

## **Supplementary Information: Statistical analysis**

In the shorthand formula notation for linear mixed-effects models [1] the models used were:

1. OAscore ~ Age \* Genotype for the beta regression with rstanarm function stan\_betareg. In this model Age was a continuous variable (unit = 1 month).
2. log OAscore ~ Genotype + (1|Litter) with rstanarm function stan\_glmer. In this case the OA scores were far from the boundaries 0 and 6, and their logarithms approximately normally distributed so that we could use the above generalized linear mixed model with a Gaussian or t-distributed noise.
3. log CartilageThickness ~ Age \* Genotype + (1|Litter) for use with rstanarm function stan\_glmer.
4.  $\Delta Ct \sim \text{Primer} - 1 + \text{RetinoicAcid} + \text{Genotype} + (1|\text{Animal})$  with  $\Delta Ct$  the qPCR response values, primer the type of protease primer, RetinoicAcid for treatment with retinoic acid (yes or no), Genotype (wt vs mutant), and Animal for ID of animal.
5. log AggrecanDigestionSignal ~ Genotype + SampleType + (1|Litter) with SampleType being one of Medium or GuHCL and using the rstanarm function stan\_glmer.
6. log ZymogramSignal ~ Genotype \* RetinoicAcid + (1|Litter) with stan model as given below in section Priors.

Inference of parameter value probabilities was carried out by Bayesian analysis using the probabilistic programming language Stan [2], through the R-package rstanarm [3], version 2.18.2, as interface. Priors proposed by rstanarm functions stan\_glmer and stan\_betareg, respectively, were used throughout. Priors are listed below.

For each model, Stan generated 4 Markov chains, each of 2000 iterations (1000 for warm-up, 1000 for sampling). Gelman-Rubin  $\hat{R}$  values were found in all cases to be less than 1.05, indicating convergence of Markov chains. For all models, posterior predictive checks showed good agreement of measured responses and responses simulated with the respective model. Results of Bayesian analysis are typically reported as means of marginal posteriors of parameters of interest, for instance a mean change of OARSI score per month of ageing. As a measure of uncertainty of these means, we report them together with their respective 95% HDI, i.e. intervals of 95% highest density of marginal posterior probability; in other words, the inferred means are within the 95% HDI with a probability of 0.95.

## Priors

For the intercepts and slopes (“coefficients”) of the models, the default prior (“specified prior”) is given together with the prior after adjusting for the actual data (“adjusted prior”). The adjusted priors are weakly informative, i.e. they are much broader than the distribution of the actual data, but not too broad, so that exploration of nonsensical parameter regions is avoided. Priors for each of the models:

### 1 OA score ~ Age \* Genotype

*Experiment: Ageing of Col2-rtTA-Cre;Ext1<sup>e2fl/e2fl</sup> mice, scoring at 3, 6, 12 and 18 months*

Figure: 1B and D

Intercept (after predictors centered)

$\sim \text{normal}(\text{location} = 0, \text{scale} = 10)$

Coefficients

Specified prior:

$\sim \text{normal}(\text{location} = [0,0,0], \text{scale} = [2.5,2.5,2.5])$

Adjusted prior:

$\sim \text{normal}(\text{location} = [0,0,0], \text{scale} = [2.50,0.40,0.39])$

Auxiliary (phi)

$\sim \text{exponential}(\text{rate} = 1)$

## 2 log OA score ~ Genotype + (1|Litter)

2.1 Experiment: Scoring after surgical induction of OA in Col2-rtTA-Cre;Ext1<sup>e2fl/e2fl</sup> mice

mice

Figure: 1C

Intercept (after predictors centered)

Specified prior:

$\sim \text{normal}(\text{location} = 0, \text{scale} = 10)$

Adjusted prior:

$\sim \text{normal}(\text{location} = 0, \text{scale} = 1.7)$

Coefficients

Specified prior:

$\sim \text{normal}(\text{location} = 0, \text{scale} = 2.5)$

Adjusted prior:

