### **Supplementary files for:**

**Vaccination against COVID-19 and society's return to normality in England: a modelling investigation of different types of naturally acquired and vaccine induced immunity** 

- **1. Model structure and status**
- **2. Data sources and model verification**
- **3. Projection scenarios**
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# 1. Model structure and status

This is a discrete-time population dynamic simulation model. Population in England are partitioned into discrete categories by sex (male or female), age (0-4, 5-9, then by 10 year age bands, and 80+), and Covid-19 infection categories. The main infection categories include: susceptible (SU), exposed (EX), infected (IN), and recovered (RE) (appendix figure 1). The infected individuals are further categorised as asymptomatic, symptomatic, self-isolated, and hospitalised.

## Appendix figure 1: Model structure and transmission across states



## Definitions of compartmental states in appendix figure 1

- SU: susceptible individuals
- SUr: Individuals susceptible to reinfection after immunity waning
- EX: exposed individuals, not infectious
- $I0$ : infectious, before symptom onset
- $IA:$ infectious individuals with no or very mild symptoms
- symptomatic patients who are not quarantined  $\bullet$  $ISO:$
- ISQ: symptomatic patients self-isolated  $\bullet$
- $\bullet$ ISH: symptomatic patients who are hospitalised
- $\bullet$ RE: recovered from covid-19 infection
- VACs1: vaccinated (dose-1) susceptible individuals  $\bullet$
- VACs2: vaccinated (dose-1) susceptible individuals  $\bullet$
- VACr: vaccinated individuals who recovered from infection

# Transition parameters in appendix figure 1:

Force of infection  $(\lambda)$  measures the risk (probability) of infection transmission.  $\lambda$ .:

- $\lambda_{v1}$ : Force of infection ( $\lambda$ ) after the first dose vaccine.
- $λ<sub>v2</sub>$ : Force of infection ( $λ$ ) after the second dose vaccine.
- $\lambda_{\tau}$ : Force of infection ( $\lambda$ ) after waning of vaccine-induced or naturally acquired immunity.
- α1: rate of progressing from being exposed to being infectious.
- $\alpha$ 2: rate of progressing from being asymptomatic infectious to symptomatic.
- $\mu$ : proportion of infected individuals who will be symptomatic; age-specific
- γA0: rate of recovering for asymptomatic individuals
- γS0 rate of recovering for symptomatic, not isolated/hospitalised patients
- γS1: rate of being isolated in symptomatic patients
- γS2: rate of recovering in isolated patients
- γH1: rate of being hospitalised for symptomatic patients
- γH2: rate of recovering in hospitalised patients
- $v_1$ : rate of vaccinating susceptible individuals
- $v_2$ : rate of vaccinating recovered individuals
- $w_y$ : rate of immunity waning in vaccinated individuals
- $w_r$ : rate of immunity waning in recovered individuals

All individuals in England are assumed to be susceptible to SARS-CoV-2 infection at the beginning of 2020. Susceptible individuals may be infected by contacting infectious individuals, and the infection status is changed from "susceptible" (SU) to "exposed" (EX). The exposed individuals are not infectious during the early incubation period, but start to be infectious before the onset of symptoms. Individuals infected with SARS-CoV-2 virus may have no or very mild symptoms (IA), and palpable symptoms (symptomatic or clinical infections). Asymptomatic individuals can spread SARS-CoV-2 virus before recovery, although the transmission risk may be lower than symptomatic patients. Symptomatic patients are further classified into three categories: symptomatic patients who are neither isolated nor hospitalised (IS0), those who self-isolate at home (ISQ), and those who are hospitalised (including those being admitted to intensive care units) (ISH). Symptomatic patients are infectious and can transmit the virus to susceptible people before being isolated, hospitalised or recovered. We assume that hospitalised patients (ISH) are well isolated and no longer able to spread the virus to the susceptible population, although infectious patients who are self-isolated at home (ISQ) may transmit virus to household contacts.

Individuals may recover from previous infection of SARS-CoV-2 (RE), and the susceptible and recovered individuals may be vaccinated with vaccines again SARS-CoV-2 virus (VAC1 and VAC2). Individuals recovered or effectively vaccinated may develop immune responses against infection with SARS-CoV-2. However, if the protective immunity is not long lasting, individuals who have recovered or vaccinated may become susceptible again after the waning of the immunity (SUr).

The immune response against COVID-19, either by naturally acquired from past SARSE-CoV-2 infection or vaccine-induced, may be long lasting or short-lived. Immune response may reduce susceptibility of individuals to infection (infection protection, or sterilising, immunity), reduce disease severity after being infected (disease reduction immunity), and reduce infectivity of those who are reinfected after recovery or being vaccinated (reinfectivity reduction immunity).<sup>1</sup> According to existing evidence on immunological characteristics for other human coronaviruses, immunity against reinfection (sterilising immunity) may be waning in several months, while disease and reinfectivity reduction responses are likely long lasting.<sup>1</sup> According to these basic concepts specified by Lavine et al,<sup>1</sup> we incorporate the three types of immune responses into the model, to explicitly evaluate their impacts on future transmission dynamics (appendix figure 2).





#### Notes to appendix figure 2:

- Appendix figure2 is a simplified version of appendix figure 1, not showing isolation and hospitalisation for symptomatic patients.
- $N:$ The number of the population
- $\beta$ : The transmission rate, i.e., the average number of individuals infected daily by an infectious person. It is a function of the number of daily close contacts per person (c), and the transmission risk per contact between a susceptible and an infectious individual  $(\eta)$ : i.e.,  $\beta = c \cdot \eta$ .
- $I_i$ : Infectious individuals with primary infection
- Infectious individuals with secondary infection (infected after being vaccinated or  $I_2$ : recovered)
- Relative infectivity of the secondary infection  $(I_2)$  compared with the primary  $\rho$ : infection  $(I_l)$ . For example, if  $\rho=0.6$ , the infectivity of  $I_2$  is 40% lower than the infectivity of  $I<sub>i</sub>$
- $\mu$ : proportion of infected individuals who will be symptomatic; age-specific
- Relative efficacy of vaccine for sterilising immunity, reducing risk of virus  $e_i$ : transmission
- *e2*: Relative efficacy of vaccine for pathology reduction, reducing the proportion of symptomatic cases after being infected
- *IA*: Asymptomatic individuals
- *IS*: Symptomatic patients
- $\gamma_a$ : Average rate of recovering of asymptomatic individuals
- *γs* : Average rate of recovering of asymptomatic individuals
- *w*<sub>v</sub>: rate of immunity waning in vaccinated individuals
- $w_r$ : rate of immunity waning in recovered individuals

#### **Overall and partial vaccine efficacy**

Results of randomised controlled trials shown that vaccines may be >90% efficacious (e.g., Pfizer mRNA vaccine) in reducing severe symptomatic diseases, compared with the placebo group.<sup>2</sup> In appendix figure 2, *e1* and *e2* are parameters of vaccine's efficacy in blocking virus transmission and reducing symptomatic cases in the infected, respectively. The reduction in symptomatic cases in the vaccine group may be due to the prevention of infection in susceptible individuals (related to  $e_l$ ), or a lower proportion of infected individuals being symptomatic in the vaccine group (related to *e2*), or due to a combination of both (note:  $e_l$  and  $e_2 \ge 1$  - overall VE, and  $\le 1$ ). Let  $\lambda$  is the transmission risk and  $\mu$ is the proportion of symptomatic cases in the infected without vaccination. After being vaccinated, the transmission risk is reduced to  $\lambda \cdot e_1$ , and the proportion of symptomatic cases reduced to  $\mu \cdot e_2$ . For a vaccine with 90% efficacy in reducing the number of symptomatic cases (compared with the control group), it should be true that  $e_1 \cdot e_2 = (1-0.90)$ , or  $e_1 = 0.10/ e_2$ . There are many different possible combinations of  $e_1$  and  $e_2$  for a given overall efficacy in reducing symptomatic cases. For example,  $e_1 = e_2 = SQRT(0.30) = 0.548$  corresponds to a 70% efficacy of vaccine with equal sterilising immunity and pathology reduction. If  $e_I=1$  (i.e., zero efficacy in sterilising immunity), all vaccine efficacy will be attributable to the pathology reduction, with  $e_2$ =0.30, for a vaccine with 70% efficacy. The partial efficacy is calculated using:  $Ei = 1 - (1 - E0)/Ed$ , where *Ei* is the partial efficacy for infection protection, *Ed* is the partial efficacy for disease reduction, and *Eo* is the overall vaccine efficacy. The equal partial efficacy is calculated by:  $Ei = Ed = 1 - \sqrt{(1 - Eo)}$ . For vaccines with 90%, 70% and 50% overall efficacy, the equal partial efficacy for the infection protection and disease reduction is 69.4%, 45.2%, and 29.3%, respectively.

# 2. Parameterisation, data sources, and simulation scenarios

## **2.1 Transition parameters and distribution of infectious period**

In appendix figure 1, force of infection  $(\lambda)$  measures the risk of infection,<sup>3</sup> which is a function of transmission rate (η) and the prevalence of existing infectious individuals (*I*) among the population (N): *λ=η·I/N*. The transmission rate *η* in the discrete-time model can be defined as the average number of new infected individuals generated daily by an infected person. That is, *η=Rt/T*, in which *Rt* is effective reproduction number and T is the average infectious period for infected individuals. We calculated *η* as a function of the number of daily contacts per person (c), and the risk of transmission per contact between a susceptible and an infected individual (β):  $η = c * β<sup>4</sup>$ .

The transition rate between model's compartments in infectious models is often assumed to be constant, calculated by 1/x, in which "x" is the average period that subjects remain before the transition to the model's next compartments.<sup>3</sup> Therefore, the infectious period in standard SIR or SEIR models is usually assumed to be exponentially distributed, with some limitations of the use of exponentially distributed infectious period.<sup>5 6</sup> In this study, we assumed that the transition probability between model's compartments are based on gamma distributed periods that individuals remain in a compartment.<sup>7</sup> The transition probability (y) at t is:  $y_t = (cg_t - cg_{t-1})/(1 - cg_t)$ , where  $cg_t$  is the gamma cumulative probability by the end of t. Given mean and shape (k) parameters, the gamma distribution based transition probability is used as a deterministic value to estimate the number of individuals moving between two status in this study.

## **2.2 Parameterisation and data sources**

We estimated initial parameters based on relevant literature and data from the UK government websites (appendix table 1). Key parameters were calibrated according to the reported numbers of covid-19 deaths, hospitalised patients, and the prevalence of infected individuals in England from January 2020 to June 2021.<sup>8</sup>

#### **Appendix table 1: Summary of key model parameters and data sources**







We obtained population statistics in England (estimates of mid-year 2020) from Office for National Statistics. It was assumed that all individuals in England were susceptible to SARS-CoV-2 infection at the beginning of 2020. By contacting with infectious individuals, susceptible individuals may be infected, and their infection category is changed from "susceptible" (SU) to "exposed" (EX). "Exposed" refers to the pre-infectious status of infected individuals. According to data from previous studies, the period of incubation before symptom onset was on average 5.5 days,<sup>10</sup> and the exposed individuals start to be infectious about 1.5 days before the onset of symptoms.<sup>7 11</sup> Therefore, we assumed a gamma distribution of incubation period, with a mean non-infectious period of 4 days (k=4.0) after being exposed, and a mean infectious period of 1.5 days (k=2) before symptom onset (appendix table 1).

Individuals infected with SARS-CoV-2 virus may have no or very mild symptoms (asymptomatic infected), and palpable symptoms (symptomatic patients). As in previous modelling studies <sup>711</sup>, it was assumed that asymptomatic individuals can spread SARS-CoV-2 virus before recovery, although the infectious risk was assumed to be  $21\%$  of symptomatic patients.<sup>17</sup> We used age-specific rates of asymptomatic cases in the infected individuals, reported in a study based on data from 6 countries (appendix table  $1$ ).<sup>9</sup>

Symptomatic patients are further classified into three categories: symptomatic patients who are neither isolated nor hospitalised (mainly at the initial phase of the epidemic), those who are self-isolated at home, those who are hospitalised (see appendix figure 1). We assume that asymptomatic individuals were not isolated, although the average number of daily contacts could be reduced by nonpharmaceutical interventions (NPIs), including social distancing, testing, contact tracing, and lockdown. Assumed proportions of self-isolation of symptomatic cases who are not hospitalised, depending on age and NPI measures are shown in appendix table 1.

We assume that only symptomatic patients are hospitalised, and age specific rates of hospitalisation among symptomatic individuals were from Verity et al.<sup>12</sup> The hospitalisation rates were calibrated according to reported numbers of hospitalised patients with covid-19 in England.<sup>23</sup> Based on the reported number of hospitalised patients and estimated number of symptomatic cases, the hospitalisation rate was estimated to be 70% lower than the estimated by Verity et al.<sup>12</sup> Symptomatic patients are infectious and can transmit the virus to susceptible people before being hospitalised or isolated. We assume that hospitalised patients are no longer able to spread the virus to susceptible individuals in the community. However, infected individuals who are self-isolated at home may transmit virus to household contacts. The infectious period before recovery was assumed to be gamma distributed, with a mean value of 5 days. Before implementing any NPIs, the infectious period of symptomatic cases was of a mean value of 4 days (k=4) before being quarantined or hospitalised. After implementing NPI measures, the infectious period for isolated and hospitalised patients was reduced, having a mean value of 2 days  $(k=2)$ . The mean hospital stay was assumed to be 10 days  $(k=10)$  (including ICU admitted patients) (appendix table 1). Verity et al estimated that the average duration from symptom onset to death was  $17.8 \text{ days}$ .<sup>12</sup> Therefore, we assume that covid-19 related deaths occur on average 23 days (k=23) after being exposed/infected.

The simulation starts from 1 January 2020, over a period of five years until the end of 2024. We assume that the first exposed case was imported to England on January 15th 2020, and the daily number of infectious cases imported was increased by one until 9 February 2020, with a total number of 351 cases imported in 25 days. The sex-and-age-specific numbers of household and community daily contacts per person in the UK were obtained from a study in 8 European countries.18 24 For the purpose of simplicity, we considered only household contacts (relevant to self-isolation at home) and general daily contacts (for all types of contacts). The risk of positive transmission per contact between susceptible and infectious individuals (β) was estimated by calibrating estimated and reported numbers of covid-19 deaths in England, household and general daily contacts per person, and other model parameters.

In this study, all COVID-19 related deaths are assumed to be from symptomatic cases, and age specific case fatality rates were based on a study by Verity et al.<sup>12</sup> We assume that individuals infected with Covid-19 will not die from other causes before recovery. Average sex and age specific rates of all-cause deaths in England during  $2015-2019$  <sup>25</sup> were applied to people who are not infected with or recovered from covid-19. For simplicity and maintaining a stable population, we assumed that the number of births at day t equals to the number of all deaths at day t-1. Furthermore, we did not consider the influence of migration on the population. We adjusted the number of individuals belong to an age group (all  $\langle 80+ \rangle$ ) at the beginning of the year since 2021 by shifting 20% (for age group 0-4 and 5-9) or 10% (for age group 10-19, … 70-79) of them to the adjacent higher age group.

#### **NPI and seasonal impacts on transmission parameters**

Since March 2020, NPI measures were recommended and gradually tightened in England, including hand washing, mouth covering when coughing in public places, home isolation of individuals with COVID-19 like symptoms, shielding of vulnerable individuals, avoiding non-essential contacts, and maintaining social distancing. These measures reduced contacts and transmission risk, and shortened the period of transmission by symptomatic individuals. We assumed that the general population's contact rates were reduced by 10% to 40%, depending on age and co-morbidity. Based on the reported number of COVID-19 deaths, we estimate that the transmission risk per contact between infectious and susceptible individuals was reduced from  $\beta$ =0.094 before the implementation of any NPIs to 0.069 by 15 March 2020 and 0.062 since May 2020. The UK government put lockdown measures in place from 24 March 2020, including working from home if possible, closure of schools and non-essential shops, pubs and restaurants, avoiding non-essential travelling, and cancelling gathering activities. We assume that numbers of general population contacts were reduced by 60-85% (appendix table 1). We assume that the household contacts were not influenced by the NPI measures.

The lockdown measures in England started to be relaxed from 13 May 2020 by allowing partial returning to work. Further relaxing of control measures followed, including reopening of some shops and allowing outdoor meetings up to six people from 1 June, re-opening of more non-essential shops from 5 June, and further relaxing of restrictions (such as re-opening of pubs and restaurants) from 5 July 2020. However, social distancing measures was maintained and face covering was required where social distancing could not be implemented. From 1 September 2020, schools in England were re-opening. Consequently, the transmission risk per contact between susceptible and infectious individuals was increased since September. The impacts of these changes in NPIs were reflected in the assumed social contacts and transmission risk. Because of the new virus variants, $2<sup>6</sup>$  the average transmission risk per contact was increased β=0.077 since October 2020, and β=0.081 since June 2021.

To incorporate the impact of seasonality on future projections, we assumed that the transmission risk is increased by 10% in September, October, March and April, and increased by 20% in November, December, January and February.

### **Model verification/calibration**

We used the developed model and initially estimated parameters to simulate the covid-19 epidemic in England from January 2020 to June 2021. Key parameters were calibrated based mainly on reported covid-19 related deaths, although numbers of hospitalised patients and infection rates in England were also considered.

We assume that the first exposed case was imported to England on 15 January 2020, and the number of cases imported each day increased by one more case than the previous day until 9 February 2020 (the total number of cases imported in 25 days was therefore 351). We don't use the reproduction number

(R0 or Rt) as an input parameter, but derived the reproduction numbers based on a method used by Giordano and colleagues (see equation 55 in Mathematical equations) <sup>327</sup>. We estimated that the basic reproduction number (R0) was 3.63 at the initial stage of the COVID-19 epidemic before any control measures were taken in England, which is similar to findings from previous studies.<sup>711</sup> Following the implementation of NPI measures, the estimated reproduction value (Rt) was reduced to 0.65 by 24 March. The Rt value was increased to 0.93 by 5 July 2020 after the NPI measures were relaxed, and Rt was about 1.09 after school reopening in September and 1.31 by October 2020. The Rt was reduced to 0.79 since 5 November 2020 after reintroducing NPI measures, increased to about 1.17 after relaxing NPIs since 2 December 2020, and reduced again to about 0.57 since 5 January 2021 after reintroducing lockdown measures (plus rolling out of vaccination) (appendix figure 3). The estimated R values were within the range of the reported in England (https://coronavirus.data.gov.uk/).





The model estimated that the prevalence of the recovered was 5.5 by 26 April, 7.6% by 24 May, and 8.5% by 24 June 2020, which were similar to the estimated rates of positive antibodies to Covid-19 in the UK (i.e., 7.1% in May-June 2020).<sup>28</sup> Data on the prevalence of infected individuals in the community was available from May 2020. The model estimated prevalence of infected individuals from January 2020 to January 2021, which had a similar trend as the reported prevalence in England (appendix figure 4).

**Appendix figure 4: Estimated and reported prevalence of infection, from January 2020 to June 2021, in England** 



Changes in the estimated numbers of hospitalised COVID-19 patients were of similar trends as the reported numbers of hospitalised patients during 01/2020-01/2021. However, there were considerable differences at peak time points (appendix figure 5), which may be explained by reduced hospitalisation rates during peak period.

Appendix figure 5: Reported and estimated numbers of hospitalised Covid-19 patients, during 01/2020-01/2021, in England



Appendix figure 6 shows that the estimated daily deaths well matched the observed daily deaths from Covid-19, from January 2020 to June 2021, in England.

Appendix figure 6: Reported and estimated daily deaths from Covid-19, during 01/2020-06/2021, in England



# 3. Vaccination and projection scenarios

We used estimates of transmission parameters, age-specific hospitalisation rates and case fatality rates in June 2021 to project COVID-19 deaths from 2021 to 2024, under various scenarios of vaccine efficacy, durability of both naturally acquired and vaccine induced immunity, and reduction in reinfectivity. There are no more restrictions on social activities since 19 July 2021 in England, and social contacts are return to normal as before the pandemic, but basic hygienic measures would be maintained.

