

Biophysical Journal, Volume 120

Supplemental information

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Roles of Key Proline/Arginine Residues and Changes in Lipid Dynamics Reveal Interactions between the pH-Low Insertion Peptide (pHLIP) and Model Bilayers at Intermediate pH Values

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Quantitative Analysis of ³¹P Relaxation Spectroscopy. Quantitative analysis to the ³¹P relaxation spectroscopy was conducted to obtain the correlation times of fast- and slow-motion at nanosecond and microsecond timescales, respectively. The analysis algorithm was derived based on previous literature methods^{1,2} with approximations made for the current sample.

To start, the ³¹P resonance peaks in T₁ or T₂ spectra were integrated over a 0.5 ppm range (approximately the full width at half maximum of the peak). The normalized peak volumes were plotted as a function of delay times and fitted to exponential functions for T₁ or T₂ relaxation to obtain the decay time constants τ₁ or τ₂, respectively:

$$I(t) = I_0 \exp(-t/\tau_2) \text{ for } T_2 \text{ (1)}$$

$$I(t) = I_0 - 2I_0 \exp(-t/\tau_1) \text{ for } T_1 \text{ (2)}$$

The rate constant for the T₁ and T₂ decay, denoted as R₁ and R₂ respectively:

$$R_1 = 1/\tau_1 \text{ (3)}$$

$$R_2 = 1/\tau_2 \text{ (4)}$$

The fast and slow-motion correlation times, denoted τ_f and τ_s respectively, are related to the relaxation decay rate constants according to the following quadratic equations from literature:

$$R_1 = \frac{2}{15} \omega_{31P}^2 \sigma^2 \left(1 + \frac{\eta^2}{3}\right) \left[\frac{S^2 \tau_s}{1 + (\omega_{31P} \tau_s)^2} + \frac{(1-S^2) \tau_f}{1 + (\omega_{31P} \tau_f)^2} \right] \text{ (5)}$$

$$R_2 = \frac{1}{15} \omega_{31P}^2 \sigma^2 \left(1 + \frac{\eta^2}{3}\right) \left\{ \left[\frac{S^2 \tau_s}{1 + (\omega_{31P} \tau_s)^2} + \frac{(1-S^2) \tau_f}{1 + (\omega_{31P} \tau_f)^2} \right] + \frac{4}{3} [S^2 \tau_s + (1-S^2) \tau_f] \right\} \text{ (6)}$$

In the present work, approximation was made based on the magnitude of the terms in these equations to simplify the calculation. We consider the orders of magnitude of τ_s ($\sim 10^{-9}$), τ_f ($\sim 10^{-6}$) and the values of constants in Eqs. 5-6, where ω_{31P} , σ , η were the spectrometer frequency, the CSA and the asymmetric parameter of ^{31}P respectively, and had the values $2\pi \times 242 \text{ MHz}$, 160 ppm and 0.57. The order parameters S was estimated as 0.2 based on our previous studies using similar lipid bilayer models³. The first terms in both R_1 and R_2 are neglectable because they are $\sim 10^{-15}$ while all other terms are between 10^{-8} and 10^{-10} . Furthermore, $(\omega_{31P}\tau_f)^2$ is $\sim 4-10$ considering the average value of τ_f for non-pHLIP and pHLIP-containing samples and constant ω_{31P} , and is considerably larger than 1. Therefore, the second terms in both R_1 and R_2 are estimated as $\frac{2}{15}\sigma^2\left(1+\frac{\eta^2}{3}\right)(1-S^2)\tau_f^{-1}$ and $\frac{1}{15}\sigma^2\left(1+\frac{\eta^2}{3}\right)(1-S^2)\tau_f^{-1}$ respectively. Eqs. 5-6 are therefore estimated as:

$$R_1 = \frac{2}{15}\sigma^2\left(1+\frac{\eta^2}{3}\right)(1-S^2)\tau_f^{-1} \quad (7)$$

$$R_2 = \frac{1}{15}\sigma^2\left(1+\frac{\eta^2}{3}\right)(1-S^2)\tau_f^{-1} + \frac{4}{45}\omega_{31P}^2\sigma^2\left(1+\frac{\eta^2}{3}\right)[S^2\tau_s + (1-S^2)\tau_f] \quad (8)$$

The values of τ_s and τ_f are calculated based on Eqs. 7-8 and plotted in the main text for different pH values.