$\sim \text{normal}(\text{location} = 0, \text{scale} = 0.44)$

Auxiliary (sigma)

Specified prior:

$\sim \text{exponential}(\text{rate} = 1)$

Adjusted prior:

$\sim \text{exponential}(\text{rate} = 5.7)$

Covariance

$\sim \text{decov}(\text{reg.} = 1, \text{conc.} = 1, \text{shape} = 1, \text{scale} = 1)$

## 2.2 Experiment: Scoring after surgical induction of OA in *Ndst1<sup>+/−</sup>* mice

Figure: 2A and B

Intercept (after predictors centered)

Specified prior:

$\sim \text{normal}(\text{location} = 0, \text{scale} = 10)$

Adjusted prior:

$\sim \text{normal}(\text{location} = 0, \text{scale} = 1.9)$

Coefficients

Specified prior:

$\sim \text{normal}(\text{location} = 0, \text{scale} = 2.5)$

Adjusted prior:

$\sim \text{normal}(\text{location} = 0, \text{scale} = 0.48)$

Auxiliary (sigma)

Specified prior:

~ exponential(rate = 1)

Adjusted prior:

~ exponential(rate = 5.2)

Covariance

~ decov(reg. = 1, conc. = 1, shape = 1, scale = 1)

### 2.3 Experiment: Scoring after surgical induction of OA in Col2-Cre;Ndst1<sup>f/f</sup> mice

Figure: 2A and B

Intercept (after predictors centered)

Specified prior:

~ normal(location = 0, scale = 10)

Adjusted prior:

~ normal(location = 0, scale = 1.7)

Coefficients

Specified prior:

~ normal(location = 0, scale = 2.5)

Adjusted prior:

~ normal(location = 0, scale = 0.43)

Auxiliary (sigma)

Specified prior:

~ exponential(rate = 1)

Adjusted prior:

~ exponential(rate = 5.9)

Covariance

~ decov(reg. = 1, conc. = 1, shape = 1, scale = 1)

### 3 log CartilageThickness ~ Age \* Genotype + (1|Litter)

*Experiment: Quantification of articular cartilage thickness in Col2-Cre;Ndst1<sup>f/f</sup> mice, analysis at 1, 3 and 18m*

Figure: 2C and D

Intercept (after predictors centered)

Specified prior:

~ normal(location = 0, scale = 10)

Adjusted prior:

~ normal(location = 0, scale = 1.2)

Coefficients

Specified prior:

~ normal(location = [0,0,0,...], scale = [2.5,2.5,2.5,...])

Adjusted prior:

~ normal(location = [0,0,0,...], scale = [0.30,0.30,0.30,...])

Auxiliary (sigma)

Specified prior:

$\sim \text{exponential}(\text{rate} = 1)$

Adjusted prior:

$\sim \text{exponential}(\text{rate} = 8.4)$

Covariance

$\sim \text{decov}(\text{reg.} = 1, \text{conc.} = 1, \text{shape} = 1, \text{scale} = 1)$

#### 4 $\Delta\text{Ct} \sim \text{Primer -1 + RetinoicAcid + Genotype + (1|Animal)}$

*Experiment: Gene expression analysis by qRT-PCR*

Figure: 3A and B

Coefficients

Specified prior:

$\sim \text{normal}(\text{location} = [0,0,0,\dots], \text{scale} = [2.5,2.5,2.5,\dots])$

Adjusted prior:

$\sim \text{normal}(\text{location} = [0,0,0,\dots], \text{scale} = [4.29,4.29,4.29,\dots])$

Auxiliary (sigma)

Specified prior:

$\sim \text{exponential}(\text{rate} = 1)$

Adjusted prior:

$\sim \text{exponential}(\text{rate} = 0.58)$

Covariance

$\sim \text{decov}(\text{reg.} = 1, \text{conc.} = 1, \text{shape} = 1, \text{scale} = 1)$

## 5 **log AggrecanDigestionSignal ~ Genotype + SampleType + (1|Litter)**

### 5.1 Experiment: Detection of NITEGE neo-epitope by Western Blot

Figure: 4A and B

Intercept (after predictors centered)

