

Supporting Information for

Social evolution of shared biofilm matrix components

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Author Contributions: C.D.N. and J.Y. conceived the project. J.-S.B.T. and T.N. performed the experiments. J.Y. performed strain cloning. S.M. and J.T. performed fluid dynamics modeling. J.-S.B.T. performed ecological modeling. J.-S.B.T., S.M., J.T., C.D.N. and J.Y. analyzed the data. All authors contributed to the writing of the paper.

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Supplementary Materials and Methods

Protein quantification

V. cholerae strains encoding Bap1-3×FLAG or RbmC-3×FLAG were grown in culture tubes containing 3 mL LB and sterile glass beads overnight at 30°C with shaking. The next day, cultures were vortexed to break up pellicles and cell clusters and the OD600 was measured. 1 mL of cell suspensions were transferred to sterile 1.5 mL microcentrifuge tube and spun at 18,000g for 3 min. 500 µL of the cell supernatant were transferred to a fresh 1.5 mL microcentrifuge tube and the rest was discarded from the pellet. The cell pellets were lysed for 30 min in 100 µL lysis solution [1× Bugbuster (EMD Millipore 70921), lysozyme (0.1 mg/mL), and benzonase™ nuclease (Sigma E1014)] and then brought to a final volume of 1 mL with 1× PBS. 30 µL of each cell suspension was combined with 10 µL of 4× SDS PAGE sample buffer (40% Glycerol, 240 mM Tris pH6.8, 8% SDS, 0.04% Bromophenol Blue, 5% β-mercaptoethanol) and boiled for 10 minutes at 95°C. Samples were run on a 4-15% Mini-PROTEAN TGX gel (BioRad 4568086) in 1× SDS PAGE running buffer (25 mM Tris, 192 mM Glycine, 1% SDS, pH 8.3) at 120 V for 70 minutes at 4°C. The proteins were transferred to a PVDF membrane (BioRad 1620174) in 1×transfer buffer (25 mM Tris, 192 mM Glycine, 10% methanol, pH 8.3) at 100V for 1 hour at 4°C. Membranes were incubated in 5% milk in TBST overnight at 4°C then at room temperature for 1hr. Following incubation, membranes were washed 3 × 10 minutes in 1× TBST (American Bio AB14330-01000). The membranes were blotted using α-DYKDDDDK at 0.1 µg/mL (Biolegend 637311) in 1× TBST with 3% BSA for 1hr at room temperature and washed 3 × 10 minutes with 1× TBST. Blots were developed using the Super Signal PLUS Pico West Chemiluminescent Substrate (ThermoFisher 34580) for 5 min and pictures taken using a BioRad Chemidoc-MP. Analyses of sample signal were performed in ImageJ. The total signal for whole cell lysate (Pellet) and supernatant (Sup.) were measured by densitometry and each fraction was calculated against the total signal.

Two-part competition model in a static environment

Competition between adhesion protein producer and cheater in a static environment before and after washing was modeled using a two-part model: 1) Structureless competition model of co-cultured producer and cheater in a static environment and 2) Spatial model of exploitation capturing the effect of disturbance introduced by washing. In the first part, we use the classic Lotka-Volterra model to model co-cultured producer and cheater populations competing for the same nutrient source (1). The populations for producer and cheater cells, P_p and P_c , both follow the logistic growth function, but with different growth rates r_p and

r_c measured separately from their growth curves in their mono-cultures (Fig. 1A). The carrying capacity for producer and cheater of the environment are N_p and N_c . The equations read

$$\begin{cases} \frac{dP_p}{dt} = r_p P_p \left(1 - \frac{P_p + \alpha_{pc} P_c}{N_p}\right) \\ \frac{dP_c}{dt} = r_c P_c \left(1 - \frac{P_c + \alpha_{cp} P_p}{N_c}\right) \end{cases}$$

Here α_{pc} and α_{cp} represent the inter-strain effects and are both set to 1, since the competing producer and cheater strains have similar effects on each other in terms of nutrient depletion. The carrying capacity N_p and N_c specify the maximum populations the environment can sustain for each strain. In the Lotka-Volterra model, when $N_p \neq N_c$, the effective growth rate can become negative for the strain with lower capacity and the population of the strain with higher carrying capacity grows at the expense of the population of the low-capacity strain. Since we did not observe a reduction in population in either of the strains in the experiment, we set $N_p = N_c$ to be the maximum population of producer measured in the stationary phase (~40 h) to ensure that the effective growth rates always stay positive. The equations were numerically solved using the ode45 solver in MATLAB at 16 h for different initial producer frequencies $f_{0,p}$ and inoculation number densities σ_0 , and the frequency change before washing is defined as $\Delta f_{1,p} \equiv P_p / (P_p + P_c) - f_{0,p}$. The results are shown in Fig. S5A.

The second part of the model uses the spatial exploitation model discussed in the main text and Methods section. After washing, all P_p remained adherent to the surface, while only $P_{\text{protection}} = 1 - \exp(-\sigma_{0,p} \cdot \pi R^2)$ of P_c remained adherent as a result of scavenging adhesion proteins from the producer. Therefore, the frequency change after washing was calculated as $\Delta f_{2,p} \equiv P_p / (P_p + P_{\text{protection}} \cdot P_c) - f_{0,p}$. Here $\sigma_{0,p} = f_{0,p} \sigma_0$. The results are shown in Fig. S5B. The numerical results agree well with the experimental data measured both before and after washing (Fig. 2D). The parameters used in the two-part competition model are summarized in Table S2. All parameters used in the modeling were experimentally calibrated.

Statistical Analysis

Errors correspond to SEs from measurements taken from distinct samples unless mentioned otherwise. Standard t -tests were used to compare treatment groups and are indicated in each figure caption. Tests were always two-tailed and unpaired as demanded by the details of the experimental design. All statistical analyses were performed using GraphPad Prism software.

