$, D is in units of $\mu\text{m}^2 \text{ s}^{-1}$, z is in units of μm and J_{fix} is in units of $\mu\text{g C } \mu\text{m}^{-2} \text{ s}^{-1}$. The per-cell carbon fixation rates reflected in J_{fix} are calculated by dividing the measured carbon fixation rates in $\mu\text{g C cell}^{-1} \text{ s}^{-1}$ by the surface area of a cell, which we define as a rod with a radius of $0.5 \mu\text{m}$ and a length of $2 \mu\text{m}$, as well as the fraction of the surface area of the cell available to CO_2 transport. (Table S2).

Similar equations apply for the heavy isotope (^{13}C):

$$(13) \quad {}^{13}D \times \frac{d^2}{dz^2} ({}^{13}C) = 0$$

Eq. 13 is subject to the boundary conditions at the edges of the domain $0 \leq z \leq L$:

$$(14) \quad {}^{13}C(z = 0) = {}^{13}C_0$$

$$(15) \quad -{}^{13}D \times \frac{d{}^{13}C}{dz} (z = L) = {}^{13}J_{\text{fix}}$$

The final solution for ^{13}C as a function of distance has the form:

$$(16) \quad {}^{13}C(z) = {}^{13}A + {}^{13}B \times z$$

^{13}A and ^{13}B are integration constants defined by the boundary conditions such that

$$(17) \quad {}^{13}A = {}^{13}C_0$$

$$(18) \quad -{}^{13}D \times {}^{13}B = {}^{13}J_{\text{fix}}.$$

We defined $^{13}J_{fix}$ through:

$$(19) \quad \alpha_{fix} = \frac{^{13}J_{fix}}{^{12}J_{fix}} \bigg/ \frac{^{13}C_L}{^{12}C_L}$$

Here α_{fix} is the fractionation factor associated with CO₂ fixation by rubisco (Table S2), while $^{13}C_L$ and $^{12}C_L$ represent the concentrations of each isotopologue of CO₂ at $z = L$. Applying the trace isotope abundance approximation ($C_L \approx ^{12}C_L$, $J_{fix} \approx ^{12}J_{fix}$) leads to:

$$(20) \quad ^{13}J_{fix} = \alpha_{fix} \times J_{fix} \times \frac{^{13}C_L}{C_L}.$$

We combined Eqs. 18 and 20

$$(21) \quad -^{13}D \times ^{13}B = \alpha_{fix} \times J_{fix} \times \frac{^{13}C_L}{C_L}$$

to solve for ^{13}B :

$$(22) \quad ^{13}B = - \frac{\alpha_{fix} \frac{J_{fix} {}^{13}C_0}{D}}{\alpha_{diff} C_L + \alpha_{fix} \frac{J_{fix} L}{D}}$$

Here α_{diff} is the fractionation factor associated with CO₂ diffusion to the site of fixation, which is defined as $\alpha_{diff} = ^{13}D/^{12}D$ (Table S2). The final solution for ^{13}C is then:

$$(23) \quad ^{13}C(z) = ^{13}C_0 \left(1 - \frac{\alpha_{fix} \frac{J_{fix}}{D}}{\alpha_{diff} C_L + \alpha_{fix} \frac{J_{fix} L}{D}} z \right).$$

We then calculated ϵ_P as the difference between the carbon isotopic composition of fixed carbon and dissolved CO₂ using:

$$(24) \quad \epsilon_P = \frac{\left(\frac{^{13}C_0}{^{12}C_0} - \alpha_{fix} \frac{^{13}C_L}{^{12}C_L} \right)}{\frac{^{13}C_0}{^{12}C_0}} \times 1000.$$

Independent model inputs are: the carbon fixation rates observed for the Δccm mutant grown under 1% and 3% CO₂ headspace, the concentration of dissolved CO₂ calculated from pCO_2 and the culture pH using the csys program (72), and the fractionation factor for diffusion of CO₂ in water ($\epsilon_{diff} = [\alpha_{diff} - 1] \times 1000$; Table S2). Two previously published values of the fractionation factor for form IB

rubisco ($\epsilon_{fix} = [\alpha_{fix} - 1] \times 1000$) in cyanobacteria are $22 \pm 0.2\%$ (74) and 20.9 ± 0.8 (75), both measured on rubisco from in *Synechococcus* PCC 6301. Here, we set ϵ_{fix} at 24.3%, the maximum whole-cell ϵ_P value we observed for *Synechococcus* 7002.

The model has three free physiological parameters: i) the intracellular distance over which $\text{CO}_{2(aq)}$ diffuses (z); ii) the intracellular diffusion coefficient for $\text{CO}_{2(aq)}$ (D); and iii) the proportion of cellular surface area available for diffusion (f_{SA}). Free parameters covary over the constrained ranges in Table S2. We trained the model by selecting the interdependent parameter sets that were able reproduce experimental ϵ_P values observed in the *Synechococcus* 7002 Δccm mutant (within the $\approx 0.65\%$ data spread for a given experimental condition) at carbon fixation rates observed for both 1% and 3% headspace CO_2 (36 and 107 PAL, respectively). We then continued calculations and model predictions incorporating all interdependent parameter sets [z , D , f_{SA}] that could reproduce experimental ϵ_P values.

In order to apply the 1D reaction-diffusion model across varying CO_2 levels, we incorporated a previously published model of carbon fixation rate (76):

$$(25) \quad C_{fix} = \frac{k_{cat} N_{sites} C}{C + K_{m,CO_2} \left(1 + \frac{O}{K_{m,O_2}} \right)}$$

Here, C_{fix} represents the carbon fixation rate as a function of CO_2 (C) and O_2 (O) concentrations and rubisco kinetic parameters (values listed in Table S2). We fit this theoretical relationship through the observed range of carbon fixation rates using the kinetic parameters for Form IB rubisco in *Synechococcus* 7002 and number of rubisco sites per cell as $N_{sites} = 2.3 \times 10^5 - 3.4 \times 10^5$ (Fig. S8). However, this fit could be similarly achieved by scaling the rubisco kinetics to account for differences between calculated and measured carbon fixation rates. The trained dependence of carbon fixation rate on CO_2 concentration is then used as a model input to predict ϵ_P values at varying CO_2 and O_2 levels (Fig 2B). Modeled ϵ_P values increase with CO_2 concentration (Fig. S8). Values of ϵ_P show a greater dependence on carbon fixation at low CO_2 concentrations (Fig. S8B).

The trained model and corresponding carbon fixation rate calculation can then be used to predict ϵ_P values for a cyanobacterium without a carboxysome grown under varying CO_2 and O_2 conditions with independently derived kinetic parameters for rubisco (see next section).

