

Constructing Graphs from Genetic Encodings

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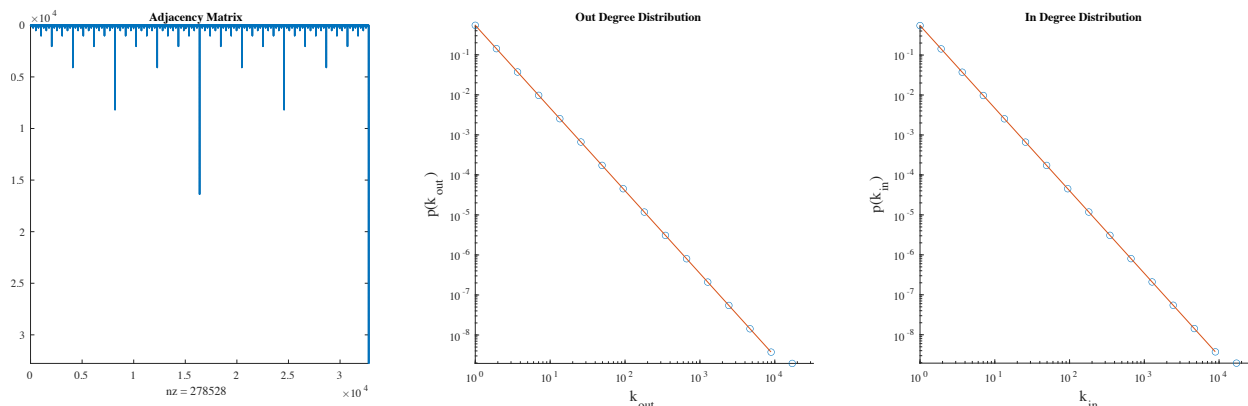


Figure S 1: **Scale-Free distributions using the connectome model.** Left: Adjacency matrix resulting from $b = 15$. Middle, right: Degree distributions of scale-free graph of $b = 15$. Both in- and out-degree distributions are best fit by $p(k) = 0.5 * k^{-1}$, as long as the outlier highest degree is excluded.

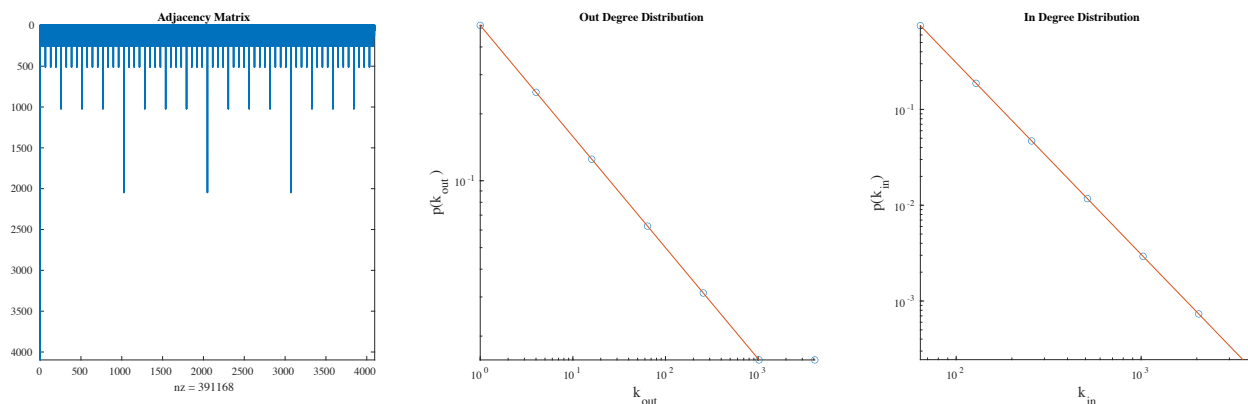


Figure S 2: **Scale Free Distribution with -2 exponent.** Left: Adjacency matrix resulting from $b = 12$. Middle, right: Degree distributions of scale-free graph of $b = 12$. While the standard model has matching in- and out-degree distribution, this alternative model has an out-degree distribution is best fit by $p_{out} \sim k^{-0.5}$, and in-degree distribution is best fit by $p_{in} \sim k^{-2}$.

