Patterns, Volume 3

## Supplemental information

## Obtaining spatially resolved tumor purity

### maps using deep multiple instance

### learning in a pan-cancer study

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# **SUPPLEMENTAL ITEMS**

**Table S1: The number of samples, slides, and patches in each TCGA cohort.** Each patient has only one tumor sample and one normal sample if available. Note that "tumor slide" and "normal slides" refer to the slides of tumor samples and normal samples, respectively. Similarly, "tumor patches" and "normal patches" refer to patches cropped over "tumor slides" and "normal slides", respectively. Related to Table 1.

	# samples			# slides			# patches			
	normal	tumor	total	normal	tumor total		normal	tumor	total	
<b>BRCA</b>	133	929	1.062	312	1.280	1.592	84,196	710.446	794.642	
<b>GBM</b>	0	474	474	0	917	917	0	618.649	618.649	
<b>KIRC</b>	364	435	799	454	841	1295	466.883	655,625	1,122,508	
LGG	0	454	454	0	625	625	0	347.065	347.065	
<b>LUAD</b>	171	446	617	200	694	894	108.876	490.401	599.277	
LUSC	220	453	673	333	714	1.047	166,181	544.778	710,959	
OV	84	516	600	142	1.031	1.173	72.385	1,122,620	1,195,005	
<b>PRAD</b>	111	428	539	111	535	646	75.798	338,120	413.918	
<b>THCA</b>	83	428	511	83	443	526	30,234	199.275	229,509	
UCEC 32		449	481	34	589	623	17,359	314.624	331,983	

**Table S2: The number of samples in different genomic tumor purity and percent tumor nuclei groups (<10% , 10-25%, 25-50%, and** ≥**50%).** Related to Table 1.





**Figure S1: Violin plots of genomic tumor purity values (obtained using ABSOLUTE<sup>1</sup> ) in the training, validation, and test sets of each TCGA cohort.** Related to Table 1.



**Figure S2: Violin plots of percent tumor nuclei values (collected from TCGA data portal) in each TCGA cohort's training, validation, and test sets.** Related to Table 1.

**Table S3: Comparison of methods based on Spearman's correlation coefficients in the test sets of different cohorts.** Spearman's correlation coefficients between genomic tumor purity values and MIL predictions ( $\rho_{mil}$ ) and genomic tumor purity values and pathologists' percent tumor nuclei estimates ( $\rho_{path}$ ) in the test sets of different cohorts are calculated for only the tumor samples. Then, they are compared using the method in Meng et al.<sup>2</sup>. The number of tumor samples (n), Spearman's correlation coefficients together with calculated p-values  $(P_{\rho_{mil}}$  and  $P_{\rho_{path}})$  and 95% confidence intervals  $(CI_{\rho_{mil}}$  and  $CI_{\rho_{path}})$ , and calculated p-values in statistical tests  $(P_{comp})$  are presented. Note that if the calculated correlation in any method is not significant (i.e.,  $P_{\rho_{mil}} > 5.0e-0.02$  or  $P_{\rho_{path}} > 5.0e-0.02$ ), the statistical test is not conducted. It is indicated by 'x'. The best methods are highlighted in bold. Related to Figure 2 and Figure 3A.



**Table S4: Spearman's correlation coefficients.** Spearman's correlation coefficients between (i) genomic tumor purity values from ABSOLUTE<sup>1</sup> (ABS) and MIL predictions (MIL), (ii) genomic tumor purity values from ESTIMATE<sup>3</sup> (EST) and MIL predictions, and (iii) genomic tumor purity values from ABSOLUTE and genomic tumor purity values from ESTIMATE are calculated for the tumor samples having corresponding values in the test sets. The number of tumor samples (n), correlation coefficients  $(\rho)$  together with calculated p-values  $(P)$  and 95% confidence intervals  $(CI)$  are presented.

