Supporting Information for:

Synthesis of Highly Transparent Diblock Copolymer Vesicles *via* **RAFT Dispersion Polymerization of 2,2,2-Trifluoroethyl Methacrylate in** *n***-Alkanes**

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Figure S1. Assigned ¹⁹F NMR spectrum recorded in CDCl₃ for the PSMA₉-PTFEMA₂₉₄ diblock copolymer vesicles prepared *via* RAFT dispersion polymerization of TFEMA at 25% w/w solids in *n*-dodecane at 90 °C. In this case, the target diblock copolymer composition was PSMA₉-PTFEMA₃₀₀ and the final TFEMA monomer conversion was 98%.

Figure S2. THF GPC curves recorded for the PSMA₉-PTFEMA₂₉₁ diblock copolymer vesicles prepared at 20% w/w solids and the corresponding PSMA9 macro-CTA using (a) a refractive index detector *vs*. poly(methyl methacrylate) standards and (b) a UV detector calibrated at a fixed wavelength of 260 nm against polystyrene standards.

| | Solids | TFEMA | THF GPC | | DLS | | | |
|--|--|----------------------|-----------------------------------|-----------------------|--------------------------|--------------------------|---------------------------------|--|
| Target Composition | Content $(* \times \mathbf{w} \times \mathbf{w})$ | Conversion $(\%)$ | M_{n} $(g \text{ mol}^{-1})$ | $M_{\rm w}/M_{\rm n}$ | D_h (nm) | PDI | TEM Morphology | |
| PSMA ₉ macro-CTA | | | 2,700 | 1.22 | \overline{a} | $\overline{}$ | | |
| $PSMA9-PTFEMA20$ | 15 | 95 | 4,200 | 1.17 | $\overline{}$ | | No particles | |
| $PSMA9-PTFEMA40$ | 15 | 95 | 5,900 | 1.19 | 19 | 0.12 | Spheres | |
| $PSMA9-PTFEMA50$ | 15 | 97 | 8,800 | 1.21 | 138 | 0.22 | Worms | |
| $PSMA9-PTFEMA60$ | 15 | 95 | 9,900 | 1.17 | 140 | 0.23 | Worms | |
| PSMA ₉ -PTFEMA ₆₅ | 15 | 95 | 10,300 | 1.27 | 246 | 0.37 | Worms | |
| $PSMA9-PTFEMA70$ | 15 | 96 | 10,100 | 1.27 | 143 | 0.34 | Worms | |
| PSMA ₉ -PTFEMA ₇₅ | 15 | 95 | 10,600 | 1.18 | 90 | 0.18 | Mixed phase | |
| $PSMA9-PTFEMA80$ | 15 | 96 | 11,200 | 1.18 | 92 | 0.19 | Mixed phase | |
| PSMA ₉ -PTFEMA ₉₀ | 15 | 97 | 11,500 | 1.29 | 95 | 0.07 | Mixed phase | |
| $PSMA9-PTFEMA100$ | 15 | 96 | 12,900 | 1.24 | 100 | 0.08 | Vesicles | |
| $PSMA9-PTFEMA120$ | 15 | 96 | 14,500 | 1.24 | 108 | 0.09 | Vesicles | |
| $PSMA9-PTFEMA140$ | 15 | 95 | 16,200 | 1.19 | 125 | 0.22 | Vesicles | |
| $PSMA9-PTFEMA160$ | 15 | 96 | 18,400 | 1.32 | 188 | 0.24 | Vesicles | |
| $PSMA9-PTFEMA180$ | 15 | 96 | 17,600 | 1.29 | 165 | 0.24 | Vesicles | |
| $PSMA9-PTFEMA200$ | 15 | 96 | 21,200 | 1.28 | 169 | 0.16 | Vesicles | |
| $PSMA9-PTFEMA250$ | 15 | 97 | 23,200 | 1.29 | 153 | 0.04 | Vesicles | |
| PSMA ₉ -PTFEMA ₃₀₀ | 15 | 97 | 28,500 | 1.32 | 158 | 0.05 | Vesicles | |

Table S1. Summary of the GPC, DLS, and TEM data obtained for a series of PSMA₉-PTFEMAx diblock copolymer nano-objects prepared at 15% w/w in *n*-dodecane. The PSMA⁹ precursor block is also included as a reference.