The UK Government's Vaccination Taskforce has recommended rollout of vaccines against COVID-19 to be prioritised primarily by age and comorbidity, with older people being vaccinated first.<sup>29</sup> The Joint Committee on Vaccination and Immunisation (JCVI) in the UK previously recommended COVID-19 vaccination of individuals aged  $\geq 18$ , and also recommended vaccination of young people aged 16-17 years old on 4 August 2021.<sup>30</sup> Vaccination of prioritised individuals began from 8 December 2020 in the UK and around 2 million individuals were vaccinated (mostly with a single dose of Pfizer vaccine) by 10 January  $2021$ .<sup>31</sup> By July 2021, the coverage of individuals who were fully vaccinated (with two does) was >90% in adults aged  $\geq 65$ , 80-90% in those aged 50-64, 60% in adults aged 40-49.<sup>32</sup> For young adults aged 18-39, about 36% have received the first dose of vaccines by July 2021. Therefore, the vaccination coverage in England has been high in older adults, but it remains uncertain whether such high coverage could be achieved in younger adults. In this study, the mass vaccination is modelled as an age-based phase approach, starting from people aged  $\geq$ 70, followed by individuals aged 60-69, 50-59, 30-49, and then those aged 16-29. We assume that the mass vaccination starts from 1 January 2021, and the maximum number of individuals vaccinated per day is 180,000 in England, to matched with numbers of vaccinated individuals according to the official statistics. In the main analysis, we assume that the uptake rate is 75%, 80%, 85% and 90%, respectively, in adults aged 16-29, 30-39, 40-49, and ≥50 years old. Because of uncertain coverage of vaccination in younger people, we conducted sensitivity analyses under scenarios with lower (60%, 70%, and 80%) and higher (80%, 85%, and 90%) coverage of vaccination in people aged 16-29, 30-39, and 40-49 years old, respectively.

Results of randomised controlled trials shown that vaccines may be >90% efficacious (e.g., Pfizer mRNA vaccine) in reducing severe symptomatic diseases, compared with the placebo group. Assume that  $e_l$  and  $e_2$  are parameters of vaccine's efficacy in blocking virus transmission and reducing symptomatic cases in the infected, respectively (as in appendix figure 2). The reduction in symptomatic cases in the vaccine group may be due to the prevention of infection in susceptible individuals (i.e., infection protection, related to  $e_l$ ), or a lower proportion of infected individuals being symptomatic in the vaccine group (i.e., disease reduction, related to *e2*), or due to a combination of both. For a vaccine with 90% efficacy in reducing the number of symptomatic cases (compared with the control group), it is true that  $e_1 \cdot e_2 = (1 - 0.90)$ , or  $e_1 = (1 - 0.90) / e_2$  (note:  $e_1$  and  $e_2 \ge 1$ -overall VE,  $\le 1$ ). There are many different possible combinations of *e1* and *e2* for an overall efficacy in reducing symptomatic cases. We assume that vaccine efficacy is equally attributable to infection and disease reduction in the main

projections. The infection protection (sterilising immunity) after vaccination has been demonstrated. For example, an observational study in the UK (SIREN) found that the risk of being infected was reduced by 70% in health workers after a single dose of the Pfizer-BioNTech vaccine.<sup>33 34</sup>

Both Pfizer-BioNTec and AstraZeneca vaccines are 2-dose regimens, the policy in the UK has been to initially provide the first dose to as many individuals as possible to maximise the public health impact.<sup>35</sup> Exploratory assessment of data from clinical trials found that the short-term vaccine efficacy from the first dose of the Pfizer-BioNTech vaccine and the AstraZeneca vaccine is about 90% and 70%, respectively.<sup>35</sup> Public Health England (PHE) in July 2021 estimated that the efficacy was 55-70% after the first dose, and 70-85% or 85-95% after the second dose.<sup>32</sup> Therefore, we assume that the overall vaccine efficacy is 62.5% after the first dose and 85% after the second dose. The protection effects start 14 days after the first dose vaccination, and the interval between the first and second dose is 9 weeks. For vaccines with 62.5% and 85.0% overall efficacy, the equal partial efficacy for the infection protection and for disease reduction is 38.8% and 61.3%, respectively. The overall vaccine efficacy after the second dose may be lower than 85.0% due to new variants of SARS-CoV-2 virus. Therefore, we evaluated two overall vaccine efficacy rates, 62.5% or 85.0%, after the second dose of vaccine.

Available evidence has indicated that the duration of sterilising (infection protection) immunity after coronavirus infection ranges from 0.5 to two years.<sup>1</sup> Serum neutralizing antibodies were detected in all participants at four months follow up after SAR-CoV-2 mRNA vaccination.<sup>21</sup> Therefore, we assume that naturally acquired sterilising immunity lasts for 365 or 730 days, and vaccine-induced sterilising immunity lasts for 182 or 365 days. After waning of sterilising immunity, individuals may be susceptible again to infection with SARS-CoV-2 virus, but the disease reduction immunity is likely longer lasting.<sup>1</sup> Due to the existence of disease reduction immunity, the reinfectivity of individuals who are reinfected after waning of sterilising immunity may be reduced. Lavine and colleagues estimated that the secondary transmissibility (i.e., reinfectivity) was 35% of the primary transmissibility (i.e., the reinfectivity was reduced by  $65\%$ ).<sup>1</sup> Evidence from clinical trials and vaccination in the real world indicated that the viral loads and the duration of virus shedding in the infected individuals after vaccination were considerably reduced, compared with unvaccinated individuals.<sup>36 37</sup> Based on preliminary data, PHE estimated that the reinfectivity was reduced by 35-50% after the first dose of vaccines.<sup>32</sup> The reduction in reinfectivity is likely to be larger after the second dose of vaccines. More recent studies reported that fully vaccinated individuals who were infected were up to 78% less likely to transmit the virus to unvaccinated individuals.<sup>22</sup> Therefore, we assume a range of the risk of reinfectivity after waning of sterilising immunity; the reinfectivity is reduced by 30%, 45% or 60%. We also assume that the infectivity of ineffectively vaccinated individuals is the same as recovered individuals whose sterilising immunity has waned, and that vaccination of individuals recovered from natural infection boosts their naturally acquired immunity.

We considered different frequent scenarios of revaccination programmes. First, we evaluated a single vaccination programme and multiple (2-4) annual vaccination programmes during 2021-2024. In addition, simulation projections were conducted by revaccination programmes with different intervals, including 2-6 revaccination programme and corresponding intervals between them.

In summary, projection scenarios are defined from the following aspects: vaccine efficacy, frequency of revaccination programmes, durability of natural and vaccine induced sterilising immunity, reduction in reinfectivity after the waning of natural and vaccine-induced immunity against reinfection. The main characteristics of the simulated scenarios are available in supplementary table 1, supplementary table 2 and supplementary table 3.

In this study, we focus on deaths in people infected with COVID-19, although our model also produces estimates of changes in effective reproduction values (Rt), numbers of infected and vaccinated individuals, and hospitalised patients. We performed multiple simulations under various scenarios. For clarity, we focus on results of selected scenarios in the main text, but report more data on simulation results in supplementary tables.

# 4. Model's mathematical equations

### **Notations:**

- subscript used: "s" refers to sex, 1: male, 2: female, 3: both male and female; "a" refers to age group, 1: 0-4 years, 2: 5-9 years, 3: 10-19, …,  $10 \ge 80$ ; 11: all age groups. "t" refers to time (day).
- *N*: The number of the population
- λs: Force of infection (*λ*) measures the risk (probability) of infection transmission, which is a function of transmission rate (β) and the prevalence of infectious individuals (*I*) among the population (*N*):  $\lambda = \beta \cdot I/N$ .<sup>3</sup>
- β: The transmission rate β in this discrete-time model is defined as the average number of individuals infected daily by an infectious person. It is a function of the number of daily close contacts per person (c), and the transmission risk per contact between a susceptible and an infectious individual (η): i.e.,  $\beta = c \cdot \eta$ .<sup>4</sup>
- $\alpha$ 1: rate of progressing from being exposed to being infectious.
- $\alpha$ 2: rate of progressing from being asymptomatic infectious to symptomatic.
- $\mu$ : proportion of infected individuals who will be symptomatic; age-specific
- *infA*: The fraction of infection force for infected individuals with no or mild symptoms. It was assumed that infA=0.5 in this study.
- fS0: fraction of symptomatic patients who will not be quarantined.
- fSq: fraction of symptomatic patients who will be quarantined (self-isolation).
- fSh: fraction of symptomatic patients who will be hospitalised (including ICU admission).
- γA0: rate of recovering for asymptomatic individuals
- γS0 rate of recovering for symptomatic, not isolated/hospitalised patients
- γS1: rate of being isolated in symptomatic patients
- $\cdot$  γS2: rate of recovering in isolated patients
- γH1: rate of being hospitalised for symptomatic patients

γ*ϒH2*: rate of recovering in hospitalised patients

- $v_1$ : rate of vaccinating susceptible individuals
- $v_2$ : rate of vaccinating recovered individuals
- ρ: Relative infectivity of the secondary infection (*I2*) compared with the primary infection  $(I_I)$ . For example, if  $\rho=0.6$ , the infectivity of  $I_2$  is 40% lower than the infectivity of  $I_1$
- *e1*: Relative efficacy of vaccine for sterilising immunity, reducing risk of virus transmission
- *e2*: Relative efficacy of vaccine for pathology reduction, reducing the proportion of symptomatic cases after being infected
- *IA*: Asymptomatic individuals
- *IS*: Symptomatic patients
- $\gamma_a$ : Average rate of recovering of asymptomatic individuals
- *γs* : Average rate of recovering of asymptomatic individuals
- *ⴍ*v: rate of immunity waning in vaccinated individuals
- $w_r$ : rate of immunity waning in recovered individuals
- drOths,a,t: sex, age-specific risk of deaths from causes other than covid-19, specific by week of the year.
- drCov<sub>s,a,d</sub>: death risk from infected individuals before recovery, specific according to days since being infected.
- ds0, dsq, and dhos are the proportion of covid-19 deaths among symptomatic patients who are not quarantined, those who are isolated, or hospitalised, respectively. 1=ds0+dsq+dhos

Sex and age specific population:

$$
N_{s,a,t} = SU_{s,a,t} + SUr_{s,a,t} + VAC1_{s,a,t} + EX1_{s,a,t} + I01_{s,a,t} + EX2_{s,a,t} + I02_{s,a,t} + IA_{s,a,t} + IS0_{s,a,t} + ISQ_{s,a,t} + ISR_{s,a,t} + RE_{s,a,m,t}
$$
\n(1)

Total number of the primary infection with no symptoms (age-specific):

$$
aIA1_{a,t} = \sum_{s} (IA1_{s,a,t} + I01_{s,a,t} \cdot (1 - \mu_a))
$$
\n(2)

Total number of the primary infections with symptoms, isolated (age-specific):

$$
aISQ1_{a,t} = \sum_{s} (ISQ1_{s,a,t})
$$
\n<sup>(3)</sup>

Total number of the primary infections with symptoms, not isolated (age-specific):

$$
aIS01_{a,t} = \sum_{s} (IS01_{s,a,t} + I01_{s,a,t} \cdot \mu_a)
$$
\n(4)

Total number of the secondary infection with no symptoms (age-specific):

$$
aIA2_{a,t} = \sum_{s} (IA2_{s,a,t} + I02_{s,a,t} \cdot (1 - \mu_a \cdot e_2))
$$
\n(5)

Total number of the secondary infections with symptoms, isolated (age-specific):

$$
aISQ2_{a,t} = \sum_{s} (ISQ2_{s,a,t})
$$
\n<sup>(6)</sup>

Total number of the secondary infections with symptoms, not isolated (age-specific):

$$
aIS02_{a,t} = \sum_{s} (ISO2_{s,a,t} + IO2_{s,a,t} \cdot \mu_a \cdot e_2)
$$
 (7)

---

Sex and age specific susceptible population:

$$
SU_{s,a,t+1} = (SU_{s,a,t} - suExp_{s,a,t} - VAC1_{s,a,t}) \cdot (1 - drOth_{s,a,t}) + NewBirth_{s,t}
$$
\n
$$
(8)
$$

Note: *drOths,a,,t* is sex, age-specific death rates for non-covid causes, specific by week of the year.

Newly exposed/infected with SARS-CoV-2 in susceptible individuals:

$$
s u E x p_{s,a,t} = \sum_{j=1}^{10} SU_{s,a,t} \cdot \eta_t \left( \left( (Ca_{a,j,t} \cdot \frac{infA \cdot a I A1_{j,t} + a I S1_{j,t}}{N_{a,j,t}} + C b_{a,j,t} \cdot \frac{a I S Q1_{j,t}}{N_{a,j,t}}) \right) + \rho \cdot \left( Ca_{a,j,t} \cdot \frac{a I S Q1_{j,t}}{N_{a,j,t}} + C b_{a,j,t} \cdot \frac{a I S Q2_{j,t}}{N_{a,j,t}} \right) \right)
$$
\n
$$
(9)
$$

Notes:  $Ca_{a,j,t}$  is the average number of general contacts between people aged a and j; and  $Cb_{a,j,t}$  is the average number of household contacts between people age a and j.

Newly exposed/infected in vaccinated individuals:

$$
vacExp_{s,a,t} = \sum_{j=1}^{10} VAC1_{s,a,t} \cdot \eta_t \cdot e_1 \left( \left( (Ca_{a,j,t} \cdot \frac{\inf A \cdot aIA_{j,t} + aIS1_{j,t}}{N_{3,j,t}} + Cb_{a,j,t} \cdot \frac{aIS(1_{j,t})}{N_{3,j,t}}) \right) + \rho \cdot \left( Ca_{a,j,t} \cdot \frac{aIS(2_{j,t})}{N_{3,j,t}} + Cb_{a,j,t} \cdot \frac{aIS(2_{j,t})}{N_{3,j,t}} \right) \right)
$$
\n
$$
(10)
$$

Newly exposed/infected in the recovered or vaccinated after waning of immunity:

$$
sureExp_{s,a,t} = \sum_{j=1}^{10} SUre_{s,a,t} \cdot \eta_t \left( \left( (Ca_{a,j,t} \cdot \frac{\inf A \cdot aIA_{j,t} + aIS_{1,t}}{N_{s,j,t}} + Cb_{a,j,t} \cdot \frac{aIS_{2,j,t}}{N_{s,j,t}}) \right) + \rho \cdot \left( Ca_{a,j,t} \cdot \frac{aIS_{2,j,t}}{N_{s,j,t}} + Cb_{a,j,t} \cdot \frac{aIS_{2,j,t}}{N_{s,j,t}} \right) \right)
$$
\n
$$
(11)
$$

The number of the recovered or vaccinated who lose sterilising immunity (d from 1 to tt):

$$
SUre_{s,a,t+1} = (SUre_{s,a,t} - sureEXP_{s,a,t}) \cdot (1 - drOth_{s,a,t}) + \sum_{d=1}^{tt} (iRE_{s,a,d,t} \cdot \mu_{r,d} + iVAC1_{s,a,d,t} \cdot \mu_{r,d})
$$
\n
$$
(12)
$$

Notes: "*tt*" is the total number of days simulated.  $w_{r,d}$  and  $w_{v,d}$  are gamma distributed rate of immunity waning, respectively, a function of days since the recovery and vaccination. *iRE*<sub>*s,a,d,t*</sub> is the number of recovered since d days from recovery; and  $e$ VAC1<sub>s,a,d,t</sub> is the number of vaccinated since d days after vaccination.

The number of new  $(d=1)$  primary infections in susceptible individuals:

$$
iEX1_{s,a,1,t} = suEXP_{s,a,t} \tag{13}
$$

The number of new (d=1) secondary infections in recovered or vaccinated individuals:

$$
iEX2_{s,a,1,t} = sureEXP_{s,a,t} + vacExp_{s,a,t}
$$
\n
$$
(14)
$$

For d=1,2,3...60 (assuming all will be dead or recovered by day 60 after being infected):

$$
iEX1_{s,a,d+1,t+1} = iEX1_{s,a,d,t} \cdot (1 - \alpha 1_d) \tag{15}
$$

$$
iEX2_{s,a,d+1,t+1} = iEX2_{s,a,d,t} \cdot (1 - \alpha 1_d) \tag{16}
$$

Assumed that covid-19 deaths were from symptomatic patients only. Overall deaths from covid-19 were calculated using the case fatality rates, and timing of covid-19 related deaths were assumed to have a gamma distribution according to days since being infected. Therefore a variable was introduced to record number of symptomatic individuals by days since being exposed/infected to calculate number of covid-19 deaths:

$$
iSY_{s,a,1,t} = \mu_a \left( suExp_{s,a,t} + e_2 \cdot \left( surExp_{s,a,t} + vacExp_{s,a,t} \right) \right) \tag{17}
$$

For  $d=1,2,3...60$  (the transmission completed by day 60):

$$
iSY_{s,a,d+1,t+1} = iSY_{s,a,d,t} \cdot (1 - drCov_{s,a,d}) \tag{18}
$$

The number of covid-19 deaths at time t:

$$
dthCov_{s,a,t} = \sum_{d=1}^{60} iSY_{s,a,d,t} \cdot drCov_{s,a,d}
$$
\n
$$
(19)
$$

The number of new (d=1) primary infections individuals before onset of symptoms:

$$
iI01_{s,a,1,t+1} = \sum_{d=1}^{60} iEX1_{s,a,d,t} \cdot \alpha 1_d \tag{20}
$$

The number of new (d=1) secondary infectious individuals before onset of symptoms:

$$
i102_{s,a,1,t+1} = \sum_{d=1}^{60} iEX2_{s,a,d,t} \cdot \alpha 1_d \tag{21}
$$

For d=1,2,3...60 (the transmission completed by day 60):

$$
i101_{s,a,d+1,t+1} = i101_{s,a,d,t} \cdot (1 - \alpha 2_d) \tag{22}
$$

$$
i102_{s,a,d+1,t+1} = i102_{s,a,d,t} \cdot (1 - \alpha 2_d) \tag{23}
$$

The number of all infectious individuals before onset of symptoms:

$$
I0_{s,a,t} = \sum_{d=1}^{60} iI0_{s,a,d,t} \tag{24}
$$

The number of new  $(d=1)$  infected individuals with no or very mild symptoms:

$$
iI_{s,a,1,t+1} = \sum_{d=1}^{60} (iI01_{s,a,d,t} \cdot \alpha_2 d \cdot (1 - \mu_a) + iI02_{s,a,d,t} \cdot \alpha_2 d \cdot (1 - e_2 \mu_a))
$$
(25)

For d=1,2,3...60 (the transmission completed by day 60):

$$
iI A_{s,a,d+1,t+1} = iI A_{s,a,d,t} \cdot (1 - \gamma A_d) \tag{26}
$$

The number of all infectious individuals with no or mild symptoms:

$$
IA_{-}(s, a, t) = \sum_{d=1}^{60} iIA_{s, a, d, t}
$$
\n(27)

The number of all new (d=1) symptomatic patients:

$$
SYM_{s,a,t+1} = \sum_{d=1}^{60} (i101_{s,a,d,t} + e_2 \cdot i102_{s,a,d,t}) \cdot \alpha2_d \cdot \mu_a \tag{28}
$$

The number of new (d=1) symptomatic patients who are not self-isolated:

$$
iIS0_{s,a,1,t} = SYM_{s,a,t} \cdot fS0_t \tag{29}
$$

Symptomatic patients (before being isolated or hospitalised:

$$
iIS0_{s,a,d+1,t+1} = (iIS0_{s,a,d,t} - dthCov_{s,a,t} \cdot ds0_d) \cdot (1 - YSO_d)
$$
\n
$$
(30)
$$

The number of new (d=1) symptomatic patients being isolated/quarantined:

$$
iSQ_{s,a,1,t} = SYM_{s,a,t} \cdot fSq_{a,t} \tag{31}
$$

Isolated symptomatic patients:

$$
iSQ_{s,a,d+1,t+1} = \sum_{d=1}^{60} (iSQ_{s,a,d,t} - dthCov_{s,a,t} \cdot dsq_d) \cdot (1 - YS1_d)
$$
\n(32)

The number of new (d=1) symptomatic patients being hospitalised:

$$
iSH_{s,a,1,t} = SYM_{s,a,t} \cdot fSh_{a,t} \tag{33}
$$

Hospitalised symptomatic patients:

$$
iSH_{s,a,d+1,t+1} = \sum_{d=1}^{60} (iSH_{s,a,d,t} - dthCov_{s,a,t} \cdot dsh_d) \cdot (1 - YH1_d)
$$
\n(34)

The number newly recovered people  $(d=1)$ :

$$
iRE_{s,a,1,t+1} = \sum_{d=1}^{60} \left( iIA_{s,a,d,t} \cdot YA0_d + iISO_{s,a,d,t} \cdot YSO_d + iISO_{s,a,d,t} \cdot YSO_d + iISH_{s,a,d,t} \cdot YH2_d + VAC2_t \right)
$$
\n(35)

Note:  $VAC2<sub>t</sub>$  is the number of newly vaccinated individuals who recovered from previous infections.