Supplementary Figures

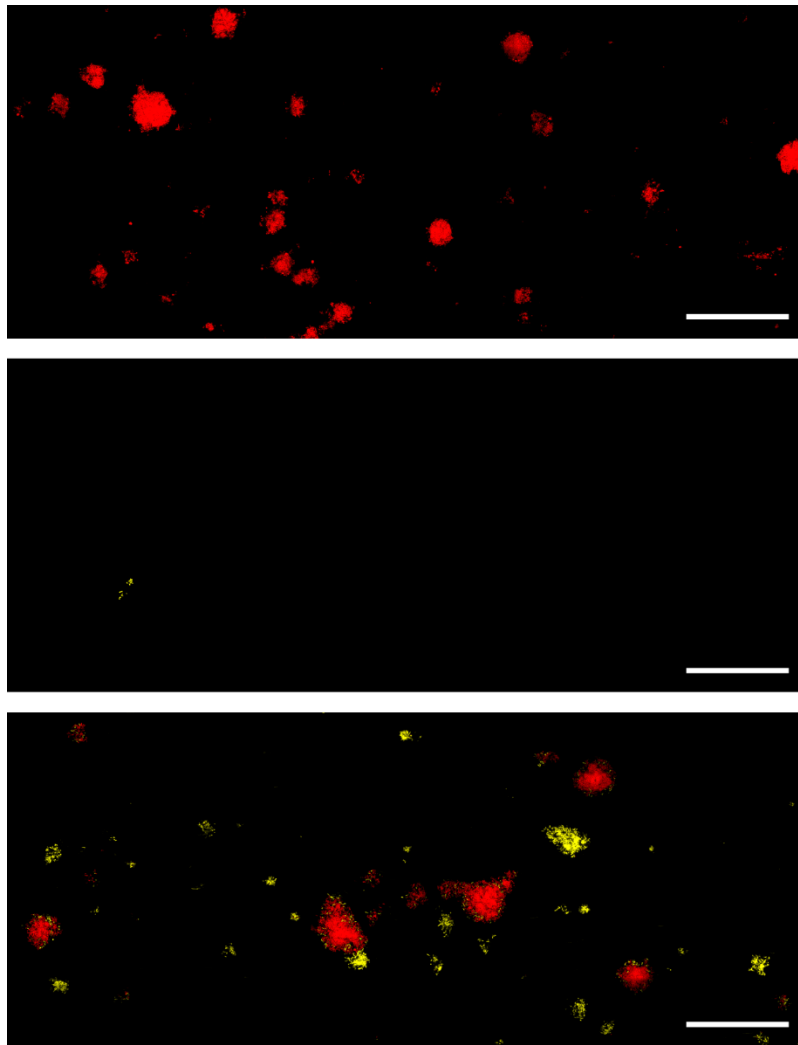


Fig. S1 | Adhesion protein sharing and exploitation between producer and cheater in wild-type (WT) *V. cholerae* background. Confocal images at 6 μm away from substrata of WT adhesion protein producer (red) and cheater (yellow) in their mono-cultures (*top* and *middle*) and co-cultures (*bottom*) in a flow environment. These data show that exploitation of adhesion proteins by cheaters is not limited to strains in a constitutive biofilm producing background, but generalizable to WT strains in which biofilm formation is regulated. Scale bars: 100 μm . Experiments were performed under flow as described in the main text at a flow rate of 0.6 $\mu\text{L}/\text{min}$ and in M9 growth medium supplemented with 0.5% glucose and 0.5% casamino acids (Difco Laboratories).

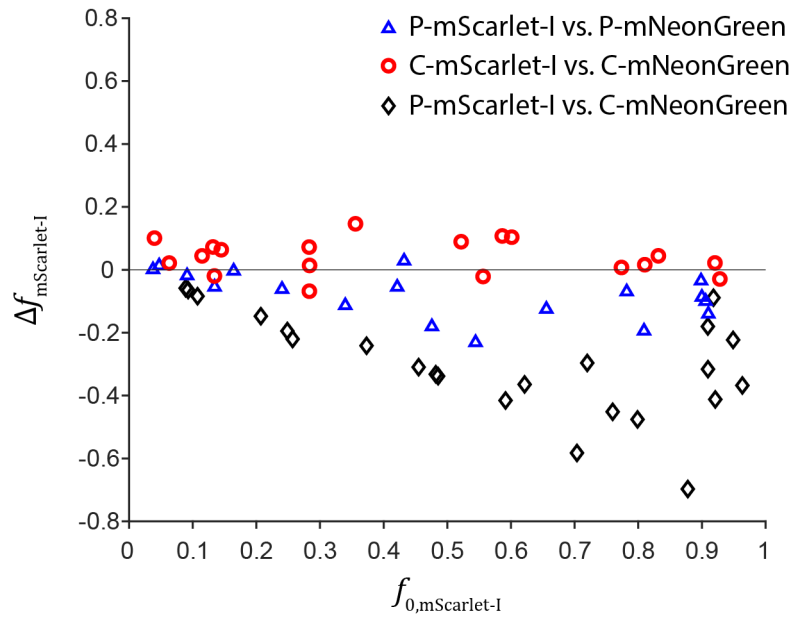


Fig. S2 | Competition between strains expressing different fluorescent proteins in a static environment with no washing. The frequency change is more significant for competition between producer and cheater strains (abbreviated as P and C, respectively; P-mScarlet-I vs. C-mNeonGreen) than between isogenic strains expressing different fluorescent proteins (P-mScarlet-I vs. P-mNeonGreen and C-mScarlet-I vs. C-mNeonGreen). We do note a slight growth advantage of P-mNeonGreen over P-mScarlet-I, which could be due to the slightly higher metabolic cost associated with the production of the red fluorescent protein.