			ABS vs. MIL				EST vs. MIL	<b>EST vs ABS</b>		
	n	$\rho$	$\boldsymbol{P}$	СI	$\rho$	$\boldsymbol{P}$	СI	$\rho$	$\boldsymbol{P}$	СI
							BRCA 186 0.655 4.6e-24 0.547 - 0.743 0.519 4.0e-14 0.401 - 0.615 0.611 2.4e-20 0.496 - 0.709			
<b>GBM</b>	22.						$0.610$ 3.3e-03 $0.162$ - 0.882 0.528 1.4e-02 0.112 - 0.821 0.732 1.6e-04 0.439 - 0.898			
LGG.	91						$0.418$ 4.1e-05 0.226 - 0.574 0.139 1.9e-01 -0.076 - 0.333 0.352 6.6e-04 0.142 - 0.531			
LUAD.	91						0.515 2.1e-07 0.320 - 0.660 0.546 2.5e-08 0.391 - 0.674 0.645 6.7e-12 0.468 - 0.779			
THSC.	88						$0.447$ 1.4e-05 $0.264$ - 0.611 0.350 8.9e-04 0.150 - 0.524 0.628 7.5e-11 0.466 - 0.752			
OV.	52.						$0.596$ $3.9e-06$ $0.360 - 0.768$ $0.579$ $8.5e-06$ $0.323 - 0.763$ $0.708$ $6.2e-09$ $0.532 - 0.824$			
<b>PRAD</b>	86						$0.424$ 5.3e-05 $0.224$ - 0.597 $0.319$ 3.0e-03 $0.109$ - 0.496 $0.447$ 1.8e-05 0.241 - 0.634			
LICEC.	40						0.574 1.3e-04 0.284 - 0.788 0.400 1.2e-02 0.057 - 0.695 0.580 1.1e-04 0.291 - 0.789			

**Table S5: Comparison of methods based on absolute errors in the test sets of different cohorts.** Absolute errors between genomic tumor purity values and MIL predictions  $(e_{mil})$  and genomic tumor purity values and pathologists' percent tumor nuclei estimates  $(e_{path})$  in the test sets of different cohorts are calculated for only the tumor samples. Then, they are compared using the Wilcoxon signed-rank test<sup>4</sup>. The number of tumor samples (n), mean absolute errors ( $\mu_{e_{mil}}$  and  $\mu_{e_{path}}$ ) together with standard deviations  $(\sigma_{e_{mil}}$  and  $\sigma_{e_{path}})$ , median absolute errors  $(m_{e_{mil}}$  and  $m_{e_{path}})$  together with interquartile ranges  $(IQR_{e_{mil}})$ and  $IQR_{e_{path}}$ ), and calculated p-values in the statistical tests  $(P_{comp})$  are presented. The best methods are highlighted in bold. Related to Figure 2 and Figure 3A.

	MIL prediction				Pathologist's estimate				Comp.
				$n \mu_{e_{mil}} \sigma_{e_{mil}} \eta_{e_{mil}} \mu_{e_{mil}} \mu_{e_{path}} \sigma_{e_{path}} \eta_{e_{path}} \mu_{e_{path}} \mu_{e_{path}}$					$P_{comp}$
								BRCA 185 0.116 0.097 0.104 0.043 - 0.159 0.220 0.147 0.200 0.105 - 0.310 2.5e-13	
<b>GBM</b>								94 0.113 0.106 0.074 0.046 - 0.142 0.195 0.158 0.145 0.080 - 0.260 2.1e-07	
LGG.								90 0.136 0.119 0.105 0.052 - 0.188 0.152 0.122 0.130 0.060 - 0.200 5.4e-02	
LUAD								90 0.132 0.109 0.112 0.060 - 0.175 0.280 0.151 0.275 0.170 - 0.395 3.9e-09	
LUSC								90 0.148 0.122 0.125 0.054 - 0.196 0.266 0.150 0.250 0.140 - 0.375 5.8e-06	
OV.								103 0.105 0.091 0.086 0.043 - 0.127 0.136 0.126 0.110 0.030 - 0.190 1.6e-02	
PRAD								85 0.173 0.154 0.130 0.068 - 0.240 0.204 0.141 0.180 0.090 - 0.285 1.4e-02	
								UCEC 89 0.109 0.120 0.072 0.027 - 0.142 0.132 0.124 0.100 0.040 - 0.170 1.4e-02	

### **Note S1: Singapore Cohort**

Singapore cohort consists of 179 lung adenocarcinoma patients having East Asian ancestry. Each patient has one tumor sample, and one slide is prepared from each tumor sample (except one sample in the training set). The slides are prepared from formalin-fixed paraffin-embedded sections (FFPE). On the contrary to FFPE sections in the Singapore cohort, slides in the TCGA cohorts are prepared from fresh-frozen sections. These two tissue preservation methods are quite different from each other. While the FFPE method preserves morphology better and is the routine in histopathology, the fresh-frozen method preserves nucleic acids better and is preferred for molecular analysis<sup>5</sup>. The number of samples, slides and patches in the training, validation and test sets of the Singapore cohort are presented below.