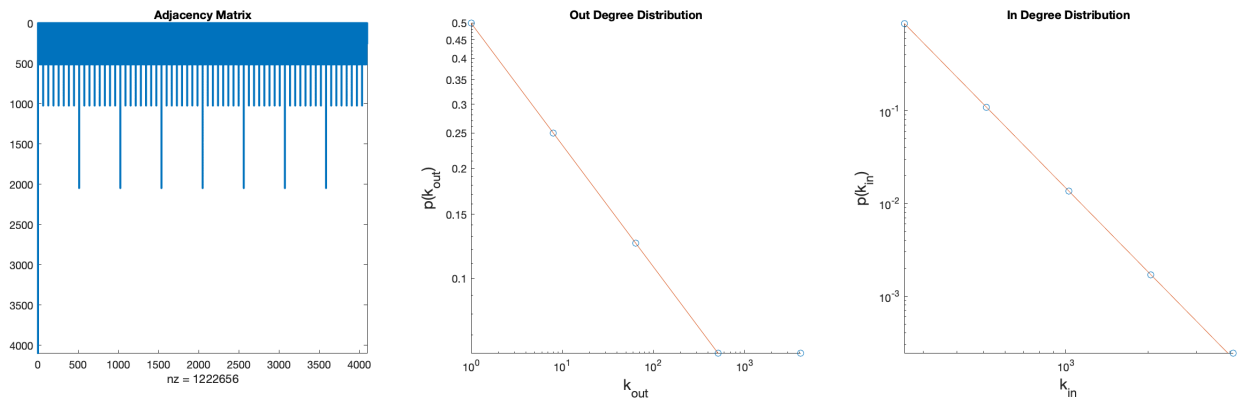


Figure S 3: **Scale Free Distribution with -3 exponent.** Left: Adjacency matrix resulting from $b = 12$. Middle, right: Degree distributions of scale-free graph of $b = 12$. While the standard model has matching in- and out-degree distribution, this alternative model has an out-degree distribution is best fit by $p_{out} \sim k^{-1/3}$, and in-degree distribution is best fit by $p_{in} \sim k^{-3}$.

