Supplementary material.

A single-mode associates global patterns of brain network structure and behavior across the human lifespan

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Abstract

Multiple human behaviors improve early in life, peaking in young adulthood, and declining thereafter. Several properties of brain structure and function progress similarly across the lifespan. Cognitive and neuroscience research has approached aging primarily using associations between a few behaviors, brain functions, and structures. Because of this, the multivariate, global factors relating brain and behavior across the lifespan are not well understood. We investigated the global patterns of associations between 334 behavioral and clinical measures and 376 brain structural connections in 594 individuals across the lifespan. A single-axis associated changes in multiple behavioral domains and brain structural connections (r=0.5808). Individual variability within the single association axis well predicted the age of the subject (r=0.6275). Representational similarity analysis evidenced global patterns of interactions across multiple brain network systems and behavioral domains. Results show that global processes of human aging can be well captured by a multivariate data fusion approach. [147]

Data availability

The source data are provided by the Cambridge Aging Neuroscience Project [https://camcan-archive.mrc-cbu.cam.ac.uk/.](https://camcan-archive.mrc-cbu.cam.ac.uk/) Brain data derived as part of this project and used as features for all the analyses are available on brainlife.io/pubs: [brainlife.io/pubs:https://doi.org/10.25663/brainlife.pub.21](http://brainlife.io/pubs:https:/doi.org/10.25663/brainlife.pub.21)

Code availability

Code is available on github at https://github.com/bcmcpher/cca_aging and as web services reproducing the analyes at [brainlife.io/pubs:https://doi.org/10.25663/brainlife.pub.21](http://brainlife.io/pubs:https:/doi.org/10.25663/brainlife.pub.21)

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Supplemental Figure 1. Variation across age of behavioral and network measures. a. Behavior histograms and binned averages across age. Example histogram of the reaction times in the force matching task (*top left;* Shafto et al., 2014), the accuracy of matching the force (*top center;* Shafto et al., 2014), and the mini-mental state exam (MMSE; Shafto, et al., 2014; *top right*) are shown from the sample. Average and ±1 s.d. for each behavioral task, respectively. Data was binned in decades of subjects' age (*bottom row*). **b. Network histograms and binned averages across age.** Example histogram of the graph density (*bottom left*), the graph efficiency (*bottom center*), and the maximum node degree (*bottom right*) are shown from the sample. The average values and variance are binned for each decade, showing the mean and 2 units of standard error for the respective measure (*bottom row*).

Supplemental Figure 2a, b, c, and d. The flow of data through the analysis. a. Behavioral domains for tasks and questionnaires. Variables estimates by the CAN consortium from multiple behavioral domains (*left*, *blue and orange*) were collected for each subject and organized into a matrix (*D1*) with 594 (*n*) subjects and 334 variables (*m1*). Node degree was estimated for each subject's brain network matrix (*right, black and orange*). An example pair of nodes and an edge is shown, along with a ball and stick diagram showing the values of node degree. The measures of node degree are a vector of 376 entries per subject. The node degree vectors for each subject were stacked to build the Brain Network Data matrix (D₂). D₁ and D₂ were normalized by computing the z-scores by columns. **b. Principal component analysis for dimensionality reduction.** The matrices D₁ and D₂ have size 594 X 334 and 594 X 376, respectively. A principal component analysis was performed independently for D_1 and D_2 to reduce the large sets of variables into a smaller set of components that still predicted most of the variance in the data (Smith et al., 2015). We estimated Eigenvalues and Eigenvectors from D₁ and $D₂$, and used the eigenvector matrices as data for a canonical correlation analysis (CCA, see next). We note that we performed multiple PCAs, with different numbers of principal components and used the number of principal components to tune the model prediction of the subjects age (See **Supplemental Figure 2e-g**). **c. Performing the canonical correlation.** The eigenvectors matrices obtained via PCA (E_1 and E_2) were used as input data to a CCA analysis. CCA estimated the inner weights (*a* and *b*) and canonical factors (F_1 and F_2) simultaneously using the behavioral and brain network eigenvectors that maximized the correlation between the two input matrices (*E¹* and E_2). The correlation from the first component, second and subsequent components estimated in F_1 and F_2 and the focus of analysis (See **Figure 2** and **3** and associated Supplemental Figures). **d. Plotting the CCA axis.** Example of first canonical axis (light orange) and second canonical axis (dark orange) estimated from the CCA.