7. Evolutionary changes in rubisco kinetics

The Δccm model exercise suggests that, without a CCM, fractionation by extant cyanobacteria with Form IB rubisco can only explain a limited portion of estimated middle Proterozoic ϵ_P values. The Δccm

model incorporates the kinetics and fractionation for modern Form 1B rubisco (Table S2). Here, we explore how evolutionary changes in rubisco kinetics could impact these modeling results.

Ancestral sequence reconstruction of Form IA and Form IB rubisco suggest that the kinetics of ancestral Form I rubiscos differed from modern rubisco, although the timing of these evolutionary changes remain unconstrained (42). For example, k_{cat} and $K_{\text{m, CO}_2}$ values for ancestral rubiscos are ~40-80% of modern forms (42). While fractionation factors for these reconstructed rubisco (ϵ_{fix}) forms have not yet been characterized, the kinetics constrain how far ϵ_{P} values can deviate from a maximum ϵ_{fix} value and thus constrain the overall range of ϵ_{P} values accessible for a given ϵ_{fix} value. Substituting the kinetics associated with ancestral Form 1A and Form 1B rubisco, while keeping the rest of the model inputs constant, results in a 7-8‰ range in ϵ_{P} values for any given value of ϵ_{fix} for rubisco (Fig. S9). This range is less than half the 95th percentile range (~16‰) from our resampling of the mid-Proterozoic carbon isotope record suggesting that, regardless of the ancestral rubisco ϵ_{fix} value, net carbon isotope fractionation by cyanobacteria with these ancestral rubisco forms could not be responsible for the entire range of mid-Proterozoic ϵ_{P} estimates.

We additionally used the measured characteristics of different extant rubisco forms to determine the possible constraints imposed on ϵ_{P} by the relationship between kinetics and fractionation factors in cyanobacteria without a CCM. Model sensitivity runs based on paired inputs of rubisco kinetics compiled in (51) and fractionation factors compiled in (77) show the ϵ_{P} ranges accessed by Form 1A, Form 1B, and Form II rubiscos in cyanobacteria without a CCM (Fig. S9, Table S3). Similar to the results with the Δccm mutant reported here, Form 1B rubiscos in extant cyanobacteria without a CCM can only reproduce a limited range of mid-Proterozoic ϵ_{P} values (Fig. S9). If Form II rubisco operated in cyanobacteria without a CCM it would be consistent with a similar range of estimates, while Form 1A rubisco would produce a much smaller range of ϵ_{P} values (Fig. S9). Only the kinetics and fractionation factors of Form 1B rubisco from higher plants (*Spinacia oleracea* and *Nicotiana tabacum*) produce ϵ_{P} ranges larger than the middle Proterozoic estimates, if they operated in cyanobacteria without a CCM (Fig. S9).

Form 1B rubiscos within extant higher green plants, such as the rubiscos found in *Spinacia oleracea* and *Nicotiana tabacum*, have kinetic parameters and $\epsilon_{\text{rubisco}}$ values that yield substantially larger ranges of ϵ_{P} values when incorporated in the 1-D reaction-diffusion model developed for the Δccm mutant of *Synechococcus* sp. 7002. This suggests that, if middle Proterozoic cyanobacteria contained rubiscos resembling Form 1B in higher green plants, a CCM would not be required to produce the full distribution of middle Proterozoic ϵ_{P} values. Archaeplastida are extant representatives of a primary endosymbiotic event, in which an original plastid, derived from an ancestral cyanobacterium, was incorporated into a eukaryotic host cell at ≈ 1.3 Ga (21). Although it is possible that the kinetics of Form 1B rubiscos from Archaeplastida are a vestigial remnant of this ancient endosymbiotic event, it seems unlikely that the

selective environment provided by the early Proterozoic surface ocean was similar enough to that within green plant chloroplasts to maintain enzymatic stasis over the ensuing billion years. Altogether, this consideration of potential ancestral rubisco kinetics suggests that carbon isotope fractionation by cyanobacteria lacking a CCM is inconsistent with the estimated distribution of Proterozoic ϵ_p values.