### **Singapore cohort: the number of samples, slides, and patches. Note that each patient has only one tumor sample. Related to Table 1.**





**Figure S3: Singapore cohort: genomic tumor purity histograms for (a) training, (b) validation, and (c) test sets. Related to Table 1.**



**(c)** TCGA LUAD: Fresh-frozen - Cancerous **(d)** Singapore LUAD: FFPE - Cancerous





**Figure S4: Example patches cropped from slides of fresh-frozen and formalin-fixed paraffinembedded (FFPE) sections.** (**a, c**) A normal patch and a cancerous patch cropped from slides of freshfrozen sections in the TCGA LUAD cohort. (**b, d**) A normal patch and a cancerous patch cropped from slides of FFPE sections in the Singapore LUAD cohort. Related to Figure 4.



**Figure S5: External validation on Singapore cohort.** We checked the performance of the TCGA LUAD model directly on the Singapore LUAD cohort (with n=179 tumor samples) used as an external validation set. Scatter plot of genomic tumor purity vs. MIL model prediction. Diagonal red dotted line shows the y=x line.

**Table S6: Statistics of the absolute difference between the predictions of a tumor sample's top and bottom slides.** In the test set of each cohort, for a tumor sample with two slides, the absolute difference  $(d_{abs})$  between the tumor purity predictions of the slides is calculated. Then, the number of tumor samples with two slides (n), the mean absolute difference ( $\mu_{dabs}$ ), the standard deviation of the absolute difference  $(\sigma_{d_{abs}})$ , the median absolute difference  $(m_{d_{abs}})$ , and the interquartile range  $(IQR_{d_{abs}})$  are presented. Related to Figure 3C.



**Table S7: Comparing the absolute errors of sample-level predictions and the expected value of the absolute errors of slide-level predictions in the test sets of different cohorts.** In the test set of each cohort, for a tumor sample with two slides, the absolute errors between genomic tumor purity values and sample-level MIL predictions  $(e_{smpl})$  and the expected value of absolute errors between genomic tumor purity values and slide-level MIL predictions  $(e_{sld})$  are calculated. Then, the number of samples with two slides (n), the mean absolute errors ( $\mu_{e_{sml}}$  and  $\mu_{e_{sld}}$ ) together with standard deviations ( $\sigma_{e_{sml}}$  and  $\sigma_{e_{sld}}$ ), the median absolute errors ( $m_{e_{smpl}}$  and  $m_{e_{sld}}$ ) together with interquartile ranges ( $IQR_{e_{smpl}}$  and  $IQR_{e_{sld}}$ ), and the calculated p-values in the statistical tests ( $P_{comp}$ ) are presented. Note that the PRAD (n=21) and UCEC (n=23) cohorts were excluded from this study due to few samples with two slides. The best methods are highlighted in bold. Related to Figure 3D.



**Table S8: Spearman's correlation coefficients between absolute errors in MIL predictions and percent necrosis values (**ρ**) are calculated in the test set of each cohort.** The number of samples (n), correlation coefficients together with calculated p-values (P) and 95% confidence intervals (95% CI) are presented for tumor samples only. There is no significant correlation (P>0.05) in any cohorts except LUSC, in which the correlation is  $0.253$  (P=1.6e-02 < 0.05). The LGG cohort is excluded from analysis since all samples have percent necrosis of 0.





**Figure S6: Tumor purity map for A186 in the Singapore Cohort.** Genomic tumor purity was 0.340 and our MIL model predicted tumor purity as 0.339, so the absolute error was 0.001. Related to Figure 4.