All recovered for d=1,2,3…tt:

$$
iRE_{s,a,d+1,t+1} = (iRE_{s,a,d,t} - VAC2_t) \cdot (1 - \mu r_d) \cdot (1 - drOth_{s,a,t}) \tag{36}
$$

All recovered individuals:

$$
RE_{s,a,t} = \sum_{d=1}^{tt} iRE_{s,a,d,t} \tag{37}
$$

#### **Derived reproduction values (R0, Rt)**

The basic reproduction ratio (R0) is defined as the average number of individuals infected by a typical infectious individual in a total susceptible population, and effective reproduction ratio (Rt) is the number

of individuals infected by an infectious individual when only a proportion of the population are susceptible and the disease transmission dynamic may be influenced by control measures.<sup>38</sup> R values depend on the risk of infection per contact between an infectious and susceptible person, person-toperson contacts between individuals, the rate of transition from exposed to infectious, infectious period, and the prevalence of susceptible individuals in the population.<sup>3</sup> In this study, we don't use the reproduction ratio directly in simulating the spread of SARS-CoV-2 virus. To facilitate the understanding of effects of different intervention strategies, we estimated R0 and Rt during the simulation period, based on average values of relevant parameters and the calculation method used in a modelling study by Giordano et al.<sup>27</sup>

Average values of relevant parameters for estimating R values:

Weighted average fraction of symptomatic individuals in all infected individuals:

$$
fS_t = \sum_a (\mu_a \cdot N_{3,a,t}/N_{3,11,t})
$$
\n(38)

Weighted average fraction of hospitalised symptomatic patients:

$$
fH_t = \sum_a (fSH_{a,t} \cdot N_{3,a,t}/N_{3,11,t})
$$
\n
$$
(39)
$$

Weighted average fraction of symptomatic patients self-isolated:

$$
fQ_t = \sum_a (fSQq_{a,t} \cdot N_{3,a,t}/N_{3,11,t})
$$
\n
$$
(40)
$$

Risk of daily transmission per infectious individual, depending on asymptomatic or symptomatic, household isolated or not:

$$
\beta I0_t = \sum_{a,j=1}^{10} \mu_t \cdot Ca_{a,j,t} \cdot \frac{N_{j,t}}{N_{3,11,t}} \cdot (inf A \cdot (1 - fS_t) + fS_t)
$$
\n(41)

$$
\beta I A_t = \sum_{a,j=1}^{10} \mu_t \cdot Ca_{a,j,t} \cdot \frac{N_{j,t}}{N_{3,11,t}} \cdot \inf A \cdot (1 - f S_t)
$$
\n(42)

$$
\beta S Q_t = \sum_{a,j=1}^{10} \mu_t \cdot C b_{a,j,t} \cdot \frac{N_{j,t}}{N_{3,11,t}} \cdot (inf A \cdot (1 - f S_t) + f S_t)
$$
\n(43)

$$
\beta S0_t = \sum_{a,j=1}^{10} \mu_t \cdot Ca_{a,j,t} \cdot \frac{N_{j,t}}{N_{3,11,t}} \tag{44}
$$

The following transition variables are calculated for estimating R values:

$$
d1_t = \alpha 2_t \cdot (1 - fS_t) \tag{45}
$$

$$
d2_t = \alpha 2_t \cdot fS_t \cdot fS0_t \tag{46}
$$

$$
d3_t = \alpha 2_t \cdot fS_t \cdot fSQ_t \tag{47}
$$

$$
d4_t = \alpha 2_t \cdot f S_t \cdot f S H_t \tag{48}
$$

$$
dA1_t = d1_t + d2_t + d3_t + d4_t \tag{49}
$$

$$
d5_t = \alpha 2_t \cdot (1 - fS_t \cdot e_2) \tag{50}
$$

$$
d\mathbf{6}_t = \alpha \mathbf{2}_t \cdot f \mathbf{S}_t \cdot f \mathbf{S}_t \cdot e_2 \tag{51}
$$

$$
d7_t = \alpha 2_t \cdot fS_t \cdot fSQ_t \cdot e_2 \tag{52}
$$

$$
d\theta_t = \alpha \, 2_t \cdot f S_t \cdot f S H_t \cdot e_2 \tag{53}
$$

$$
dA2_t = d5_t + d6_t + d7_t + d8_t \tag{54}
$$

#### Effective reproductive value (Rt):

$$
Rt = \frac{SU_{3,11,t}}{N_{3,11,t}} \left(\beta I0_t \cdot \frac{1}{dA1_t} + \beta I A_t \cdot \frac{d1_t}{dA1_t \cdot Y A0_t} + \beta S0_t \cdot \frac{d2_t}{dA1_t \cdot Y S0_t} + \beta S Q_t \cdot \frac{d3_t}{dA1_t \cdot Y S1_t} + \beta S H_t \cdot \frac{d4_t}{dA1_t \cdot Y B1_t}\right) + \left(\frac{S U r e_{3,11,t}}{N_{3,11,t}} + \beta I A_t \cdot \frac{d1_t}{dA2_t \cdot Y A0_t} + \beta S0_t \cdot \frac{d5_t}{dA2_t \cdot Y S0_t} + \beta S Q_t \cdot \frac{d7_t}{dA2_t \cdot Y S1_t} + \beta S H_t \cdot \frac{d8_t}{dA2_t \cdot Y B1_t}\right)
$$

$$
\frac{1}{2}
$$

# 5. Modelling R code and input data files

R code used in this modelling study is provided below. Input data and parameters shown in the code is from a scenario with the following assumptions: annual revaccination during 2021-2024, long-term vaccine efficacy 62.5%, reduction in reinfectivity after waning of immunity 45%. Input data files required for running the R code are provided at the end of this section.

### 5.1 R code used





 $\mathcal{E}$ 

#### $\uparrow$  # end if NPI==1

```
\} # for t in ts:tt
```

```
# Ratio for adjusting case fatality rate
         for(t in 1:tt)adjDth[t] \leq - 2.00
                                                           # higher death rate initially
                             adjDth[t] <- 1.80if(t>91) {
                                                           # t=92: 1/4/20:
         if(t>100) {
                             adjDth[t] \le 1.60
         if(t>110) {
                             adjDth[t] <- 1.40
                             \} # end t in ts:tt
# Ratio for calibrating hospitalisation rate
         for(t in 1:tt) { adjHsp[t] <-0.30 }
#### output files for simulation results
HHeader.scen <- cbind("Time", "Rt", "POP_N", "SUS", "SUS.rec","SUS.vac", "RE", "VAef1", "VAef2", "New.VAC",
                    "New_Exp", "New_Sym","New_HS", "HS_pts", "Infect_sum", "DthCov-day", "DthCov_cum",
                   "DthAll_day") # End Header.out
  OFileName <- paste("...\\ResOut".out", sep="")
  write.table(Header.scen, file=OFileName, sep="\t", quote=FALSE,
                                       append=FALSE, row.names=FALSE, col.names=FALSE)
#### Definition of Population and other key variables
##N \leq-array(0, dim=c(tt,3,11)) # Total population [t,sex,age,cmb]
         SU \leftarrow array(0, dim=c(tt,3,11)) # Suceptable[t,sex,age,cmb]
         EX \leq-array(0, dim=c(tt,3,11)) # Exposed[t,sex,age,cmb]
         EXv1 \le- array(0, dim=c(tt,3,11)) # Exposed in vaccinated
          EXv2 \le- array(0, dim=c(tt,3,11))
         10 \leq \text{array}(0, \text{dim} = c(t, 3, 11)) # Infected -presymptomatic
         I0v1 \le- array(0, dim=c(tt,3,11)) # Infected -presymptomatic in vaccinated
          I0v2 <- array(0, dim=c(tt,3,11))IMO \leq array(0, dim=c(tt,3,11)) # Infected no quarantine -mild
          IMOv <- array(0, dim=c(tt,3,11)) # Infection after vaccination or reinfection
          ISO \leq-array(0, dim=c(tt,3,11)) # Infected no quarantine/no hospital -severe
          ISOv \leq-array(0, dim=c(tt,3,11)) # Infection after vaccination or reinfection
          ISq \leq array(0, dim=c(tt,3,11)) # To be quarantined -severe
          ISqv \leq-array(0, dim=c(tt,3,11)) # Infection after vaccination or reinfection
          ISh <- array(0, dim=c(tt,3,11)) # To be hospitalised
          IShv <- array(0, dim=c(tt,3,11)) # Infection after vaccination or reinfection
          QS \leq array(0, dim=c(tt,3,11)) # Quarantined -severe
          QSv <- array(0, dim=c(tt,3,11))HS \leq array(0, dim=c(tt,3,11)) # Hospitalised -severe
          HSv \leftarrow array(0, dim=c(tt,3,11))RE \leq array(0, dim=c(tt, 3,11)) # Recovered
          eRE <- array(0, dim=c(tt,tw0,3,11)) # By days since recovered/vacciated for waning immunity
          SU.vac \leq-array(0, dim=c(tt,3,11)) # Suceptable from vaccinated
         SU.rec \leq array(0, dim=c(tt,3,11)) # Suceptable from recovered clinical
          vac.SU \leq-array(0, dim=c(tt,3,11)) # Vaccinated suceptable[t,sex,age,cmb]
          vac.SUvac \le- array(0, dim=c(tt,3,11)) # vaccinated in loss of vaccine immunity
          vac.SUrec \leq-array(0, dim=c(tt,3,11)) # vaccination of loss immunity in clinical recovered
         eEX \leq \arctan(0, \dim = c(\text{tt}, dd, 3, 11)) # Exposed[t,sex,age,cmb]
         eEXv1 \le- array(0, dim=c(tt,dd,3,11)) # Exposed in vaccinated
         eEXv2 \leq-array(0, dim=c(tt,dd,3,11))
         eI0 <- array(0, dim=c(tt,dd,3,11)) # Infected -presymptomatic
         eI0v1 \leq array(0, dim=c(tt, dd, 3, 11)) # Infected -presymptomatic in vaccinated
         eI0v2 <- array(0, dim=c(tt, dd, 3, 11))eIMO \le- array(0, dim=c(tt,dd,3,11)) # Infected no quarantine -mild
         eIM0v \leq- array(0, dim=c(tt,dd,3,11))
```
eIS0v  $\leq$ - array(0, dim=c(tt,dd,3,11)) eISq  $\leq$ - array(0, dim=c(tt,dd,3,11)) # To be quarantined -severe eISqv  $\leq$ - array(0, dim=c(tt,dd,3,11)) eISh  $\leq$ - array(0, dim=c(tt,dd,3,11)) # To be hospitalised eIShv  $\leq$ - array(0, dim=c(tt,dd,3,11))  $eQS \leq \text{array}(0, \text{dim} = c(t, dd, 3, 11))$  # Quarantined -severe  $eQSv \leftarrow array(0, dim=c(tt,dd,3,11))$ eHS  $\leq$ -array(0, dim=c(tt,dd,3,11)) # Hospitalised -severe eHSv  $\leftarrow$  array(0, dim=c(tt,dd,3,11)) VA0  $\leq$  array(0, dim=c(tt,3,11)) # Vaccinated before immunity developed VAef1  $\leq$  array(0, dim=c(tt,3,11)) # Successful partial immunised VAef2  $\leftarrow$  array(0, dim=c(tt,3,11)) eVA0  $\le$ - array(0, dim=c(tt,dv0,3,11)) # Specify days since vacciation 1-14 days eVAef1  $\leq$ - array(0, dim=c(tt,tv0,3,11)) # by days since vaccinated dose-1 eVAef2  $\le$ - array(0, dim=c(tt,tw0,3,11)) # by days since vaccinated dose-2

eIS0  $\le$  array(0, dim=c(tt,dd,3,11)) # Infected no quarantine/no hospital -severe

eInf  $\leq$ - array(0, dim=c(tt,dd,3,11)) # Tracing with days since exposed/infected eInfv  $\le$ - array(0, dim=c(tt,dd,3,11)) # Tracing with days since exposed/infected in reinfected Infect.sum  $\le$ - array(0, dim=c(tt)) # Total no. of infected at t Infect.sum  $\leq$  array $(0, \text{dim} = c(t))$ 

#--------------------------------

#----------------------------------

 jN <- array(0, dim=c(10)); jSU <- array(0, dim=c(10)); jSU.vac <- array(0, dim=c(10)) jSU.rec <- array(0, dim=c(10)); jRE <- array(0, dim=c(10)); jEX <- array(0, dim=c(10)) jI0 <- array(0, dim=c(10)); jIM0 <- array(0, dim=c(10)); jIS0 <- array(0, dim=c(10)) jISq <- array(0, dim=c(10)); jISh <- array(0, dim=c(10)); jQS <- array(0, dim=c(10)) jHS  $\leftarrow$  array(0, dim=c(10))

jEXv1 <- array(0, dim=c(10)); jI0v1 <- array(0, dim=c(10)) jEXv2 <- array(0, dim=c(10)); jI0v2 <- array(0, dim=c(10)); jIM0v <- array(0, dim=c(10)) jIS0v <- array(0, dim=c(10)); jISqv <- array(0, dim=c(10)); jIShv <- array(0, dim=c(10)) jQSv <- array(0, dim=c(10)); jHSv <- array(0, dim=c(10)); jVA0 <- array(0, dim=c(10)) jVAef1 <- array(0, dim=c(10)); jVAef2 <- array(0, dim=c(10))

jeEX <- array(0, dim=c(dd,10)); jeI0 <- array(0, dim=c(dd,10)); jeIM0 <- array(0, dim=c(dd,10)) jeIS0 <- array(0, dim=c(dd,10)); jeISq <- array(0, dim=c(dd,10)); jeISh <- array(0, dim=c(dd,10)) jeQS <- array $(0, dim=c(dd,10))$ ; jeHS <- array $(0, dim=c(dd,10))$ 

jeEXv1 <- array(0, dim=c(dd,10)); jeI0v1 <- array(0, dim=c(dd,10)); jeEXv2 <- array(0, dim=c(dd,10)) jeI0v2 <-  $array(0, dim=c(dd,10))$ 

jeIM0v <- array(0, dim=c(dd,10)); jeIS0v <- array(0, dim=c(dd,10)); jeISqv <- array(0, dim=c(dd,10)) jeIShv <- array(0, dim=c(dd,10)); jeQSv <- array(0, dim=c(dd,10)); jeHSv <- array(0, dim=c(dd,10)) jeInf  $\leq$ - array(0, dim=c(dd,10)); jeInfv  $\leq$ - array(0, dim=c(dd,10))

 jeVA0 <- array(0, dim=c(dv0,10)); jeVAef1 <- array(0, dim=c(tv0,10)); jeVAef2 <- array(0, dim=c(tw0,10)) jeRE  $\leq$ - array(0, dim=c(tw0,10))

HS.new  $\leq$ -array(0, dim=c(tt,3,11)); allHS  $\leq$ -array(0, dim=c(tt))



 <sup>#</sup> Temproary variable for up shifting ages

IAl  $\leq$ - array(0, dim=c(tt))

 $Rt \leq \arctan(0, \text{dim} = c(t))$ exposed.n  $\leq$ - array(0, dim=c(tt))

drisk.inf  $\leq$ -array(0, dim=c(2,11)) # death risk in symptomatic cases rHosp  $\leq$ - array(0, dim=c(11)) # Case hospitalisation rate

rADth0 <- array(0, dim=c(366,3,11)) # 5yr average death rate/1000/day without comordity

nDth.inf  $\leq$ - array(0, dim=c(tt,3,11)) # Covid related deaths -all nDth.s0  $\leq$ - array(0, dim=c(tt,dd,3,11)) # Covid related deaths -infected nDth.sq <- array(0, dim=c(tt,dd,3,11)) # Covid related deaths -infected nDth.ss  $\le$ - array(0, dim=c(tt,3,11)) # Covid related deaths -outside hospital nDth.hos <- array(0, dim=c(tt,dd,3,11)) # Covid related deaths-hospital

nDth.infv  $\leq$ - array(0, dim=c(tt,3,11)) # Covid related deaths -all nDth.s0v  $\leq$ - array(0, dim=c(tt,dd,3,11)) # Covid related deaths -infected nDth.sqv <- array(0, dim=c(tt,dd,3,11)) # Covid related deaths -infected nDth.ssv <-  $array(0, dim=c(tt,3,11))$  # Covid related deaths -outside hospital nDth.hosv <- array(0, dim=c(tt,dd,3,11)) # Covid related deaths-hospital

nDth.cov <-  $array(0, dim=c(tt,3,11))$  # Covid related deaths nDth.oth  $\leq$ - array(0, dim=c(tt,3,11)) # no. of other deaths in SU, RE and VAC

nDth.all  $\leq$ - array(0, dim=c(tt,3,11)) # All cause deaths including covid & non-covid deaths nDthHos.all  $\leq$ - array(0, dim=c(tt,3,11)) # All cause deaths including covid & non-covid deaths nDthHos.allv  $\leq$ - array(0, dim=c(tt,3,11))

nDthcum.cov  $\leq$  array(0, dim=c(tt)) # Covid related deaths -Cumulative

beta2.i0 <- array(0, dim=c(tt)); beta2.m0 <- array(0, dim=c(tt)); beta2.mq <- array(0, dim=c(tt)) beta2.s0 <- array(0, dim=c(tt)); beta2.sq <- array(0, dim=c(tt)); beta2.al <- array(0, dim=c(tt))

dk <- array(0, dim=c(tt,18)); dA <- array(0, dim=c(tt)); dAv1 <- array(0, dim=c(tt))  $dAv2 \leftarrow array(0, dim=c(tt))$ 