Supplementary Figures and Tables

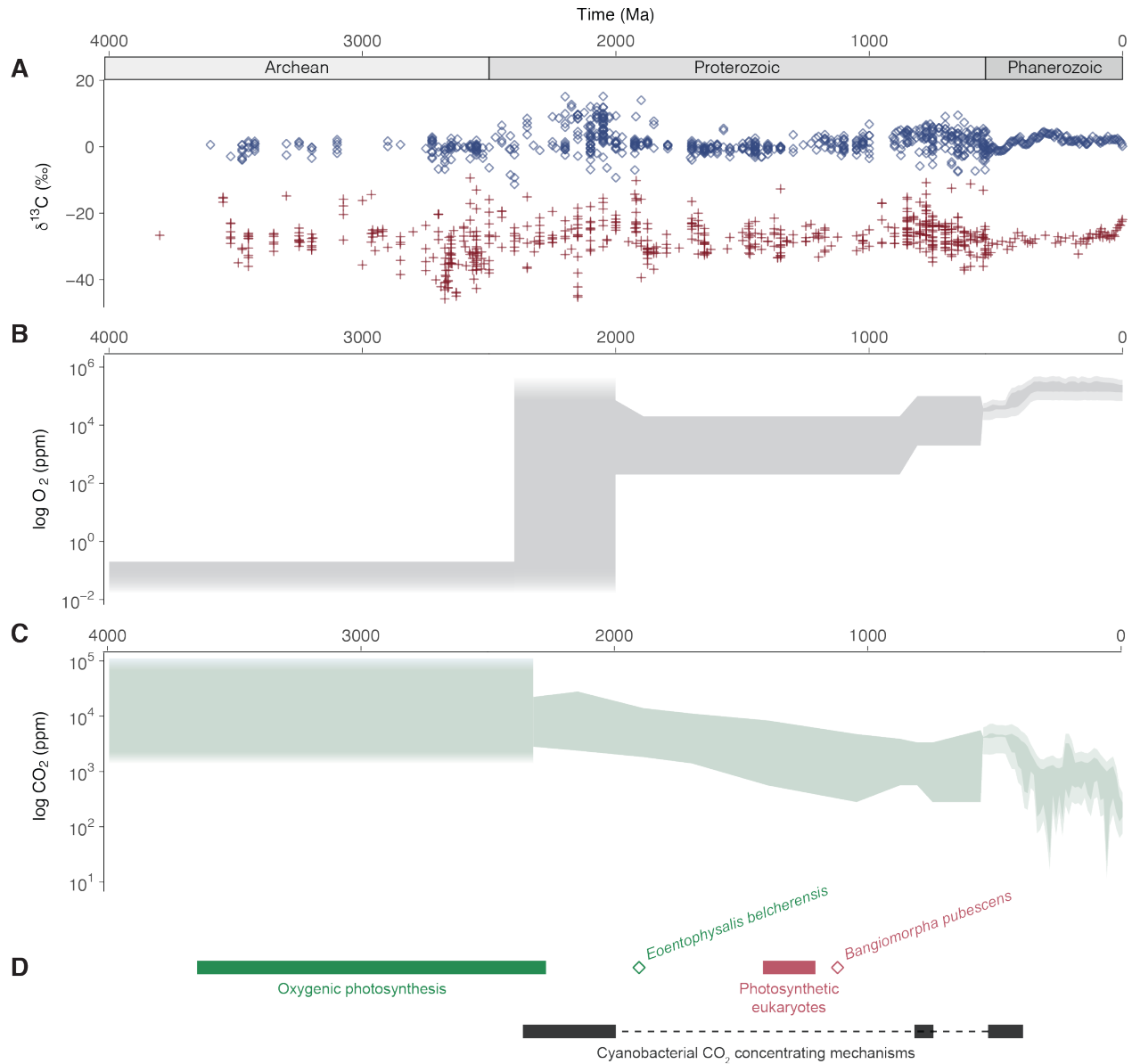


Fig. S1. The carbon isotope record and estimated atmospheric and biologic changes through Earth history. **A.** Values of $\delta^{13}\text{C}$ from carbonate minerals (blue) and $\delta^{13}\text{C}$ values of total organic carbon (red) are compiled in Krissansen-Totton et al., (24). **B.** Archean O_2 estimates restrict $p\text{O}_2$ to $< 10^{-6}$ present atmospheric levels or 2 ppm (4). Proterozoic O_2 estimates are compiled in Crockford et al., (8). Phanerozoic O_2 estimates come from proxies and modeling (59). **C.** Archean CO_2 estimates are from Halevy and Bachan (39). Proterozoic CO_2 estimates are compiled in Crockford et al., (8). Phanerozoic CO_2 estimates come from proxies and modeling (59). **D.** Range of estimates for the origin of oxygenic photosynthesis shown as a green bar (2, 3) and the earliest unambiguous cyanobacterial microfossils (*Eoentophysalis belcherensis*) shown as a green diamond (13, 14). Earliest unambiguous fossil photosynthetic eukaryote (*Bangiomorpha pubescens*) shown as red diamond with corresponding molecular clock estimates for the primary plastid endosymbiosis shown as a red bar (21). Proposed dates for the emergence of a cyanobacterial CO_2 Concentrating Mechanism shown as black bars (e.g., 34).

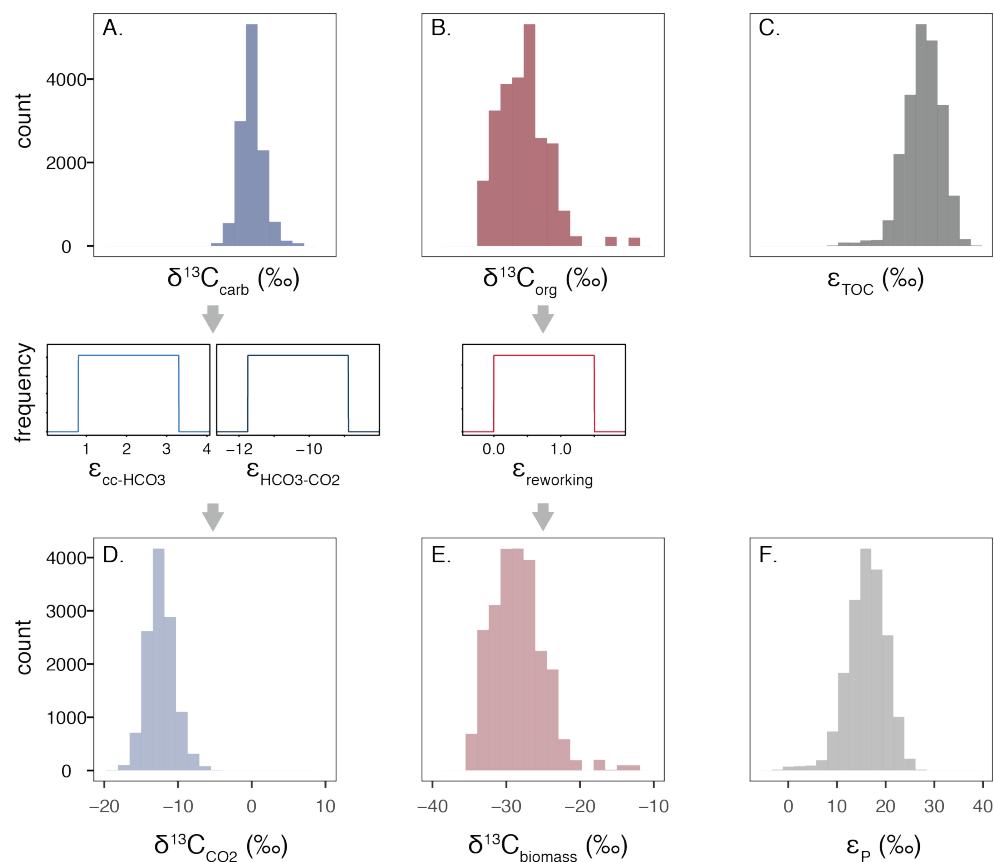


Fig. S2. Representation of bootstrap resampling and Monte Carlo simulations. **A.** Resampled $\delta^{13}\text{C}$ values of carbonates and **B.** organic carbon during the non-transitional period between 1.0-1.8 Ga from Krissansen-Totton et al. (24). **C.** The distribution of ϵ_{TOC} values from the bootstrap resampling, calculated according to Eq. 1. **D.** The distribution of predicted $\delta^{13}\text{C}$ values of dissolved CO_2 , calculated by incorporating the isotope effects associated with precipitation of calcite or aragonite from HCO_3^- and the conversion between HCO_3^- and dissolved CO_2 (inset uniform distributions $\epsilon_{\text{cc-HCO}_3}$ and $\epsilon_{\text{HCO}_3\text{-CO}_2}$). **E.** The distribution of predicted $\delta^{13}\text{C}$ values of primary biomass calculated by incorporating an isotope effect associated with secondary reworking in the water column and sediments (inset uniform distribution $\epsilon_{\text{reworking}}$). **F.** The distribution of predicted ϵ_p values calculated according to Eq. 2. See text for simulation details.