Specified prior:

$\sim \text{normal}(\text{location} = 0, \text{scale} = 10)$

Adjusted prior:

$\sim \text{normal}(\text{location} = 0, \text{scale} = 18)$

Coefficients

Specified prior:

$\sim \text{normal}(\text{location} = [0,0], \text{scale} = [2.5,2.5])$

Adjusted prior:

$\sim \text{normal}(\text{location} = [0,0], \text{scale} = [4.53,4.53])$

Auxiliary (sigma)

Specified prior:

$\sim \text{exponential}(\text{rate} = 1)$

Adjusted prior:

$\sim \text{exponential}(\text{rate} = 0.55)$

## Covariance

$\sim \text{decov}(\text{reg.} = 1, \text{conc.} = 1, \text{shape} = 1, \text{scale} = 1)$

## 5.2 Experiment: Detection of VDIPEN neo-epitopes by Western Blot

Figure: 4A and B

Intercept (after predictors centered)

Specified prior:

$\sim \text{normal}(\text{location} = 0, \text{scale} = 10)$

Adjusted prior:

$\sim \text{normal}(\text{location} = 0, \text{scale} = 9.3)$

## Coefficients

Specified prior:

$\sim \text{normal}(\text{location} = [0,0], \text{scale} = [2.5,2.5])$

Adjusted prior:

$\sim \text{normal}(\text{location} = [0,0], \text{scale} = [2.33,2.33])$

## Auxiliary (sigma)

Specified prior:

$\sim \text{exponential}(\text{rate} = 1)$

Adjusted prior:

$\sim \text{exponential}(\text{rate} = 1.1)$

## Covariance

```
~ decov(reg. = 1, conc. = 1, shape = 1, scale = 1)
```

## 6 log ZymogramSignal ~ Genotype\*RetinoicAcid + (1|Litter)

*Experiment: Analysis of protease activity by gelatine zymography*

Figure: 4C and D

For technical reasons, this model could not be implemented in rstanarm. To allow for the modeling of outliers, we had to assume a Student-t distributed noise. We therefore developed the stan program given here:

```
// start of stan code

data {

    int<lower=1> N; // number of measurements

    real y[N]; // log zymogram signal

    int<lower=1> n_litters; // number of litters

    int<lower=1> litter[N]; // litter of each measurement

    int<lower=-1, upper=1> RA[N]; // retinonic acid (RA) treatment

    int<lower=-1, upper=1> gt[N]; // genotype

}

parameters {

    real a_0; // overall intercept

    real a_litter[n_litters]; // litter specific intercept

    real beta_RA; // slope for RA treatment

    real beta_gt; // slope for genotype

    real beta_RA_gt; // slope for interaction of RA and genotype}
```

```
real<lower=0.0> sigma[n_litters]; // standard deviation (sd) of litter signal  
real<lower=0.0> sigma_a; // sd of litter level intercepts  
real<lower=0.0> sigma_l;  
real<lower=0.0> nu;  
}
```

```
transformed parameters {  
vector[N] mu; // mean y  
  
for (i in 1:N){ // linear model with interaction  
mu[i] = a_0 +  
a_litter[litter[i]] +  
beta_RA * RA[i] +  
beta_gt * gt[i] +  
beta_RA_gt * RA[i] * gt[i];  
}  
}
```

```
model {  
  
// priors  
a_0 ~ normal(0.0, 10.0);  
beta_RA ~ normal(0.0, 2.0);  
beta_gt ~ normal(0.0, 2.0);  
beta_RA_gt ~ normal(0.0, 2.0);  
sigma_a ~ exponential(1);
```

```

sigma_l ~ exponential(1);

nu ~ exponential(0.1);

// hierarchical level of litters

for (i in 1:n_litters) {

  sigma[i] ~ exponential(sigma_l);

  a_litter[i] ~ normal(0, sigma_a);

}

// Student-t noise

for (i in 1:N) {

  y[i] ~ student_t(nu, mu[i], sigma[litter[i]]);

}

generated quantities { // for PPC and leave-one-out crossvalidation

  real y_rep[N];

  vector[N] log_lik;

}

for (i in 1:N){

  y_rep[i] = student_t_rng(nu, mu[i], sigma[litter[i]]);

  log_lik[i] = student_t_lpdf(y[i] | nu, mu[i], sigma[litter[i]]);

}

// end of stan code