Table S2. Summary of the GPC, DLS, and TEM data obtained for a series of PSMA9- PTFEMAx diblock copolymer nano-objects prepared at 20% and 25% w/w in *n*-dodecane.

Figure S3. Digital photograph recorded for a 20% w/w dispersion of $PSMA_9-PTFEMA_{63}$ worms prepared *via* RAFT dispersion polymerization of TFEMA in *n*-dodecane at 90 °C. A highly transparent, free-standing gel is obtained for this PISA formulation.

Table S3. Summary of structural parameters obtained from fitting small-angle X-ray scattering patterns recorded for a series of $PSMA₉-PTFEMA_x$ nano-objects using either a spherical micelle,¹ worm-like micelle¹, or vesicle model.² D_{sphere} is the overall sphere diameter such that $D_{\text{sphere}} = 2R_s + 4R_g$, where R_s is the mean core radius and R_g is the radius of gyration of the stabilizer chains. T_{worm} is the overall worm thickness ($T_{\text{worm}} = 2R_{\text{wc}} + 4R_{\text{g}}$, where R_{wc} is the mean worm core radius) and L_{worm} is the mean worm contour length. D_{vesicle} is the overall vesicle diameter ($D_{\text{vesicle}} = 2R_m + T_{\text{membrane}} + 4R_g$, where R_m is the distance from the center of the vesicle to the center of the vesicle membrane, and T_{membrane} is the vesicle membrane thickness). N_{agg} is the mean aggregation number (*i.e.*, the mean number of copolymer chains per nano-object).

| Block copolymer | Nanoparticle Morphology | D sphere (nm) | T worm (nm) | L worm (nm) | D vesicle (nm) | membrane (nm) | \boldsymbol{N} agg |
|---------------------------|----------------------------|--------------------------|-------------------|-------------------|--------------------------|------------------|-------------------------|
| PSMA -PTFEMA | Spheres | 14.6 ± 1.7 | - | | $\overline{}$ | | 110 |
| PSMA-PTFEMA 49 | Worms | $\overline{}$ | 15.8 ± 2.0 | 905 | $\overline{}$ | | 13,700 |
| PSMA -PTFEMA 63 | Worms | $\overline{}$ | 16.4 ± 2.1 | 1040 | $\overline{}$ | | 13,400 |
| PSMA-PTFEMA 194 | Vesicles | | | | 195 ± 66 | 20.6 ± 4.4 | 50,700 |
| PSMA-PTFEMA 291 | Vesicles | | | | 190 ± 48 | 28.8 ± 4.4 | 41,100 |

Figure S4. Transmittance *vs*. wavelength plots recorded between 20 and 90 °C for 25% w/w dispersions of PSMA9-PTFEMA294 vesicles in *n*-dodecane.

Table S4. Summary of the GPC and DLS data obtained for PSMA₁₆-PTFEMA₈₆ spherical nanoparticles prepared at 15% w/w solids in *n*-hexadecane during the *in situ* visible absorption spectroscopy study and the kinetic experiments conducted using ¹⁹F NMR spectroscopy.

Figure S5. Representative TEM images recorded for PSMA₁₆−PTFEMA₈₆ spherical nanoparticles prepared at 15% w/w solids in *n*-hexadecane during (a) the *in situ* visible absorption spectroscopy study and (b) the kinetic experiments conducted using ¹⁹F NMR spectroscopy. The very similar particle size indicated by these two images is consistent with the DLS data reported in **Table S4**.

Figure S6. Absorbance *vs*. time curve observed for the PSMA₁₆ stabilizer block dissolved in *n*-hexadecane ([PSMA₁₆] = 6.2 mmol dm⁻³ = 35 g dm⁻³) on heating for 5 h at 90 °C. The monotonic reduction in absorbance under such conditions indicates the gradual loss of dithiobenzoate RAFT end-groups even in the absence of any free radical initiator.

Figure S7. Systematic blue shift in λ_{max} observed for the relatively weak $n \to \pi^*$ transition of the dithiobenzoate end-group during the synthesis of $PSMA_{16}$ -PTFEMA₈₆ spherical nanoparticles *via* RAFT dispersion polymerization of TFEMA at 15% w/w solids in *n*hexadecane at 90 °C. Spectra were recorded between 200 and 800 nm at a resolution of \pm 3 nm.