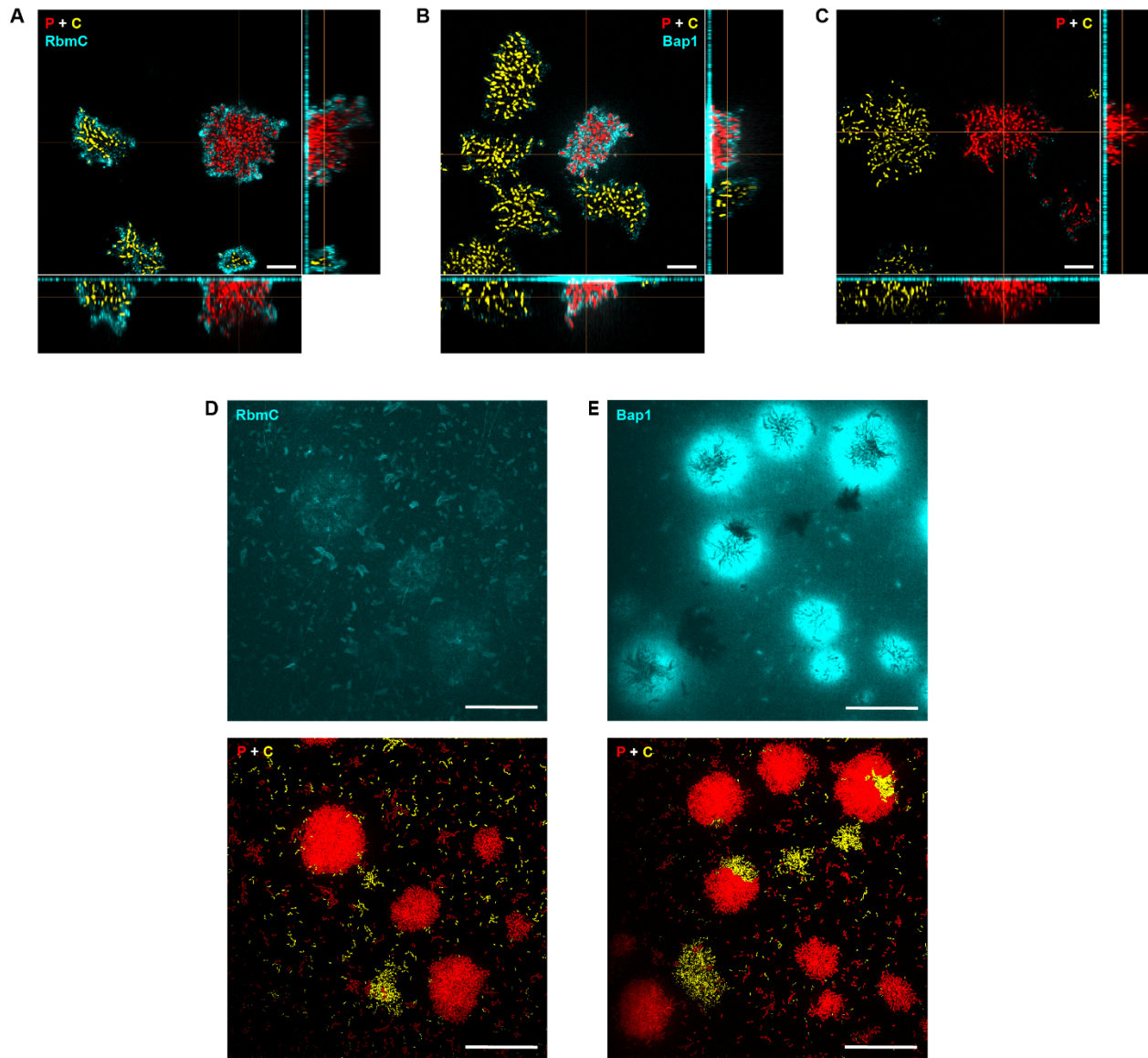


Fig. S3 | Distribution of adhesion proteins among producer (abbreviated as P, red) and cheater (abbreviated as C, yellow) biofilms shown by Cy3-conjugated anti-FLAG antibody staining (cyan). (A-C) Orthogonal views of a producer strain carrying 3×FLAG-tagged RbmC (A) and a producer strain carrying 3×FLAG-tagged Bap1 (B) co-cultured with the cheater. The epitopes are on the C-termini. A control of co-cultured producer (non-FLAG-tagged) and cheater under the same staining condition is shown in C. Scale bars: 10 μm. (D-E) Surface signal in a different set of images of a producer strain carrying 3×FLAG-tagged RbmC (D) and a producer strain carrying 3×FLAG-tagged Bap1 (E) co-cultured with the cheater. Scale bars: 50 μm.

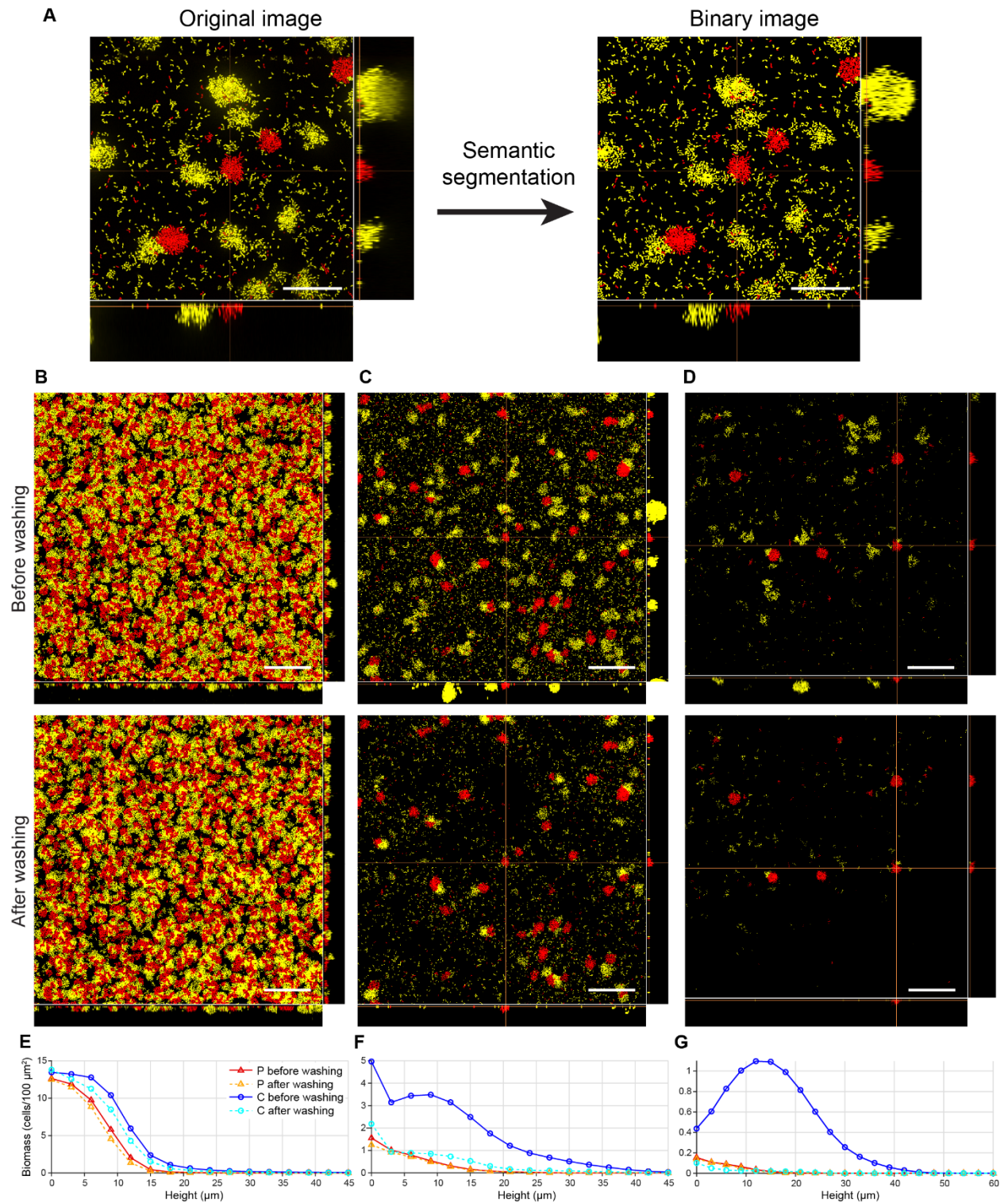


Fig. S4 | Image analysis and biomass quantification. (A) Original 3D fluorescence image (*Left*) was segmented by a local thresholding method to obtain a 3D binary image for both producer and cheater cells for biomass quantification (*Right*). Scale bars: 50 μm . (B-D) Segmented binary images corresponding to Fig. 2A-C. Scale bars: 100 μm . (E-G) Layer-by-layer biomass quantification of binary images in B-D. The biomass data show that the majority of biomass in producer biofilms remain adherent after washing,

regardless of the density of cells, while the adherence of cheater biofilms after washing depends strongly on the density of the producer. The biomass distributions also show distinct differences along the dimension vertical to the substratum: at medium and low density (F and G), the producer biomass is localized near the substratum and peaks at the surface, while the cheater biomass is distributed further away from the substratum. This may provide additional fitness advantages to the producer in the presence of a nutrient gradient near the solid substratum, a common scenario for microbes in marine and fresh-water habitats. After washing, the biomass distributions for producers and cheaters are both localized at the surface, suggesting correlations among adhesion protein sharing, biofilm morphology, and adhesion.