```

## **References**

1. Bates D, Mächler M, Bolker B, Walker S. Fitting linear mixed-effects models using `lme4`. *Journal of Statistical Software* 2015; 67: 1-48.
2. Carpenter B, Gelman A, Hoffman MD, Lee D, Goodrich B, Betancourt M, et al. Stan: A Probabilistic Programming Language. *Journal of Statistical Software* 2017; 76.
3. Goodrich B, Gabry J, Ali I, Brilleman S. `rstanarm`: Bayesian applied regression modeling via Stan. R package version 2.17.4. 2018.

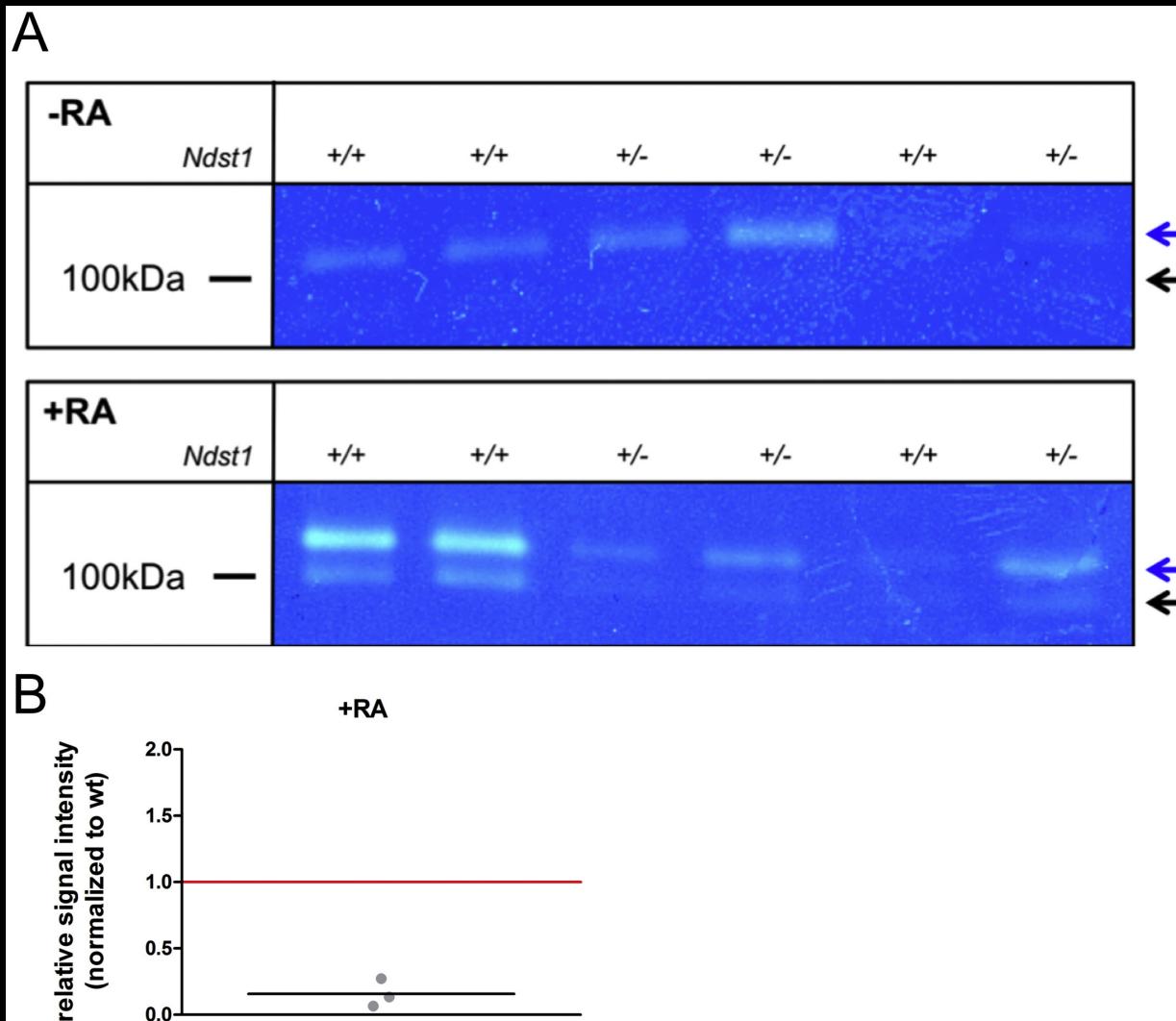
*An altered heparan sulfate structure in the articular cartilage protects against osteoarthritis*