Figure S8. (a) Digital photograph recorded at 25 °C for an 8 mmol dm⁻³ solution of CPDB dissolved in either *n*-hexadecane (λ_{max} = 524 nm) or TFEMA monomer (λ_{max} = 518 nm), respectively. The subtle blue shift in the latter solvent is discernible to the naked eye. (b) Visible absorption spectra recorded at 25 °C for the same two 8 mmol dm-3 solutions of CPDB dissolved in either *n*-hexadecane (red data; $\lambda_{\text{max}} = 524 \text{ nm}$) or TFEMA monomer (black data; λ_{max} = 518 nm), respectively.

Table S5. Summary of the λ_{max} data obtained at 90 °C for the PSMA₁₆ precursor block dissolved in either *n*-hexadecane or TFEMA, and the $PSMA_{16}$ -PTFEMA₉ and the $PSMA_{16}$ -PTFEMA19 chains prepared at 15% w/w solids in *n*-hexadecane.

SAXS Models Used in this Study

Programming tools within the Irena SAS Igor Pro macros³ were used to implement the scattering models.

In general, the intensity of X-rays scattered by a dispersion of nano-objects [as represented by the scattering cross-section per unit sample volume, $\frac{d\Sigma}{d\Omega}(q)$] can be expressed as:

$$
\frac{d\Sigma}{d\Omega}(q) = NS(q)\int_{0}^{\infty}...\int_{0}^{\infty}F(q,r_{1,}...,r_{k})^{2}\Psi(r_{1,}...,r_{k})dr_{1,}...,dr_{k}
$$
(S1)

where $F(q, r_1, \ldots, r_k)$ is the form factor, r_1, \ldots, r_k is a set of k parameters describing the structural morphology, $\Psi(r_1,...,r_k)$ is the distribution function, $S(q)$ is the structure factor and *N* is the number density of nano-objects per unit volume expressed as:

$$
N = \frac{\varphi}{\int_0^\infty ... \int_0^\infty V(r_1,...,r_k) \Psi(r_1,...,r_k) dr_1,...,dr_k}
$$
(S2)

where $V(r_1,...,r_k)$ is the volume of the nano-object and φ is its volume fraction within the dispersion. It is assumed that $S(q) = 1$ at the sufficiently low copolymer concentrations used in this study $(1.0\% \text{ w/w})$.

Spherical micelle model

The spherical micelle form factor for Equation S1 is given by¹:

$$
F_{s_{mic}}(q)
$$

= $N_s^2 \beta_s^2 A_s^2 (q_i R_s) + N_s \beta_c^2 F_c (q_i R_g) + N_s (N_s - 1) \beta_c^2 A_c^2 (q) + 2 N_s^2 \beta \frac{(S3}{2})$

where R_s is the volume-average sphere core radius and R_g is the radius of gyration of the coronal steric stabilizer block (in this case, PSMA9). The X-ray scattering length contrasts for the core and corona blocks are given by $\beta_s = V_s(\xi_s - \xi_{sol})$ and $\beta_c = V_c(\xi_c - \xi_{sol})$ respectively. Here, ξ_s , ξ_c and ξ_{sol} are the X-ray scattering length densities of the core block (ξ_{PTFEMA} = 12.76 x 10¹⁰ cm⁻²), corona block (ξ_{PSMA} = 9.24 x 10¹⁰ cm⁻²) and *n*-dodecane solvent $(\xi_{sol}$ = 7.32 x 10¹⁰ cm⁻²), respectively. V_s and V_c are the volumes of the core block (V_{PTFEMA}) and the corona block (V_{PSMA}) , respectively. The sphere form factor amplitude is used for the amplitude of the core self-term:

$$
A_c(q, R_s) = \Phi(qR_s) \exp\left(-\frac{q^2 \sigma^2}{2}\right)
$$
 (S4)

where $\Phi(qR_s) = \frac{3[\sin(qR_s) - qR_s \cos(qR_s)]}{(qR_s)^3}$. A sigmoidal interface between the two blocks was $(qR_s)^3$ assumed for the spherical micelle form factor (Equation S3). This is described by the exponent term with a width σ accounting for a decaying scattering length density at the micellar interface. This σ value was fixed at 2.2 during fitting.