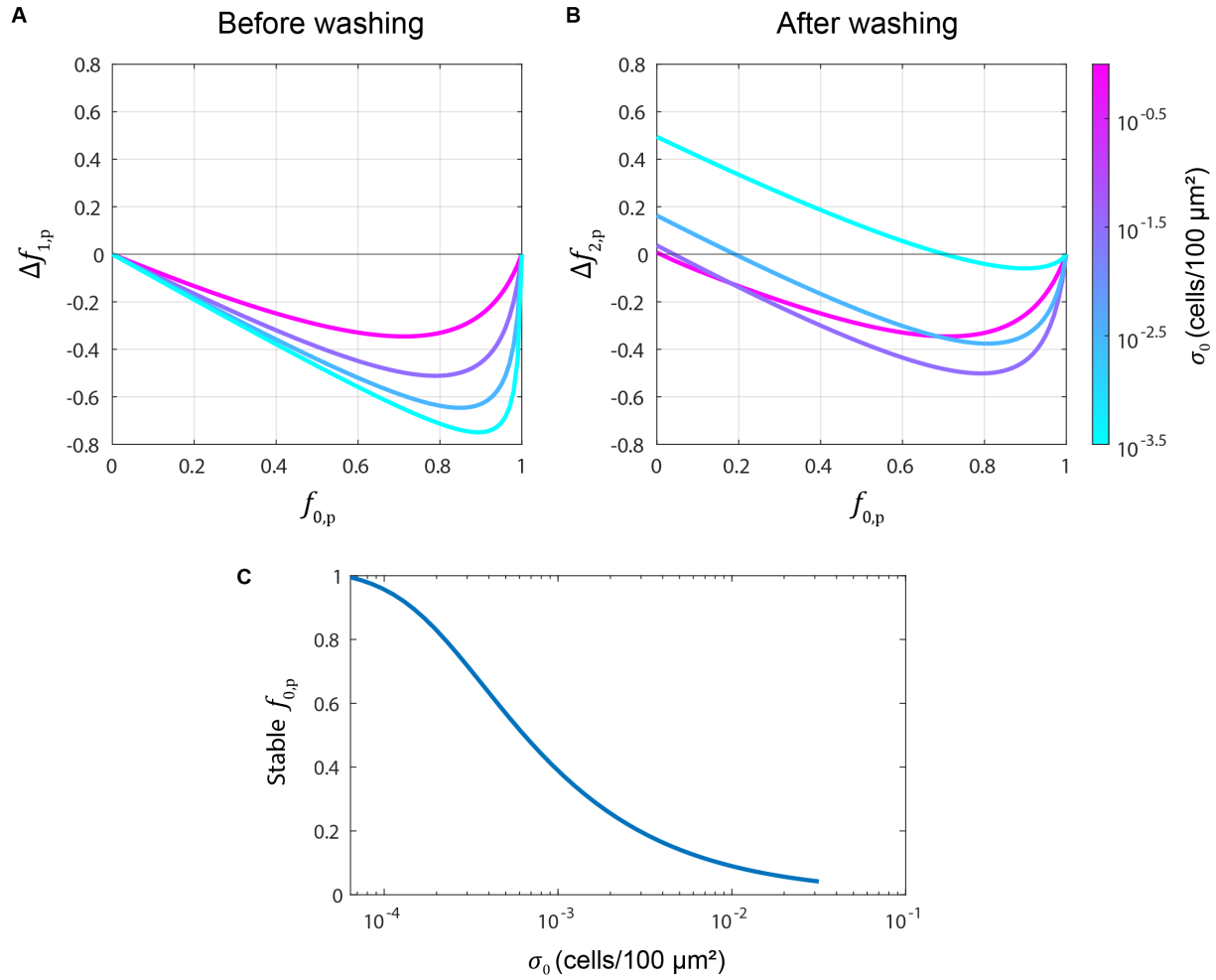


Fig. S5 | A two-part competition model between adhesion protein producer and cheater reproduces the experimental competition data. (A-B) Competition between adhesion protein producer and cheater in a static environment before and after washing was modeled using a two-part model: 1) Structureless competition model of co-cultured producer and cheater in a static environment (A) and 2) Spatial model of exploitation capturing the effect of disturbance introduced by washing (B). See Supplementary Methods for more details. The numerical results agree well with the experimental data measured both before and after washing (Fig. 2D). In particular, before washing, the cheater outcompetes the producer and $\Delta f_{1,p}$ decreases as σ_0 decreases. After washing, $\Delta f_{2,p}$ is larger compared to $\Delta f_{1,p}$, and the difference between them increases with decreasing σ_0 . At intermediate σ_0 , the negative frequency selection observed in experiments was reproduced. (C) Stable $f_{0,p}$ vs. σ_0 based on the two-part competition model. Our model predicts that the stable point moves from $f_{0,p} = 0$ to $f_{0,p} = 1$ as σ_0 decreases. Correspondingly, we predict that at very low inoculation densities, the producer always wins regardless of the initial frequency.