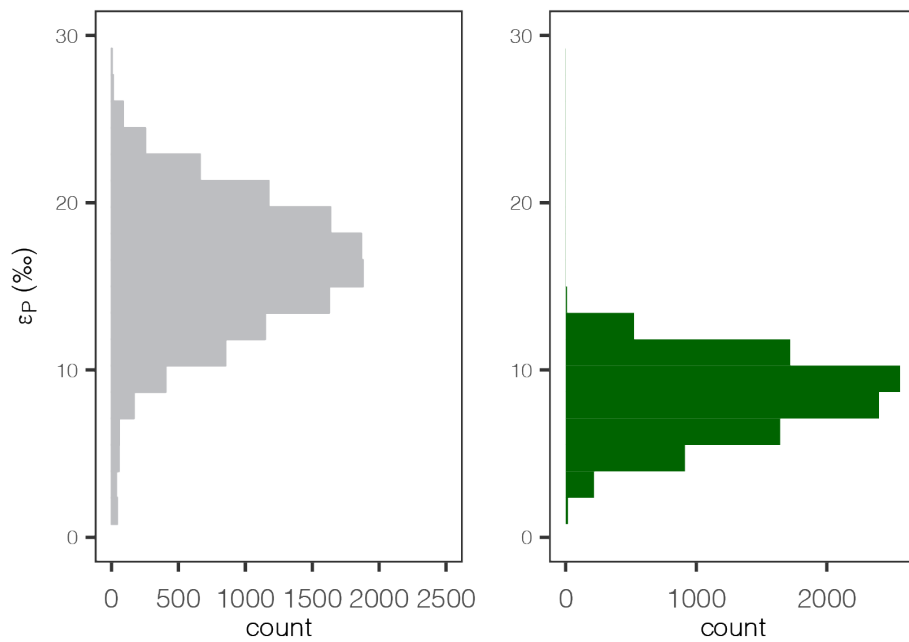


Fig. S3. Comparing the ϵ_P distribution between the middle Proterozoic (left) and a modern cyanobacterial mat (right). Both distributions are the result of Monte Carlo simulations and bootstrap resampling of sedimentary carbon isotope records (left) and a previously published isotopic characterization of a cyanobacterial mat (right; 26).

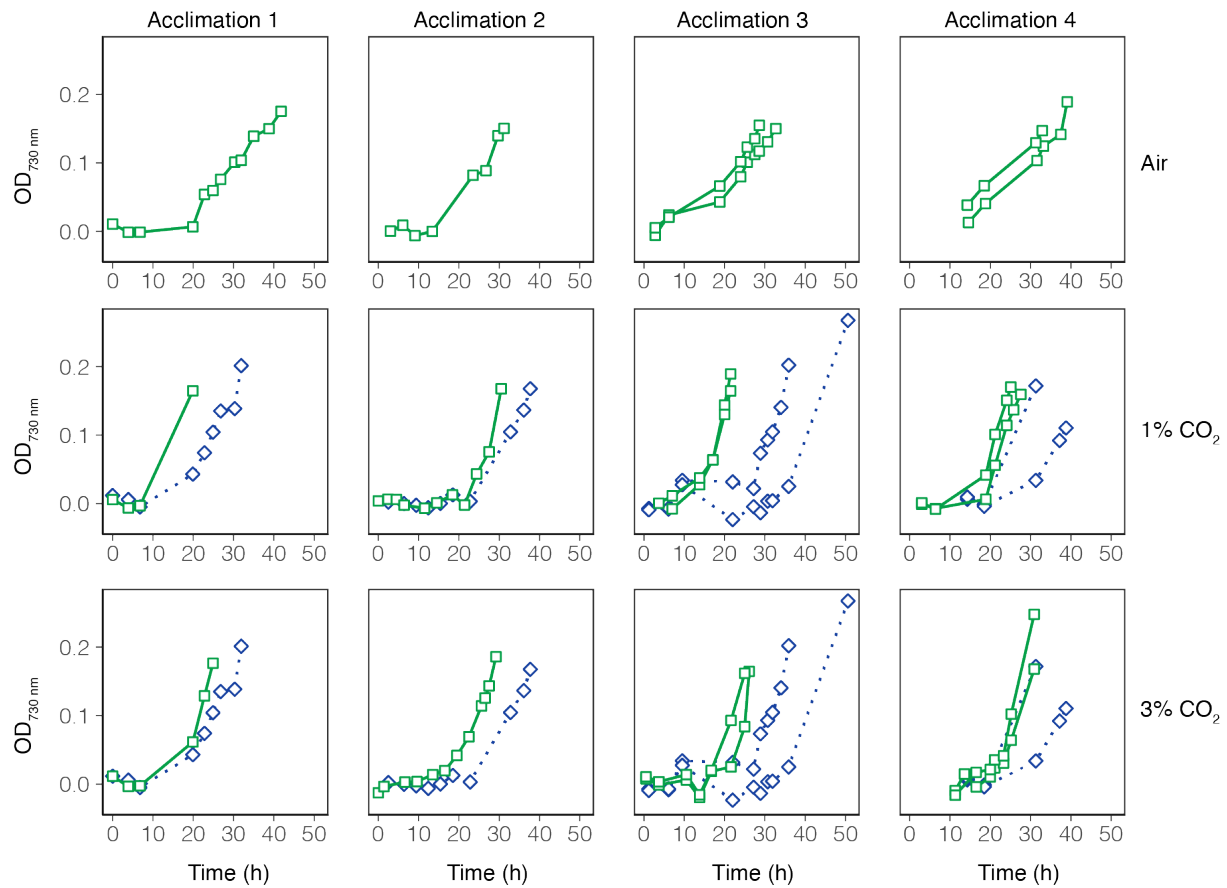


Fig. S4. Growth curves for cultures of *Synechococcus* 7002 in air, 1% CO₂, and 3% CO₂ corresponding to 1, 36, and 107 PAL CO₂. Green squares and solid lines represent wild-type *Synechococcus* 7002. Blue diamonds and dashed lines represent the Δccm mutant.