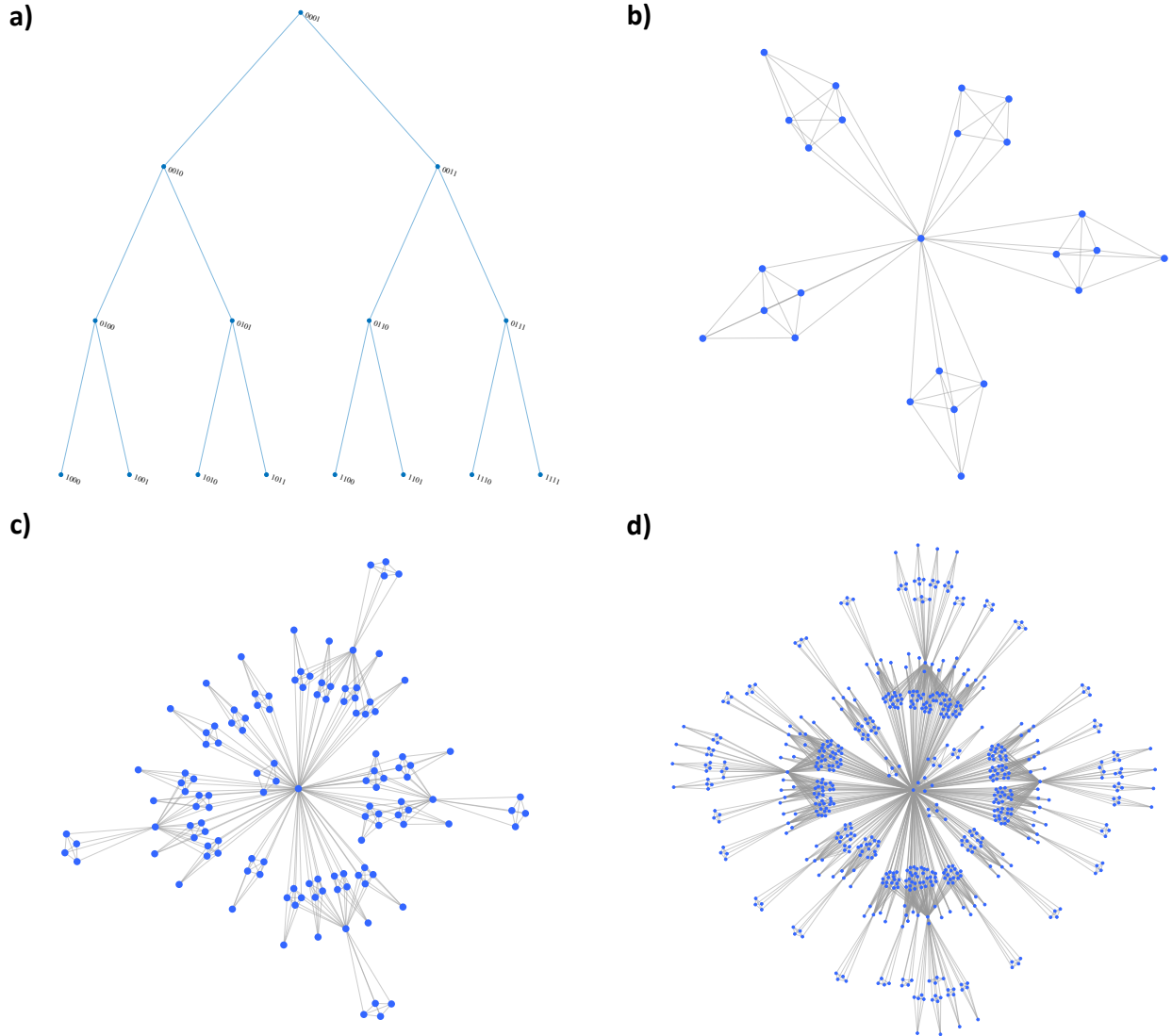


Figure S 4: **Heuristic Models for Well-Studied Networks.** (a) Binary tree of depth 4, with node barcodes labeled. (b-d) Hierarchical networks for $n = 1$ (b), $n = 2$ (c), and $n = 3$ (d).

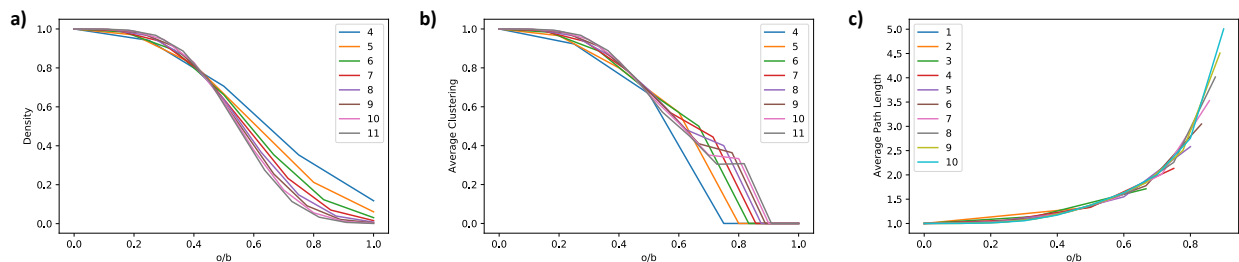


Figure S 5: **Networks Arising from Homophily Wiring Rules.** Plots of (a) Density, (b) Average Clustering, and (c) Average Path Length as a function of o/b (overlapping bits normalized by bit-length of identity) are shown for various system sizes (expressed as b values in legend). For all metrics the various system sizes (b values) display nearly identical scaling, with deviations attributable to small system sizes.