#### gimm.wan  $\leq$  array(0, dim=c(tw0)) # Distribution of immunity waning gimmv.wan  $\leq$ - array(0, dim=c(tw0)) # Distribution of vaccine immunity waning

```
cum_gdth.inf <- array(0, dim=c(dd)) # gamma distribution of deaths by days since infected cum_gdth.hos <- array(0, dim=c(dd)) # gamma distribution of deaths by days since hos adm
                                             # gamma distribution of deaths by days since hos admin
cum_alp1 <- array(0, dim=c(dd)) \qquad # Transition rate from exposed to I0 cum_alp2 <- array(0, dim=c(dd)) \qquad # Transition rate from I0 to I_clinica
                                              # Transition rate from I0 to I_clinical
cum_gm0.m \leq array(0, dim=c(tt)) # gamma mean from IM0 to RE
cum_gm0.s \leftarrow \text{array}(0, \text{dim}=c(\text{tt})) # gamma sd
cum_gs0.m \leftarrow array(0, dim=c(tt)) # gamma mean from IS0 to RE
cum_gs0.s \langle -\arctan(0, \dim = c(\text{tt})) + \text{gamma} \text{ s} \text{ d} \ranglecum_gs1.m \leftarrow array(0, dim=c(tt)) # gamma mean from ISq to QS
cum_gs1.s \leftarrow \array(0, \text{dim} = c(t)) # gamma sd<br>cum_gs2.m \leftarrow \array(0, \text{dim} = c(t)) # gamma me
                                                         # gamma mean from QS to RE
cum_gs2.s \leftarrow array(0, dim=c(tt)) # gamma sd
cum_gh1.m \leftarrow array(0, dim=c(tt)) # gamma mean from ISh to HS
cum_gh1.s \leftarrow \text{array}(0, \text{dim}=c(\text{tt})) # gamma sd
cum_gh2.m \leftarrow array(0, dim=c(tt)) # gamma mean from HS to RE
cum_gh2.s \leftarrow array(0, dim=c(tt)) # gamma sd
 # Day since infection specific transition rates: 
cum_gam.m0 \leq array(0, dim=c(tt,dd)) # duration from IM0 to RE
cum_gam.s0 \leftarrow array(0, dim=c(tt,dd)) # duration from IS0 to RE<br>cum_gam.s1 \leftarrow array(0, dim=c(tt,dd)) # duration from ISq to QS
                                                         # duration from ISq to OS
cum_gam.s2 \leftarrow array(0, dim=c(tt,dd)) # duration from QS to RE<br>cum_gam.h1 \leftarrow array(0, dim=c(tt,dd)) # duration from ISh to HS
cum_gam.h1 \leftarrow array(0, dim=c(tt,dd)) # duration from ISh to HS<br>cum_gam.h2 \leftarrow array(0, dim=c(tt,dd)) # duration from HS to RE
                                                         # duration from HS to RE
 # Average transition rates for estimating Rt 
cum_gam.m0a <- array(0, dim=c(tt)) # duration from IM0 to RE<br>cum_gam.s0a <- array(0, dim=c(tt)) # duration from IS0 to RE
cum gam.s0a \langle- array(0, dim=c(tt))
cum_gam.s1a <- array(0, dim=c(tt) # duration from ISq to QS<br>cum_gam.s2a <- array(0, dim=c(tt) # duration from QS to RE
                                                         # duration from QS to RE
cum_gam.h1a \leq- array(0, dim=c(tt)) # duration from ISh to HS
cum_gam.h2a \leq- array(0, dim=c(tt)) # duration from HS to RE
 cum_gimm.wan <- array(0, dim=c(tw0)) # Distribution of immunity waning 
cum_gimmv.wan <- array(0, dim=c(tw0)) # Distribution of vaccine immunity waning
rFm \leftarrow array(0, dim=c(11)) # % from I0 to Mild -age-specific<br>rFsq \leftarrow array(0, dim=c(tt,11)) # % from I0 to QS
rFsq \leq -\arctan(0, \dim =c(\text{tt},11))rFhos \leq- array(0, dim=c(tt,11)) # % from I0 to HS
rFhos.al \leq- array(0, dim=c(tt)); rFm.al \leq- array(0, dim=c(tt)); rFsq.al \leq- array(0, dim=c(tt))
 New.expsu <- array(0, dim=c(tt,3,11)) # Newly exposed in SU 
New.expv0 \leq array(0, dim=c(tt,3,11)) # Newly exposed in VA0
 New.expv1 <- array(0, dim=c(tt,3,11)) # Newly exposed in VAef1 
New.expv2 \leq-array(0, dim=c(tt,3,11)) # Newly exposed in VAef2
 New.expal <- array(0, dim=c(tt,3,11)) # Newly exposed -all 
Expv0 \leq array(0, dim=c(tt,dv0,3,11)) # Newly exposed in VA0 by day
Expv1 \leq- array(0, dim=c(tt,tv0,3,11)) # Newly exposed in VAef by day
Expv2 \leftarrow \text{array}(0, \text{dim}=\text{c}(\text{tt}, \text{tt}, 3, 11))New.explosv1 \leq-array(0, dim=c(tt,3,11)) # Newly exposed due to loss immunity in vaccinated
New.explosrec \leq array(0, dim=c(tt,3,11)) # Newly exposed due to loss immunity in recovered
New.vac \leq array(0, dim=c(tt, 3, 11)) # Newly vaccinated
New.sym \leq array(0, dim=c(tt,3,11)) # New symptomatic
eSeed \le- array(0, dim=c(tt, dd,3,11)) # Seeds of exposed
Seed.all \leq- array(0, dim=c(tt,3,11)) # Seeds of exposed
CMTa \le- array(0, dim=c(11,11)) # Contact matrix by age for all contacts symmetric CMTh \le- array(0, dim=c(11,11)) # Contact matrix by age for home contacts symmetric
                                          # Contact matrix by age for home contacts symmetric
adjCNTa \leq- array(0, dim=c(tt,11)) # adjust no. of Contacts at home by age & m
```


## READ: data on initial population 01-01-2020

inPOP <-read.table(file="...\\inPOPEng20.csv", header=TRUE, sep=",")

# Obtain data on initial population in England 2020 (start of the year)

```
for(a in 1:10) { # Input UK population
```


rHosp[a] <- inPOP[a,7] # Hospitalisation rate (cases)

} # End input POP data

```
 #----------------------------------------------------- 
          for(s in 1:2)
           for(a in 1:10) { 
            N[1,3,11] <- N[1,3,11] + N[1,s,a]; N[1,s,11] <- N[1,s,11] + N[1,s,a]; N[1,3,a] <- N[1,3,a] + N[1,s,a] 
            SU[1,s,a] <- N[1,s,a]; SU[1,3,11] <-SU[1,3,11] +SU[1,s,a]
```
##== ## Birth related parameters, note: CMB[s,a]

 } }



## READ: data on 5 year (2015-2019) average death rate/1000/day

```
inAllDth <-read.table(file="...\\inDTH1519Eng10.csv", header=TRUE, sep=",")
         d<- 1 \# day from 1 to 364=7x52<br>for(w in 1:52) {\# Input death rate for male week 1-5
                             # Input death rate for male week 1-52
          for(dw in 1:7) { 
           for(a in 1:10) { 
                   cc < -a+1 rADth0[d,1,a] <-inAllDth[w,cc]/1000 
                               } # end a in 1:10 
                      d \leftarrow d{+}1\} # end for dw in 1:7
                              \} # end for w in 1:52
         d \leftarrow 1 # day from 1 to 364=7x52<br>for(w in 53:104) { # Input death rate for fema
                                       # Input death rate for female week 1-52
          for(dw in 1:7) { 
           for(a in 1:10) { 
                   cc < -a+1 rADth0[d,2,a] <-inAllDth[w,cc]/1000 
                               } # end a in 1:10 
                      d \leftarrow d+1 } 
 } 
         for(s in 1:2)
         for(a \text{ in } 1:10) rADth0[365,s,a] <- rADth0[364,s,a] # 366 days in 2020 
          rADth0[366,s,a] <- rADth0[364,s,a] # 366 days in 2020 
 }
```
}

```
## READ: contact matrix all and at home 
           inCM <-read.table(file="...\\inCMATRIX10.csv", header=TRUE, sep=",")
   for(a in 1:10) \{ # Input Contact matrix data
    for(i in 1:10) {
     # All contacts (for community transmission) 
                              ca \le i+1 CMTa[a,j] <-inCM[a,ca] 
     # Contacts at home (for home isolation) 
                              ch < -j+11 CMTh[a,j] <-inCM[a,ch] 
 } 
 } 
##---------------------------------------------------
## Key input parameters 
##---------------------------------------------------
    # % of mild illness among infected - age-specific, constant overtime 
    # Data source: Davies et al Nature Med: Age-dependent effects in transmission 
          for(a in 1:2) \{ \text{rFm[a]} < 0.71 \} # age 0-9<br>\text{rFm[3]} < 0.79 # age 10-19
                                rFm[3] < 0.79rFm[4] <- 0.73 # age 20-29<br>rFm[5] <- 0.67 # age 30-39
                                rFm[5] < 0.67rFm[6] <- 0.60 # age 40-49<br>rFm[7] <- 0.51 # age 50-59
                                rFm[7] <- 0.51 # age 50-59<br>rFm[8] <- 0.37 # age 60-69
                                rFm[8] < 0.37for(a in 9:10) { rFm[a] < -0.31 } # age 70+
 #------------------------------------------------
 # Verity et al:<br># 17.8 days free
          17.8 days from onset to deaths
          gdth.m \leq -23.0 \qquad # mean days from exposed to deaths
          gdth.s \le -4.796 # sd
# READ: data on other input parameters 
 inParam <-read.table(file="...\\inParamet20.csv", header=TRUE, sep=",")
  for(t in ts:tt) \{ + # Epidemic simulation starts from ts
          if(t>(ts-1)) \left\{\n\begin{array}{ccc}\n\text{#HH t>ts} \\
\text{c} < -2\n\end{array}\n\right.# data column
 } 
 #================================================================= 
   # Effects of NPI control measures 
 #------------------------------------------------------------------------
   # Control-1: case based self-isolation mandated on 12/03/2020 
   # Reduced infectious periods for symptomatic patients since 13/03/2020 
 #------------------------------------------------------------------------
          if(t>72) { # after date: 12/03/2020 -self isolation of symptomatic individuals
                    c <-3 
                      } 
 #---------------------------------------------------------------------
   # Control-2: Social distance encouraged in the UK 16/03/2020 
   # shielding of vulnerable people 
 #--------------------------------------------------------------------
          if(t>76) { # After date 16/03/2020 -social distance
                    c \le -4 } 
 #============================================================= 
   # Control-3: lockdown from 24/03/2020 in the UK; stay at home and other restrictions 
 #---------------------------------------------------------------------
          if(t>83) { \# lockdown initial
                     c <-5 
                      } 
 #================================================================
```
# On 4 July 2020: third step in easing national restrictions

 # including 2m => 2m or 1m social distancing, restaurants/pubs # reopening, holiday accommodations, museum, place of worships, ... #== if( $t > 186$ ) { # date: 04/07/2020 more shops/pubs open  $c \le -6$  } #== # Reopening of schools from September 2020 #== if(t>244) {  $\#$  date: 01/09/2020 more shops/pubs re-opening  $c < -7$  } #== # 2nd national restrictions #-- if(t>309) {  $\#$  Date: 05/11/2020 localised control measures  $c \le -8$  } #== # Lifting national restrictions #-- if(t>336) {  $\#$  Date: 02/12/2020 Lifing national restrictions  $c < -9$  } #== # National lockdown restrictions #-- if(t>370) {  $\#$  Date: 05/01/2021 National restrictions  $c < -10$  } #== # Partial lifting national lockdown restrictions #-- if(t>432) {  $\#$  t=440: 15/03/2021; partially lifting national restrictions  $c$   $\leq$ -11 } if(t>505) {  $\#$  t=506: 20/05/2021  $c$  <-12 } #== # Return to normal from back.tim #-- if(back.nom==1) {  $if(t>(back.time-1))$  {  $c < -13$  } } # ### Get data from dataframe "inPar" # % home quarantine among symptomatic cases for(a in 1:6) { # age 0-49 rFsq[t,a] <- inParam[1,c] } for(a in 7:8) { # age 50-69  $rFsq[t,a] \leq \text{inParam}[2,c]$  } for(a in 9:10) { # age 70+  $rFsq[t,a] \leftarrow \text{inParam}[3,c]$  } #--- # Transition parameters for E-I0-TM/S-QM/S-RE # gamma distribution mean and shape #-- alp1.m  $\leq$ -inParam $[4,c]$  # gamma mean -days incupation non-infectious period alp1.s  $\leq$  inParam[5,c] # gamma sd



```
 gm0.m[t] <-inParam[8,c] # mean days infectious period- no quarantine -mild 
        gm0.\text{s[t]} \leq \text{inParam}[9,\text{c]} # gamma sd
         gs0.m[t] \le-inParam[10,c] # mean duration of infectious no quarantine -severe gs0.s[t] \le-inParam[11,c] # gamma sd
        gs0.s[t] < -inParam[11,c] gs1.m[t] <-inParam[12,c] # mean days of infectious before quarantine -severe 
        gs1.s[t] \le-inParam[13,c] # gamma sd
        gs2.m[t] \le inParam[14,c] # mean duration from quarantine to recovery -severe
        gs2.s[t] < -inParam[15,c] # gamma sd
          gh1.m[t] <-inParam[16,c] # mean days before hospitalisation -severe
        gh1.s[t] \le-inParam[17,c] # gamma sd<br>gh2.m[t] \le-inParam[18,c] # mean days
                                    # mean days of non-ICU hospitalisation -severe
        gh2.s[t] \le-inParam[19,c] # gamma sd
 #-------------------------------------------------
  # adjCNT=1, no change; adjCNT<1, reduced contacts 
 #-------------------------------------------------
          for(a in 1:3) \qquad \qquad \{ \qquad \qquad \# \text{Age } 0\n-19 \text{ children} adjCNTa[t,a] <- inParam[20,c] 
 } 
          for(a in 4:7) \qquad \qquad \{ \qquad \qquad \text{# Age } 20\text{-}59 adjCNTa[t,a] <- inParam[21,c] 
 } 
           for(a in 8:8) { # Age 60-69 
                  adjCNTa[t,a] <- inParam[22,c] 
 } 
          for(a in 9:10) \{ # Age 70+
                  adjCNTa[t,a] <- inParam[23,c] 
 } 
                            } ## End tt for input parameters 
#--------------------------------------------------------------------------
   # Hospitalisation rate by age grp based on Verity et al. 
        for(t \text{ in } 1:tt)for(a in 1:10)
          rFhos[t,a] <-(rHosp[a]/(1-rFm[a])) *adjHsp[t] 
 } 
 } 
#=============================================================================== 
 # Calculating transition rate by days since exposed, infected, ... 
# cumulative (pgamma) from 1 to dd: eventually all will be transfered to next status ....
 #=================================================================== ==== 
         for(d in 1:dd) cum_alp1[d] <- pgamma(d, (alp1.m/alp1.s)^2, scale=(alp1.s^2)/alp1.m, log=FALSE) 
             cum_alp2[d] <- pgamma(d, (alp2.m/alp2.s)^2, scale=(alp2.s^2)/alp2.m, log=FALSE) 
           cum_gdth.inf[d] <- pgamma(d, (gdth.m/gdth.s)^2, scale=(gdth.s^2)/gdth.m, log=FALSE) 
 } 
         # Translating cumulative probability to transition rate by d 
                     alp1[1] <- cum_alp1[1] 
                     alp2[1] <- cum_alp2[1] 
                  gdth.inf[1] <- cum_gdth.inf[1 
        for(d \text{ in } 2:dd) if(cum_alp1[d-1]<1) { 
             alp1[d] <- (cum_alp1[d]-cum_alp1[d-1])/(1-cum_alp1[d-1]) 
                                     } else { alp1[d] <-1 } 
                  if(cum_alp2[d-1]<1) { 
             alp2[d] <- (cum_alp2[d]-cum_alp2[d-1])/(1-cum_alp2[d-1]) 
                                     } else { alp2[d] <-1 } 
                 if(cum_gdth.inf[d-1] \leq 1) gdth.inf[d] <- (cum_gdth.inf[d]-cum_gdth.inf[d-1])/(1-cum_gdth.inf[d-1]) 
                                    \} else \{ gdth.inf[d]<-1
 }
```
for(t in ts:tt)  $\qquad \qquad \{ \qquad \qquad # start t in 1:tt$ for(d in 1:dd)  $\qquad$  # start d in 1:dd cum\_gam.m0[t,d] <- pgamma(d, (gm0.m[t]/gm0.s[t])^2, scale=gm0.s[t]^2/gm0.m[t], log=FALSE) cum\_gam.s0[t,d] <- pgamma(d, (gs0.m[t]/gs0.s[t])^2, scale=gs0.s[t]^2/gs0.m[t], log=FALSE) cum\_gam.s1[t,d] <- pgamma(d, (gs1.m[t]/gs1.s[t])^2, scale=gs1.s[t]^2/gs1.m[t], log=FALSE) cum\_gam.s2[t,d] <- pgamma(d, (gs2.m[t]/gs2.s[t])^2, scale=gs2.s[t]^2/gs2.m[t], log=FALSE) cum\_gam.h1[t,d] <- pgamma(d, (gh1.m[t]/gh1.s[t])^2, scale=gh1.s[t]^2/gh1.m[t], log=FALSE) cum\_gam.h2[t,d] <- pgamma(d, (gh2.m[t]/gh2.s[t])^2, scale=gh2.s[t]^2/gh2.m[t], log=FALSE)  $}$  # end d in 1:dd gam.m0[t,1]  $\leq$  cum\_gam.m0[t,1]; gam.s0[t,1]  $\leq$  cum\_gam.s0[t,1]; gam.s1[t,1]  $\leq$  cum\_gam.s1[t,1] gam.s2[t,1] <- cum\_gam.s2[t,1]; gam.h1[t,1] <- cum\_gam.h1[t,1]; gam.h2[t,1] <- cum\_gam.h2[t,1] for(d in 2:dd)  $\qquad \qquad$   $\qquad$  # start d in 2:dd if(cum\_gam.m0[t,d-1]<1) { gam.m0[t,d] <- (cum\_gam.m0[t,d]-cum\_gam.m0[t,d-1])/(1-cum\_gam.m0[t,d-1]) } else { gam.m0[t,d]<-1 }  $if(cum\_gam.s0[t,d-1] \leq 1)$  gam.s0[t,d] <- (cum\_gam.s0[t,d]-cum\_gam.s0[t,d-1])/(1-cum\_gam.s0[t,d-1]) } else { gam.s0[t,d]<-1 }  $if$ (cum\_gam.s1[t,d-1] $\leq$ 1) gam.s1[t,d] <- (cum\_gam.s1[t,d]-cum\_gam.s1[t,d-1])/(1-cum\_gam.s1[t,d-1]) } else { gam.s1[t,d] <-1 }  $if$ (cum\_gam.s2[t,d-1] $\leq$ 1) gam.s2[t,d] <- (cum\_gam.s2[t,d]-cum\_gam.s2[t,d-1])/(1-cum\_gam.s2[t,d-1]) } else { gam.s2[t,d]<-1 }  $if(cum\_gam.h1[t,d-1] \leq 1)$  gam.h1[t,d] <- (cum\_gam.h1[t,d]-cum\_gam.h1[t,d-1])/(1-cum\_gam.h1[t,d-1]) } else { gam.h1[t,d] <-1 }  $if(cum_gam.h2[t,d-1] < 1)$  gam.h2[t,d] <- (cum\_gam.h2[t,d]-cum\_gam.h2[t,d-1])/(1-cum\_gam.h2[t,d-1]) } else {  $\text{gam.h2[t,d]{\leq-1}}$  }  $\}$  # end d in 2:dd #--- # Average transition rates for estimating Rt. # Average transition rates were estimated by exponential distribution, #-- alp2.a  $\langle -(1/\text{alp2.m})/1.337$  # gamma m=1.5 gam.m0a[t]  $\langle -(1/gm0.m[t])/1.11$  # gamma m=5<br>gam.s0a[t]  $\langle -(1/gs0.m[t])/1.11$  # gamma m=5 gam.s0a[t]  $\langle -(1/gs0.m[t])/1.11$  # gamma m=5<br>gam.s1a[t]  $\langle -(1/gs1.m[t])/1.25$  # gamma m=2 gam.s1a[t]  $\langle -(1/gs1.m[t])/1.25$ gam.s2a[t]  $\langle -(1/gs2.m[t])/1.125$  # gamma m=4 gam.h1a[t]  $\left(-\frac{1}{gh1.m[t]}\right)/1.25$  # gamma m=2  $\frac{1}{1}$  # end t in 1:tt #--- # Distribution of immunity duration: for(w in 1:tw0)  $\left\{\n\begin{array}{r}\n\text{# start } w \text{ in } 1 \text{ in } 1\n\end{array}\n\right.$  cum\_gimm.wan[w] <- pgamma(w, (gwan.m/gwan.s)^2, scale=gwan.s^2/gwan.m, log=FALSE)  $\}$  # end w in 1:tw  $gimm.wan[1] < \text{cum_gimm.wan}[1]$ for(w in 2:tw0)  $\{$  if(cum\_gimm.wan[w-1]<1) { gimm.wan[w] <- (cum\_gimm.wan[w]-cum\_gimm.wan[w-1])/(1-cum\_gimm.wan[w-1]) } else { gimm.wan[w]<-1 } }  $if(pIM == 1)$  { # If permanent immunity -gimm.wan=0 for(w in 1:tw0)  $\{$  gimm.wan[w] <- 0.0 }  $#$  end if pIM=1

