Supplementary Material

White matter CBF correction for global CBF estimates for a single-compartment kinetic model

Simulations were performed to address the effect on white matter (WM) CBF quantification when using parameters for WM, tissue $T_{1,WM}$ and arterial (bolus) arrival time, BAT_{WM} instead of gray matter (GM) tissue $T_{1,GM}$ and BAT_{GM} in the ASL CBF quantification model as commonly done.

The conversion of pCASL measured ∆M to CBF can be considered as a scaling problem, when applying a single-compartment kinetic model (Buxton et al.¹). Here, the scaling factor 'C' depends on the familiar tissue-specific parameters: T_1 and BAT and 'global' parameters: blood $T_{1,a}$, bolus duration τ, inversion efficiency α, blood/tissue water partition coefficient λ, and the voxel specific calibration M_{0h} .

Note that the apparent T_1' dependency on CBF $(1/T_1)' = 1/T_{1,1}$ issue + f/ λ with f = CBF in mL/g/s) in the kinetic model makes it deviate from a pure scaling problem, however, the effect of CBF on the apparent T_1 is negligible. The latter can be seen by the very slight broadening of the CBF normalized kinetic curve for different simulated CBF values with respect to inversion time TI (see Supplemental Figure 2 below).

A range of kinetic curves was generated for a range of CBF values $(0 - 1.5 \text{ ml/g/s} \approx 0 - 90 \text{ ml}/100$ g/min) and subsequently normalized by the CBF value. Tissue specific values where $T_{1,GM}$ = 1.3s², $T_{1,\text{WM}} = 0.84s^2$, BAT_{GM}³ and BAT_{WM}³.

The resulting, 'normalized kinetic curves', give the conversion from CBF to ∆M with respect to the inversion time TI. The scaling factor C, used to convert ∆M to CBF, is then obtained by taking the reciprocal of the normalized kinetic curve at the pCASL sequence's TI. In Supplemental Figure 2 below, CBF normalized kinetic curves for GM and WM based values, tissue T_1 and BAT, are depicted in blue and red, respectively. To convert measured ∆M to CBF (in mL/g/s) using GM based values one gets a scaling factor of C_{GM} \approx 1/0.5 \approx 2 for the pCASL sequence inversion time used here: TI = τ + PLD = 1.5s + 1.7s = 3.2s. To convert measured ∆M to CBF using white matter based values, one gets a scaling factor of C_{WM}≈ $1/0.42 \approx 2.4$ at the same inversion time.

From this exercise, we observe that for WM regions, when using GM based values in CBF quantification, the CBF_{WM} is underestimated by a factor of $C_{WM}/C_{GM} \approx 2.4/2 \approx 1.2$, which is about 20%. This factor can be used to correct the CBF values in the WM ROI, i.e. increasing WM CBF by ~20%, yielding corrected global (whole-brain) CBF estimates and thus CMRO₂ estimates. We found that the CMRO² findings did not change notably when incorporating the WM correction on global CBF, the numerical values did change.

Supplementary Figure 1: Flow (CBF) normalized kinetic curves for GM and WM based values (tissue T1 and bolus arrival time, BAT) are depicted in blue and red, respectively. These curves give the conversion from CBF to ∆M with respect to the inversion time TI. The scaling factor C, to convert ∆M to CBF, is then obtained by taking the reciprocal of the normalized kinetic curve at the pCASL sequence's TI. To convert measured ∆M to CBF (in mL/g/s) using GM based values one gets a scaling factor of $C_{GM} \approx 1/0.5 \approx 2$ for the pCASL sequence inversion time used here: TI = τ + PLD = 1.5s + 1.7s = 3.2s. To convert measured ∆M to CBF using white matter based values, one gets a scaling factor of C_{WM} \approx 1/0.42 \approx 2.4 at the same inversion time. As a result, when using GM based values in CBF quantification, the WM CBF is underestimated by a factor of $C_{WM}/C_{GM} \approx 2.4/2 \approx 1.2$, which is about 20%. This factor can be used to correct the CBF values in the WM ROI, i.e. increasing WM CBF by \sim 20%, yielding corrected global (whole-brain) CBF estimates and thus CMRO₂ estimates.

Supplementary Figure 2. Sensitivity analysis of the effect on hyperoxic arterial blood water $T_{1,HO}$ on CBF and CMRO₂ quantification. The T_{1,HO} value used for carbogen (1.49s) and variations therein (δ) were plotted against the modelled percentage change (δ) in CBF and CMRO₂ quantification. The used $T_{1,NO}$ for room-air (1.65s) is depicted by the dashed blue line. Note CBF and CMRO₂ are directly proportional by the arteriovenous O₂ difference. The resulting percentage change in CBF and CMRO₂ were plotted for a range of possible T_{1,HO} values, for absolute values and the percentage difference with respect to the reference $T_{1,H0}$ (=1.65s) for carbogen. CBF = cerebral blood flow; CMRO₂ = cerebral metabolic rate of oxygen, T_{1,HO} = arterial blood water T_{1a} during hyperoxia, $T_{1,NO}$ = arterial blood water T_{1a} during normoxia.

Supplementary Figure 3. A) CBF, **B)** ∆CBF, **C)** CMRO² and **D)** ∆CMRO² results for different arterial blood water T1a scenarios for normoxic (T_{1,NO}) and hyperoxic (T_{1,HO}) conditions. Although the absolute CBF and CMRO₂ results change in value, the impact on the ∆CBF and notably the ∆CMRO² changes, which is the topic of this study, did not change significantly for the different T_1 scenarios. For the hyperoxic (carbogen) condition, a p_aO_2 of 460 mmHg was assumed, and for scenarios II and IV we incorporated the reported hyperoxic T_{1a} relativity by Ma et al.⁴ (see Methods 'Effect of arterial blood water T_{1a} on CBF and CMRO₂ quantification'. CBF = cerebral blood flow; CMRO₂ = cerebral metabolic rate of oxygen; p_aO₂ = partial pressure of arterial O₂, T_{1,HO} = arterial blood water T_{1a} during hyperoxia, $T_{1,NO}$ = arterial blood water T_{1a} during normoxia. The boxplots show the minimum, maximum, median and interquartile range, open circles denote outliers.

Supplementary Table 1. Cerebral blood flow (CBF) in gray matter, venous oxygenation (Y_v), oxygen extraction fraction (OEF), and cerebral metabolic rate of oxygen (CMRO₂) results for the room air, 'CO₂ in air' and carbogen breathing conditions for all subjects.

Supplementary Table 2. The change in end-tidal CO₂ (pEtCO₂), global cerebral blood flow (CBF), venous oxygenation (Y_v), oxygen extraction fraction (OEF), and cerebral metabolic rate of oxygen (CMRO₂) for the 'CO₂ in air' and carbogen breathing conditions with respect to the room air breathing condition for all subjects.

 $pECO₂$ = end-tidal partial pressure of CO₂, CBF = global cerebral blood flow, Y_v = venous blood oxygenation, OEF = oxygen extraction fraction, CMRO₂ = cerebral metabolic rate of oxygen, std = standard deviation, thote this is the fractional change in percentage in Y_v, i.e. not percentage points.

References

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