**Figure S7: Tumor purity map for A537 in the Singapore Cohort.** Genomic tumor purity was 0.420 and our MIL model predicted tumor purity as 0.380, so the absolute error was 0.04. Related to Figure 4.



**Figure S8: Tumor purity map for A143 in the Singapore Cohort.** Genomic tumor purity was 0.240 and our MIL model predicted tumor purity as 0.339, so the absolute error was 0.099. Related to Figure 4.



**Figure S9: Tumor purity map for A219 in the Singapore Cohort.** Genomic tumor purity was 0.410 and our MIL model predicted tumor purity as 0.584, so the absolute error was 0.174. Related to Figure 4.



**Figure S10: Tumor purity map for A126 in the Singapore Cohort.** Genomic tumor purity was 0.160 and our MIL model predicted tumor purity as 0.527, so the absolute error was 0.367. Related to Figure 4.

## **SUPPLEMENTAL EXPERIMENTAL PROCEDURES**

#### **MIL Framework**

#### **Problem formulation and notation**

Let D be a MIL dataset such that for each  $(X, Y) \in \mathcal{D}$ ,  $X = \{x_1, x_2, \dots, x_N\} \subseteq \mathcal{I}$  and  $Y \in \mathcal{Y}$ , where  $\mathcal{I}$  is the instance space, and  $\mathcal Y$  is the bag label space. Note that we fix the number of instances in a bag to N for clarity of notation, yet our formulation is also valid for bags with the variable number of instances.

Given any pair  $(X, Y) \in \mathcal{D}$ , our objective is to predict bag label Y for a given bag of instances X. Here, a bag label Y is the genomic tumor purity of a sample, and a bag X is a collection of cropped patches over the sample's slides. Let  $\hat{Y}$  be the predicted bag label of X. To obtain  $\hat{Y}$ , we designed a novel MIL framework consisting of three stages.

The first stage is a *feature extractor* module  $\theta_{\text{feature}} : \mathcal{I} \to \mathcal{F}$ , where  $\mathcal{F}$  is the feature space. For each  $x_i \in X$ , the *feature extractor* module takes  $x_i$  as input, extracts J features and outputs a feature vector:  $\boldsymbol{f}_{x_i} \ = \ \theta_{\text{\tiny{feature}}}(x_i) \ = \ [f_{x_i}^1, f_{x_i}^2, \cdots, f_{x_i}^J] \ \in \ \mathcal{F}, \ \text{where} \ \ f_{x_i}^j \ \in \ \mathbb{R} \ \text{is the} \ \ j^{th} \ \text{\small{feature value}} \ \text{\small{and}} \ \ \mathcal{F} \ = \ \mathbb{R}^J. \ \ \text{\small{Let}}$  $F_X=[f_{x_1},f_{x_2},\cdots,f_{x_N}]} \in \R^{JN}$  be feature matrix constructed from extracted feature vectors such that  $i^{th}$ column corresponds to  $f_{x_i}.$ 

The second stage is a MIL pooling filter module  $\theta_{\text{filter}}:\R^{JN}\to\mathcal{H}$ , where  $\mathcal H$  is the bag-level representation space. The  $M/L$  pooling filter module takes the feature matrix  $F_X$  as input and aggregates the extracted feature vectors to obtain a bag-level representation:  $h_X = \theta_{\text{filter}}(\mathbf{F}_X) \in \mathcal{H}$ .

The last stage is a *bag-level representation transformation* module  $\theta_{\text{transform}} : \mathcal{H} \to \mathcal{Y}$ . It transforms the bag-level representation into the predicted bag label:  $\hat{Y} = \theta_{\text{transform}}(\boldsymbol{h}_X)$ .

We use neural networks to implement  $\theta_{\text{feature}}$  and  $\theta_{\text{transfer}}$  so that we can fully parameterize the learning process. For  $\theta_{\text{filter}}$ , we use our novel 'distribution' pooling filter. This system of neural networks is end-to-end trainable.