# Distribution of vaccine immunity duration:

```
for(w in 1:tw0) \{ # start w in 1:tw
         cum_gimmv.wan[w] <- pgamma(w, (gwanv.m/gwanv.s)^2, scale=gwanv.s^2/gwanv.m, log=FALSE) 
                        \} # end w in 1:tw
                 gimmv.wan[1] <- cum_gimmv.wan[1] 
        for(w in 2:tw0) \{ if(cum_gimmv.wan[w-1]<1) { 
         gimmv.wan[w] <- (cum_gimmv.wan[w]-cum_gimmv.wan[w-1])/(1-cum_gimmv.wan[w-1]) 
                        } else { gimmv.wan[w] <-1 }
 } 
   if(pIMv==1) { # If permanent vaccine immunity -gimm.wan=0
        for(w in 1:tw0) \{gimmv.wan[w] \le 0.0 } 
                        \int # end if pIMv=1
##=============================================================== 
## Simulation of covid-19 epidemic 
##============================================================== 
 for(t in 2:tt) { ############# Start simulation 
#==================================================================== 
# Seasonality adjustment of beta[t] 
        if(t>639) { # From Sept 2021
        beta[t]\le- bta.nom<br>if(t.dr >240)
                                        # from about Sept
        if(t.dr \leq 301) { # to about Oct
         beta[t]<- bta.nom *rWinter1 # beta increased by rWinter 
 } 
 } 
        if(t.dr >300) \qquad \qquad \{ # from Nov to Dec
         beta[t]<- bta.nom *rWinter2 # beta increased by rWinter 
 } 
        if(t.dr \leq 60) { # From Jan to Feb
         beta[t]<- bta.nom *rWinter2 # beta increased by rWinter 
 } 
        if(t.dr >59) { # from Mar<br>if(t.dr <120) { # to about A
                                        # to about Apr
         beta[t]<- bta.nom *rWinter1 # beta increased by rWinter 
 } 
 } 
                          # end t > 639#====================================================== 
# Days of the year for non-covid death rate 
#====================================================== 
        if(t==2) { t.dr <-1 } # start year 1<br>if(t==368) { t.dr <-1 } # st
                                                # start year 2
        if(t==733) { t.dr <-1 } # start year 3<br>if(t==1098) { t.dr <-1 } # start year 4
        if(t==1098) { t.dr <-1 } # start year 4<br>if(t==1463) { t.dr <-1 } # start year 5
                          t.dr \langle -1 \rangle \qquad \qquad \qquad \qquad # start year 5
```
if(t==3288) { t.dr <-1 } # start year 10 #==

if(t==1828) { t.dr <-1 } # start year 6 if(t==2193) { t.dr <-1 } # start year 7<br>if(t==2558) { t.dr <-1 } # start year 8

if(t==2923) { t.dr <-1 } # start year 9

# First running through t from 1 to ts a period of no covid epidemic

if(t $\lt$ ts) { ##### The susceptile from t=1 to t=ts for $(a$  in 1:10) for $(s \in \{1:2\})$  $N[t,s,a] \leftarrow N[t-1,s,a] * (1-rADth0[t-dr,s,a]) + dBth[a] * Bsex[s]; SU[t,s,a] \leftarrow N[t,s,a]$ 

# start year 8

```
 } } 
                             #### end if t<ts
#================================================================== 
# Simulating from ts to tt for covid epidemic 
#------------------------------------------------------------------------------------------
         if(t=ts) {
                   eSeed[ts,3,1,5] <- seeds 
         for(a in 1:10)
         for(s \in \{1:2\})for(m in 1:2)
           N[t,s,a] <-N[t-1,s,a]*(1-rADth0[t.dr,s,a]) +dBth[a]*Bsex[s]; SU[t,s,a] <-N[t,s,a] 
                  for(d \text{ in } 1:10) Seed.all[t,s,a] <-Seed.all[t,s,a] +eSeed[t,d,s,a] 
 } 
                            } } } 
                           } # end if t==ts
#======================================================================= 
         if(t>ts) { #### start simulating covid epidemic
# Seeding exposed per day from 15/01/2020 to 29/02/2020 (t=60) 
          if(t<40) { eSeed[t,3,1,5] <- eSeed[t-1,3,1,5]+1 }
         for(a in 1:10)
         for(s in 1:2)
         for(d \text{ in } 1:10) Seed.all[t,s,a] <-Seed.all[t,s,a] +eSeed[t,d,s,a] 
 } 
 } 
 } 
 #========================================================== 
   # Average rFm & rFhos for estimating R0/Rt: weighted by age specific proportion of relevant cases 
          for(a in 1:10) { 
                  rFsq.al[t-1] <- rFsq.al[t-1] + rFsq[t-1,a]*N[t-1,3,a]/N[t-1,3,11]rFm.al[t-1] \leftarrow rFm.al[t-1] + rFm[a]*N[t-1,3,a]/N[t-1,3,11]rFhos.aI[t-1] < -rFhos.aI[t-1] + rFhos[t-1,a] * N[t-1,3,a]/N[t-1,3,11] } # end a in 1:10 
#================================================================================== 
# Overall infectious individuals in the population 
         for(a in 1:10)for(s in 1:2)
         I.i0[t-1,a] \leq -I.i0[t-1,a] + I0[t-1,s,a] # pre-clinical infectious
          I.i0v[t-1,a] <-I.i0v[t-1,a] +I0v1[t-1,s,a] +I0v2[t-1,s,a] 
          I.m0[t-1,a] <- I.m0[t-1,a] +IM0[t-1,s,a] 
          I.m[t-1,a] <- I.m[t-1,a] +IM0[t-1,s,a] +I0[t-1,s,a]*rFm[a] # All asymptomatic/mild cases 
         I.m0v[t-1,a] < -I.m0v[t-1,a] + IM0v[t-1,s,a]I.mv[t-1,a] \leftarrow I.mv[t-1,a] + IM0v[t-1,s,a] +I0v1[t-1,s,a]*(1-(1-rVEsym1)*(1-rFm[a])) + I0v2[t-1,s,a]*(1-(1-rVEsym2)*(1-rFm[a])) # Among asym/mild: vaccinated and 
                                                                          # after immunity waning in the recovered 
         I.sq[t-1,a] \leq I.sq[t-1,a] + QS[t-1,s,a] I.sqv[t-1,a] <-I.sqv[t-1,a] +QSv[t-1,s,a] 
          I.s0[t-1,a] <-I.s0[t-1,a] +IS0[t-1,s,a]+ISq[t-1,s,a]+ISh[t-1,s,a] 
         I.s[t-1,a] \leftarrow I.s[t-1,a] + ISO[t-1,s,a] + ISq[t-1,s,a] + ISh[t-1,s,a] + IO[t-1,s,a] * (1-rFm[a]) I.s0v[t-1,a] <-I.s0v[t-1,a] +IS0v[t-1,s,a]+ISqv[t-1,s,a]+IShv[t-1,s,a] 
         I.sv[t-1,a] \leftarrow Lsv[t-1,a] + ISOv[t-1,s,a] + ISqv[t-1,s,a] + IShv[t-1,s,a] +I0v1[t-1,s,a] * (1-rVEsym1) * (1-rFm[a]) + I0v2[t-1,s,a] *(1-rVEsym2)*(1-rFm[a]) 
 } 
 } 
#==============================================================================
```
# Estimating average no. of daily transmission per infectious individuals for estimating R0/Rt

for $(a \text{ in } 1:10)$ for $(i$  in 1:10)  $\left\{ \right.$  $#$  $\text{Li0} \leq (\text{Li0}[t-1,j]+ \text{Li0v}[t-1,j])$  $if(Ii0>0)$  { rIiO <-(I.iO[t-1,j]+I.iOv[t-1,j]\*InfI2)/(I.iO[t-1,j]+I.iOv[t-1,j]) } else {  $rIi0$  <-1 } beta2.i0[t-1] <-beta2.i0[t-1] +(beta[t-1]\*CMTa[a,j]\*adjCNTa[t-1,a]\*  $N[t-1,3,j]/N[t-1,3,11])$  \*(rFm[a]\*ASYinf +(1-rFm[a])) \*rIi0  $#$  $Im0 < (I.m0[t-1,j]+I.m0v[t-1,j])$  $if(Im0>0)$ rIm0 <-(I.m0[t-1,j]+I.m0v[t-1,j]\*InfI2)/(I.m0[t-1,j]+I.m0v[t-1,j]) } else {  $rIm0$  <-1 } beta2.m0[t-1] <-beta2.m0[t-1] +(beta[t-1]\*CMTa[a,j]\*adjCNTa[t-1,a]\*  $N[t-1,3,j]/N[t-1,3,11])$  \*ASYinf  $*$  rIm $0$  $\text{Is0} \leq (\text{I}.\text{s0}[t-1,j]+ \text{I}.\text{s0v}[t-1,j])$  $if(Is0>0)$  {  $rIs0 \le (I.s0[t-1,j]+I.s0v[t-1,j]*InfI2)/(I.s0[t-1,j]+I.s0v[t-1,j])$ } else {  $rIs0 < -1$  } beta2.s0[t-1] <-beta2.s0[t-1] +(beta[t-1]\*CMTa[a,j]\*adjCNTa[t-1,a]\*  $N[t-1,3,j]/N[t-1,3,11])$  \* rIsO  $Isq < (I.sq[t-1,j]+I.sqv[t-1,j])$  $if(Isq>0)$  {  $rlsq \leftarrow (I.sq[t-1,j]+I.sqv[t-1,j]*InfI2)/(I.sq[t-1,j]+I.sqv[t-1,j])$  $\text{else} \{ \text{rIsq} \leq -1 \}$ beta2.sq[t-1] <-beta2.sq[t-1] +(beta[t-1]\*CMTh[a,j]\*  $N[t-1,3,j]/N[t-1,3,11])$  \* rIsq J # transition rate from I0 to IM0, etc. Ħ  $dk[t-1,1] < -alp2.a*$  rFm.al[t-1] # To IM0  $dk[t-1,2] \leq -alp2.a*(1-rFm.a![t-1])*(1-rFhos.a![t-1])*(1-rFsq.a![t-1]) \quad \# \text{To ISO}$ dk[t-1,3] <-alp2.a\*(1-rFm.al[t-1])\*(1-rFhos.al[t-1])\* rFsq.al[t-1] # To ISq dk[t-1,4] <-alp2.a\*(1-rFm.al[t-1])\* rFhos.al[t-1] # To ISh for(k in 1:4) {  $dA[t-1] < dA[t-1] + dk[t-1,k]$  }  $dk[t-1,5] \leq alp2.a*(1-(1-rVEsym1)*(1-rFm.a![t-1]))$ # To IM0v dk[t-1,6] <-alp2.a\*  $(1-rVEsym1)*(1-rFm.a![t-1])*(1-rFhos.a![t-1])*(1-rFsg.a![t-1])$ <br>dk[t-1,7] <-alp2.a\*  $(1-rVEsym1)*(1-rFm.a![t-1])*(1-rFhos.a![t-1])*$  rFsq.al[t-1]  $\#$  To ISOv # To ISqv dk[t-1,8] <-alp2.a\*  $(1-rVEsym1)*(1-rFm.a1[t-1])*$  rFhos.al[t-1] # To IShv for(k in 5:8) {  $dAv1[t-1] < dAv1[t-1] + dk[t-1,k]$  }  $#$  To IMO<sub>v</sub> dk[t-1,9] <-alp2.a\*(1-(1-rVEsym2)\*(1-rFm.al[t-1])) dk[t-1,10] <-alp2.a\*  $(1-rVEsym2)*(1-rFm.a1[t-1))*(1-rFhos.a1[t-1))*(1-rFsg.a1[t-1])$ <br>dk[t-1,11] <-alp2.a\*  $(1-rVEsym2)*(1-rFm.a1[t-1))*(1-rFhos.a1[t-1))*rFsq.a1[t-1]$ # To ISOv # To ISqv dk[t-1,12] <-alp2.a\*  $(1-rVEsym2)*(1-rFm.a1[t-1))*$  rFhos.al[t-1]  $#$  To IShv for(k in 9:12) {  $dAv2[t-1] < dAv2[t-1] + dk[t-1,k]$  } # Estimating R0 and effective Rt  $#$  $Rt[t-1] \leftarrow ((SU[t-1,3,11]+VA0[t-1,3,11])/N[t-1,3,11])$ 

 $/(dA[t-1])$  $(beta2.10[f-1])$ beta2.m0[t-1]\*dk[t-1,1]  $/(dA[t-1]*gam.m0a[t-1]) +$ beta2.s0[t-1]\*dk[t-1,2]  $/(dA[t-1]*gam.s0a[t-1])$ beta2.s0[t-1]\*dk[t-1,3]  $/(\mathrm{d}A[t-1]*\mathrm{gam.s1a[t-1]})$ beta2.sq[t-1]\*dk[t-1,3]\*gam.s1a[t-1]/(dA[t-1]\*gam.s2a[t-1]) beta2.s0[t-1]\*dk[t-1,4]  $/(dA[t-1]*gam.h1a[t-1])) +$ (VAef1[t-1,3,11]/N[t-1,3,11])\*(1-rVEinf1)\*  $(beta2.i0[t-1])$  $/(dAv1[t-1])$  $\overline{1}$ 

 beta2.m0[t-1]\*dk[t-1,5] /(dAv1[t-1]\*gam.m0a[t-1]) + beta2.s0[t-1]\*dk[t-1,6] /(dAv1[t-1]\*gam.s0a[t-1]) +<br>beta2.s0[t-1]\*dk[t-1,7] /(dAv1[t-1]\*gam.s1a[t-1]) +  $/(dAv1[t-1]*gamma.s1a[t-1]) +$  beta2.sq[t-1]\*dk[t-1,7]\*gam.s1a[t-1] /(dAv1[t-1]\*gam.s2a[t-1]) + beta2.s0[t-1]\*dk[t-1,8]  $/(dAv1[t-1]*gam.h1a[t-1])) +$  (VAef2[t-1,3,11]/N[t-1,3,11])\*(1-rVEinf2) \* (beta2.i0[t-1] /(dAv2[t-1])<br>beta2.m0[t-1]\*dk[t-1,9] /(dAv2[t-1]\* beta2.m0[t-1]\*dk[t-1,9]  $/(dAv2[t-1)*gam.m0a[t-1]) +$ <br>beta2.s0[t-1]\*dk[t-1,10]  $/(dAv2[t-1)*gam.s0a[t-1]) +$  $/(dAv2[t-1]*gam.s0a[t-1]) +$ beta2.s0[t-1]\*dk[t-1,11] /(dAv2[t-1]\*gam.s1a[t-1]) + beta2.sq[t-1]\*dk[t-1,11]\*gam.s1a[t-1] /(dAv2[t-1]\*gam.s2a[t-1]) +<br>beta2.s0[t-1]\*dk[t-1,12] /(dAv2[t-1]\*gam.h1a[t-1])) +  $/(dAv2[t-1]*gam.h1a[t-1])) +$  $((SU.vac[t-1,3,11]+SU.rec[t-1,3,11])/N[t-1,3,11])$ \* (beta2.i0[t-1]  $/(dAv2[t-1])$ <br>beta2.m0[t-1]\*dk[t-1,9]  $/(dAv2[t-1])$ beta2.m0[t-1]\*dk[t-1,9]  $/(dAv2[t-1)*gam.m0a[t-1]) +$ <br>beta2.s0[t-1]\*dk[t-1,10]  $/(dAv2[t-1)*gam.s0a[t-1]) +$  $/(dAv2[t-1]*gam.s0a[t-1]) +$ beta2.s0[t-1]\*dk[t-1,11] /(dAv2[t-1]\*gam.s1a[t-1]) + beta2.sq[t-1]\*dk[t-1,11]\*gam.s1a[t-1] /(dAv2[t-1]\*gam.s2a[t-1]) + beta2.s0[t-1]\*dk[t-1,12] /(dAv2[t-1]\*gam.h1a[t-1])) #== # Susceptable infected by contacting infectious individuals with any age-sex # not quarantined or household isolated in the whole population #-- for(s in 1:2) for(a in 1:10) { for(j in 1:10)  $\{$  # Temporary variable: ConInf <- CMTa[a,j]\*adjCNTa[t-1,a] \*  $(ASYinf * (I.m[t-1,j] + InfI2 * I.mv[t-1,j]) + I.s[t-1,j] + InfI2 * I.sv[t-1,j])/N[t-1,3,j] +$  $CMTh[a,j]$ \* (I.sq[t-1,j] +InfI2 \*I.sqv[t-1,j])/N[t-1,3,j] # Exposed from susceptible New.expsu[t-1,s,a] <-New.expsu[t-1,s,a] + beta[t-1] \*SU[t-1,s,a] \*ConInf } # end age j SU[t-1,s,a] <- SU[t-1,s,a] -New.expsu[t-1,s,a] } } #--- for $(s \in \{1:2\})$ for( $v$  in 1:dv0) for $(a$  in 1:10) for(j in 1:10)  $\{$  # Temporary variable: ConInf <- CMTa[a,j]\*adjCNTa[t-1,a] \*  $(ASYinf * (I.m[t-1,j] + InfI2 * I.mv[t-1,j]) + I.s[t-1,j] + InfI2 * I.sv[t-1,j])/N[t-1,3,j] +$  CMTh[a,j]\* (I.sq[t-1,j] +InfI2 \*I.sqv[t-1,j])/N[t-1,3,j] # Exposed in early vaccinated (<14 days): Expv0.temp <- beta[t-1] \*eVA0[t-1,v,s,a] \*ConInf Expv0[t-1,v,s,a] <- Expv0[t-1,v,s,a] +Expv0.temp  $eVAO[t-1,v,s,a] \leftarrow eVAO[t-1,v,s,a] - Expv0.$ temp } New.expv0[t-1,s,a] <-New.expv0[t-1,s,a] +Expv0[t-1,v,s,a] } } } #-- for(s in 1:2)  $\{$ for(w in 1:ty()  $\{$ for $(a \text{ in } 1:10)$ for $(i$  in 1:10)