Supplemental Figure 2e. Approach to repeated 5-fold cross-validation for the canonical correlation analysis (CCA). We used 5-fold cross-validation to find the CCA model that simultaneously best predicted the brain networks and behavioral data. To do so, we split the data into 5 groups of subjects (*[1] dark and light gray*). Eighty percent of the data (*[1] dark gray*) was used to estimate the inner weights of the CCA model for both the behavioral and the brain network data – *[2]* **a** and **b** (see also **Supplementary Figure 2c**). The estimated weights were then used to estimate the CCA factors for the remaining, left-out 20% of the data (*[3] cyan and light grey*). The canonical factors for the complete set of subjects were estimated by repeating this process five times shifting the subjects utilized during each cross-validation fold (compare [1], [2], [3] and [4]). The predicted scores for each subject were then combined into a single estimate of all the predicted factors for every subject *[4]*. This 5-fold cross-validation process *[1-4]* was repeated 15,000, each time utilizing different 80/20 splits of the subjects. This resulted in 15,000 estimates of each canonical factor *[5]*. Finally, the median (*red line*) and standard deviation of the estimated canonical factors were computed for each distribution of 15,000 estimates [6]. Blue stars represent the example factor used to build the distributions.

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Grid Search of Between the Number of **PCA Components and Age**

Supplemental Figure 2f, g and **h. CCA Model selection via cross-validated grid search of PCs.**

f. A conceptual diagram of the PCA tuning space. A simplified diagram illustrates the grid search that was performed to test different numbers of principal components. Every pair of PCA components between 2 and 100 was estimated during the processing of the data. The resulting canonical correlation and the correlation of the canonical axis with age are reported. The highest correlation, at 38 x 40 was selected for interpretation.

g. The entire search space of the parameter tuning. This shows the correlation of age for every parameter combination tested in the grid search. Yellow values indicate a high correlation with age while blue indicates the correlation between the datasets is low. We selected the PCA pair with the highest correlation.

h. The standard error estimate of the correlation. The standard error estimate of the correlation with age. The darker blue the value, the lower the standard error and the more confidence in the estimate.

Supplemental Figure 2i and j. All canonical correlations and all axis correlations with age for M1.

i. All correlations estimated for each canonical axis for the final tuned PCA selection. Each circle (*blue*) represents the crossvalidated correlation estimated along the canonical axis. Each error bar represents 2 units of standard error for the estimate obtained via cross-validation. The gray band represents the 5th and 95th percentiles of a bootstrapped null distribution.

j. Correlation with age for each canonical axis for the final tuned PCA selection. Each circle (*red*) represents the correlation of age to the estimated canonical axis of each canonical factor. Each error bar represents 2 units of standard error for the estimate obtained via cross-validation. The gray band represents the 5th and 95th percentiles of a bootstrapped null distribution.

Supplemental Figure 2k and l. All canonical correlations and all axis correlations with age for M2.

k. All correlations estimated for each canonical axis for the final tuned PCA selection. Each circle (*blue*) represents the cross-validated correlation estimated along the canonical axis. Each error bar represents 2 units of standard error for the estimate obtained via crossvalidation. The gray band represents the 5th and 95th percentiles of a bootstrapped null distribution.

l. Correlation with age for each canonical axis for the final tuned PCA selection. Each circle (*red*) represents the correlation of age to the estimated canonical axis of each canonical factor. Each error bar represents 2 units of standard error for the estimate obtained via crossvalidation. The gray band represents the 5th and 95th percentiles of a bootstrapped null distribution.

Components of brain and behavior contributing to the CCA results.

Supplemental Figure 3a. The recovery of variables loadings. To interpret how individual variables contribute to the CCA axis (*L, purple*), a correlation is taken between the original variables (*D, blue*) and the estimated canonical factors (*F, red*). By finding the correlation between each variable in *D* to a single factor in *F*, the loadings for every variable to the factor are recovered. By finding the correlation between a variable in *D* to every factor in *F*, the loading of the variables onto every factor is recovered. All variables by factor loadings were organized into matrix (L). These steps are performed for the brain and behavioral domain data (D₁ and D₂) independently to generate two variable loading matrices, *L*¹ and *L*2.