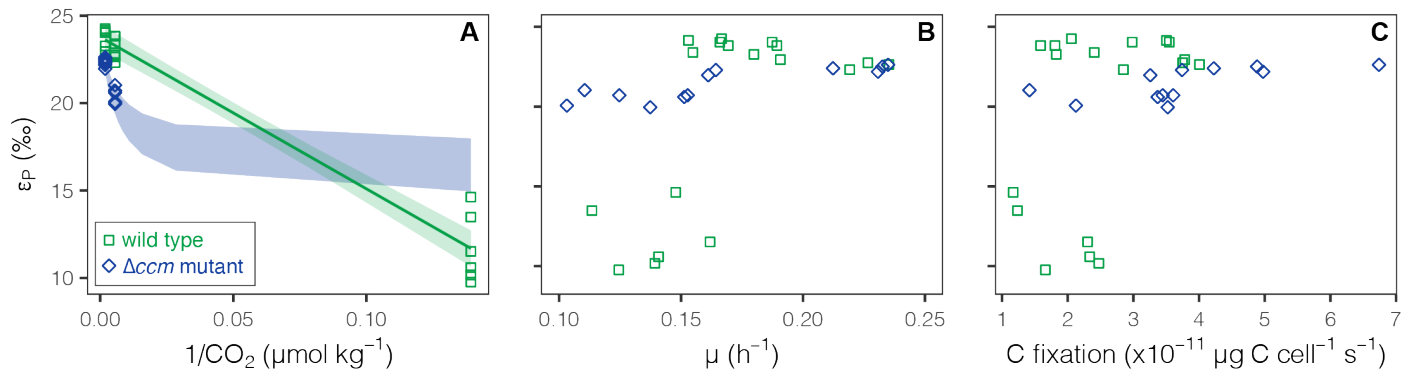


Fig. S5. The dependence of ϵ_P values observed in *Synechococcus* 7002 cultures on CO_2 and growth parameters. **A.** Values of ϵ_P in the wild-type strain (green symbols) show a linear dependence on $1/\text{CO}_2$ (green line; R^2 : 0.96, shading represents 95% confidence interval). Values of ϵ_P in the Δccm strain (blue symbols) were used to model the dependence of ϵ_P on CO_2 concentration (blue shading). **B.** Values of ϵ_P do not vary systematically with specific growth rate (μ). **C.** The relationship between carbon fixation rate and ϵ_P values used to train the Δccm strain model.

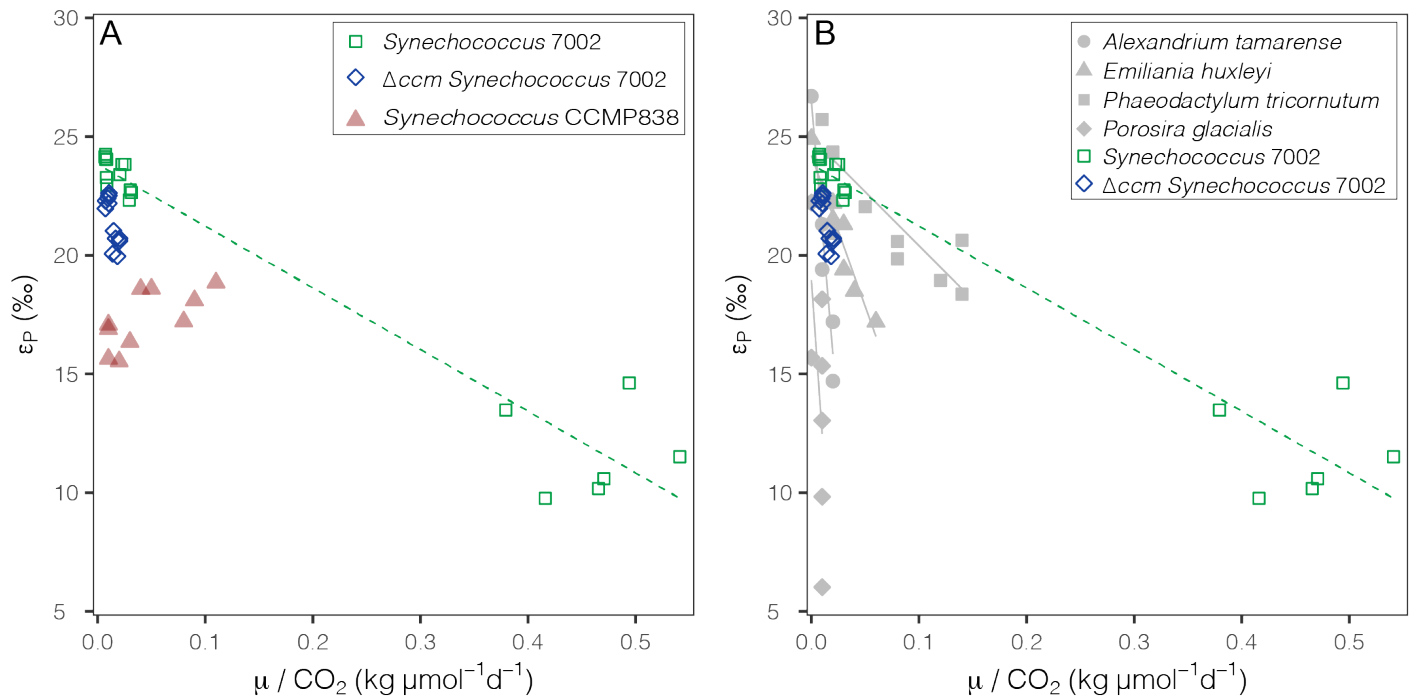


Fig. S6. Cyanobacterial and algal ϵ_P relationships. **A.** Cyanobacterial ϵ_P relationships observed in wild-type *Synechococcus* 7002 and $\Delta cc m$ mutant (this study) differ from the ϵ_P relationship found in alpha cyanobacterium *Synechococcus* CCMP838 (28). **B.** ϵ_P relationships found in wild type *Synechococcus* 7002 and $\Delta cc m$ mutant resemble ϵ_P relationships in eukaryotic algae (78).

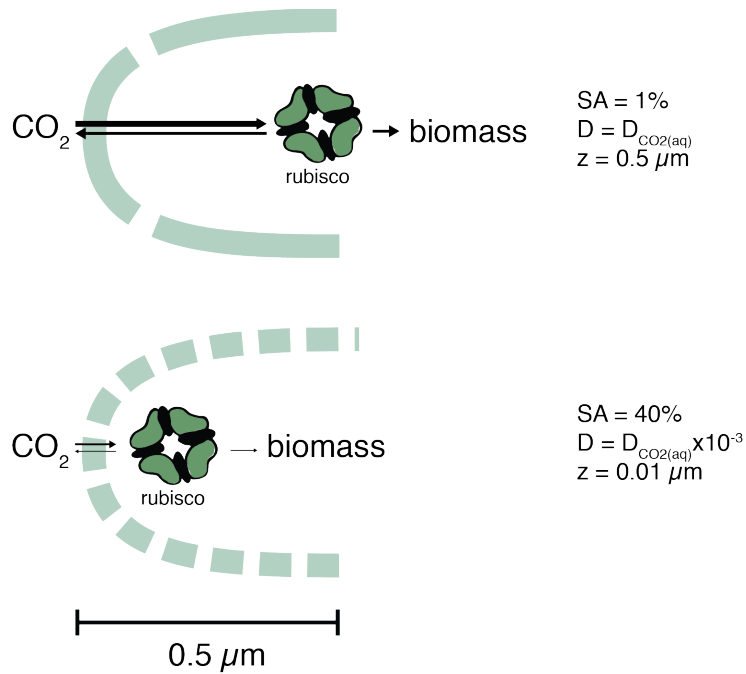


Fig. S7. 1D reaction-diffusion model. Fluxes include diffusion of CO_2 into the cell, autotrophic carbon fixation through the Calvin-Benson cycle, and diffusion of CO_2 out of the cell. The three interdependent model parameters are the surface area available for diffusion of CO_2 (SA), the diffusion coefficient for CO_2 at 37°C (D), and the distance to the rubisco active site (z). Example values of these parameters are shown here to illustrate the range of values possible for each parameter.