# Temporary variable:

```
40 
         ConInf <- CMTa[a,j]*adjCNTa[t-1,a] * 
          (ASYinf * (I.m[t-1,j] + InfI2 * I.mv[t-1,j]) + I.s[t-1,j] + InfI2 * I.sv[t-1,j])/N[t-1,3,j] +CMTh[a,j]* (I.sq[t-1,j] +InfI2 *I.sqv[t-1,j])/N[t-1,3,j]
  # Exposed in vaccinated dose-1 (risk reduced by "1-rVEinf1"): 
         Expv1.temp <- beta[t-1] *eVAef1[t-1,w,s,a] *ConInf *(1-rVEinf1) 
        Expv1[t-1,w,s,a] \leq Expv1[t-1,w,s,a] + Expv1.temp
          eVAef1[t-1,w,s,a] <- eVAef1[t-1,w,s,a] -Expv1.temp 
 } 
         New.expv1[t-1,s,a] <-New.expv1[t-1,s,a] +Expv1[t-1,w,s,a] 
 } 
 } 
 } 
 #-----------------------------------------------------
        for(s in 1:2) \{tv1 < - (t - vac.tim[1]); if (tv1 < 2) { tv1 < - 2 }
        for(w in 1:tv1) \{for(a \text{ in } 1:10)for(j in 1:10)
  # Temporary variable: 
         ConInf <- CMTa[a,j]*adjCNTa[t-1,a] * 
          (ASYinf * (I.m[t-1,j] + InfI2 * I.mv[t-1,j]) + I.s[t-1,j] + InfI2 * I.sv[t-1,j])/N[t-1,3,j] +CMTh[a,j]* (I.sq[t-1,j] +InfI2 *I.sqv[t-1,j])/N[t-1,3,j]
  # Exposed in vaccinated dose-2 (risk reduced by "1-rVEinf2"): 
          Expv2.temp <- beta[t-1] *eVAef2[t-1,w,s,a] *ConInf *(1-rVEinf2) 
         Expv2[t-1,w,s,a] <-Expv2[t-1,w,s,a] + Expv2.temp 
          eVAef2[t-1,w,s,a] <- eVAef2[t-1,w,s,a] -Expv2.temp 
 } 
         New.expv2[t-1,s,a] <-New.expv2[t-1,s,a] +Expv2[t-1,w,s,a] 
 } 
 } 
 } 
 #------------------------------------------------------
        for(s in 1:2)
         for(a in 1:10) { 
        for(j in 1:10) \{ # Temporary variable: 
         ConInf <- CMTa[a,j]*adjCNTa[t-1,a] * 
          {\bf (ASYinf * (I.m[t-1,j] + InfI2 * I.mv[t-1,j]) + I.s[t-1,j] + InfI2 * I.sv[t-1,j]) / N[t-1,3,j] +}CMTh[a,j]* (I.sq[t-1,j] +InfI2 *I.sqv[t-1,j])/N[t-1,3,j]
  # Exposed due to loss of immunity in vaccinated/recovered (risk fraction: "rLOSinf"): 
           New.explosv1[t-1,s,a] <- New.explosv1[t-1,s,a] + beta[t-1] *(SU.vac[t-1,s,a]) *ConInf 
          New.explosrec[t-1,s,a] <- New.explosrec[t-1,s,a] + beta[t-1] *(SU.rec[t-1,s,a]) *ConInf 
 } 
         SU.\text{vac}[t-1,s,a] \le SU.\text{vac}[t-1,s,a] - \text{New.cxplosv1}[t-1,s,a] SU.rec[t-1,s,a] <-SU.rec[t-1,s,a] -New.explosrec[t-1,s,a] 
 } 
 } 
####################################################### 
        if(VAC==1) \qquad \qquad \{ \qquad \qquad \text{#HH} \text{Vacination yes}=1 \text{ or no=0} \}#======================================================================== 
# Total vaccinated and days required to complete vaccination 
        if(t <vac.tim[1]+1) { Vtru <-0; Vp <-7; Rv <-0 } # Vtru: vaccination true-1 or false-0
         for(rev in 1:nRvac) \{ # from 1 to nRvac -no. of vac programs
        if(t= (vac.time[rev]+1)) {
                            Vtru \leftarrow1; Vp \leftarrow1; Rv \leftarrowrev
                  T.vac[Rv,1] <- vac.tim[rev] +1 # T.vac starting time for age Vp==1
 }
```
 } # end for rev in 1:nRvac #== if( $V$ tru==1) { #--- for(nVp in 2:6)  $\{$  $if(t=T.vac[Rv,nVp])$  {  $Vp \leq nVp$  } } #--- Totalvac <-0 #-- vaccrg  $\langle -\text{vac.crg4} \rangle$  # if Vp $\langle 4$ : age 50+ if(Vp==6)  $\{$  if(Rv==1) { vaccrg <-vac.crg1\*0.4 } # 16-19 in 10-19 if(Rv >1) { vaccrg <-vac.crg1\*0.1 } # new 16 in 10-19<br>  $\uparrow$  # end if Vp=6  $#$  end if  $Vp=6$ if(Vp==5)  $\{$  vaccrg <-vac.crg2 # age 20-39  $\frac{1}{4}$  end if Vp=5 if(Vp==4) { vaccrg <-vac.crg3 # age 40-49  $\frac{1}{2}$  # end if Vp=4 #--- for(a in vagp[Vp,1]:vagp[Vp,2])  $\qquad \qquad \{ \qquad \qquad \# \text{ a from low to high age limit}$ for(s in 1:2)  $\qquad$  # s in 1:2 # Vaccinated among SU, RE, and lost immunity: # In not-exposed only Totalvac  $\le$ -Totalvac + (SU[t-1,s,a] + RE[t-1,s,a] +SU.vac[t-1,s,a] +SU.rec[t-1,s,a]) \*vaccrg # vaccination of people vaccinated for at leas 91 days (3 months) vcrg <- vaccrg if(Vp==6) { vcrg <- vac.crg1 }  $if(Rv>1)$  { for(w in 91:t)  $\{$  Totalvac <- Totalvac + eVAef2[t-1,w,s,a] \*vcrg }  $\}$  # end Rv>1 # end s # end a #-- if(  $t=-T.vac[Rv,Vp]$  )  $\qquad \qquad$   $\qquad$  # Fixing V.day, V.dmax, vacend estimates at T.vac[Rv,Vp] V.day[Rv,Vp] <- round(Totalvac/vac.dmaxi) +1 # V.day: no. of days required for Vp phase V.dmax[Rv,Vp] <-Totalvac/V.day[Rv,Vp] # Totalvac at the 1st day of a vac phase  $vacen d[Rv, Vp] \leq T.vac[Rv, Vp] + V. day[Rv, Vp] -1$ if(Vp<6) { $T.vac[Rv,Vp+1]$  <-vacend[Rv,Vp] +1 }  $\}$  # end if t==T.vac #--  $\frac{1}{2}$  # end if Vtru==1  $\}$  # end if  $VAC == 1$ #=== # Estimating VA, SU, EX, I, and RE, hospitalised, ICU, and no. of tests required for(s in 1:2) {  $\qquad$  ### sex male-1, female-2<br>for(a in 1:10) {  $\qquad$  ### age group 1-10  $\frac{1}{4}$  ### age group 1-10 if(VAC==1)  $\qquad \qquad \{ \qquad # \text{Vacination: } 1\text{-yes or } 0\text{-no} \}$ 

 $if(Vtrue=1)$ if(Vp<(vac.AGP[Rv]+1)) { # only apply to Vp 1-6 #-- vaccrg  $\langle -\text{vac.crg4}$  # if Vp $\langle 4$ : age 50+ if(Vp==6) { if(Rv==1) { vaccrg <-vac.crg1\*0.4 } # 18-19 in 10-19 if(Rv >1) { vaccrg <-vac.crg1\*0.1 } # new 16 in 10-19  $\uparrow$  # end if Vp=6 if(Vp==5) { vaccrg <-vac.crg2 # age 20-39  $\uparrow$  # end if  $Vp=5$ if(Vp==4)  $\qquad \qquad$ { vaccrg <-vac.crg3 # age 40-49  $\uparrow$  # end if  $Vp=4$ #--- if(a>vagp[Vp,1]-1) { if(a<vagp[Vp,2]+1) { # Vaccinating susceptible #--- vac.SU[t-1,s,a] <- V.dmax[Rv,Vp] \*(SU[t-1,s,a]\*vaccrg)/Totalvac if(vac.SU[t-1,s,a]>SU[t-1,s,a]) { vac.SU[t-1,s,a] <-SU[t-1,s,a]\*vaccrg } SU[t-1,s,a] <-SU[t-1,s,a] -vac.SU[t-1,s,a] New.vac[t-1,s,a] <- vac.SU[t-1,s,a] # Vaccinating loss of immunity in vaccinated #--- vac.SUvac[t-1,s,a] <- V.dmax[Rv,Vp] \*(SU.vac[t-1,s,a]\*vaccrg)/Totalvac if(vac.SUvac[t-1,s,a]>SU.vac[t-1,s,a]) { vac.SUvac[t-1,s,a] <-SU.vac[t-1,s,a]\*vaccrg } SU.vac[t-1,s,a] <- SU.vac[t-1,s,a] -vac.SUvac[t-1,s,a] New.vac[t-1,s,a] <-New.vac[t-1,s,a] +vac.SUvac[t-1,s,a] # Vaccinating loss of immunity in recovered #--- vac.SUrec[t-1,s,a] <- V.dmax[Rv,Vp] \*(SU.rec[t-1,s,a]\*vaccrg)/Totalvac if(vac.SUrec[t-1,s,a]>SU.rec[t-1,s,a]) { vac.SUrec[t-1,s,a] <-SU.rec[t-1,s,a]\*vaccrg }  $SU.rec[t-1,s,a] \leftarrow SU.rec[t-1,s,a] -vac.SUrec[t-1,s,a]$  New.vac[t-1,s,a] <-New.vac[t-1,s,a] +vac.SUrec[t-1,s,a] # Vaccinating all recovered vac.RE<-0 for(w in 1:t) vac.RE <-V.dmax[Rv,Vp] \*(eRE[t-1,w,s,a]\*vaccrg)/Totalvac if(vac.RE>eRE[t-1,w,s,a]) { vac.RE <-eRE[t-1,w,s,a]\*vaccrg } eRE[t-1,w,s,a] <- eRE[t-1,w,s,a] -vac.RE eRE[t,1,s,a] <- eRE[t,1,s,a] +vac.RE \*(1-rADth0[t.dr,s,a]) # Boost RE status after vaccination New.vac[t-1,s,a] <- New.vac[t-1,s,a] +vac.RE  $\}$  # end w in 1:t # Re-vaccinating previous vaccinated, if Rv>1 #--  $if(Rv>1)$  { vcrg <- vaccrg if(Vp==6) { vcrg <- vac.crg1 } # for age 16-19 vac.VAef <- 0 for(w in 91:t) { vac.VAef <-V.dmax[Rv,Vp] \*(eVAef2[t-1,w,s,a]\*vcrg)/Totalvac if(vac.VAef>eVAef2[t-1,w,s,a]) { vac.VAef <-eVAef2[t-1,w,s,a]\*vcrg } eVAef2[t-1,w,s,a] <- eVAef2[t-1,w,s,a] -vac.VAef  $eVAef2[t,1,s,a] \leftarrow eVAef2[t,1,s,a] + vac.VAef * (1-rADth0[t,dr,s,a])$  New.vac[t-1,s,a] <- New.vac[t-1,s,a] +vac.VAef } # end w in 91:t  $\}$  # End if Rv>1 #---  $\uparrow$  # end a>a1-1  $\frac{1}{2}$  # end a <a2+1

```
if(Vp==vac.AGP[Rv])
   if(t == vacend[Rv, Vp]+1) { Vtru <-0 }
                                     # end if Vp < 7# end if Vtru==1
```
# Calculating no. of VA status at time t

eVA0[t,1,s,a] <- vac.SU[t-1,s,a] \*(1-rADth0[t.dr,s,a])  $VA0[t,s,a] \le eVA0[t,1,s,a]$ for( $v$  in 2:14)  $\mathcal{A}$  $eVAO[t, v, s, a] \le eVAO[t-1, v-1, s, a] * (1-rADthO[t, dr, s, a])$  $VAO[t,s,a] \le VAO[t,s,a] + eVAO[t,v,s,a]$  $\overline{\phantom{a}}$  $#$  end for v in 2:14  $eVAef1[t,1,s,a] \le eVA0[t-1,14,s,a]*(1-rADth0[t,dr,s,a])$  $V \text{Aef1}[t,s,a] \leftarrow e V \text{Aef1}[t,1,s,a]$ for(w in 2:63)  $\left\{ \right.$  $eVAef1[t, w, s, a] \le eVAef1[t-1, w-1, s, a]*(1-rADth0[t, dr, s, a])$ VAef1[t,s,a] <-VAef1[t,s,a] +eVAef1[t,w,s,a]  $\rightarrow$ # eVAef2 include renewed vaccination of previously vaccinated  $# eVAef2[t,1,s,a] \le eVAef2[t,1,s,a] + (eVAef1[t-1,63,s,a] +$ vac.SUvac[t-1,s,a] +vac.SUrec[t-1,s,a])\*(1-rADth0[t.dr,s,a]) tv1<-(t-vac.tim[1]); if(tv1<3) { tv1<-3 }  $for(w in 2:tv1)$ eVAef2[t,w,s,a] <- eVAef2[t-1,w-1,s,a] \*(1-gimmv.wan[w-1])\*(1-rADth0[t.dr,s,a])  $for(w in 1:tv1)$  $\left\{ \right.$ VAef2[t,s,a] <-VAef2[t,s,a] +eVAef2[t,w,s,a]  $\left\{ \right\}$  $\}$  ### end if VAC==1

# Estimating return to susceptible in the recovered/vaccinated, minus newly infected due to loss of immunity  $#$ 

 $SUvac < 0$ tv1 <-(t-vac.tim[1]); if(tv1<2) { tv1<-2 } # Loss of vaccine immunity  $for(w in 1:tv1)$  $\left\{ \right.$ SUvac <- SUvac +eVAef2[t-1,w,s,a] \*gimmv.wan[w]  $SU.vac[t,s,a] \leftarrow (SU.vac[t-1,s,a] + SUvac) * (1-rADth0[t-dr,s,a])$  $SI$  Jrec  $\leq$ -0 twl <-(t-ts); if(twl<2) { twl<-2 } # Loss of natural immunity for(w in 1:tw1)  $\{$  $SUrec \leftarrow SUrec + eRE[t-1, w, s, a] * gimm(w]$ SU.rec[t,s,a]<- (SU.rec[t-1,s,a] +SUrec) \*(1-rADth0[t.dr,s,a])

# Estimating SU, EX, I, and RE

 $#$ 

# New exposed and vaccinated already removed from SU[t-1, ...]  $#==$ 

 $SU[t,s,a] \le (SU[t-1,s,a])^*(1-rADth0[t,dr,s,a]) +$  $dBth[a]*Bsex[s]$  -Seed.all[t,s,a]

New.expal[t-1,s,a] <- New.expsu[t-1,s,a] +New.expv0[t-1,s,a] +  $New.expv1[t-1,s.a]$  +New.expv2 $[t-1,s.a]$  + New.explosv1[t-1,s,a] +New.explosrec[t-1,s,a]

# All newsymptomatic cases at t. rVEsym: efficacy of vaccine on symptomatic cases

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 #--- for(d in 2:dd)  $\{$  New.sym[t,s,a] <- New.sym[t,s,a] + (eI0[t-1,d-1,s,a] +  $eI0v1[t-1,d-1,s,a]*(1-rVEsym1) +$  eI0v2[t-1,d-1,s,a]\*(1-rVEsym2) ) \*alp2[d-1]\*(1-rFm[a]) } # end for d in 2:dd eEX[t,1,s,a] <-(New.expsu[t-1,s,a] +New.expv0[t-1,s,a]) +eSeed[t,1,s,a]  $eEXv1[t,1,s,a] \leq New.expv1[t-1,s,a]$  $eEXv2[t,1,s,a] \leq (Newexpv2[t-1,s,a] + Newexplos1[t-1,s,a] + NewexplosreC[t-1,s,a])$  # All covid deaths from symptomatic cases, ie, (1-rFm) #--- eInf[t,1,s,a]  $\leq$  eEX[t,1,s,a]  $*(1-rFm[a]) *drisk.inf[s,a]*adiDth[t]$ eInfv[t,1,s,a] <- (eEXv1[t,1,s,a] \*(1-rVEsym1)\*(1-rFm[a]) +  $eEXv2[t,1,s,a] * (1-rVEsym2)* (1-rFm[a]) *drisk.inf[s,a]*adjDth[t]$  #-- I0.1 <-0; I0v1.1 <-0; I0v2.1 <-0 for(d in 2:dd)  $\{ \# d \text{ in } 2:dd = 60 \}$  $I0.1 < -I0.1 + eI0[t-1,d-1,s,a]*alp2[d-1]$  $I0v1.1 < -I0v1.1 + eI0v1[t-1,d-1,s,a]*alp2[d-1]$  I0v2.1 <-I0v2.1 +eI0v2[t-1,d-1,s,a]\*alp2[d-1]  $eI0[t,1,s,a] \leftarrow eI0[t,1,s,a] + eEX[t-1,d-1,s,a]^*ab1[a-1]$  # From Exp to I0<br> $eI0v1[t,1,s,a] \leftarrow eI0v1[t,1,s,a] + eEXv1[t-1,d-1,s,a]^*ab1[a-1]$  # Exposed in vaccinated dose-1  $eI0v1[t,1,s,a] \leq eI0v1[t,1,s,a] + eEXv1[t-1,d-1,s,a]*ab1[d-1]$  eI0v2[t,1,s,a] <-eI0v2[t,1,s,a] + eEXv2[t-1,d-1,s,a]\*alp1[d-1] # Exposed in vaccinated dose-2  $eQS[t,1,s,a] \leftarrow eQS[t,1,s,a] + eISq[t-1,d-1,s,a]*gam.s1[t-1,d-1]$  eQSv[t,1,s,a] <-eQSv[t,1,s,a] +eISqv[t-1,d-1,s,a]\*gam.s1[t-1,d-1]  $eHS[t,1,s,a] \leftarrow eHS[t,1,s,a] + eISh[t-1,d-1,s,a]*gam.h1[t-1,d-1]$  eHSv[t,1,s,a] <-eHSv[t,1,s,a] +eIShv[t-1,d-1,s,a]\*gam.h1[t-1,d-1] } # end d in 2:dd #--- # Allocate I0.all to IM, IS, etc #--- eIM0[t,1,s,a] <- I0.1 \*rFm[a] eIS0[t,1,s,a] <- I0.1 \*(1-rFm[a]) \*(1-rFhos[t-1,a])\*(1-rFsq[t-1,a]) eISq[t,1,s,a] <- I0.1 \*(1-rFm[a]) \*(1-rFhos[t-1,a])\* rFsq[t-1,a]  $eISh[t,1,s,a] \leq I0.1 * (1-rFm[a]) * rFhos[t-1,a]$  eIM0v[t,1,s,a] <- I0v1.1\* (1-(1-rVEsym1)\*(1-rFm[a])) +I0v2.1\*(1-(1-rVEsym2)\*(1-rFm[a])) eIS0v[t,1,s,a] <-(I0v1.1\* (1-rVEsym1)+I0v2.1\*(1-rVEsym2))\*(1-rFm[a])\*(1-rFhos[t-1,a])\*(1-rFsq[t-1,a]) eISqv[t,1,s,a] <-(I0v1.1\* (1-rVEsym1)+I0v2.1\*(1-rVEsym2))\*(1-rFm[a])\*(1-rFhos[t-1,a])\* rFsq[t-1,a] eIShv[t,1,s,a] <-(I0v1.1\* (1-rVEsym1)+I0v2.1\*(1-rVEsym2))\*(1-rFm[a])\* rFhos[t-1,a] #=== # Estimate covid related deaths by days since exposed/infected # --- for(d in  $2:dd+1$ ) { nDth.inf[t-1,s,a] <- nDth.inf[t-1,s,a]+ eInf[t-1,d-1,s,a]\*gdth.inf[d-1] nDth.infv[t-1,s,a] <-nDth.infv[t-1,s,a]+eInfv[t-1,d-1,s,a]\*gdth.inf[d-1] } #=== # UK data: 64% covid-19 deaths in hospital, 36% in other settings if(HS[t-1,s,a]>0) { r.dhos<-nDth.inf[t-1,s,a] \*0.64/HS[t-1,s,a] } else { r.dhos<-0 } if(r.dhos>0.9) { $r.dhos<-0.9$ } for $(d \text{ in } 1:dd)$  $nDth.$ hos $[t-1,d,s,a] \leq eHS[t-1,d,s,a]$ \*r.dhos if(nDth.hos[t-1,d,s,a]<0) { nDth.hos[t-1,d,s,a]<-0 } } for(d in 1:dd) { # All hospital deaths nDthHos.all[t-1,s,a] <-nDthHos.all[t-1,s,a] +nDth.hos[t-1,d,s,a]