The form factor amplitude of the spherical micelle corona is:

$$
A_c(q) = \frac{\int_{R_s}^{R_s + 2s} \mu_c(r) \frac{\sin (qr)}{qr} r^2 dr}{\int_{R_s}^{R_s + 2s} \mu_c(r) r^2 dr} exp\left(-\frac{q^2 \sigma^2}{2}\right)
$$
(S5)

The radial profile, $\mu_c(r)$, can be expressed by a linear combination of two cubic b splines, with two fitting parameters s and α corresponding to the width of the profile and the weight coefficient respectively. This information can be found elsewhere,^{4,5} as can the approximate integrated form of Equation S5. The self-correlation term for the coronal block is given by the Debye function:

$$
F_c(q, R_g) = \frac{2[\exp(-q^2 R_g^2) - 1 + q^2 R_g^2]}{q^4 R_g^4}
$$
 (S6)

where R_g is the radius of gyration of the PSMA coronal block. The aggregation number, N_s , of the spherical micelle is given by:

$$
N_{s} = (1 - x_{sol}) \frac{\frac{4}{3} \pi R_{s}^{3}}{V_{s}}
$$
 (S7)

where x_{sol} is the volume fraction of solvent within the PTFEMA micelle cores, which was found to be zero in all cases. A polydispersity for one parameter (R_s) is assumed for the micelle model, which is described by a Gaussian distribution. Thus, the polydispersity function in Equation S1 can be represented as:

$$
\Psi(r_1) = \frac{1}{\sqrt{2\pi \sigma_{Rs}^2}} exp\left(-\frac{(r_1 - R_s)^2}{2\sigma_{Rs}^2}\right)
$$
 (S8)

where σ_{Rs} is the standard deviation for R_s . In accordance with Equation S2, the number density per unit volume for the micelle model is expressed as:

$$
N = \frac{\varphi}{\int_0^\infty V(r_1)\Psi(r_1)dr_1}
$$
 (S9)

where φ is the total volume fraction of copolymer in the spherical micelles and $V(r_1)$ is the total volume of copolymer within a spherical micelle $[V(r_1) = (V_s + V_c)N_s(r_1)].$

Worm-like micelle model

The worm-like micelle form factor for Equation S1 is given by:

$$
F_{w_mic}(q) = N_w^2 \beta_s^2 F_{sw}(q) + N_w \beta_c^2 F_c(q, R_g) + N_w (N_w - 1) \beta_c^2 S_{cc}(q) + 2N_w^2 \beta_s f \frac{(S10)}{)}
$$

where all the parameters are the same as those described in the spherical micelle model (Equation S3), unless stated otherwise.

The self-correlation term for the worm core cross-sectional volume-average radius R_w is:

$$
F_{sw}(q) = F_{worm}(q, L_w, b_w) A_{CSworm}^2(q, R_{sw})
$$
\n
$$
(S11)
$$

where

$$
A_{CSworm}{}^{2}(q, R_{sw}) = \left[2\frac{J_{1}(qR_{sw})}{qR_{sw}}\right]^{2}
$$
 (S12)

and J_1 is the first-order Bessel function of the first kind, and a form factor $F_{worm}(q, L_w, b_w)$ for self-avoiding semi-flexible chains represents the worm-like micelles, where b_w is the Kuhn length and L_w is the mean contour length. A complete expression for the chain form factor can be found elsewhere.⁶

The mean aggregation number of the worm-like micelle, N_w , is given by:

$$
N_w = (1 - x_{sol}) \frac{\pi R_{sw}^2 L_w}{V_s}
$$
 (S13)

S10

where x_{sol} is the volume fraction of solvent within the worm-like micelle cores, which was found to be zero in all cases. The possible presence of semi-spherical caps at both ends of each worm is neglected in this form factor.

A polydispersity for one parameter (R_w) is assumed for the micelle model, which is described by a Gaussian distribution. Thus, the polydispersity function in Equation S1 can be represented as:

$$
\Psi(r_1) = \frac{1}{\sqrt{2\pi \sigma_{R_{\rm w}}}^2} exp\left(-\frac{(r_1 - R_{\rm w})^2}{2\sigma_{R_{\rm w}}^2}\right)
$$
(S14)

where σ_{R_w} is the standard deviation for R_w . In accordance with Equation S2, the number density per unit volume for the worm-like micelle model is expressed as:

$$
N = \frac{\varphi}{\int_0^\infty V(r_1)\Psi(r_1)dr_1}
$$
(S15)

where φ is the total volume fraction of copolymer in the worm-like micelles and $V(r_1)$ is the total volume of copolymer in a worm-like micelle $[V(r_1) = (V_s + V_c)N_w(r_1)].$