#### **Distribution Pooling Filter**

Our previous study<sup>6</sup> defined the family of distribution-based pooling filters as: Given a feature matrix  $\textbf{\emph{F}}_{X}$  =  $[f^{j}_{x_{i}}|f^{j}_{x_{i}}\in\mathbb{R},\,\,i=1,2,\cdots,N$  and  $j=1,2,\cdots,J]$  obtained from a bag  $X$  =  $\{x_{1},x_{2},\cdots,x_{N}\},$  its bag level representation is obtained by estimating a marginal distribution over each extracted feature. Let  ${\tilde p}^j_X:\R\to\R^+\cup\{0\}$  be the estimated marginal distribution obtained over  $j^{th}$  extracted feature and  ${\tilde p}^j_X\in\R$ where  $\mathbb P$  is the set of all possible marginal distributions.  $\tilde p_X^j$  is calculated by using kernel density estimation<sup>7</sup>, which employs a Gaussian kernel with standard deviation  $\sigma$ , as shown in the Eq. 1. Each instance has two attention based weights, feature weight  $\alpha_i$  and kernel weight  $\beta_i,$  obtained from neural network modules. Hence, the bag level representation  $\bm{h}_X=[\tilde p_X^j\;|\tilde p_X^j\in\mathbb{P},j=1,2,\cdots,J]\in\mathcal{H}$  where  $\mathcal{H}=\mathbb{P}^J.$  Note that the estimated marginal distributions are uniformly binned during training neural network models for computational purposes.

$$
\tilde{p}_X^j(v) = \sum_{i=1}^N \beta_i \frac{1}{\sqrt{2\pi\sigma^2}} e^{-\frac{1}{2\sigma^2} \left(v - \alpha_i f_{x_i}^j\right)^2} \ \forall_{j=1,2,\cdots,J} \tag{1}
$$

Our previous study formally proved that the distribution-based pooling filters are more expressive than the point estimate-based counterparts (like max and mean pooling) regarding the amount of information captured while obtaining bag-level representations<sup>6</sup>. Then, we empirically showed that models with distribution-based pooling filters perform equal or better than that with point estimate-based pooling filters on distinct real-world MIL tasks.

In this study, we used standard deviation of  $\sigma = 0.05$  and the estimated marginal distributions were uniformly binned into 21 bins. Note that attention weights in 'distribution' pooling were fixed to  $\alpha_i = 1 \ \forall i$  and  $\beta_i = \frac{1}{N} \ \forall_i$  where  $N$  is the number of instances per bag.

#### **Neural network architectures and hyper-parameters**

We used a ResNet18<sup>8</sup> model as the *feature extractor* module and a three-layer multi-layer-perceptron as the *bag-level representation transformation* module.

During the training of the models, we prepared bags on the go. A bag was created by randomly sampling 200 patches (instances) from all available patches previously cropped over a sample's slides. The patch size was  $512 \times 512$ . Data augmentation (random cropping with a size of  $299 \times 299$  and random horizontal/vertical flipping) was also applied on the patches. We extracted 128 features for each instance inside the bag.

The architecture and list of hyper-parameters used in MIL models are given below.

#### **Neural network architecture and list of hyper-parameters used in the MIL models.**



### **Segmentation of Histopathology Slides in The TCGA LUAD Cohort**

In the TCGA LUAD cohort, for each patient with a matching normal sample, we used the trained feature extractor module of our MIL model to extract features of patches cropped over the slides of the tumor and normal samples of the patient. Then, we clustered the patches by using hierarchical clustering over the extracted feature vectors. We determined the distance threshold in hierarchical clustering such that there were 4 clusters among the patches from slides of the normal sample. This made our clustering approach robust against patient-to-patient variations. Indeed, this was why we decided to use both tumor and normal samples of the patient. In other words, instead of determining a global distance threshold for all patients, we calculated patient-specific distance threshold values to capture inter-patient variations.

Each cluster can be assigned one of two labels: cancerous or normal. Ideally, a cluster with a cancerous label can contain patches only from slides of the tumor sample. On the other hand, a cluster with a normal label can contain patches from slides of both the tumor and the normal samples since the tumor sample may also contain normal tissue components. As a post-processing step, we analyzed normal clusters. If the number of patches from slides of the normal sample in a normal cluster was less than 10%, we split this cluster into two such that patches from slides of the tumor sample were assigned to a new cancerous cluster. Finally, we created segmentation masks for slides of the tumor sample by using cluster labels assigned to the patches.

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