A.-C. Severmann, K. Jochmann, K. Feller, V. Bachvarova, V. Piombo, R. Stange, T. Holzer, B. Brachvogel, J. Esko, T. Pap, D. Hoffmann,  
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Supplementary Fig. 1



**Supplementary Table 3**

	Figure	Parameter	Effect size	95% HDI	
Ageing <i>Col2-Cre;Ext1<sup>e2fl/e2fl</sup></i>	1B	Genotype	Mean OA-score 0.49 (M/WT)	-0.27	1.25
		Age	Mean OA-score 0.13 (M/WT)	0.08	0.18
		Genotype and Age	Mean OA-score -0.09 (M/WT)	-0.16	-0.03
ACLT surgery <i>Col2-Cre;Ext1<sup>e2fl/e2fl</sup></i>	1C	Genotype	Median factor 0.83 (M/WT)	0.72	0.96
ACLT surgery <i>Ndst1</i>	2B	Genotype	Median factor 0.82 (M/WT)	0.74	0.90
ACLT surgery <i>Col2-Cre;Ndst1<sup>f/f</sup></i>	2B	Genotype	Median factor 0.87 (M/WT)	0.76	1.00
Cartilage thickness <i>Col2-Cre;Ndst1<sup>f/f</sup></i>	2D	Genotype	Mean factor 1.24 (M/WT)	1.15	1.33
Expression <i>Ndst1</i>	3A	Genotype	Mean effect		
			0.39	-1.09	2.18
			0.05	-1.14	1.28
			-0.01	-1.24	1.24
			0.02	-1.23	1.36
			0.21	-0.97	1.61
			-0.11	-1.54	1.23
Expression <i>Ndst1</i>	3B	Genotype	Mean effect		
			0.04	-0.78	1.04
			0.11	-0.75	1.12
			0.11	-0.62	1.28
Aggrecan degradation +RA	4A NITEGE	Genotype	Mean increase 4.24 (WT/M)	1.05	18.55
		Sample type	Mean increase 2.14 (WT/M)	0.52	8.75
		Genotype	Mean increase 1.54 (WT/M)	1.00	2.34
		Sample type	Mean increase 1.63 (WT/M)	1.09	2.45
Zymography -RA	4B	Genotype	Median factor 1.09 (M/WT)	0.90	1.34
		Genotype	Median factor 0.77 (M/WT)	0.60	0.96
Zymography +RA	Sup. 2	Genotype	Mean factor 0.69 (M/WT)	0.44	1.14