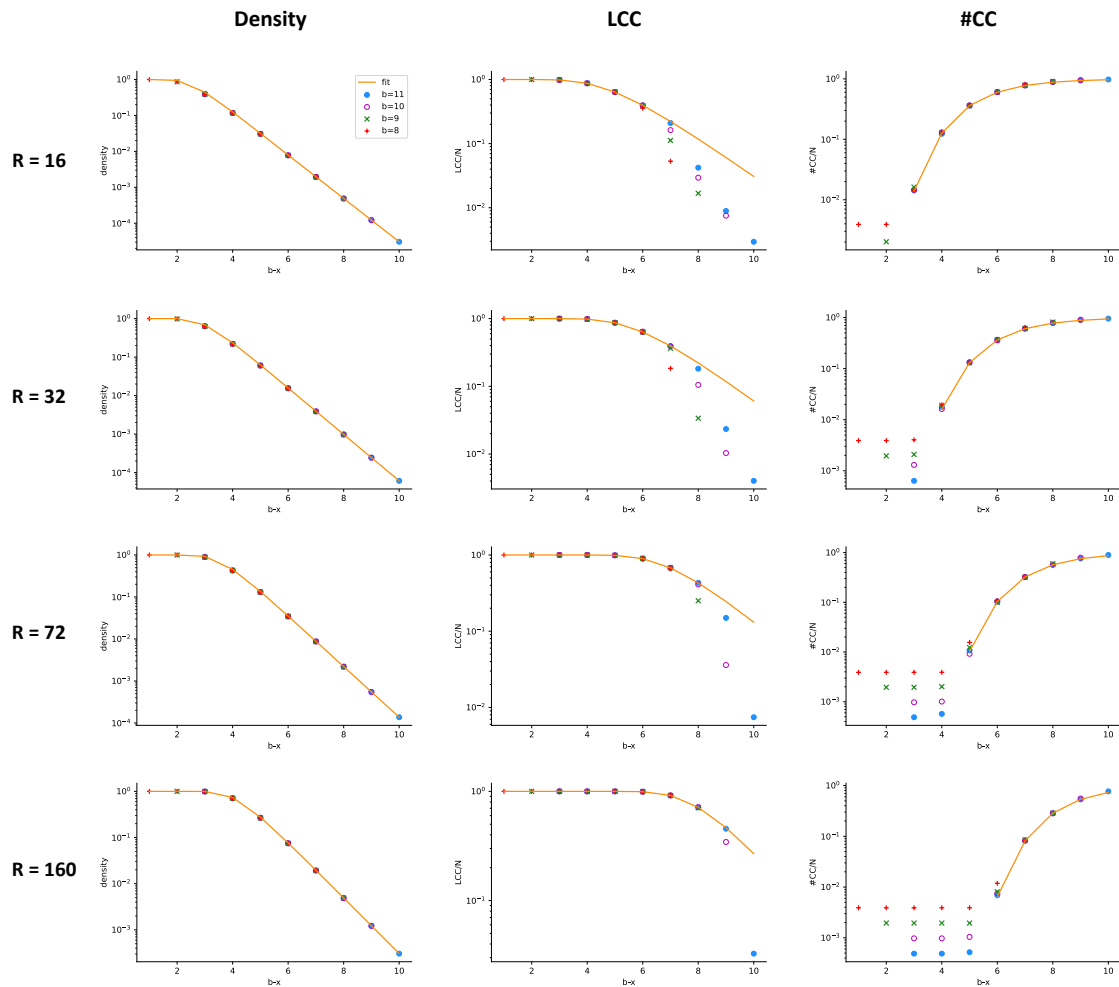


Figure S 6: **Scaling of Network Metrics with System Size.** Plots of Density, LCC and #CC are shown for four r values. In all metrics and r values, the various system sizes display nearly identical scaling, with deviations attributable to finite size arguments, as expressed in Methods [1.3.2](#).

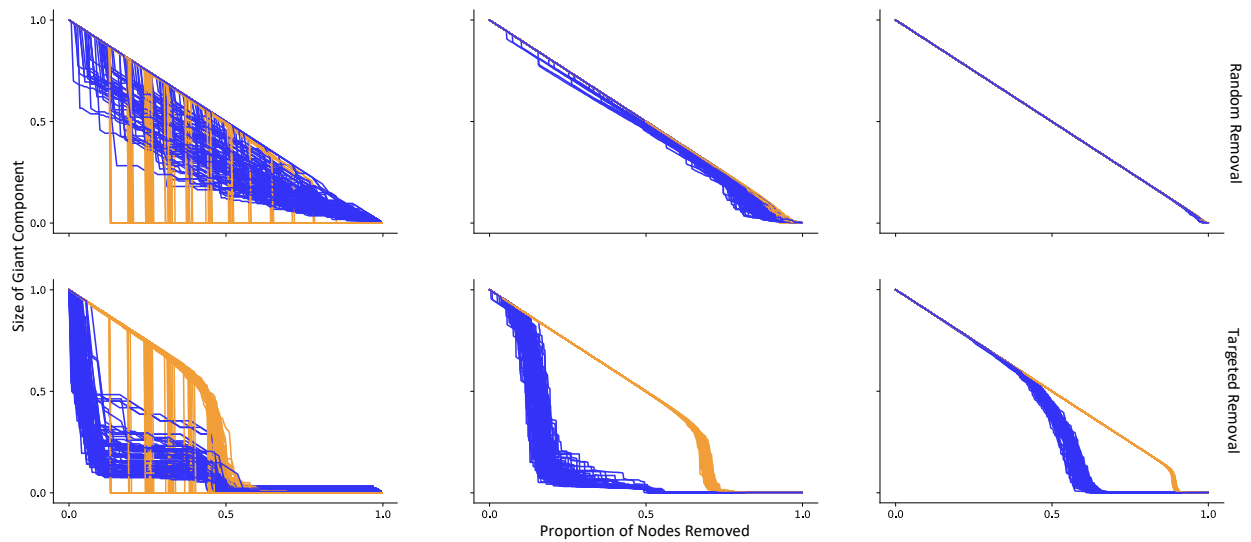


Figure S 7: **Additional Simulations for Network Robustness.** Robustness of RG networks (blue) and ER networks of equivalent density (orange), under random removal (top row) and targeted attacks (bottom row). Each line corresponds to a single simulation, for a total of 100 initialization of each RG and ER parameter set. Each column's r and x values correspond to the values set in Figure 4d-f above (left: $x = 3$, $r = 15$, middle: $x = 4$, $r = 30$, right: $x = 5$, $r = 70$). The y-axis measures the relative size of the current LCC compared to the initial giant component, and the x-axis corresponds to the proportion of nodes removed. For both y- and x-axes, the first tick corresponds to 0.5 and the second tick, where visible, corresponds to 1.