Vesicle model

The vesicle form factor in Equation S1 is expressed as:²

$$
F_{ves}(q)
$$

= $N_v^2 \beta_m^2 A_m^2(q) + N_v \beta_{vc}^2 F_c(q, R_g) + N_v (N_v - 1) \beta_{vc}^2 A_{vc}^2(q) + 2N_v \frac{(S1)(S_0 - 1)}{(S_0 - 1)}$

where all the parameters are the same as in the spherical micelle model (see Equation S3) unless stated otherwise.

The amplitude of the membrane self-term is:

$$
A_m(q) = \frac{V_{out}\varphi(qR_{out}) - V_{in}\varphi(qR_{in})}{V_{out} - V_{in}}exp\left(-\frac{q^2\sigma_{in}^2}{2}\right)
$$
(S17)

where $R_{in} = R_m - \frac{1}{2}T_m$ is the inner radius of the membrane, $R_{out} = R_m + \frac{1}{2}T_m$ is the outer $\frac{1}{2}T_m$ is the inner radius of the membrane, $R_{out} = R_m + \frac{1}{2}$ $\frac{1}{2}T_m$ radius of the membrane $(R_m$ is the radius from the centre of the vesicle to the centre of the membrane), $V_{in} = \frac{4}{3}\pi R_{in}^{3}$ and $V_{out} = \frac{4}{3}\pi R_{out}^{3}$. It should be noted that Equation S16 differs $\frac{4}{3}\pi R_{in}^{3}$ and $V_{out} = \frac{4}{3}$ $\frac{4}{3}\pi R_{out}^3$ subtly from the original work in which it was first described.² The exponent term in Equation S17 represents a sigmoidal interface between the blocks, with a width σ_{in} accounting for a decaying scattering length density at the membrane surface. The value of σ_{in} was fixed at 2.5 during fitting. The mean vesicle aggregation number, N_v , is given by:

$$
N_{v} = (1 - x_{sol}) \frac{V_{out} - V_{in}}{V_{m}}
$$
 (S18)

where x_{sol} is the volume fraction of solvent within the vesicle membrane, which was found to be zero in all cases. Assuming that there is no penetration of the solvophilic coronal blocks into the solvophobic membrane, the amplitude of the vesicle corona self-term is expressed as:

$$
A_{vc}(q) = \Psi(qR_g) \frac{1}{2} \left[\frac{\sin[q(R_{out} + R_g)]}{q(R_{out} + R_g)} + \frac{\sin[q(R_{in} - R_g)]}{q(R_{in} - R_g)} \right]
$$
(S19)

where the term outside the square brackets is the factor amplitude of the corona block polymer chain such that:

$$
\Psi(qR_g) = \frac{1 - \exp(-qR_g)}{(qR_g)^2}
$$
\n(S20)

For the vesicle model, it was assumed that two parameters are polydisperse: the radius from the centre of the vesicles to the centre of the membrane and the membrane thickness (denoted R_m and T_m , respectively). Each parameter is considered to have a Gaussian distribution of values, so the polydispersity function in Equation S1 can be expressed in each case as:

$$
\Psi(r_1r_2) = \frac{1}{\sqrt{2\pi \sigma_{Rs}^2}} exp\left(-\frac{(r_1 - R_m)^2}{2\sigma_{Rm}^2}\right) \frac{1}{\sqrt{2\pi \sigma_{Tm}^2}} exp\left(-\frac{(r_1 - T_m)^2}{2\sigma_{Tm}^2}\right) \tag{S21}
$$

where σ_{Rm} and σ_{Tm} are the standard deviations for R_m and T_m , respectively. Following Equation S2, the number density per unit volume for the vesicle model is expressed as:

$$
N = \frac{\varphi}{\int_0^{\infty} \int_0^{\infty} V(r_1, r_2) \Psi(r_1, r_2) dr_1 dr_2}
$$
(S22)

where φ is the total volume fraction of copolymer in the vesicles and $V(r_1,r_2)$ is the total volume of copolymers in a vesicle $[V(r_1, r_2) = (V_m + V_{vc})N_v(r_1, r_2)].$

References

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