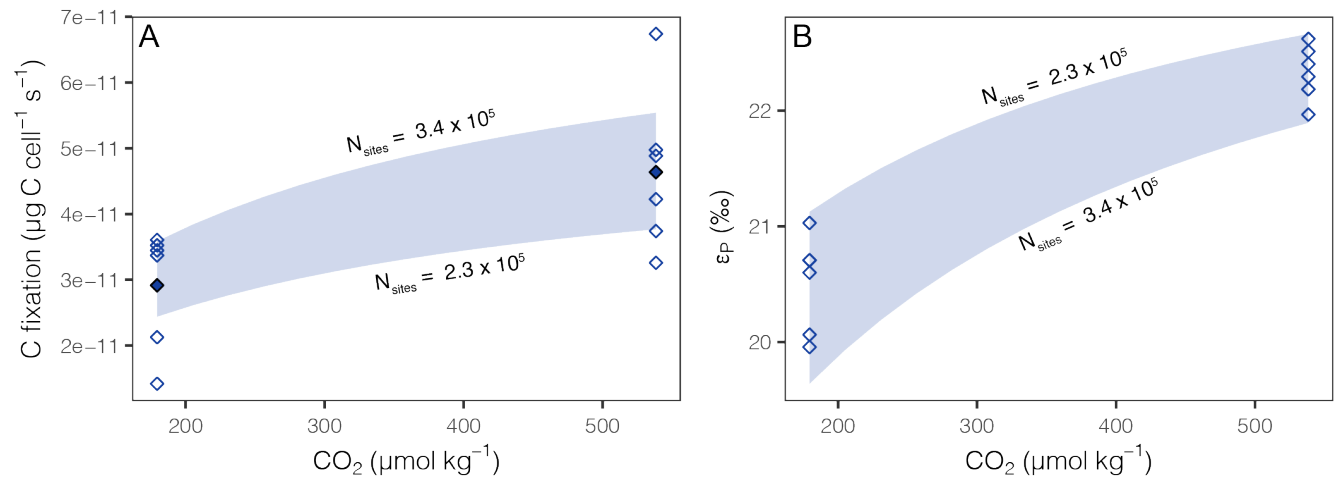


Fig. S8. Carbon fixation rate and ϵ_P values as a function of dissolved CO₂ concentration in the Δccm mutant. **A:** Open symbols represent measured carbon fixation rate for cultures of the Δccm mutant grown under a 1% and 3% CO₂ headspace (36 and 107 PAL CO₂). The shaded area represents the theoretical relationship between carbon fixation rate and CO₂ concentration from Clark et al. (76) fit to the observed culture data using the number of rubisco sites (N_{sites}). This fit could be similarly achieved by scaling the rubisco kinetics or incorporating an unknown factor to account for differences between the theoretical model and the measured carbon fixation rates. **B:** The carbon fixation rate as a function of dissolved CO₂ concentration is then used as a model input to predict corresponding ϵ_P values.

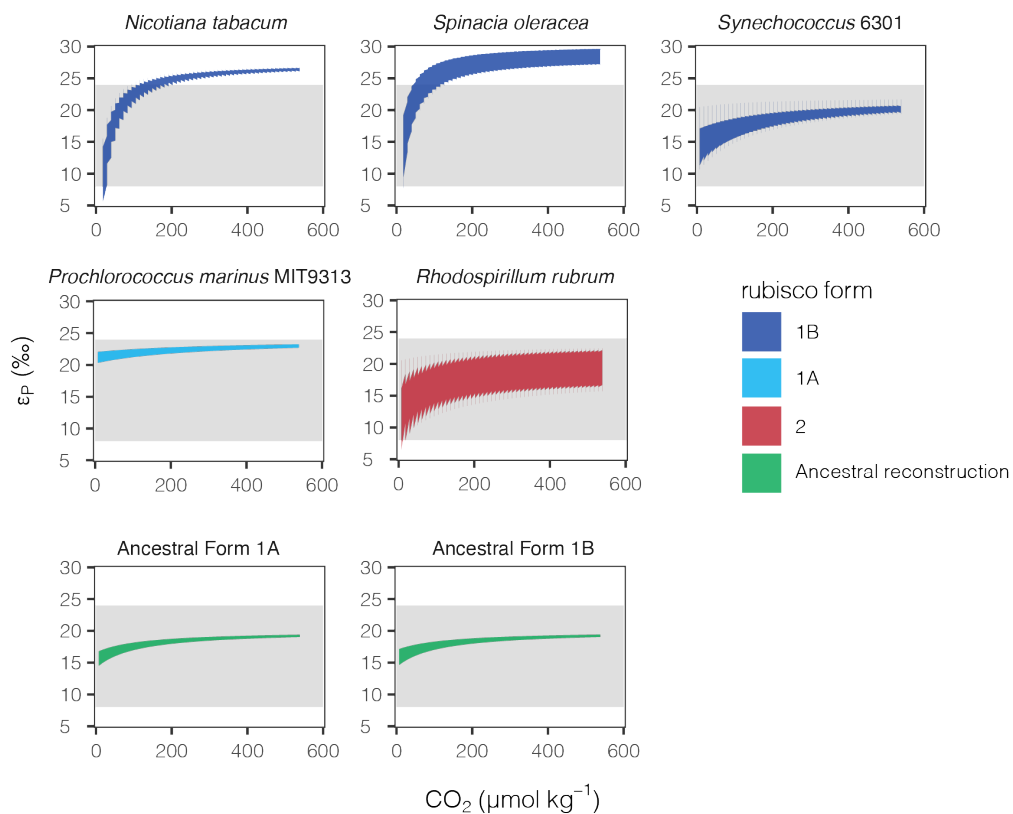


Fig. S9. The modeled relationship between ϵ_P values and CO_2 for both extant rubisco and ancestral reconstructions. The grey band represents the estimated middle Proterozoic distribution of ϵ_P (95th percentile; 8-24‰). For extant rubisco forms, colored fields represent model results with ϵ_{fix} values from (77) and rubisco kinetics from (51) listed in Table S3. For the ancestral forms, colored fields represent model results with an example ϵ_{fix} value of 20‰ and kinetic parameters from (42). In all cases the model was run over O_2 concentrations of 0.14-14 $\mu\text{mol l}^{-1}$ (0.1-10% PAL).