}

 nDth.cov[t-1,s,a] <-nDth.cov[t-1,s,a] +nDthHos.all[t-1,s,a] # sum up covid deaths # Deaths outside hospitals in IS0 and QS:  $nDth:ss[t-1,s,a] \leftarrow nDth.inf[t-1,s,a] - nDthHos.alI[t-1,s,a]$ if(nDth.ss[t-1,s,a]<0) {  $nDth.$ ss[t-1,s,a]<-0 }  $nSOSq \leftarrow ISO[t-1,s,a] + QS[t-1,s,a]$  # Temporary variable if(nS0Sq>0) { r.dss<-nDth.ss[t-1,s,a]/nS0Sq } else { r.dss<-0 } if(r.dss>1) {  $r.dss$ <-0.99 } for $(d \text{ in } 1:d)$  nDth.s0[t-1,d,s,a] <-eIS0[t-1,d,s,a] \*r.dss if(nDth.s0[t-1,d,s,a]<0) {  $nDth$ .s0[t-1,d,s,a]<-0 } nDth.sq[t-1,d,s,a] <- eQS[t-1,d,s,a] \*r.dss if(nDth.sq[t-1,d,s,a]<0) {  $nDth.sq[t-1,d,s,a]$ <-0 } nDth.cov[t-1,s,a] <-nDth.cov[t-1,s,a] +nDth.s0[t-1,d,s,a] +nDth.sq[t-1,d,s,a] ## sum up covid deaths } #--- # Repeat the above for covid deaths in reinfected #-- if(HSv[t-1,s,a]>0) { r.dhosv<-nDth.infv[t-1,s,a] \*0.64/HSv[t-1,s,a] } else { r.dhosv<-0 } if(r.dhosv>0.9) { r.dhosv<-0.9 } for $(d \text{ in } 1:dd)$ nDth.hosv $[t-1,d,s,a] \leq HSV[t-1,d,s,a]*r.dhosv$  if(nDth.hosv[t-1,d,s,a]<0) { nDth.hosv[t-1,d,s,a]<-0 } }  $for(d in 1:dd)$  nDthHos.allv[t-1,s,a] <-nDthHos.allv[t-1,s,a] +nDth.hosv[t-1,d,s,a] }  $nDth.cov[t-1,s,a] \leq nDth.cov[t-1,s,a] + nDthHos.allv[t-1,s,a]$  # sum up covid deaths # Deaths outside hospitals in IS0 and QS: nDth.ssv[t-1,s,a] <- nDth.infv[t-1,s,a] -nDthHos.allv[t-1,s,a] if(nDth.ssv[t-1,s,a]<0) {  $nDth. ssv$ [t-1,s,a]<-0 } nS0Sqv <- IS0v[t-1,s,a] +QSv[t-1,s,a] # Temporary variable if(nS0Sqv>0) { r.dssv<-nDth.ssv[t-1,s,a]/nS0Sqv } else { r.dssv<-0 } if(r.dssv>1) { r.dssv<-0.99 }  $for(d \text{ in } 1:dd)$  { nDth.s0v[t-1,d,s,a] <-eIS0v[t-1,d,s,a] \*r.dssv if(nDth.s0v[t-1,d,s,a]<0) {  $nDth. sOv[t-1,d,s,a]$ <-0 } nDth.sqv[t-1,d,s,a] <- eQSv[t-1,d,s,a] \*r.dssv if(nDth.sqv[t-1,d,s,a]<0) { nDth.sqv[t-1,d,s,a]<-0 } nDth.cov[t-1,s,a]  $\leq$ -nDth.cov[t-1,s,a] +nDth.s0v[t-1,d,s,a] +nDth.sqv[t-1,d,s,a] ## sum up covid deaths } #=== for(d in 2:dd)  $\{$ eEX[t,d,s,a] <- eEX[t-1,d-1,s,a]\*(1-alp1[d-1]) +eSeed[t,d,s,a] eEXv1[t,d,s,a] <-eEXv1[t-1,d-1,s,a]\*(1-alp1[d-1]) eEXv2[t,d,s,a] <-eEXv2[t-1,d-1,s,a]\*(1-alp1[d-1])

eI0[t,d,s,a] <- eI0[t-1,d-1,s,a]\*(1-alp2[d-1]) eI0v1[t,d,s,a] <-eI0v1[t-1,d-1,s,a]\*(1-alp2[d-1])

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 $eI0v2[t,d,s,a] \le eI0v2[t-1,d-1,s,a]*(1-alp2[d-1])$ 

eIM0[t,d,s,a] <- eIM0[t-1,d-1,s,a]\*(1-gam.m0[t-1,d-1])  $eISq[t,d,s,a] \leq eISq[t-1,d-1,s,a]*(1-gam.s1[t-1,d-1])$ eISh[t,d,s,a] <- eISh[t-1,d-1,s,a]\*(1-gam.h1[t-1,d-1])

eIS0[t,d,s,a] <-(eIS0[t-1,d-1,s,a]- nDth.s0[t-1,d-1,s,a])\*(1-gam.s0[t-1,d-1]) eQS[t,d,s,a] <- (eQS[t-1,d-1,s,a]- nDth.sq[t-1,d-1,s,a])\*(1-gam.s2[t-1,d-1]) eHS[t,d,s,a] <- (eHS[t-1,d-1,s,a]-nDth.hos[t-1,d-1,s,a])\*(1-gam.h2[t-1,d-1])

eIM0v[t,d,s,a] <- eIM0v[t-1,d-1,s,a]\*(1-gam.m0[t-1,d-1]) eISqv[t,d,s,a] <- eISqv[t-1,d-1,s,a]\*(1-gam.s1[t-1,d-1])  $eIShv[t,d,s,a] \leftarrow eIShv[t-1,d-1,s,a]^*(1\text{-}\text{gam.h1}[t\text{-}1,d\text{-}1])$ 

eISOv[t,d,s,a] <-(eISOv[t-1,d-1,s,a]- nDth.sOv[t-1,d-1,s,a])\*(1-gam.sO[t-1,d-1])  $eQSv[t,d,s,a] \leftarrow (eQSv[t-1,d-1,s,a] - nDth,sqv[t-1,d-1,s,a]) * (1-gam.s2[t-1,d-1])$ eHSv[t,d,s,a] <- (eHSv[t-1,d-1,s,a]-nDth.hosv[t-1,d-1,s,a])\*(1-gam.h2[t-1,d-1])

eInf[t,d,s,a] <- eInf[t-1,d-1,s,a]\*(1-gdth.inf[d-1])

 $eInfv[t,d,s,a] \leftarrow eInfv[t-1,d-1,s,a] * (1-gdth.inf[d-1])$ 

 $\}$  # End d in 2:dd

# Overall EX, I0, IM, IS, etc  $#=$ 

> for $(d \text{ in } 1:dd)$  $\{$  # d in 1:dd

 $EX[t,s,a] \leftarrow EX[t,s,a] + eEX[t,d,s,a]$  $I0[t,s,a] \leftarrow I0[t,s,a] + eI0[t,d,s,a]$  $IM0[t,s,a] \leftarrow IM0[t,s,a] + eIM0[t,d,s,a]$  $ISO[t,s,a] \leftarrow ISO[t,s,a] + eISO[t,d,s,a]$  $ISq[t,s,a] \leftarrow ISq[t,s,a] + eISq[t,d,s,a]$  $QS[t,s,a] \leftarrow QS[t,s,a] + eQS[t,d,s,a]$  $\text{ISh[t,s,a]} \leq \text{ISh[t,s,a]} + \text{eISh[t,d,s,a]}$  $HS[t,s,a] \leftarrow HS[t,s,a] + eHS[t,d,s,a]$ 

 $EXv1[t,s,a] \leftarrow EXv1[t,s,a] + eEXv1[t,d,s,a]$  $I0v1[t,s,a] \leftarrow I0v1[t,s,a] + eI0v1[t,d,s,a]$ 

 $EXv2[t,s,a] \leftarrow EXv2[t,s,a] + eEXv2[t,d,s,a]$  $I0v2[t,s,a] \leftarrow I0v2[t,s,a] + eI0v2[t,d,s,a]$ 

 $IM0v[t,s,a] \leftarrow IM0v[t,s,a] + eIM0v[t,d,s,a]$  $ISO[t,s,a] \leftarrow ISOv[t,s,a] + eISOv[t,d,s,a]$  $ISqv[t,s,a] \leftarrow ISqv[t,s,a] + eISqv[t,d,s,a]$  $QSv[t,s,a] \leftarrow QSv[t,s,a] + eQSv[t,d,s,a]$  $IShv[t,s,a] \leftarrow IShv[t,s,a] + eIShv[t,d,s,a]$  $HSV[t,s,a] \leftarrow HSV[t,s,a] + eHSV[t,d,s,a]$ 

} # end for d in 1:dd

 $HS.new[t,s,a] \leftarrow eHS[t,1,s,a] + eHSv[t,1,s,a]$ # New hospital admission

# Recovered from infected

 $#$ 

for $(d \text{ in } 1:dd)$  $\left\{ \right.$  $e$ RE[t,1,s,a] <-eRE[t,1,s,a] +  $(eQS[t-1,d,s,a] - nDth.sq[t-1,d,s,a])$ \*gam.s2[t-1,d] +  $(eIS0[t-1,d,s,a] - nDth. s0[t-1,d,s,a])$ \*gam.s0 $[t-1,d] +$  $(eHS[t-1,d,s,a] - nDth.hos[t-1,d,s,a])$ \*gam.h2 $[t-1,d] +$  $eIM0[t-1,d,s,a]$  $*$ gam.m0[t-1,d] +  $(eQSv[t-1,d,s,a] - nDth.sqv[t-1,d,s,a])$ \*gam.s2[t-1,d] +  $(eIS0v[t-1,d,s,a] - nDth.s0v[t-1,d,s,a])$ \*gam.s0 $[t-1,d] +$  $(eHSv[t-1,d,s,a] - nDth.hosv[t-1,d,s,a])$ \*gam.h2 $[t-1,d] +$  $eIM0v[t-1,d,s,a]$  $*<sub>gamma.m</sub>$ ( $t-1,d$ ]

 $\}$  # end for d in 1:dd

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 $RE[t,s,a] < eRE[t,1,s,a]$ twl <-(t-ts); if(twl<3) { twl<-3 }  $for(w in 2:tw1)$  $eRE[t, w, s, a] \leftarrow eRE[t-1, w-1, s, a] * (1 - rADth0[t, dr, s, a]) * (1 - gimm. wan[w-1])$  $if(w==tw1)$  {  $eRE[t, w, s, a] \leftarrow (eRE[t, w-1, s, a] + eRE[t-1, w, s, a]) * (1 - rADth0[t, dr, s, a]) * (1 - gimm.wan[tw1])$ -}  $RE[t,s,a] \leq RE[t,s,a] + eRE[t,w,s,a]$  $\overline{\mathbf{a}}$ # end w in  $2$  twl  $N[t,s,a] \leftarrow SU[t,s,a] + SU.vac[t,s,a] + SU.rec[t,s,a] +$  $EX[t,s,a] + EXv1[t,s,a] + EXv2[t,s,a] +$  $I0[t,s,a] + I0v1[t,s,a] + I0v2[t,s,a] +$  $IM0[t,s,a]$  +  $ISO[t,s,a]$  +  $ISq[t,s,a] + QS[t,s,a] +$  $ISh[t,s,a]+$  $HS[t,s.a] +$  $IM0v[t,s,a] + ISOv[t,s,a] +$  $ISqv[t,s,a] + QSv[t,s,a] +$  $HSv[t,s,a]+$  $IShv[t,s,a]+$  $VAO[t,s,a] + VAef1[t,s,a] + VAef2[t,s,a] +$  $RE[t,s,a]$  $\}$ #----------End for age in 1:18 ######  $\}$  #---------End for sex in 1:2 ######  $\}$  ####### end if t>ts ######### # Upgrading age at the beginning of a year (t1)  $#$  $jN[a]$ , etc, are used to record  $N[a]$ , etc, before their adjustments, because unchanged  $N[a]$  is required for the adjustment of  $N[a+1]$ , etc.  $#$  $#$  $if(t=tage)$ for $(s \text{ in } 1:2)$ for $(a \text{ in } 1:10)$ if(a>1) { Ag1<-1; Ag2<-1; Ag3<-10; Ag4<-10; a1<-(a-1) } # for age 10 to 79 if(a==1) { Ag1<-1; Ag2<-0; Ag3<-5; Ag4<-5; a1<-1 } # for age  $0-4$ if(a==2) { Ag1<-1; Ag2<-1; Ag3<-5; Ag4<-5; a1<-1  $#$  for age 5-9  $\{$ if(a==3) { Ag1<-1; Ag2<-1; Ag3<-10; Ag4<-5; a1<-2 # for age 10-19 - } if(a==10) {  $Ag1<-0$ ;  $Ag2<-1$ ;  $Ag3<-10$ ;  $Ag4<-10$ ; a1<-9 } # for age  $80+$ jN[a] <- N[t,s,a]  $N[t,s,a] \leftarrow N[t,s,a] - Ag1* N[t,s,a]/(Ag3) + Ag2* jN[a1]/(Ag4)$  $jSU[a] \leftarrow SU[t,s,a]$  $SU[t,s,a] \leftarrow SU[t,s,a] - Ag1* SU[t,s,a]/(Ag3) + Ag2* jSU[a1]/(Ag4)$ jRE[a] <- RE[t,s,a]  $RE[t,s,a] \leftarrow RE[t,s,a] - Ag1* RE[t,s,a]/(Ag3) + Ag2* jRE[a1]/(Ag4)$  $iEX[a] \leftarrow EX[t,s,a]$  $EX[t,s,a] \leftarrow EX[t,s,a] - Ag1* EX[t,s,a]/(Ag3) + Ag2* jEX[a1]/(Ag4)$  $|IO[a] < 10[t,s,a]$  $I0[t,s,a] \leftarrow I0[t,s,a] - Ag1* I0[t,s,a]/(Ag3) + Ag2*jI0[a1]/(Ag4)$  $jIM0[a] \leftarrow IM0[t,s,a]$  $IM0[t,s,a] \leftarrow IM0[t,s,a] - Ag1* IM0[t,s,a]/(Ag3) + Ag2*jIM0[a1]/(Ag4)$  $\text{iISO[a]} \leftarrow \text{ISO[t,s,a]}$  $ISO[t,s,a] \leftarrow ISO[t,s,a] - Ag1* ISO[t,s,a]/(Ag3) + Ag2*jISO[a1]/(Ag4)$  $jISq[a] \leftarrow ISq[t,s,a]$  $ISq[t,s,a] \leftarrow ISq[t,s,a] - Ag1*ISq[t,s,a]/(Ag3) + Ag2*jISq[a1]/(Ag4)$  $jISh[a] \leftarrow Ish[t,s,a]$  $ISH[t,s,a] \leftarrow Ish[t,s,a] - Ag1*ISH[t,s,a]/(Ag3) + Ag2*jISH[a1]/(Ag4)$  $iOS[a] \leftarrow OS[t, s.a]$  $QS[t,s,a] \leftarrow QS[t,s,a] - Ag1*QS[t,s,a]/(Ag3) + Ag2*jQS[a1]/(Ag4)$  $jHS[a]$  <-  $HS[t, s, a]$  $HS[t,s,a] \leftarrow HS[t,s,a] - Ag1* HS[t,s,a]/(Ag3) + Ag2*jHS[a1]/(Ag4)$ 

jEXv1[a] <- EXv1[t,s,a]

EXv1[t,s,a] <- EXv1[t,s,a] - Ag1\* EXv1[t,s,a]/(Ag3) +Ag2\* jEXv1[a1]/(Ag4)  $|10v1[a] \leq 10v1[t,s,a]$  ${\tt I0v1[t,s,a]<-I0v1[t,s,a]}$  - Ag<br/>1\*  ${\tt I0v1[t,s,a]/(Ag3)}$  +Ag2\* jI0v1[a1]/(Ag4)  $|EXv2[a] \leftarrow EXv2[t,s,a]$  $EXv2[t,s,a] \leftarrow EXv2[t,s,a] - Ag1* EXv2[t,s,a]/(Ag3) + Ag2* jEXv2[a1]/(Ag4)$  $iI0v2[a] \leftarrow I0v2[t,s,a]$  $I0v2[t,s,a] \leftarrow I0v2[t,s,a] - Ag1* I0v2[t,s,a]/(Ag3) + Ag2*jI0v2[a1]/(Ag4)$  $jIM0v[a] \leftarrow IM0v[t,s,a]$  $IM0v[t,s,a] \leftarrow IM0v[t,s,a] - Ag1* IM0v[t,s,a]/(Ag3) + Ag2*jIM0v[a1]/(Ag4)$  $|ISOv[a] \leftarrow ISOv[t,s,a]$  $ISOV[t,s,a] \leftarrow ISOV[t,s,a] - Ag1* ISOV[t,s,a]/(Ag3) + Ag2*jISOV[a1]/(Ag4)$  $jISqv[a] \leftarrow ISq[t,s,a]$  $ISqv[t,s,a] \leftarrow ISqv[t,s,a] - Ag1*ISqv[t,s,a]/(Ag3) + Ag2*jISqv[a1]/(Ag4)$  $iIShv[a] \leftarrow IShv[t,s,a]$  $\textsf{IShv}[t,s,a] \leq \textsf{IShv}[t,s,a] \cdot \mathsf{Ag1*} \cdot \textsf{IShv}[t,s,a] / (\mathsf{Ag3}) \ \ + \mathsf{Ag2*j} \cdot \textsf{IShv}[a1] / (\mathsf{Ag4})$  $jQSv[a] \leftarrow QSv[t,s,a]$  $QSV[t,s,a] \leftarrow QSV[t,s,a] - Ag1* QSV[t,s,a]/(Ag3) + Ag2* jQSV[a1]/(Ag4)$ jHSv[a] <- HSv[t,s,a]  $HSv[t,s,a] \leftarrow HSV[t,s,a] - Ag1* HSv[t,s,a]/(Ag3) + Ag2* jHSv[a1]/(Ag4)$  $|SU.vac[a] \leftarrow SU.vac[t,s,a]$  $SU.vac[t,s,a] \leftarrow SU.vac[t,s,a] - Ag1*SU.vac[t,s,a]/(Ag3) + Ag2*jSU.vac[a1]/(Ag4)$  $|SU.rec[a]$  <- SU.rec[t,s,a]  $SU. rec[t, s, a] \leftarrow SU. rec[t, s, a] - Ag1* SU. rec[t, s, a] / (Ag3) + Ag2* jSU. rec[a1] / (Ag4)$  $jVA0[a] \leftarrow VA0[t,s,a]$ VA0[t,s,a] <- VA0[t,s,a] -Ag1\* VA0[t,s,a]/(Ag3) +Ag2\* jVA0[a1]/(Ag4) jVAef1[a] <- VAef1[t,s,a] VAef1[t,s,a] <- VAef1[t,s,a] -Ag1\* VAef1[t,s,a]/(Ag3) +Ag2\*jVAef1[a1]/(Ag4)  $iVAef2[a] \leftarrow VAef2[t,s,a]$  $VAef2[t,s,a] \leftarrow VAef2[t,s,a] - Ag1* VAef2[t,s,a]/(Ag3) + Ag2*jVAef2[a1]/(Ag4)$ for $(d \text{ in } 1:d d)$  $ieEX[d,a] \leftarrow eEX[t,d,s,a]$ eEX[t,d,s,a] <- eEX[t,d,s,a] -Ag1\* eEX[t,d,s,a]/(Ag3) +Ag2\* jeEX[d,a1]/(Ag4)  $jeI0[d,a] < -el0[t,d,s,a]$ eI0[t,d,s,a] <- eI0[t,d,s,a] -Ag1\* eI0[t,d,s,a]/(Ag3) +Ag2\* jeI0[d,a1]/(Ag4)  $j$ eIM0[d,a] <- eIM0[t,d,s,a] eIM0[t,d,s,a] <- eIM0[t,d,s,a] -Ag1\* eIM0[t,d,s,a]/(Ag3) +Ag2\* jeIM0[d,a1]/(Ag4)  $jelSO[d,a] \leq elSO[t,d,s,a]$ eIS0[t,d,s,a] <- eIS0[t,d,s,a] -Ag1\* eIS0[t,d,s,a]/(Ag3) +Ag2\* jeIS0[d,a1]/(Ag4)  $jelSq[d,a] \leftarrow elSq[t,d,s,a]$  $eISq[t,d,s,a] \leftarrow eISq[t,d,s,a] - Ag1* eISq[t,d,s,a]/(Ag3) + Ag2* jeISq[d,a1]/(Ag4)$  $jelSh[d,a] \leftarrow eISh[t,d,s,a]$  $eISh[t,d,s,a] \leftarrow eISh[t,d,s,a] - Ag1* eISh[t,d,s,a]/(Ag3) + Ag2* jeISh[d,a1]/(Ag4)$  $jeQS[d,a] < eQS[t,d,s,a]$  $eQS[t,d,s,a] \leftarrow eQS[t,d,s,a] - Ag1* eQS[t,d,s,a]/(Ag3) + Ag2* jeQS[d,a1]/(Ag4)$  $j$ e $HS[d,a]$  < e $HS[t,d,s,a]$ eHS[t,d,s,a] <- eHS[t,d,s,a] -Ag1\* eHS[t,d,s,a]/(Ag3) +Ag2\* jeHS[d,a1]/(Ag4)  $j$ e $EXv1[d,a] \leftarrow eEXv1[t,d,s,a]$ eEXv1[t,d,s,a] <- eEXv1[t,d,s,a] -Ag1\* eEXv1[t,d,s,a]/(Ag3) +Ag2\* jeEXv1[d,a1]/(Ag4)  $j \in I0v1[d,a] \leq -10v1[t,d,s,a]$  $eI0v1[t,d,s,a] \leftarrow eI0v1[t,d,s,a] - Ag1* eI0v1[t,d,s,a]/(Ag3) + Ag2* jeI0v1[d,a1]/(Ag4)$  $j$ eEXv2[d,a] <- eEXv2[t,d,s,a] eEXv2[t,d,s,a] <- eEXv2[t,d,s,a] -Ag1\* eEXv2[t,d,s,a]/(Ag3) +Ag2\* jeEXv2[d,a1]/(Ag4)  $jeI0v2[d,a] < -eI0v2[t,d,s,a]$ eI0v2[t,d,s,a] <- eI0v2[t,d,s,a] -Ag1\* eI0v2[t,d,s,a]/(Ag3) +Ag2\* jeI0v2[d,a1]/(Ag4)  $ieIM0v[d.a] \leq eIM0v[t.d.s.a]$ eIM0v[t,d,s,a] <- eIM0v[t,d,s,a] -Ag1\* eIM0v[t,d,s,a]/(Ag3) +Ag2\* jeIM0v[d,a1]/(Ag4)  $i$ eISOv $[d, a] \leq$ eISOv $[t, d, s, a]$ eISOv[t,d,s,a] <- eISOv[t,d,s,a] -Ag1\* eISOv[t,d,s,a]/(Ag3) +Ag2\* jeISOv[d,a1]/(Ag4)  $jelSqv[d,a] \leftarrow elSqv[t,d,s,a]$ eISqv[t,d,s,a] <- eISqv[t,d,s,a] -Ag1\* eISqv[t,d,s,a]/(Ag3) +Ag2\* jeISqv[d,a1]/(Ag4)  $jelShv[d,a] \leftarrow elShv[t,d,s,a]$  $eIShv[t,d,s,a] \leftarrow eIShv[t,d,s,a] - Ag1* eIShv[t,d,s,a]/(Ag3) + Ag2* jeIShv[d,a1]/(Ag4)$  $jeQSv[d,a] \leftarrow eQSv[t,d,s,a]$  $eQSv[t,d,s,a] \leftarrow eQSv[t,d,s,a] - Ag1* eQSv[t,d,s,a]/(Ag3) + Ag2* jeQSv[d,a1]/(Ag4)$ 