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variable to the second canonical axis. Blue and red arrows represent positive and negative loadings significantly different from 0 while cyan and pink represent positive and negative loadings that are not significantly different from 0. Error bars represent mean±2 standard errors (s.e.). Despite **CA²** being marginally outside the range of the null distribution (**Supplemental Figure 2k**), there are no cross-validated loadings that are significantly different from zero that contributed to this finding. Due to the lack of significantly contributing variable loadings in **CA²** we focused on the single factor solution for our presented findings.

Supplemental Figure 3c. Loadings for the first canonical axis (CA1) of *M2***.** The arrows represent the strength of the correlation of the variable to the second canonical axis. Blue and red arrows represent positive and negative loadings significantly different from 0 while cyan and pink represent positive and negative loadings that are not significantly different from 0. Error bars represent mean±2 standard errors (s.e.). Despite *CA¹* being marginally outside the range of the null distribution (**Supplemental Figure 2k**), there are no cross-validated loadings that are significantly different from zero that contributed to this finding. Due to the lack of significantly contributing variable loadings in **CA¹** we focused on the single factor solution for our presented findings.

The reader can compare the loadings for M¹ and M² by comparing **Figure 3a** and **b** and **Supplemental Figure 3b** and **c**. **Figure 3a** and **b** reports the loadings for M_1 CA₁. Supplementary Figure 3b reports the loadings for M_1 CA₂ and **Supplementary Figure 3c** reports the loadings for M² CA1. See the table below for additional clarification.

Supplementary Table 1. References to Figures containing Models and CCA axes.

The results show that whereas the weights for M_1 CA₁ are large and reliable, the weights for both M_1 CA₂ and M_2 CA₁ are much smaller and more variable. This comparison supports the hypothesis that a single axis predicts the quadratic trends across the lifespan (i.e., $M_1 CA_1$); hence when the CCA model is built without removing the participants' age. Opposite to that, if the participants' age is removed as in the case of M2 the CCA model fails in predicting a substantial portion of the variance in the data from the two domains.

Supplemental Figure 4a. The relationship of the rich club to the CCA loadings. a. Rich club participation compared to CCA loading. Each symbol in the scatter plot represents a cortical region. Blue symbols are part of the core rich club. Gray symbols are part of the rich-club periphery. Error bars represent 2 s.e. estimated via cross-validation of the CCA loadings.

Supplemental Figure 4b. Cortical regions sorted by CCA loading magnitude.

Each symbol in the scatter plot represents a cortical region (mean CA_1 loading ± 2 s.e.). The loadings for all regions were sorted from highest to lowest. Core rich club nodes are blue and periphery nodes are gray

Building the RSA Between Every Pair of Variables

Supplemental Figure 5a and b. Representational Similarity Analysis from Variables Loadings.

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a. Estimating representational factor dissimilarity matrix (*S***1).** To estimate the representational factor dissimilarity matrix (*S*1) all variable loadings for each estimated canonical factor are required (*L¹* and *L2*). A dissimilarity between any pair of variables in the model (for example, *x* and *y*) is estimated by first computing the correlation (*r*) between the loadings of the variables across all the estimated factors (*f*) and computing *1 - |r|*, (Eq. 4). This value describes how dissimilar these variables are with each other across all estimated factors (*f*). By estimating these values for every pair of variables in the analysis, a full estimate of the dissimilarities is created (yellow and blue matrix).

b. Grouping variables by domain. We compute the mean of the RSA values within each behavioral domain (Shafto et al., 2014) and within major functional brain networks (Yeo et al. 2011). Behavioral domains are presented in orange around a blue star (from **Figure 1b,** *left*) and the nodes from the network parcellation were assigned to the Yeo atlas labels (*right*) based on the proportion overlap of the nodes in an atlas image. The dorsal attention network (DA, *green*), the default mode network (DMN, *red*), and the memory tasks (*blue*) are highlighted in the center dissimilarity matrix.