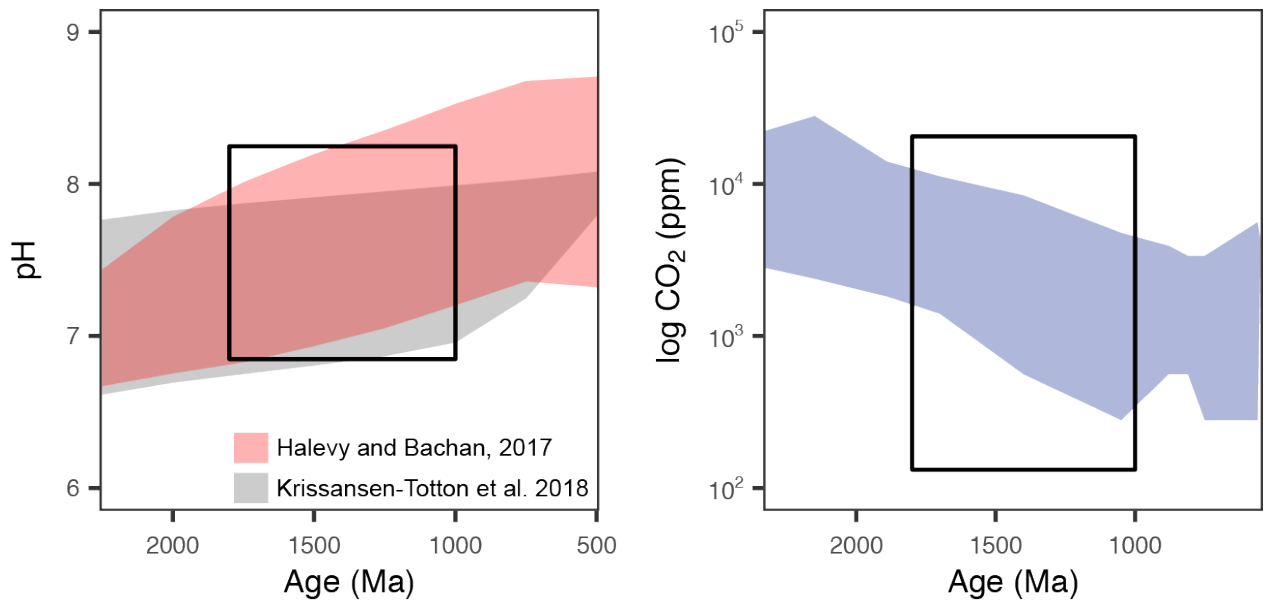


Fig. S10. Experimental culture conditions projected onto Proterozoic $p\text{CO}_2$ and pH estimates. The height of the boxes represents the experimental range of pH (left) and dissolved CO_2 translated into $p\text{CO}_2$ levels using the culture pH between assumed Proterozoic ocean temperatures of 3-30°C (right). The width of the box represents the middle Proterozoic time period resampled for the statistical simulations of the carbon isotope record. Estimates of Proterozoic pH are 95% confidence intervals from (39) and (38). Estimates of Proterozoic $p\text{CO}_2$ levels are from (8).

Supplementary Table 1. Growth parameters for wild type *Synechococcus* 7002 and Δccm mutant. Net specific growth rate was calculated according to Eq. S6. Carbon fixation rates (C_{fix}) was calculated according to Eq. S7. Analytical error for $\delta^{13}C_{biomass}$ values is $\pm 0.1\%$ and 0.01% for $\delta^{13}C_{CO_2}$ values. Values of $\delta^{13}C_{CO_2}$ in air are from <https://www.esrl.noaa.gov/gmd/dv/iadv/index.php> (Niwt Ridge site).

Headspace CO ₂ (PAL)	CO ₂ ($\mu\text{mol kg}^{-1}$)	Strain	Acclimation	Doubling time (h)	C_{fix} (fg C cell ⁻¹ h ⁻¹)	$\delta^{13}C_{biomass}$ (‰)	$\delta^{13}C_{CO_2}$ (‰)	ϵ_P (‰)
1	7	WT	1	6.1	44	-22.5	-8.0	13.5 ± 0.1
1	7	WT	2	4.7	42	-23.5	-8.0	14.6 ± 0.1
1	7	WT	3	4.9	84	-19.6	-8.0	10.6 ± 0.1
1	7	WT	3	4.3	83	-20.4	-8.0	11.5 ± 0.1
1	7	WT	4	5.6	60	-18.7	-8.0	9.8 ± 0.1
1	7	WT	4	5.0	89	-19.1	-8.0	10.2 ± 0.1
36	180	WT	1	3.0	144	-50.2	-27.7	22.6 ± 0.1
36	180	WT	2	4.5	87	-50.8	-27.7	23.4 ± 0.1
36	180	WT	3	3.1	135	-50.1	-27.7	22.7 ± 0.1
36	180	WT	3	3.2	103	-49.8	-27.7	22.3 ± 0.1
36	180	WT	4	4.1	65	-51.1	-27.7	23.8 ± 0.1
36	180	WT	4	3.7	57	-51.1	-27.7	23.8 ± 0.1
107	538	WT	1	3.6	136	-63.0	-40.6	22.9 ± 0.1
107	538	WT	2	4.2	107	-63.9	-40.6	24.0 ± 0.1
107	538	WT	3	3.9	66	-63.1	-40.6	23.3 ± 0.1
107	538	WT	3	3.7	128	-63.8	-40.6	24.0 ± 0.1
107	538	WT	4	4.5	126	-63.8	-40.6	24.1 ± 0.1
107	538	WT	4	4.2	74	-63.9	-40.6	24.3 ± 0.1
36	180	Δccm	1	4.5	130	-48.3	-27.7	20.7 ± 0.1
36	180	Δccm	2	5.6	124	-48.3	-27.7	20.7 ± 0.1
36	180	Δccm	3	5.1	127	-47.5	-27.7	20.0 ± 0.1
36	180	Δccm	3	6.7	77	-47.7	-27.7	20.1 ± 0.1
36	180	Δccm	4	4.6	121	-48.0	-27.7	20.6 ± 0.1
36	180	Δccm	4	6.3	51	-48.4	-27.7	21.0 ± 0.1
107	538	Δccm	1	4.2	135	-62.4	-40.6	22.3 ± 0.1
107	538	Δccm	2	4.3	117	-61.9	-40.6	22.0 ± 0.1
107	538	Δccm	3	3.3	152	-62.2	-40.6	22.4 ± 0.1
107	538	Δccm	3	3.0	179	-62.1	-40.6	22.2 ± 0.1
107	538	Δccm	4	3.0	176	-62.3	-40.6	22.5 ± 0.1
107	538	Δccm	4	3.0	243	-62.3	-40.6	22.6 ± 0.1

Supplementary Table 2. 1D reaction-diffusion model parameters.