Supplementary Table 4

Figure			
	<i>Ext1</i> <sup>e2fl/e2fl</sup>	<i>Col2-rtTA-Cre;Ext1</i> <sup>e2fl/e2fl</sup>	
1B/D	3M: 11 6M: 6 12M: 4 18M: 6	3M: 11 6M: 6 12M: 2 18M: 8	Individuals
	<i>Ext1</i> <sup>e2fl/e2fl</sup>	<i>Col2-rtTA-Cre;Ext1</i> <sup>e2fl/e2fl</sup>	
1C	Sham: 8 ACLT: 11	Sham: 7 ACLT: 13	Individuals, from 4 litters
	<i>Ndst1</i> <sup>+/+</sup>	<i>Ndst1</i> <sup>+/-</sup>	
2B	Sham: 6 ACLT: 12	Sham: 5 ACLT: 9	Individuals, from 3 litters
	<i>Ndst1</i> <sup>f/f</sup>	<i>Col2-Cre;Ndst1</i> <sup>f/f</sup>	
	Sham: 6 ACLT: 12	Sham: 6 ACLT: 9	Individuals, from 3 litters
	<i>Ndst1</i> <sup>f/f</sup>	<i>Col2-Cre;Ndst1</i> <sup>f/f</sup>	
2D	1m: 6 3m: 6 18m: 7	1m: 5 3m: 7 18m: 6	Individuals, from 1m: 2 litters 3m: 3 litters 18m: 4 litters
	<i>Ndst1</i> <sup>+/+</sup>	<i>Ndst1</i> <sup>+/-</sup>	
3A, B	Litter 1: 1 pool (2 mice) Litter 2: 1 pool (4 mice) Litter 3: 1 pool (3 mice) Litter 4: 1 pool (3 mice)	1 pool (2 mice) 1 pool (3 mice) 1 pool (3 mice) 1 pool (4 mice)	Used samples: Adamts4, 5: litter 1-4 Mmp2: litter 1-3 Mmp3, 9, 13: litter 1-4 Timp 1, 2, 3: litter 1-3
	<i>Ndst1</i> <sup>+/+</sup>	<i>Ndst1</i> <sup>+/-</sup>	
4B	Litter 1: 1 pool (7 mice) Litter 2: 2 pools (4 mice each) Litter 3: 2 pools (3 mice each)	1 pool (3 mice) 1 pool (2 mice) 1 pool (2 mice)	Used samples NITEGE: litter 1-3 VDIPEN: litter 1-3
	<i>Ndst1</i> <sup>+/+</sup>	<i>Ndst1</i> <sup>+/-</sup>	
4D	17	17	Individuals (from 6 litters)
	<i>Ndst1</i> <sup>+/+</sup>	<i>Ndst1</i> <sup>+/-</sup>	
S2	3	3	Individuals (from 1 litter)

Supplementary Table 2

	Primer 1	Primer 2
<i>Adamts4</i>	gagtcccattcccgagaa	ataaccgtcagcaggtagcg
<i>Adamts5</i>	gggcacaggctactatgtgg	gccgtcacatccagttctca
<i>Mmp2</i>	cgcgtaaagtatgggaacgc	ggtaaacaaggctcatgggg
<i>Mmp3</i>	gtctccctgcaaccgtgaag	acccttgagtcaacacctgg
<i>Mmp9</i>	ccagccgacttttgtggtct	tggccttagtgtctggctg
<i>Mmp13</i>	gccattaccagtctccgagg	ggtcacggatggatgttca
<i>Timp1</i>	cttcttggttccctggcgta	ggacactgatccgtccacaaa
<i>Timp2</i>	gctggacgttggaggaaaga	gacagcgagtgtatctgcac
<i>Timp3</i>	ccgacatcgtatccggg	cacgtggggcatcttactga

Supplementary Table 1

	Primer 1	Primer 2	Primer 3	Annealing Temperature [°C]
<i>Ext1</i> <sup>e2fl/e2fl</sup>	gagtccatcctgctcgcat	tttgtcatggaaagacaa		62
<i>Col2-rtTA-Cre</i>	gagtgtatgaggttcgc aaga	ctacaccagagacgg		55
<i>R26R-LacZ</i>	aagaccgcgaagagt ttgtc	aaagtgcgtctgagttg ttat	ggagcgggagaaaatg gatatg	58
<i>Ndst1</i> <i>Ndst1</i> <sup>f1/f1</sup>	catcctctgaggtgacc gc	ccagggcgtcagggc ctcctg	cccagatggcgagac tgagg	60
<i>Col2-Cre</i>	gagtgtatgaggttcgc aaga	ctacaccagagacgg		55