The RSA approach used here (**Supplemental Figure 5**) in turn allowed us to describe the simultaneous contributions of each variable to multiple other variables. The CCA variables loadings (*L¹* and *L2*) were used as inputs for a RSA. More specifically, every variable loading in *M*¹ (376 network and 334 behavior variables) was first correlated with the loadings of all the other variables. After that, the dissimilarity was then computed as *1-r*, see *Eq. 4*. This process generated a square, symmetric matrix, *S*¹ of size 710x710 (**Supplemental Figure 5c**, *top*).

Within this RSA framework, a low dissimilarity between the loadings of two variables would indicate that the variables contribute coherently to the CCA factors. Conversely, a high dissimilarity between two variable loadings would indicate that the variables contribute differently to the CCA. Because the CCA factors within each data domain (brain or behavior) are organized in descending order, the correlation within a single data domain is expected to be larger than that between data domains. *S*¹ allowed us to capture the coherence among the loadings of the variables and explore the cross-domain associations contributing to the CCA model. Furthermore, because S_1 was constructed using model M_1 , in which the majority of the variance was explained by subject's age (see **Figure 2** and associated text), it was assumed that $S₁$ also depended on subject age.

Supplemental Figure 5c, d, and e. Comparing the difference between RSA with age not accounted for as a covariate and age accounted for as a covariate.

c. The dissimilarity between the brain and behavior modules. The individual dissimilarity values between the variables can be averaged into the predefined behavior domains (Shafto et al., 2014) and brain networks (Yeo, et al., 2011) to simplify their interpretation. This panel shows the averaged dissimilarity within the modules for *S¹* (*left*), *S²* (*right*).

d. The dissimilarity of the brain-behavior interaction. The off-diagonal modules that represent the brain-behavior interaction are emphasized for *S¹* (*left*), *S²* (*right*). This is the novel information contributed by running the CCA analysis between the brain and behavior datasets.

e. Chord plots for visualizing the flow of contribution between brain-behavior domains. The chord plots represent the data displayed in **d** after thresholding to show the strongest 25th percentile and squaring the values. The sides of the plot represent the overall contribution to the strongest domain relationships. The bands are scaled so that the larger the colored bands the more similar the domains are in their contributions to the CCA. The left panel represents S_1 and the right panel represents S_2 . The difference between S_1 and S_2 (S_d) is reported in Figure 5c.

The dissimilarity values for brain network nodes and behavioral variables (**Supplemental Figure 5c**) were averaged within the 10 brain networks of Y²⁰¹¹ and 7 behavioral domains (**Supplemental Figure 5d**). This procedure identifies three portions of *S*1. The brain-brain dissimilarity, the behavior-behavior dissimilarities and the brain-behavior dissimilarities. The final analysis was focussed on describing the pattern of results in the brain-behavior interactions (**Supplemental Figure 5e**)

The results for the brain-behavioral dissimilarity matrix were also visualized using a modified chord plot (**Supplementary Figure 5e**; see also **Methods**). The plot allowed us to show how multiple associations between brain and behavior load onto *M*¹ simultaneously (**Supplementary Figure 5f**). Two aspects of the plot should be noted: (A) The individual associations between each functional network and behavioral domains are described by the chords. (B) The number of domains (networks) that each network (domain) contributes to is described by the size of the peripheral segments for each network and domain. The more

chords, the more contributions of a network (domain) to the various domains (networks). In other words, the larger the segments of a network (domain) the stronger its overall multivariate association.

As an illustrative example, it is convenient to describe the results in *S*¹ by taking the perspective of the behavioral domains and look at how each domain was associated with the various brain network domains. Results show that in the behavioral domains, memory, language, emotion, and attention dominated the association with the brain networks over clinical scores, motor, and social variables (compare the chord edge size in **Supplementary Figure 5f**). In the brain network domains, the frontoparietal, amygdala, hippocampus, subcortical, and dorsal attention domains dominated *S*1.

Next, the influence of subjects' age was evaluated more specifically by computing the RSA using *M*₂. A dissimilarity matrix *S*₂ was computed repeating the procedure explained above and then *S*¹ and *S*² compared.