Parameter	Description	Values	Units	Notes
C_{fix}	Measured C fixation rate	1.4×10^{-11} - 6.7×10^{-11}	$\mu\text{g C cell}^{-1} \text{ s}^{-1}$	Grown under 25-75 PAL CO_2
J_{fix}	Converted C fixation rate		$\mu\text{g C } \mu\text{m}^{-2} \text{ s}^{-1}$	$C_{\text{fix}}/(\text{SA} \times \text{fSA})$
C_0	Experimental dissolved $[\text{CO}_2]$	8.8×10^{-14} - 6.6×10^{-12}	$\mu\text{g C } \mu\text{m}^{-3}$	Calculated from $p\text{CO}_2$ and pH using csys (72)
z	Distance to the sink	0.01-0.5	μm	Based on a cell with a radius of $0.5 \mu\text{m}$
SA	Surface area of a rod	6.3	μm^2	Based on a rod with a radius of $0.5 \mu\text{m}$ and a length of $2 \mu\text{m}$ representing a cyanobacterial cell
fSA	Effective surface area	0.01-0.4	fraction	Proportion of surface area available for diffusion of CO_2
D	Diffusion coefficient CO_2	26.9-2690	$\mu\text{m}^2 \text{ s}^{-1}$	Constrained by the diffusion coefficient of $\text{CO}_{2(aq)}$ in water ($2.69 \times 10^3 \mu\text{m}^2 \text{ s}^{-1}$ at 37°C) (79)
α_{diff}	Fractionation associated with diffusion of CO_2	1.00087		O'Leary et al. (80)
α_{fix}	Fractionation associated with rubisco	1.0243		Note 1.
k_{cat}	form IB rubisco	11.4	molecules site ⁻¹ s ⁻¹	adapted from Clark et al. (76)
$K_{\text{m, CO}_2}$	form IB rubisco	185	$\mu\text{mol l}^{-1}$	adapted from Clark et al. (76)
$K_{\text{m, O}_2}$	form IB rubisco	1300	$\mu\text{mol l}^{-1}$	adapted from Clark et al. (76)
O_2	Concentration of dissolved O_2	143	$\mu\text{mol l}^{-1}$	Calculated. Note 2.
N_{sites}	rubisco active sites	2.3×10^5 - 3.4×10^5	number	Note 3.

¹ Previously published fractionation for form IB rubisco in *Synechococcus* PCC 6301 are $22 \pm 0.2\text{‰}$ (74) and 20.9 ± 0.8 (75). Here, we set ϵ_{fix} at 24.3‰ , the maximum whole-cell ϵ_{P} value we observed for *Synechococcus* 7002.

² The concentration of dissolved oxygen was calculated from DOTABLES from the USGS (<https://www.usgs.gov/software/dotables>) using growth medium conditions of 37°C , 0.821 atm, and 32‰ salinity.

³ The number of rubisco active sites was used to fit the theoretical relationship (76) through the observed range of carbon fixation rates at 36 and 107 PAL. This fit could be similarly achieved by scaling the rubisco kinetics.

Supplementary Table 3. Model inputs for rubisco characteristics from extant organisms and ancestral state reconstructions (ASR). Values for ϵ_{fix} from (77), kinetic parameters for extant rubiscos from (51), kinetic parameters for ancestral rubiscos from (42)

Source	Form	ϵ_{fix}	k_{cat} (s^{-1})			K_{mCO_2} (μM)			K_{mO_2} (μM)		Taxonomy	
ASR	Anc. 1B	--	4.77	\pm	0.1	113	\pm	6	2010	\pm	571	Ancestral
ASR	Anc. 1A	--	4.72	\pm	0.1	120	\pm	10	641	\pm	49	Ancestral
Spinacia oleracea	1B	29.3	2.9	\pm	0.2	10	\pm	1	250	\pm	33	C3 plants
Spinacia oleracea	1B	29.3	3.2	\pm	0.1	12.1	\pm	1	574	\pm	19	C3 plants
Spinacia oleracea	1B	29.3	3.2	\pm	0.1	12.1	\pm	1	574	\pm	19	C3 plants
Spinacia oleracea	1B	29.3	2.7	\pm	0.1	11	\pm	2	520	\pm	25	C3 plants
Nicotiana tabacum	1B	27.4	3.9	\pm	0.2	9	\pm	0	292	\pm	20	C3 plants
Nicotiana tabacum	1B	27.4	3.4	\pm	0.1	10.7	\pm	1	295	\pm	71	C3 plants
Nicotiana tabacum	1B	27.4	3.1	\pm	0.3	9.7	\pm	0	283	\pm	15	C3 plants
Nicotiana tabacum	1B	27.4	3.4	\pm	0.1	10.7	\pm	1	295	\pm	71	C3 plants
Synechococcus 6301	1B	22.0	11.4	\pm	0.7	185	\pm	17	1300	\pm	172	Cyanobacteria
Synechococcus 6301	1B	22.0	12	\pm	0.7	167	\pm	15	529	\pm	69.8	Cyanobacteria
Synechococcus 6301	1B	22.0	11.8	\pm	0.2	200	\pm	9	199	\pm	42	Cyanobacteria
Synechococcus 6301	1B	22.0	2.57	\pm	0.2	142	\pm	1	664	\pm	82	Cyanobacteria
Synechococcus 6301	1B	22.0	3.71	\pm	0.2	167	\pm	2	529	\pm	14	Cyanobacteria
Synechococcus 6301	1B	22.0	11.6	\pm	0.4	340	\pm	12	972	\pm	26	Cyanobacteria
Synechococcus 6301	1B	22.0	9.78	\pm	0.5	152	\pm	23	1230	\pm	135	Cyanobacteria
Prochlorococcus marinus MIT9313	1A	24.0	6.58	\pm	0.3	309	\pm	24	1400	\pm	300	Cyanobacteria
Rhodospirillum rubrum	2	20.4	5.7	\pm	0.3	89	\pm	8	406	\pm	53.6	Alphaproteobacteria
Rhodospirillum rubrum	2	20.4	12.3	\pm	0.3	149	\pm	8	159	\pm	25	Alphaproteobacteria
Rhodospirillum rubrum	2	20.4	4.3	\pm	0.5	125	\pm	12	143	\pm	3	Alphaproteobacteria
Rhodospirillum rubrum	2	20.4	7.3	\pm	0.3	80	\pm	11	406	\pm	48	Alphaproteobacteria

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