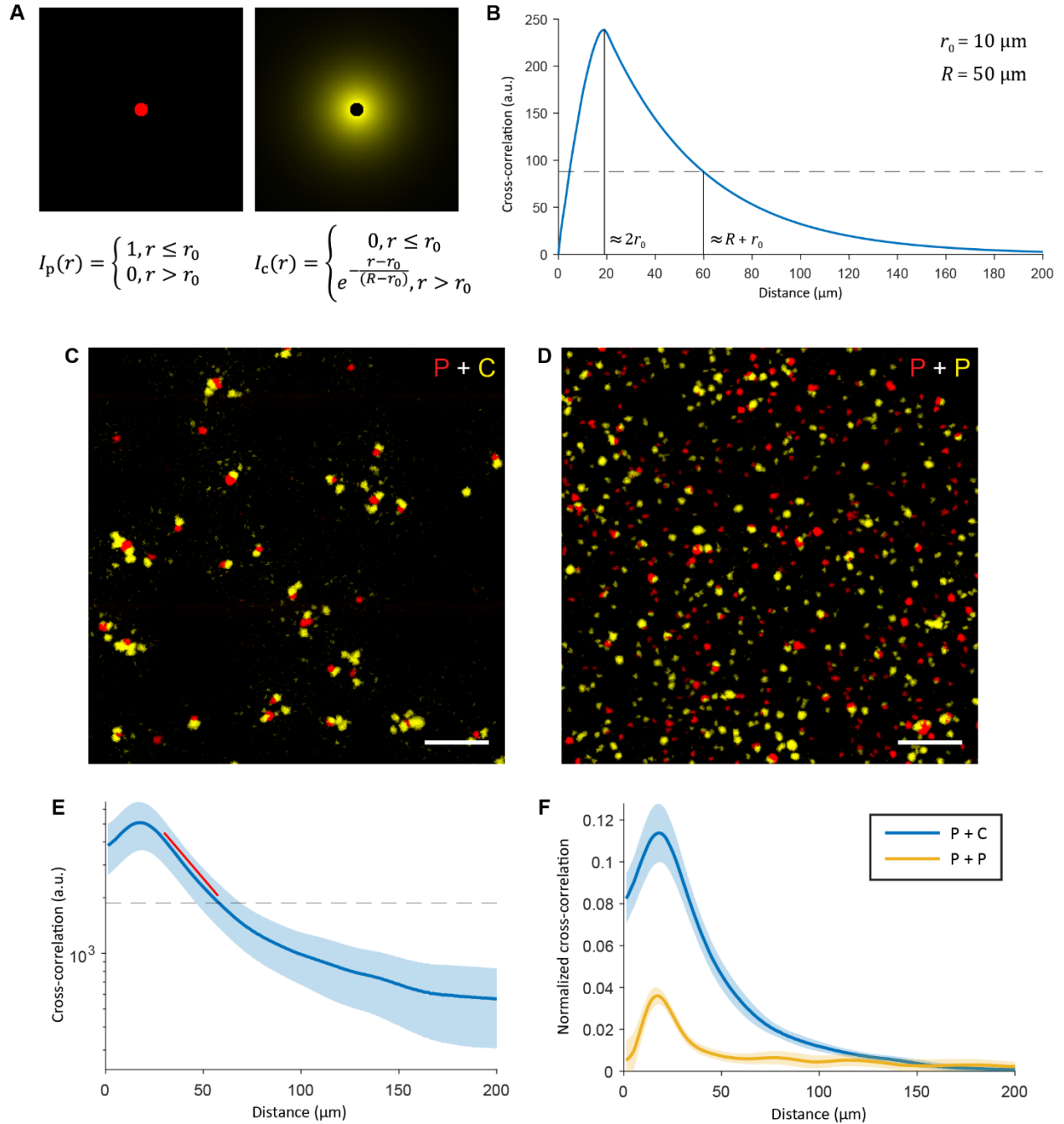


Fig. S6 | Quantification of exploitation radius through cross-correlation. (A) Artificial images of a circular binary profile with radius r_0 mimicking the producer biomass distribution after wash (Left) and an exponentially decaying profile beyond r_0 with a width $R - r_0$ mimicking the cheater biomass distribution after washing (Right). The combined radius of exploitation is R . (B) Cross-correlation between the artificial producer and cheater biofilm images in A shows a peak at $\approx 2r_0$ and a crossing with e^{-1} of the peak value (dashed line) at $\approx R + r_0$. Here $r_0 = 10 \mu\text{m}$ and $R = 50 \mu\text{m}$. (C-D) Biomass distribution of co-cultured producer and cheater after washing (C) and co-cultured producers expressing different fluorescent proteins as the control (D) as the control. Scale bars: $200 \mu\text{m}$. (E) Cross-correlation between producer and cheater images shows an exponentially decaying profile. The red line is a guide to the eye. (F) Normalized cross-correlation

between co-cultured producer and cheater after washing and between co-cultured producers expressing different fluorescent proteins as the negative control. The magnitude of the normalized cross-correlation in the former case is much larger, signifying the effect of protection. These data also show that the common peak at $\sim 20 \mu\text{m}$ corresponds to the average diameter of the producer cluster.

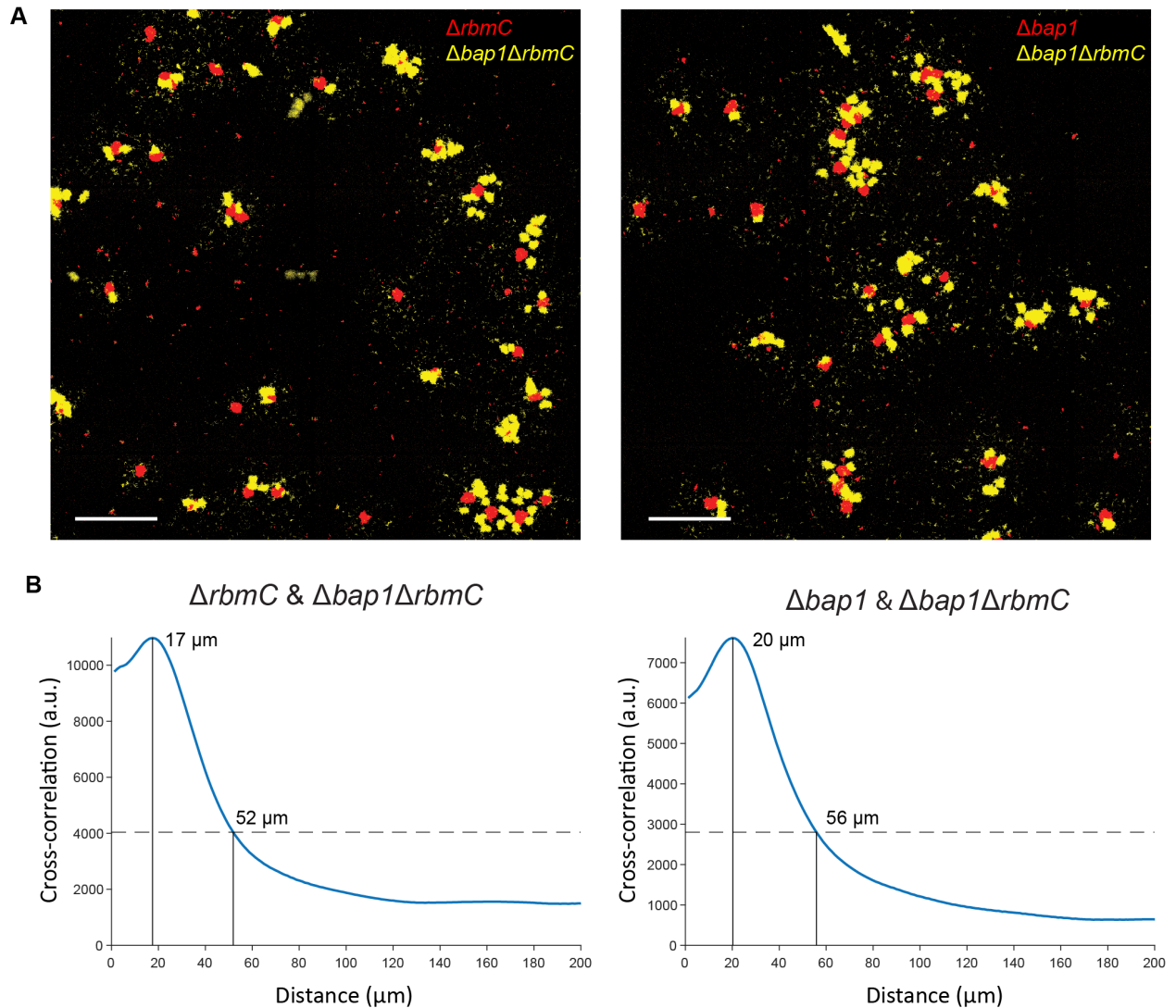


Fig. S7 | Bap1 and RbmC are redundant in the adhesion sharing assay. (A) Images of co-cultured single adhesion protein mutants and double mutant after washing (Left: $\Delta rbmC$ & $\Delta bap1\Delta rbmC$, Right: $\Delta bap1$ & $\Delta bap1\Delta rbmC$). Scale bars: 200 μm . (B) Cross-correlation between images of single mutant and double mutant biofilms. R values extracted from the peak values and the crossing with e^{-1} of the peak values (dashed lines) are 44 μm and 46 μm for the two cases, respectively. The single mutant biofilms adhere well to the surfaces, confirming the redundancy of the two adhesion proteins in attachment to glass surface. The similar exploitation radius, both slightly smaller than that conferred by the biofilms from the parental strain, shows that the two adhesion proteins are redundant and additive in the current competition assay, despite the different spatial distribution of RbmC and Bap1 in a biofilm (Fig. S3).