The uncertainties of τ_s and τ_f are derived from the error propagation of Eqs. 7-8:

$$\sigma_{\tau_f} = \frac{C1}{\omega_{31P}^2} \sigma_{T_1} \quad (9)$$

$$\sigma_{\tau_s} = \sqrt{\left(\frac{-C2}{T_2^2}\right)^2 \sigma_{T_2}^2 + \left(\frac{C3}{T_1^2} - C4\right)^2 \sigma_{T_1}^2} \quad (10)$$

, where C1-C4 are constants derived from the ^{31}P Larmor frequency, the CSA, the asymmetry parameter and the order parameters, and their values are 8.74×10^9 , 4.29×10^{-9} , 2.20×10^{-9} and 9.58×10^{-8} , respectively.

Natural Abundance Correction for ^{13}C - ^{15}N REDOR applied to T19-P20. The overall ^{13}C ' signal contains three parts: the isotope labeled Proline ^{13}C ', the natural abundance contribution from other unlabeled amino acids on pHLIP; the natural abundance contribution from lipids ester groups (2 ester carbonyl carbons on each lipid molecule, POPC). Considerations: (1) the molar ratio between pHLIP and lipids for all samples was set to be 1:75; (2) the polarization transfer efficiency are different for pHLIP and lipid molecules on NMR because they may have different dynamics.

Overall S_0 signal:

$$S_0 = S_{0,lipid-na} + S_{0,pHLIP-na} + S_{0,Pro} \quad (11)$$

, where $S_{0,pHLIP-na} = 36 \times 0.011 S_{0,Pro}$ (Natural abundance of ^{13}C , 0.011; 36 other natural abundant carbons), $S_{0,lipid-na} = 75 \times 2 \times 0.011 \times f S_{0,Pro}$ (Natural abundance of ^{13}C , 0.011; 75-fold lipid molecules with 2 carbonyl carbons each, f describes the coefficient due to different polarization transfer between peptides and lipids)

Overall S_1 signal:

$$S_1 = S_{1,lipid-na} + S_{1,pHLIP-na} + S_{1,Pro} \quad (12)$$

, where $S_{1,pHLIP-na} = 35 \times 0.011 S_{0,Pro}$ (Assuming one natural abundance carbonyl carbon was completely suppressed because of the ^{13}C - ^{15}N dipolar coupling, which is T19 C'), $S_{1,lipid-na} = S_{0,pHLIP-na}$ (Assuming no lipid carbonyl carbons are close to the T19 NH, likely to be true at least for pH 6.1, 5.8 and 5.3)

Therefore,

$$\left(\frac{\Delta S}{S_0}\right)^{exp} = \frac{1}{(150f+36) \times 0.011 + 1} \left(\frac{\Delta S}{S_0}\right)^{corr} + \frac{0.011}{(150f+36) \times 0.011 + 1} \quad (13)$$

$$\left(\frac{\Delta S}{S_0}\right)^{corr} = [(150f + 36) \times 0.011 + 1] \left(\frac{\Delta S}{S_0}\right)^{exp} - 0.011 \quad (14)$$

Use pH 5.3 experimental data to find out the best-fit f (because it is known that Proline adopts “Trans” configuration in the *State III*⁴). It is determined that $f = 0.16$. Use this best-fit parameter to perform natural abundance corrections for the other pH values. Corrected values are plotted as open symbols in Figure 5 in main text.

Reference:

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