Barthe *et al.* Figure S7

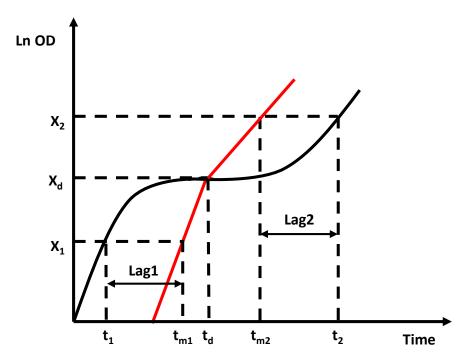


Figure S7: Demonstration of the diauxic lag formula

Here we consider the diauxic lagc as the time lost in comparison to hypothetical growth where a first exponential phase is immediately followed by a second exponential phase (in red in the figure).

Xd: a biomass point reached during the diauxic lag.

µmax1: the maximal growth rate on the first substrate.

μmax2: the maximal growth rate on the second substrate.

X1: biomass reached during the exponential growth on the first substrate at time t1 or at time tm1 if the growth rate was theoretically maximal until td

X2: biomass reached during the exponential growth on the second substrate at time t2 or at time tm2 if the growth rate was theoretically maximal from td.

The diauxic lag is thus equal to lag1 (tm1-t1) for the glucose growth phase plus lag2 (t2 - tm2) for the xylose growth phase. Based on the formula proposed by Enjalbert (Enjalbert et al., 2015), we demonstrated the diauxic lag calculation as followed:

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- Demonstration for lag1 \mu max1 = \ln(Xd/X1)/(td-tm1), \text{ thus } (td-tm1) = \ln(Xd/X1)/\mu max1 Given that Lag1 = (tm1-t1) = td-(td-tm1)-t1
Thus (tm1-t1) = td-(\ln(Xd/X1)/\mu max1) - t 1
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- Demonstration for lag2 $\mu max2 = \ln(X2/Xd)/(tm2-td), \text{ thus } (tm2-td) = \ln(X2/Xd)/\mu max2$ Given that lag2 = (t2-tm2) = (t2-td)-(tm2-td)Thus $(t2-tm2) = (t2-td)-(\ln(X2/Xd)/\mu max2)$ Since diauxie lag = $\log 1 + \log 2$

Since diauxie lag = lag1+lag2 Diauxic lag = td- $(ln(Xd/X1)/\mu max1)$ -t1+(t2-td)- $(ln(X2/Xd)/\mu max2)$ So that Diauxic lag = t2-t1- $(ln(Xd/X1)/\mu max1)$ - $(ln(X2/Xd)/\mu max2)$