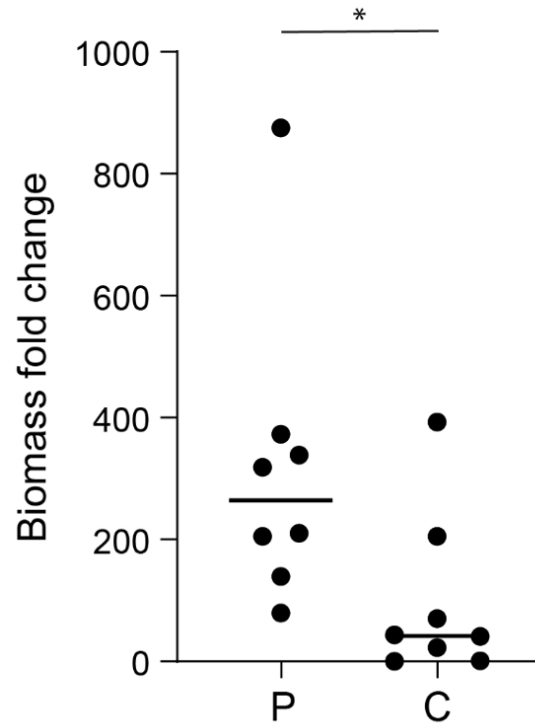


Fig. S8 | Biomass fold change of producer and cheater mono-cultures in a microfluidic flow chamber. Biomass fold change was measured after 16 h of growth in a flow chamber at a flow rate of 1 $\mu\text{L}/\text{min}$ (* $P < 0.05$, $N = 8$, Mann-Whitney test). These data show that, under a mild fluid shear, some cheater biofilms can remain adherent even without adhesion proteins. This is in contrast to the strong fluid shear induced by the washing step at the end of the static biofilm growth experiment in 96-well plate, where cheater biofilms were completely washed away in the absence of Bap1 and RbmC (Fig. 1 in main text). Therefore, the benefit of adhesion proteins to biofilm cells depends on the shear stress applied to them.

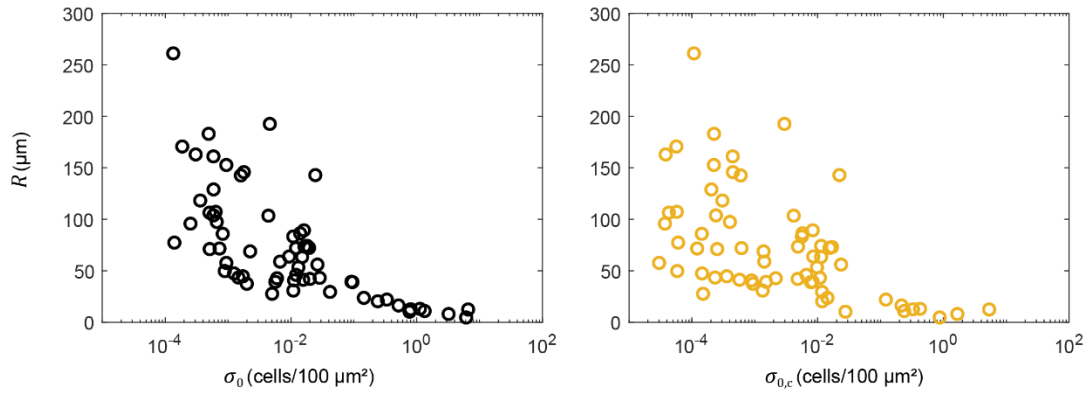


Fig. S9 | Dependence of R on σ_0 and $\sigma_{0,c}$. Two regimes of R are observed when σ_0 and $\sigma_{0,c}$ are below or above 0.1 cells/100 μm^2 . At high σ_0 , the size of each producer cluster and the amount of adhesion proteins secreted by each producer cluster are reduced, leading to a small R (*Left*). On the other hand, at high $\sigma_{0,c}$, the binding of RbmC and Bap1 to the matrices in the surrounding cheater biofilms reduces the local adhesion protein concentration and therefore the exploitation radius R (*Right*). Competition data from static competition assay in 96-well plate were used.

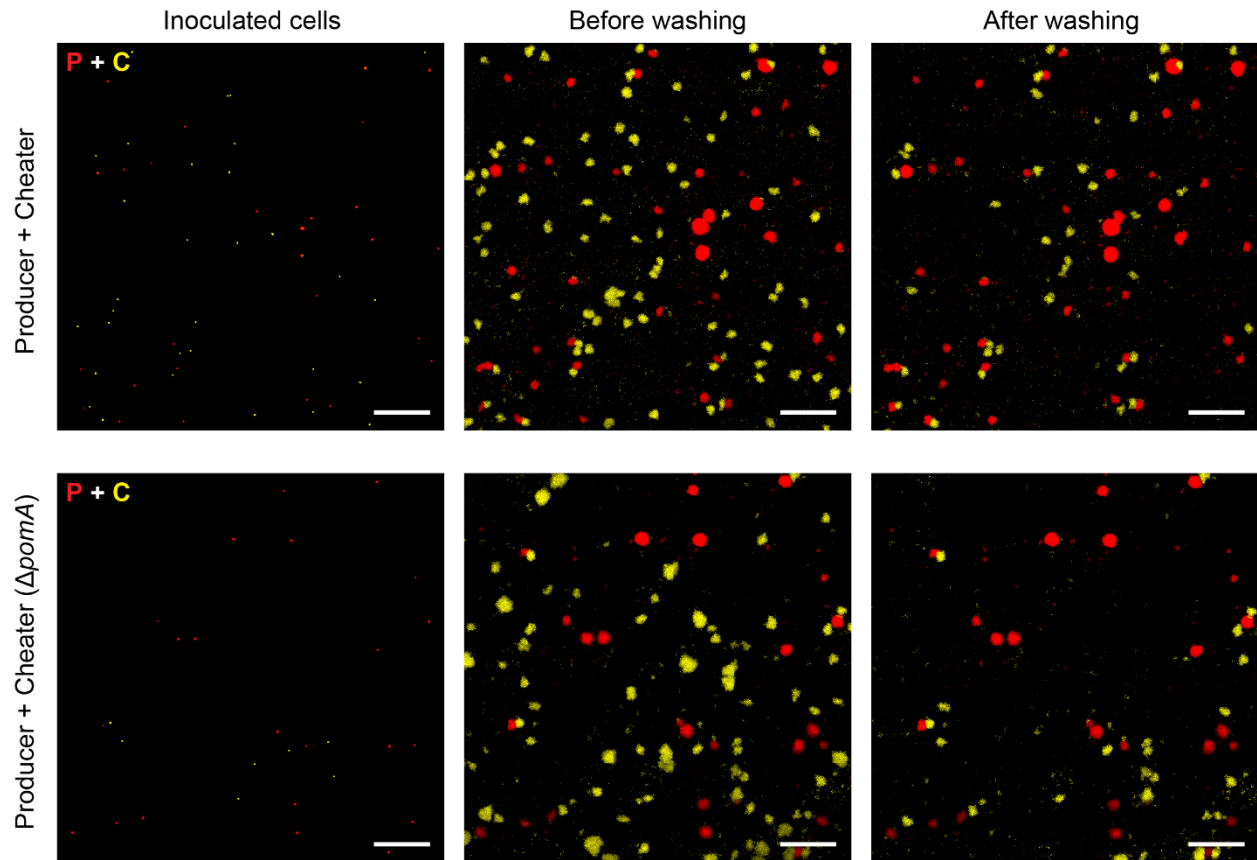


Fig. S10 | Comparison between inoculated cells, biomass before washing, and biomass after washing for producer and cheater strains used in the competition assays (*top row*) and producer and cheater strains without motility due to the deletion of *pomA* (*bottom row*). After 16 h of growth, dispersal and recolonization result in a ~40% increase in the number of producer clusters compared to the number of inoculated producer cells for strains with motility. The number of $\Delta pomA$ producer clusters after growth is close to the number of inoculated producer cells. The number of cheater clusters after growth are much higher than the number of inoculated cheater cells in either case. Images of inoculated cells (*left column*) are diluted 5X for clarity. Scale bars are 200 μm .