Song F, Bachmann MO. BMJ Open 2021; 11:e053507. doi: 10.1136/bmjopen-2021-053507

 jeHSv[d,a] <- eHSv[t,d,s,a] eHSv[t,d,s,a] <- eHSv[t,d,s,a] -Ag1\* eHSv[t,d,s,a]/(Ag3) +Ag2\* jeHSv[d,a1]/(Ag4)  $j$ eInf $[d,a]$  <- eInf $[t,d,s,a]$ eInf[t,d,s,a] <- eInf[t,d,s,a] -Ag1\* eInf[t,d,s,a]/(Ag3) +Ag2\* jeInf[d,a1]/(Ag4) jeInfv[d,a] <- eInfv[t,d,s,a] eInfv[t,d,s,a] <- eInfv[t,d,s,a] -Ag1\* eInfv[t,d,s,a]/(Ag3) +Ag2\* jeInfv[d,a1]/(Ag4)  $\frac{1}{4}$  # end d in 1:dd for( $v$  in 1:dv0) jeVA0[v,a] <- eVA0[t,v,s,a]  $eVA0[t,v,s,a] \leftarrow eVA0[t,v,s,a] - Ag1* eVA0[t,v,s,a]/(Ag3) + Ag2*jeVA0[v,a1]/(Ag4)$  } # end dt in 1:14 for(w in  $1:$ tv0) jeVAef1[w,a] <- eVAef1[t,w,s,a] eVAef1[t,w,s,a] <-eVAef1[t,w,s,a] -Ag1\* eVAef1[t,w,s,a]/(Ag3) +Ag2\* jeVAef1[w,a1]/(Ag4) } tv1 <- (t-vac.tim[1]); if (tv1 < 1) { tv1 < -2 } for(w in 1:tv1)  $\{$  jeVAef2[w,a] <- eVAef2[t,w,s,a] eVAef2[t,w,s,a] <-eVAef2[t,w,s,a] -Ag1\* eVAef2[t,w,s,a]/(Ag3) +Ag2\* jeVAef2[w,a1]/(Ag4) } tw1 <-(t-ts); if(tw1<2) { tw1<-2 } for(w in 1:tw1) jeRE[w,a] <- eRE[t,w,s,a]  $e$ RE $[t, w, s, a]$  <-  $e$ RE $[t, w, s, a]$  -Ag1\*  $e$ RE $[t, w, s, a]$ /(Ag3) +Ag2\*  $j$  $e$ RE $[w, a1]$ /(Ag4) } # end a  $#$  end s tage  $\le$ - tage+365 # t for next age shifting up }  $\#$  end if t= $=\text{tage}$ #=== # Population estimates and all cause deaths # add births and minus all cause deaths according to 5yr average death rates #== for $(s in 1:2)$ for(a in 1:10)  $\left\{\n \begin{array}{cc}\n 3 & 1 \\
 2 & 3\n \end{array}\n \right\}$ # Monitoring deaths in SU, RE and Effectively vaccinated (non-covid deaths)  $nDth.oth[t-1,s,a] \leq (SU[t-1,s,a] + RE[t-1,s,a] + SU.vac[t-1,s,a] + SU.rec[t-1,s,a] + SU.t.$  VA0[t-1,s,a] +VAef1[t-1,s,a] +VAef2[t-1,s,a]) \*(rADth0[t.dr,s,a]) # All deaths: nDth.all[t-1,s,a] <-nDth.oth[t-1,s,a] +nDth.cov[t-1,s,a] #=== # Total numbers of S, E, I and R: #--  $SU[t,3,11] \leftarrow SU[t,3,11] + SU[t,s,a]$  $EX[t,3,11] \leftarrow EX[t,3,11] + EX[t,s,a]$  $EXv1[t,3,11] \leftarrow EXv1[t,3,11] + EXv1[t,s,a]$  $EXv2[t,3,11] \leftarrow EXv2[t,3,11] + EXv2[t,s,a]$  $I0[t,3,11] \leftarrow I0[t,3,11] + I0[t,s,a]$  $I0v1[t,3,11] \leftarrow I0v1[t,3,11] + I0v1[t,s,a]$  $I0v2[t,3,11] \leftarrow I0v2[t,3,11] + I0v2[t,s,a]$  $IM0[t,3,11] \leftarrow IM0[t,3,11] + IM0[t,s,a]$  $ISO[t,3,11] \leftarrow ISO[t,3,11] + ISO[t,s,a]$  $ISq[t,3,11] \leftarrow ISq[t,3,11] + ISq[t,s,a]$  $ISH[t,3,11] < -IBh[t,3,11] + ISh[t,s,a]$  $QS[t,3,11] \leftarrow QS[t,3,11] + QS[t,s,a]$  $HS[t,3,11]$  <-  $HS[t,3,11]$  +  $HS[t,s,a]$  $IM0v[t,3,11] \leftarrow IM0v[t,3,11] + IM0v[t,s,a]$ 

```
\text{ISOv}[t,3,11] \leftarrow \text{ISOv}[t,3,11] \ + \text{ISOv}[t,s,a]ISqv[t,3,11] \leftarrow ISqv[t,3,11] + ISqv[t,s,a]IShv[t,3,11] \leftarrow IShv[t,3,11] + IShv[t,s,a]QSv[t,3,11] \leftarrow QSv[t,3,11] + QSv[t,s,a]HSV[t,3,11] <- HSV[t,3,11] + HSV[t,s,a]
```

```
SU.vac[t,3,11] < -SU.vac[t,3,11] + SU.vac[t,s,a]SU. rec[t, 3, 11] \leftarrow SU. rec[t, 3, 11] + SU. rec[t, s, a]
```
 $RE[t,3,11]$  <-  $RE[t,3,11]$  +  $RE[t,s,a]$ 

 $N[t,3,11]$  <-  $N[t,3,11]$  +  $N[t,s,a]$ 

 $HS.new[t, 3, 11] < HS.new[t, 3, 11] + HS.new[t, s, a]$ 

```
allHS[t] <- allHS[t] + HS[t,s,a] + HS[v[t,s,a]
```
 $nDth.cov[t-1,3,11]$  <-round( $nDth.cov[t-1,3,11]$  +  $nDth.cov[t-1,s,a]$ )

 $nDthHos.all[t-1,3,11]$  <-  $nDthHos.all[t-1,3,11]$  + nDthHos.all[t-1,s,a] +nDthHos.allv[t-1,s,a]

 $nDth, ss[t-1,3,11] < \neg Dth, ss[t-1,3,11] +$  $nDth.ss[t-1,s,a] + nDth.ssv[t-1,s,a]$ 

 $nDth.oth[t-1,3,11] \leftarrow nDth.oth[t-1,3,11] + nDth.oth[t-1,s,a]$ 

 $nDth. all[t-1,3,11] < -nDth. all[t-1,3,11] + nDth. all[t-1,s,a]$ 

 $#$  Assume the births = normal deaths to maintain the total N unchanged over time:  $dBth[1] < -nDth.all[t-1,3,11]$ 

New.expal[t-1,3,11]  $\le$ -New.expal[t-1,3,11]  $+$ New.expal[t-1,s,a]

```
New.expsu[t-1,3,11] <-New.expsu[t-1,3,11] +New.expsu[t-1,s,a]
New.expv0[t-1,3,11] <-New.expv0[t-1,3,11] +New.expv0[t-1,s,a]
New.expv1[t-1,3,11] <-New.expv1[t-1,3,11] +New.expv1[t-1,s,a]
New.expv2[t-1,3,11] <-New.expv2[t-1,3,11] +New.expv2[t-1,s,a]
New.explosrec[t-1,3,11] <-New.explosrec[t-1,3,11] +New.explosrec[t-1,s,a]
```
New.vac[t-1,3,11] <-New.vac[t-1,3,11] +New.vac[t-1,s,a]

 $New.sym[t,3,11] < -round(New.sym[t,3,11] + New.sym[t,s,a])$ 

 $VA0[t,3,11] \leftarrow VA0[t,3,11] + VA0[t,s,a]$  $V \text{Aef1}[t,3,11] \leftarrow V \text{Aef1}[t,3,11] + V \text{Aef1}[t,s,a]$  $V \text{Aef2}[t,3,11] \leftarrow V \text{Aef2}[t,3,11] + V \text{Aef2}[t,s,a]$ 

> $\frac{1}{2}$  # end a  $\frac{1}{2}$  # end s

# Avoiding extremely small scientic notation for these variables

 $SU.vac[t,3,11]$  <- round(SU.vac[t,3,11], digits=0)  $SU-rec[t,3,11] \leftarrow round(SU-rec[t,3,11], digits=0)$  $V \text{Aef1}[t,3,11]$  <- round(  $V \text{Aef1}[t,3,11]$ , digits=0) VAef2[t,3,11] <- round( VAef2[t,3,11], digits=0)

## Cumulative number of deaths

 $nD$ thcum.cov[t] <-  $nD$ thcum.cov[t-1] + $nD$ th.cov[t-1,3,11]

# Sum of all infected at t:

 $##--$ 

 $#$ 

```
Infect.sum[t] <-EX[t,3,11] +EXv1[t,3,11] +EXv2[t,3,11] +
                   I0[t,3,11] +I0v1[t,3,11] +I0v2[t,3,11] +
                   IM0[t, 3, 11] +ISO[t, 3, 11] +ISq[t,3,11] + QS[t,3,11] +
```
 $ISH[t,3,11] + HS[t,3,11] +$  $IM0v[t, 3, 11] +$  $ISO[t, 3, 11] +$  $ISqv[t,3,11] + QSv[t,3,11] +$  $IShv[t,3,11] + HSV[t,3,11]$ 

```
##=# Obtaining N[t,3,11], and so on:
```

```
#for(a \in \{1:10\})for(s \in \{1:2\})N[t,s,11] \leftarrow N[t,s,11] + N[t,s,a]N[t,3,a] \leftarrow N[t,3,a] + N[t,s,a]\mathcal{E}\rightarrowt.dr \leftarrow t.dr +1# incremental by one day for daily death rate
                         # end for t in 2:tt
            \rightarrow\sharp# Output scenario specific results
```
Result.mul <- data.frame(Rt[], N[,3,11], SU[,3,11], SU.rec[,3,11], SU.vac[,3,11], RE[,3,11], VAef1[,3,11], VAef2[,3,11], New.vac[,3,11], New.expal[,3,11], New.sym[,3,11], HS.new[,3,11], allHS[], Infect.sum[], nDth.cov[,3,11], nDthcum.cov[], nDth.all[,3,11]) OutFileName <- paste("...\\ResOut".out", sep="")

write.table(Result.mul,file=OutFileName, sep="\t",quote=FALSE,append=TRUE,col.names=FALSE)

### **5.2 Input data files for running the R code**

#### **5.2-1 Age-sex-specific population, case-fatality rates, and hospitalisation rates "inParamet20.csv"**



#### **5.2-2 General and household contacts per person day "inCMATRIX10.csv"**



#### **5.2-3 Transmission related input parameters "inParamet20.csv"**



#### **5.2-4 Population age-sex-specific death risk by week "inDTH1519Eng10.csv"**



f15 0.001983 0.00024 0.000352 0.000713 0.001468 0.003826 0.008475 0.021198 0.056428 0.273194 f16 0.002066 0.00016 0.000352 0.000676 0.001505 0.003605 0.008765 0.02111 0.055331 0.267195 f17 0.002066 0.00016 0.000308 0.000676 0.001468 0.003789 0.00804 0.02142 0.053771 0.257414 f18 0.001735 0.00024 0.000264 0.000638 0.001395 0.003532 0.008149 0.020888 0.053078 0.253798 f19 0.002066 0.00016 0.000308 0.000601 0.001395 0.003752 0.008547 0.020445 0.052963 0.254291  $f20$  0.001983 0.00016 0.000352 0.000751 0.001578 0.003679 0.007968 0.020445 0.051865 0.248209 f21 0.001901 0.00016 0.000264 0.000751 0.001505 0.003642 0.00804 0.020134 0.051923 0.246976 f22 0.002149 0.00016 0.000264 0.000676 0.001468 0.003421 0.007932 0.019602 0.051403 0.237689 f23 0.001901 8.02E-05 0.000308 0.000488 0.001468 0.003421 0.007968 0.020622 0.051634 0.234319 f24 0.002314 0.00016 0.000396 0.000563 0.001358 0.003495 0.008258 0.019292 0.050883 0.237032 f25 0.001983 0.00016 0.000176 0.000676 0.001505 0.003679 0.007714 0.019602 0.050826 0.238429 f26 0.001653 8.02E-05 0.000396 0.000676 0.001468 0.003752 0.008185 0.019691 0.049266 0.231114 f27 0.002066 0.00024 0.00044 0.000638 0.001395 0.003458 0.008511 0.019025 0.051865 0.237114 f28 0.002149 0.00016 0.000352 0.000563 0.001432 0.003605 0.007896 0.018493 0.049959 0.225854 f29 0.001735 8.02E-05 0.000264 0.000638 0.001432 0.003458 0.007859 0.019114 0.050017 0.235059 f30 0.002066 0.00024 0.000308 0.000525 0.001725 0.003495 0.007751 0.019513 0.050537 0.235059 f31 0.002231 0.00016 0.000264 0.000638 0.001505 0.003532 0.008004 0.018538 0.048689 0.223553 f32 0.002149 8.02E-05 0.000352 0.000525 0.001432 0.003348 0.008113 0.019513 0.049035 0.23136 f33 0.002066 8.02E-05 0.000308 0.000563 0.001395 0.003458 0.007896 0.018892 0.050306 0.230867 f34 0.001735 0.00016 0.000352 0.000713 0.001358 0.003201 0.007533 0.020045 0.049959 0.231278 f35 0.002231 8.02E-05 0.00022 0.000751 0.001395 0.003532 0.007896 0.018937 0.050364 0.226758 f36 0.001818 0.00024 0.000264 0.000563 0.001285 0.003421 0.007751 0.018759 0.050537 0.22947 f37 0.002066 0.00016 0.000308 0.000638 0.001358 0.003348 0.008222 0.019779 0.050999 0.229635 f38 0.001901 0.00024 0.00022 0.000601 0.001285 0.003348 0.008294 0.019646 0.051519 0.236621 f39 0.002314 0.00016 0.000264 0.000601 0.001468 0.003458 0.008403 0.019558 0.053194 0.245004 f40 0.002231 0.00024 0.000352 0.000525 0.001321 0.003642 0.007896 0.020001 0.052327 0.245743 f41 0.002396 8.02E-05 0.000352 0.000601 0.001248 0.003495 0.008222 0.019957 0.053713 0.259222 f42 0.001901 0.00024 0.000264 0.000638 0.001395 0.003421 0.008004 0.02009 0.054176 0.259962 f43 0.002231 0.00024 0.00022 0.000563 0.001358 0.003458 0.00833 0.020533 0.05406 0.25725 f44 0.002231 0.00016 0.00022 0.000488 0.001615 0.003458 0.008801 0.020533 0.054233 0.267852 f45 0.002231 0.00024 0.000396 0.000488 0.001432 0.003532 0.008801 0.020489 0.055619 0.270236 f46 0.002149 0.000321 0.000396 0.000525 0.001395 0.003495 0.008801 0.020711 0.0551 0.270153 f47 0.001818 0.00016 0.000308 0.000563 0.001468 0.003789 0.008366 0.021553 0.057525 0.269332 f48 0.002066 0.00024 0.00022 0.000638 0.001505 0.0039 0.008403 0.021198 0.057352 0.279359 f49 0.001983 0.00016 0.000264 0.000563 0.001432 0.003789 0.00891 0.021598 0.061511 0.290536 f50 0.001901 0.00024 0.000352 0.000563 0.001468 0.004047 0.008366 0.022751 0.061164 0.298262 f51 0.002314 0.00024 0.000352 0.000563 0.001505 0.003495 0.009091 0.023416 0.062435 0.311823 f52 0.001901 0.00016 0.000352 0.000638 0.001615 0.003789 0.009055 0.023061 0.064687 0.316097

f03 0.001901 0.00024 0.000352 0.00071  $f \cap 4$  0.002396 0.00016 0.00022 0.00067 f05 0.002149 0.00024 0.000352 0.00063 f06 0.002644 0.00016 0.000352 0.000751 0.001578 0.003863 0.00891 0.023061 0.062897 0.322343  $f07$  0.002066 0.00016 0.000308 0.00082 f08 0.001983 0.00016 0.000352 0.000788 0.001578 0.00401 0.009018 0.022706 0.061626 0.315768 f09 0.002231 0.00016 0.000308 0.000788 0.001615 0.00401 0.008801 0.023194 0.061453 0.311412





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