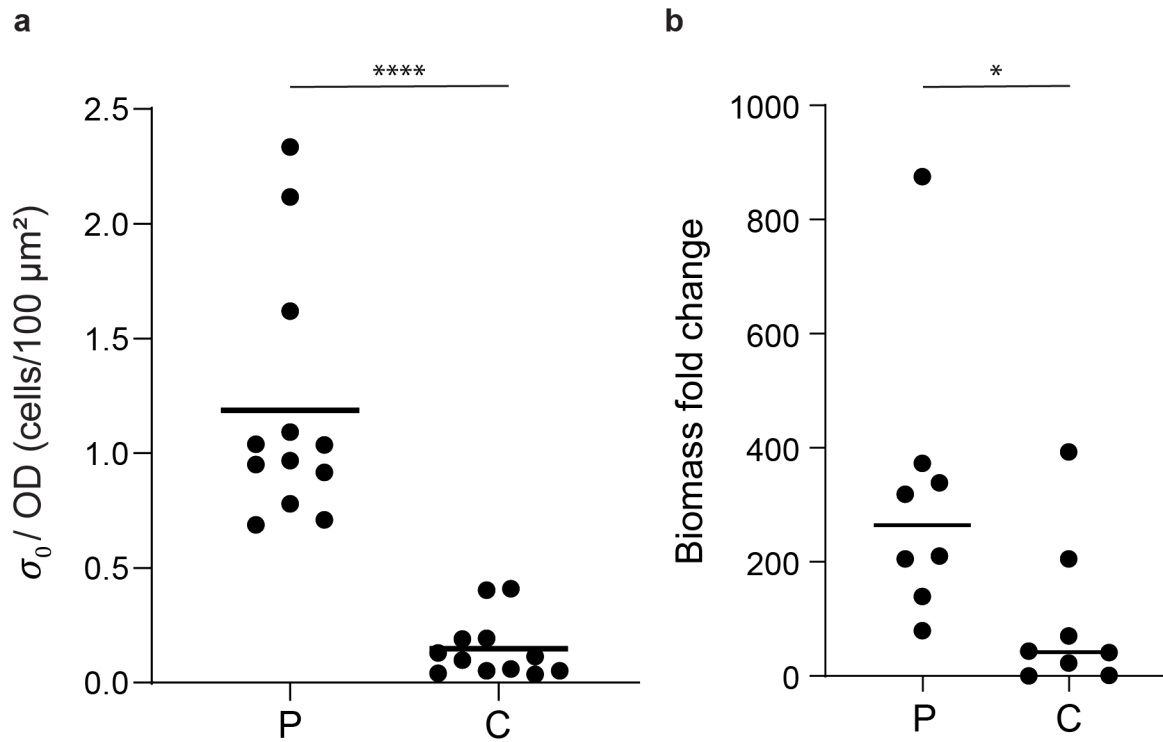


Fig. S11 | Inoculation efficiency of producer and cheater mono-cultures in a microfluidic flow chamber. Inoculation efficiency was defined as the ratio between initial surface coverage σ_0 and OD_{600} of the inoculant (**** $P < 0.0001$, $N = 12$, Mann-Whitney test). These data suggest that the cheater cells have a defect in inoculation; therefore, for all of our biofilm quantifications we measured the inoculation surface densities ($\sigma_{0,p}$ and $\sigma_{0,c}$) to quantify $f_{0,p}$ instead of using the OD_{600} ratio in the liquid inoculants.

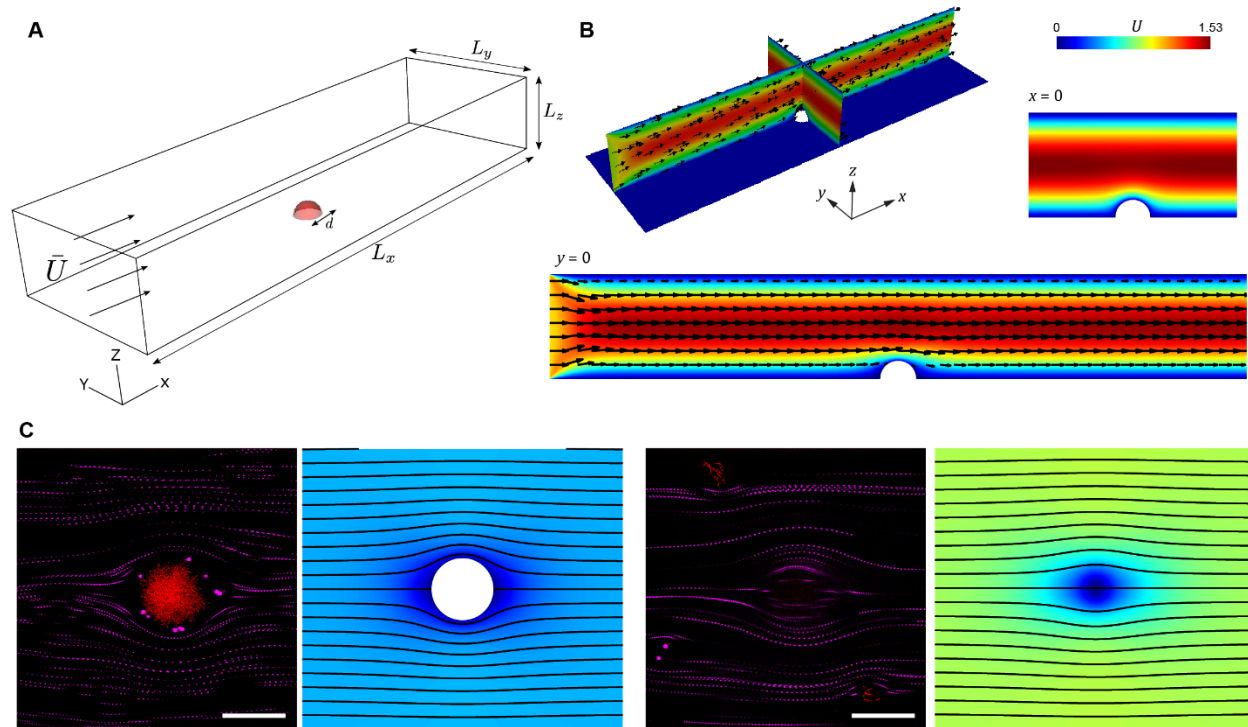


Fig. S12 | Simulated and experimental flow field around a producer cluster in a microfluidic chamber. (A) Schematic of the computational domain. The producer cluster (red) was modeled as a hemisphere at the origin. (B) The flow velocity field visualized by streamlines and colors around a producer cluster. (C) Streamlines of flow imaged by $1 \mu\text{m}$ fluorescent beads (magenta) suspended in the fluid around a producer cluster with diameter $r_0 \approx 40 \mu\text{m}$ (red), $20 \mu\text{m}$ (left panel) and $42 \mu\text{m}$ (right panel; at the top of the cluster) away from the surface. The corresponding simulation results at $z = r_0/2$ and $z = r_0$ are shown on the right of each experimental image. Scale bars: $50 \mu\text{m}$.

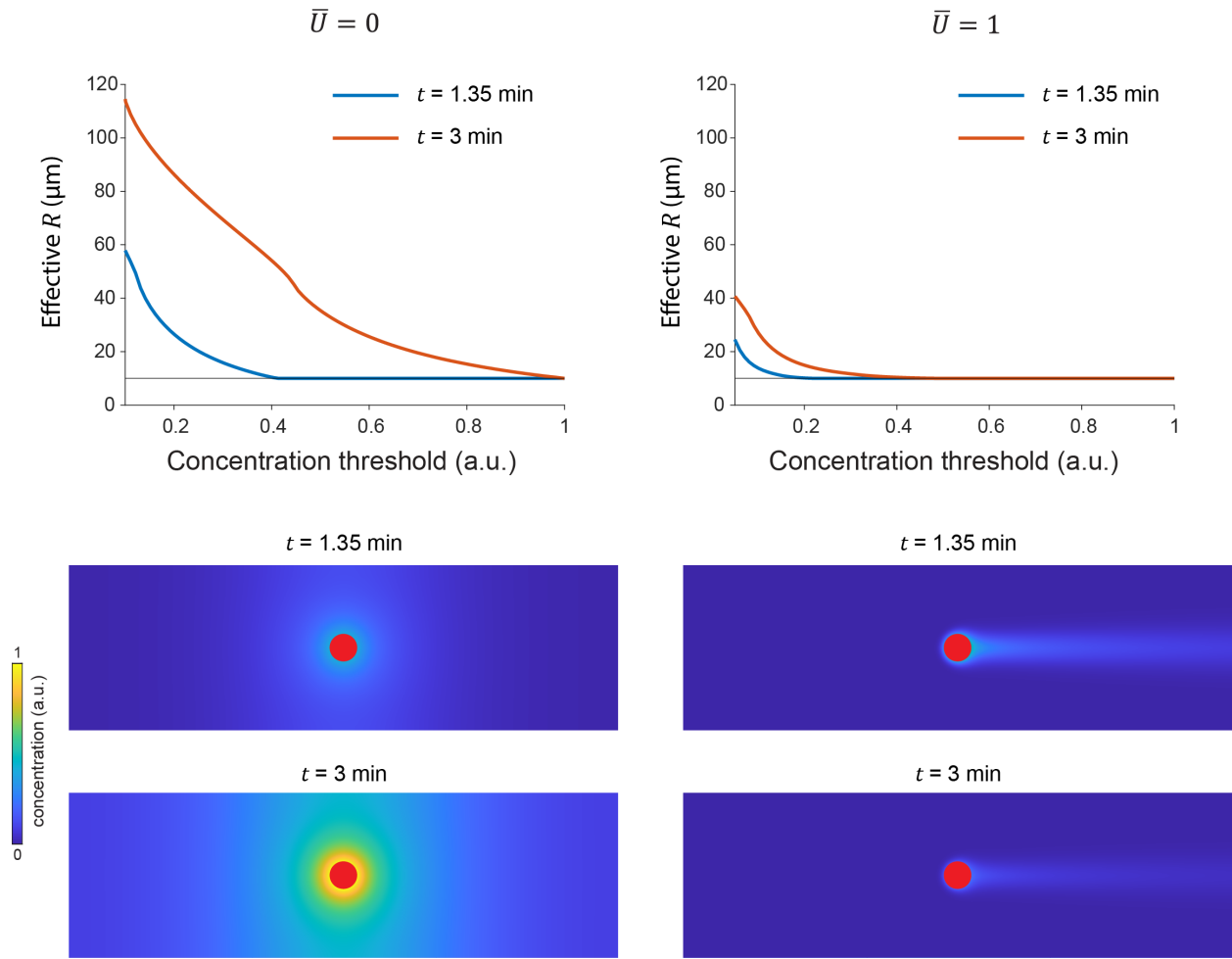


Fig. S13 | Adhesion protein concentration profiles and effective R as a function of concentration threshold for protection for diffusive ($\bar{U} = 0$) and advective ($\bar{U} = 1$) cases at different physical times in simulation. All concentration profiles are depth-averaged and normalized by the value at the edge of the producer cluster at $\bar{U} = 0$ and $t = 3$ min. Each red disk corresponds to a producer cluster of radius r_0 . The simulation shows that although R increases with time in both cases, R is always smaller in the advective case than in the diffusive case, and that the difference between the two cases increases with time. This strengthens our conclusion that advection reduces R , irrespective of the limitation on physical time scale accessible in simulation.

Supplementary Table

Table S1. *V. cholerae* strains used in this study

Strain	Genotype	Source
JN132	<i>vpvC</i> ^{W240R} Δ <i>VC1807::P_{tac}-mScarlet-I-Spec</i> ^R	This study
JY458	<i>vpvC</i> ^{W240R} Δ <i>bapI</i> Δ <i>rbmC</i> Δ <i>VC1807::P_{tac}-mNeonGreen-Spec</i> ^R	This study
JY451	<i>vpvC</i> ^{W240R} Δ <i>VC1807::P_{tac}-mNeonGreen-Spec</i> ^R	This study
JN144	<i>vpvC</i> ^{W240R} Δ <i>bapI</i> Δ <i>rbmC</i> Δ <i>VC1807::P_{tac}-mScarlet-I-Spec</i> ^R	This study
JY488	<i>vpvC</i> ^{W240R} <i>bapI</i> -3 \times FLAG Δ <i>VC1807::P_{tac}-mNeonGreen-Spec</i> ^R	This study
JY489	<i>vpvC</i> ^{W240R} <i>rbmC</i> -3 \times FLAG Δ <i>VC1807::P_{tac}-mNeonGreen-Spec</i> ^R	This study
JY459	<i>vpvC</i> ^{W240R} Δ <i>bapI</i> Δ <i>rbmC</i> Δ <i>VC1807::P_{tac}-SCFP3A-Spec</i> ^R	This study
ZJ033	<i>vpvC</i> ^{W240R} Δ <i>rbmC</i> Δ <i>VC1807::P_{tac}-mNeonGreen-Spec</i> ^R	This study
ZJ053	<i>vpvC</i> ^{W240R} Δ <i>bapI</i> Δ <i>VC1807::P_{tac}-mNeonGreen-Spec</i> ^R	This study
JN131	Δ <i>VC1807::P_{tac}-mScarlet-I-Spec</i> ^R	This study
JY567	Δ <i>bapI</i> Δ <i>rbmC</i> Δ <i>VC1807::P_{tac}-mNeonGreen-Spec</i> ^R	This study
JY595	<i>vpvC</i> ^{W240R} Δ <i>pomA</i> Δ <i>VC1807::P_{tac}-mRuby3-Spec</i> ^R	This study
JY598	<i>vpvC</i> ^{W240R} Δ <i>pomA</i> Δ <i>bapI</i> Δ <i>rbmC</i> Δ <i>VC1807::P_{tac}-mNeonGreen-Spec</i> ^R	This study

Table S2. Parameters used in the two-part competition model

Parameters	Symbol	Values
Producer growth rate	r_p	0.75 h^{-1}
Cheater growth rate	r_c	1.07 h^{-1}
Producer carrying capacity	N_p	$18.3 \text{ cells}/100 \mu\text{m}^2$
Cheater carrying capacity	N_c	$18.3 \text{ cells}/100 \mu\text{m}^2$
Exploitation radius	R	$63 \mu\text{m}$

Supplementary References

1. A. J. Lotka, *Elements of physical biology* (Williams and Wilkins, 1925).